

Renewable Energy Production Forecast



PROJ0016 - Big Data Project

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University of Liège

*“How much renewable energy
will be produced tomorrow in
Liège ?”*



We divided our approach in three branches :

1. Assessing the number and location of photovoltaic units;
2. Estimating the photovoltaic energy production;
3. Estimating the wind energy production.



Photovoltaic panels mapping



We couldn't find appropriate records of photovoltaic installations in Liège.

We decided to *estimate* the number and location of photovoltaic panels using **remote sensing**, in particular using **aerial** or **satellite** imagery.



Wallonia possesses a geographic information website **WalOnMap**. It uses the **Web Map Tiles Service** standard.

Using **owslib** Python library we could retrieve these tiles (512 × 512 images).

Unfortunately, the images have a quite **low quality**.



We decided to use a tweaked version of **U-Net** (Ronneberger, Fischer, and Brox 2015), a well known segmentation network.

We implemented it and trained it using the **PyTorch** Python library.

This part of the project was conducted in parallel with our project of *Deep Learning*. Therefore, we won't explain the implementation and training process (algorithm, loss function, etc.) in this presentation.



We found a dataset (Bradbury et al. 2016) of over 19 000 solar panels across 601 high resolution (5000×5000) images from four cities in California.

Using the coordinates (provided as polygon vertices), we produced **segmentation masks** in order to train our model.

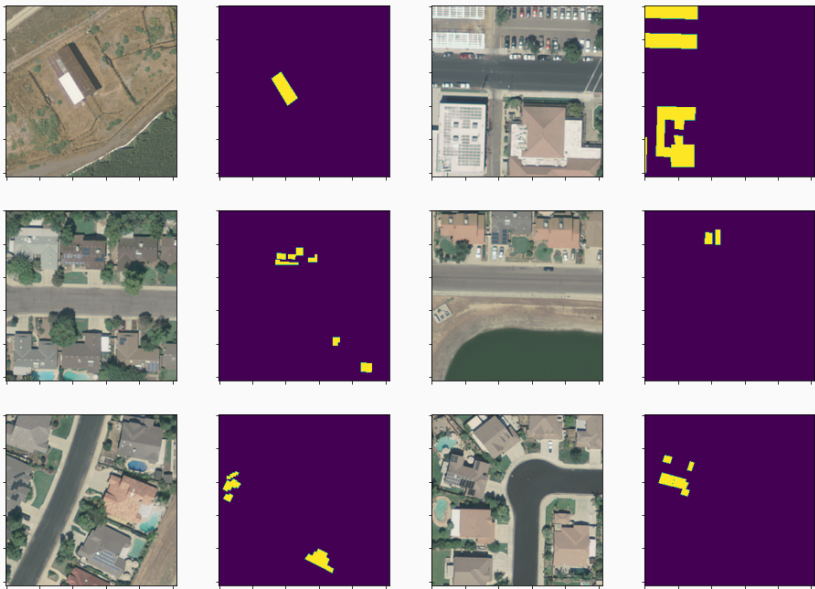


Figure 1: Training set images sample with their masks.



The training images are very different (colorimetry, blurriness, etc.) from the images of WalOnMap.

We decided to **augment** our training set. Our approach is to randomly apply transformations to the images *while training*.

Transformations : rotations, flips, brightness, contrast, smoothing, sharpening, etc.



Figure 2: Training set augmentation sample.

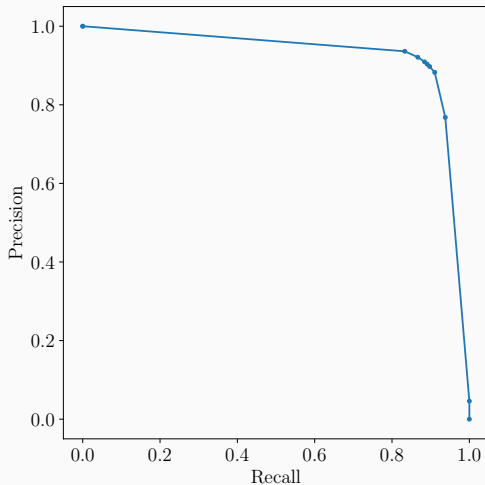


Figure 3: Precision-recall curve on the Californian test set.



Our model :

average precision = 92.51 %

precision(0.5) = 90.3 %

recall(0.5) = 89.1 %



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Malof et al. (2016) :

precision(?) = 80 %

recall(?) = 72 %



However, the results on **WalOnMap** were not satisfactory.

Therefore, we **fine-tuned** our model for a few more epochs on 550 **WalOnMap** images we **hand-annotated**.

111 other images are kept for metric evaluation.

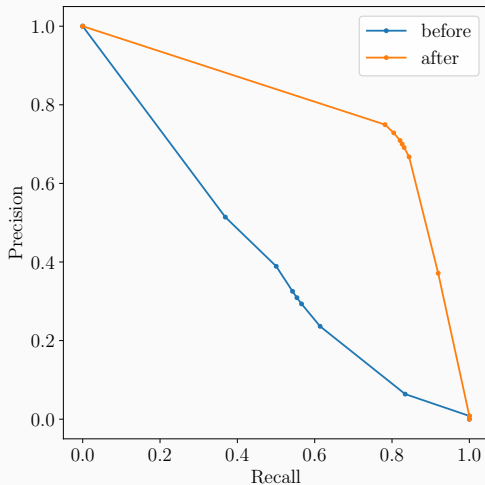


Figure 4: Precision-recall curve before and after fine-tuning.



average precision = 78.3 %

precision(0.5) = 71.3 %

recall(0.5) = 82.6 %



Finally, we applied our fine-tuned model on the 846 703 tiles of the Province of Liège. After 1.5 d we obtained the location and shape (polygons) of 64 463 PV installations covering 2 554 505 m² of land.







As such, the locations and shapes are not usable for the power production model. Therefore, we summarized each detected installation into **3 quantities** :

- its geospatial location (latitude and longitude);
- its surface;
- its azimuth angle.

Photovoltaic production



As specified by the guidelines, we opted for a **short-term** prediction task.

3 possibilities (Nespoli et al. 2019):

- Statistical methods: regression, artificial neural networks
- Physical methods
- Hybrid methods: mix of statistical and physical



As specified by the guidelines, we opted for a **short-term** prediction task.

3 possibilities:

- Statistical methods: regression, artificial neural networks
- **Physical methods**
- Hybrid methods: mix of statistical and physical

Our main idea was to rely on physical **intuition**.

⇒ Build **simple** physical models.



Build a *panelwise* model that we would scale up \Rightarrow focus on a **small** scale first (ULiège) and assess the obtained results.

Need panels characteristics:

- Location (latitude - longitude)
- Area
- Surface azimuth

Build a second model, relying on available solar data:

- Installed power
- Peak area



We needed 2 types of data:

- Photovoltaic **production** data
- **Irradiance** data



We obtained production and irradiance data for ULiège

⇒ **evaluate** our panelwise model.

We needed the same, at a **larger scale**. Only **publicly available** production data: Elia (measurements, forecasts, etc.), with a granularity of 15 minutes.



However, Elia provides photovoltaic production data at a **provincial** scale.

Hence, to get reference data to **compare** to, we opted for predicting the photovoltaic production of the province of Liège.

As far as irradiance data is concerned, we discovered **Solcast**'s API (historical and forecast data). It provides data at a granularity of 30 minutes.



To match the irradiance granularity, we simply **averaged** Elia's measures for each 30-minutes period.

Dealing with missing data was done using **linear interpolation**.



Our panelwise model relies on the computation of two main solar angles:

- Incidence angle θ between the sun rays and the normal vector of the panel installation (depends on other solar angles)
- Solar altitude a/t

The cosine of θ relies on:

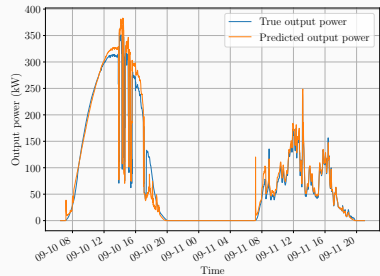
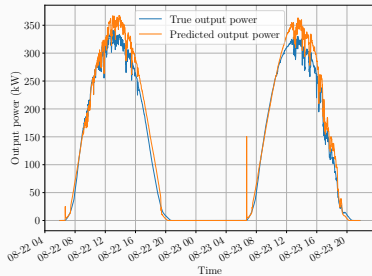
- Surface azimuth
- Declination angle δ
- Latitude and longitude
- Hour angle ω
- Tilt angle β



We derived the following model

$$P = \frac{\eta I \cos(\theta) A}{\sin(\text{alt})} \quad [\text{W}]$$

Panelwise model





With **fixed** parameters (η, β) , our model is very rigid and dependent on the quality of our **panels mapping** and on the irradiance **forecasts**.

⇒ introduce uncertainties.



We considered the quantity

$$naive_power = \frac{I \cos(\theta) A}{\sin(alt)}$$

as fixed and modeled uncertainties on η , using **PyStan** as probabilistic programming language.

To model the **posterior** distribution of η , we *fit* using Elia's production measurements over the past 7 days.



The predicted photovoltaic power is modeled with a **normal** distribution centered around

$$\eta \times \text{forecast_power}$$

where *forecast_power* is computed using irradiance **forecasts**, and η is drawn from its posterior distribution.

Results will be shown later.



We decided to call our **second** model the *provincial* model, although both will be used at a provincial scale.

Here, we model our photovoltaic production using solar data, such as:

- Installed power in the province of Liège
- Estimate of the peak area



We derived the following model

$$P = \eta I A \quad [\text{W}]$$

where η is the panel efficiency, I is the irradiance and $A = \text{peak_area} \times \text{kVA}$ is the area of panels in the province (with kVA being the installed power).



Similarly to the panelwise model, we also modeled **uncertainties** to make the model more flexible.

Again, each **posterior** is built using Elia's production measurements over the past 7 days, and the predicted power is modeled with a normal distribution.



To evaluate the quality of both models, we applied the following **procedure**: for a given day of prediction, we construct both posterior models using Elia's production measurements over the past 7 days and predict for the considered day.

We **compare** the predictions of our models with respect to Elia's measurements, using the MSE and RMSE. Beforehand, we **remove** night observations to only evaluate when there is a nonzero produced power.



We will compare our posterior models with their prior (rigid) counterparts, along with two simple **baselines**:

- Predict for day D the measured production of day $D - 1$
- Predict for day D the average measured production over the last 7 days.

To get **representative** results, we conducted the procedure on the whole 2019 year (using irradiance measures since past irradiances forecasts were not available).



	MSE	RMSE
Prior panelwise model	2852.73	49.25 \pm 20.68
Posterior panelwise model	510.84	20.06 \pm 10.42
Prior provincial model	608.98	21.94 \pm 11.31
Posterior provincial model	431.23	18.49 \pm 9.46
Baseline 1	2195.60	38.87 \pm 26.19
Baseline 2	1816.74	37.34 \pm 20.56
Elia's forecast	381.85	16.79 \pm 10.01

Table 1: Mean MSE and mean RMSE, along with standard deviation, for 2019 (using irradiance measurements), in MW.

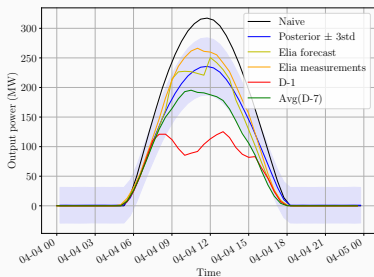


To get more *real-life* representative results, we conducted the same procedure considering April 2020. This time, we use irradiance **forecasts**.

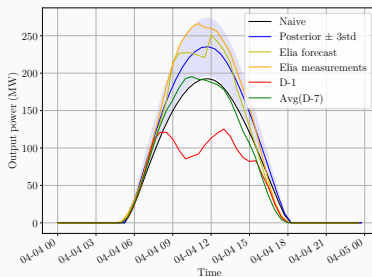


	MSE	RMSE
Prior panelwise model	5316.57	62.85 ± 37.66
Posterior panelwise model	1563.30	32.23 ± 23.33
Prior provincial model	2210.83	42.44 ± 20.62
Posterior provincial model	1595.59	32.63 ± 23.48
Baseline 1	2616.99	36.34 ± 36.68
Baseline 2	2339.52	40.87 ± 26.34
Elia's forecast	324.85	15.16 ± 10.11

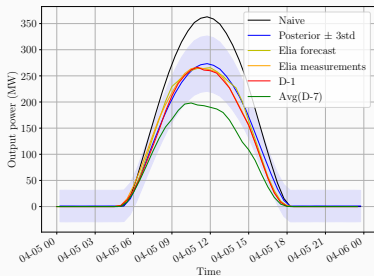
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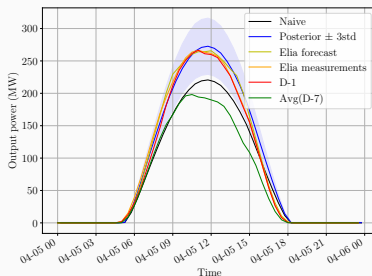
(a) Panelwise model (using irradiance forecasts).



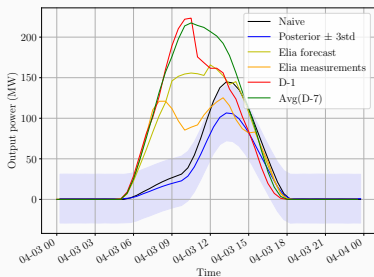
(b) Provincial model (using irradiance forecasts).



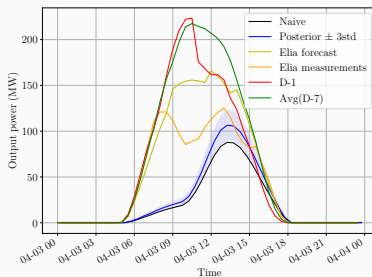
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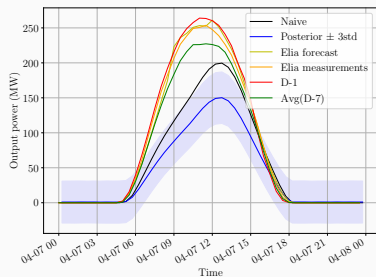
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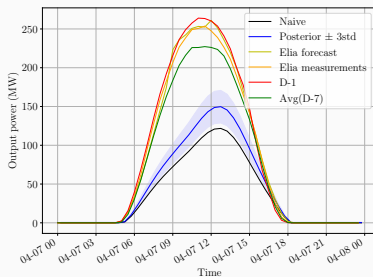
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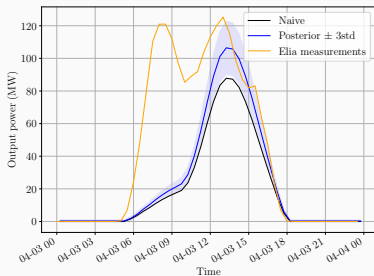
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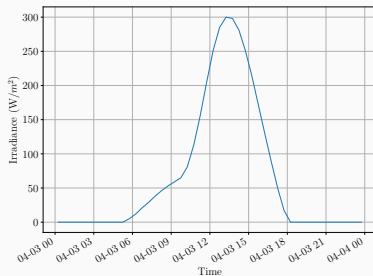
Although we obtain satisfactory results on average, some **limitations** can be pointed out:

- **Simplicity** of the models
- Using a **single** source of irradiance data
- Strong **influence** of the irradiance curve
- No real **uncertainty** on our panels mapping

Limitations



(a) Provincial model.



(b) Irradiance forecasted.

Wind power production



Wind power forecasting **problems classification**:

- Immediate-short-term (a few hour ahead);
- Medium-term (few hours to several days);
- Long-term (multiple days ahead).



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Wind power forecasting approaches classification

- **Physical modelling:** from physical parameters and NWP¹;
- **Statistical modelling:**
 - **Time series forecasting:** from power time series;
 - **NWP post-processing:** from NWP.
- **Hybrid approaches:** various approaches (constrained regression, physical model as input feature, etc. e.g. WPPT (Croonenbroeck and Dahl 2014)).

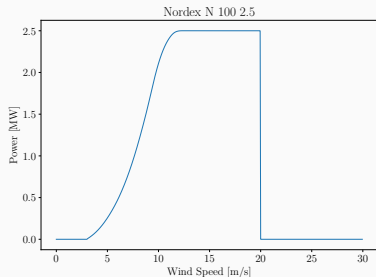
¹Numerical Weather Prediction



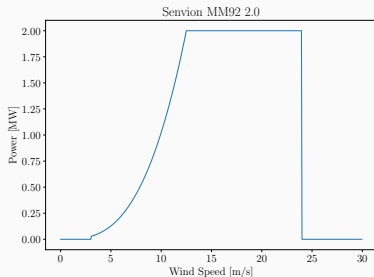
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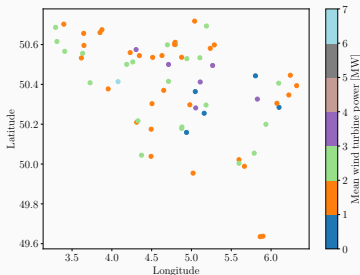


(a) Power curve

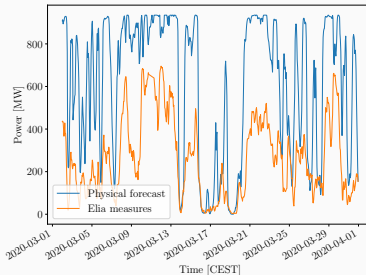


(b) Theoretic power curve

Figure 13: Examples of power curves



(a) Wind power plants in Wallonia

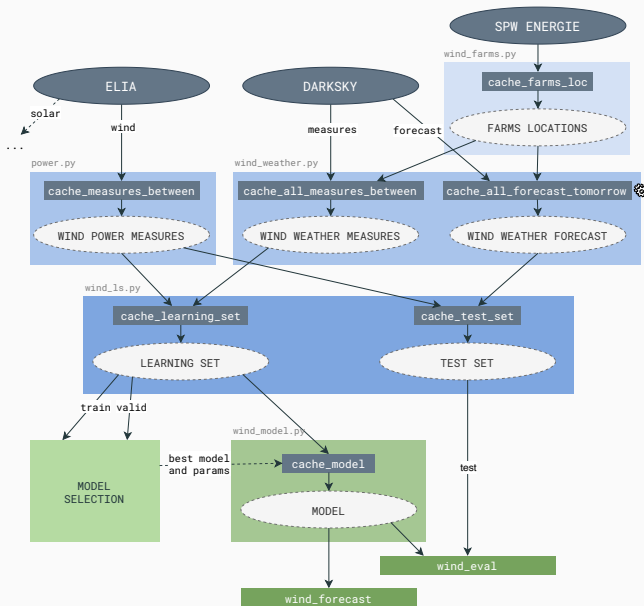


(b) Physical model forecast example

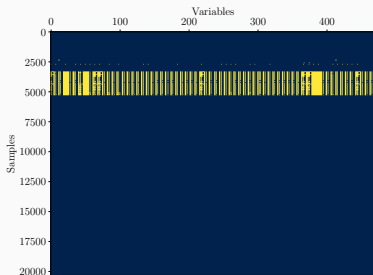
Figure 14: Wind power plants location and physical model

MAE: 355.16 MW (maximum measured power of 727 MW)

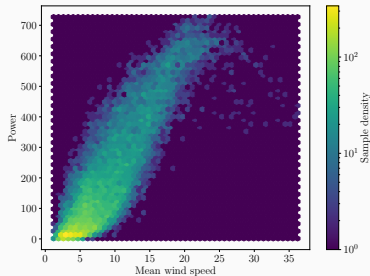
Data and computation flow



Feasibility of the regression



(a) Missingness in the learning set
(2069 NA corresponding to
0.024 %)



(b) Learning set sample density
with respect to the total power and
the mean wind speed at the 67
wind power plants location

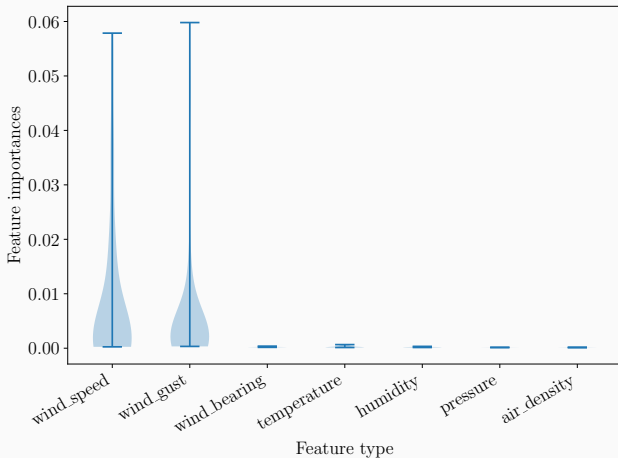


Figure 16: Feature importances distribution with respect to the type of feature



The following supervised learning methods have been extensively experimented

- *Quantile* Extra Trees: variant of the extra trees where each leaf contains all learning samples that ended up in it, instead of only the mean. Quantiles estimated at prediction time.
- *Quantile* Gradient Boosting: gradient boosting is performed on the quantile loss:

$$\alpha(y, q) = \begin{cases} |y - q| \alpha & \text{if } y > q \\ |y - q| (1 - \alpha) & \text{else} \end{cases}$$



Hyper-parameters have been slightly tuned to:

- *Quantile Extra Trees*: 1000 estimators, minimum number of samples required to split: 10, number of features to consider when looking for the best split: all.
- *Quantile Gradient Boosting*: 1000 estimators, learning rate: 0.1, number of features to consider when looking for the best split: all, subsample: 0.7.



- MAE (mean absolute error);
- nMAE (normalized mean absolute error);
- nRMSE (normalized root mean squared error);
- MQL10 (mean quantile loss for 10th quantile);
- MQL90 (mean quantile loss for 90th quantile).



- Shuffled sample split (25 %)
- Last 25 % of the data (\approx six months).
- *Weather forecast* test set: weather forecast for day D has been requested on day $D - 1$ at 11 o'clock. (only between April 5 and April 27, 2020)
- *Weather measures* test set: same period as the *weather forecast* test set.



Test set	Method	MAE	nMAE	nRMSE	MQL10	MQL90	Time ¹ [s]
Shuffled TS (Elia MAE: 34.87)	Extra Trees	31.14	4.28 %	5.97 %	53.65	57.78	752
	Gradient Boosting	32.90	4.52 %	5.99 %	52.54	51.90	0
Last 6 months (Elia MAE: 40.16)	Extra Trees	40.43	5.56 %	7.45 %	64.58	55.58	710
	Gradient Boosting	41.91	5.76 %	7.69 %	59.25	44.58	0
Weather forecast (Elia MAE: 21.51)	Extra Trees	36.86	5.07 %	7.51 %	52.51	52.71	95
	Gradient Boosting	35.71	4.91 %	7.05 %	51.33	47.14	0
Weather measures (Elia MAE: 21.51)	Extra Trees	33.26	4.57 %	6.44 %	55.66	47.26	115
	Gradient Boosting	31.62	4.35 %	5.87 %	56.18	41.77	0

Table 3: Results of the two algorithms on the learning sets (MAE and MQL are expressed in MW)

NB: On LS + TS, train time are 188 s and 995 s respectively.



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1. First test set is invalid: information leakage between train and test set due to temporal correlation



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2. *Weather forecast* test set isn't representative and certainly lead to optimistic results



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3. Gradient Boosting and Extra Trees are equivalent in terms of MAE and RMSE;



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4. Gradient Boosting outperforms in terms of mean quantile losses;



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5. Considering train and prediction time, Gradient Boosting is profitable while we train less than twice a year;



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Weather measures (Elia MAE: 21.51)	Extra Trees	33.26	4.57 %	6.44 %	55.66	47.26	115
	Gradient Boosting	31.62	4.35 %	5.87 %	56.18	41.77	0

Table 3: Results of the two algorithms on the learning sets (MAE and MQL are expressed in MW)

6. nRMSE results are comparable to results obtained in the literature (Croonenbroeck and Dahl 2014), but we are working on weather measures.

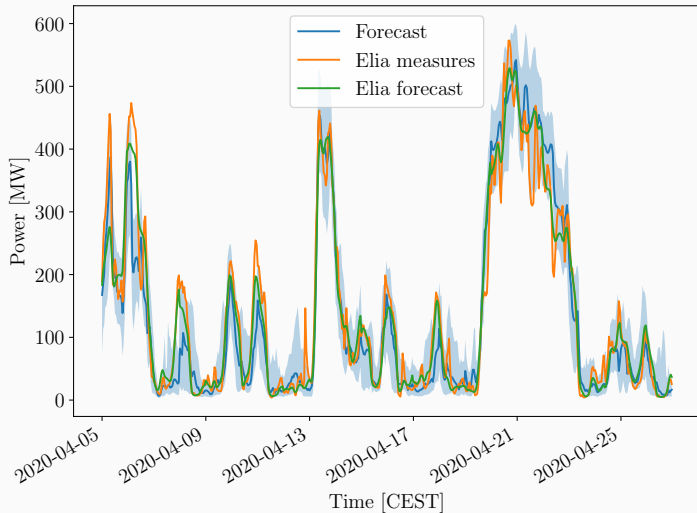


Figure 17: Quantile Extra Trees forecast

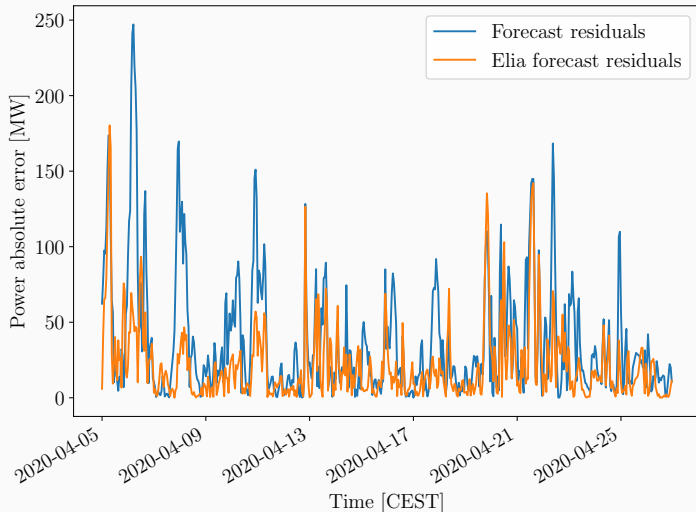


Figure 18: Quantile Extra Trees forecast residuals



- Even if we can't assess the performance in real conditions (forecasting), we are certainly **outperformed by Elia**;
- We worked at the **regional level** instead of provincial level, because of the **unavailability of data**.
- We could consider a **hybrid approach** where we post process the output of the physical model (with or without NWP);
- We could consider a hybrid approach that mix the **two statistical approaches**: taking the temporal correlation into account to predict, even on the day-ahead task;
- Considering **more complex** or fine-tuned **SL models**, especially in the case of a time-series hybrid approach.

Conclusion



- We may regret the **unavailability of data**;
- **No past weather forecast** (wind or solar) is available, preventing us from assessing our models;
- The photovoltaic power mapping has yielded very **good accuracy** compared to the literature;
- The photovoltaic mapping was **able to adapt** to Belgian satellite imagery;
- Solar and wind models **perform as well as Elia** when based **on weather measures** instead of weather forecasts;
- Further **improvements should be possible** for the three parts, if more data was available.

Demonstration

znkvzr.com/apps/big-data

References





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