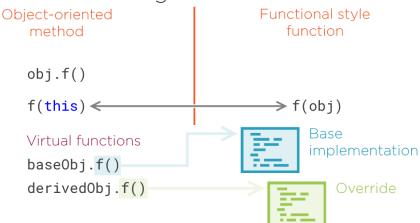
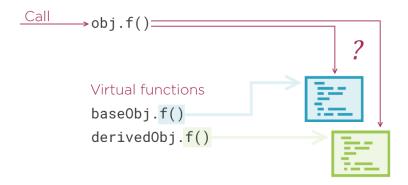
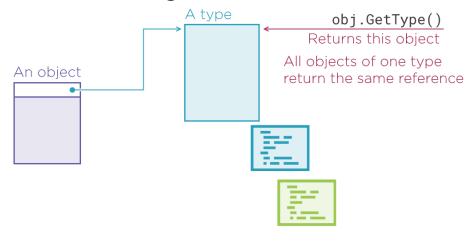
# Composing Functions into Larger Behavior

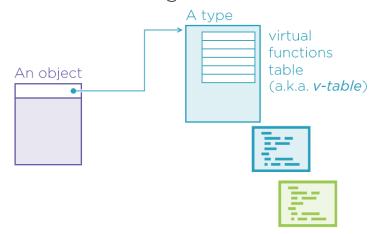


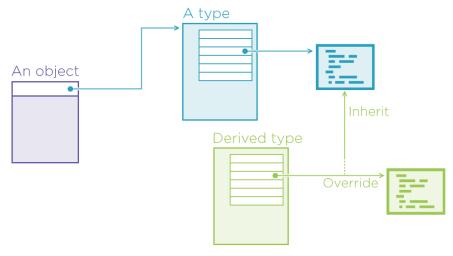
**Zoran Horvat**CEO AT CODING HELMET
@zoranh75 http://csharpmentor.com

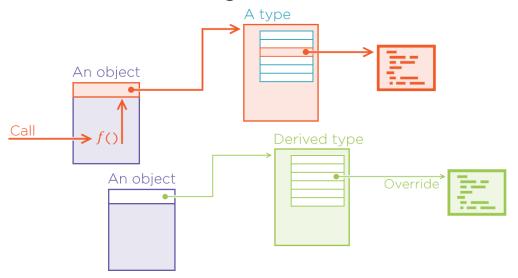


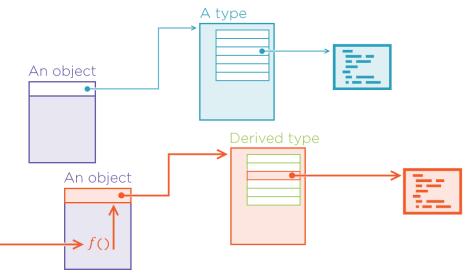


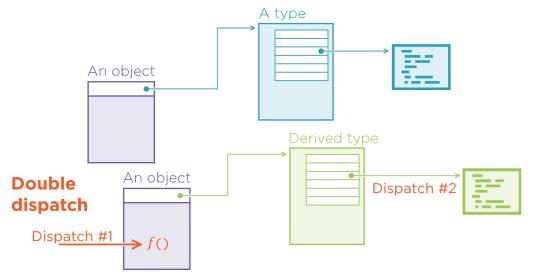


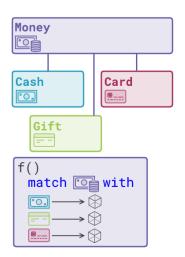


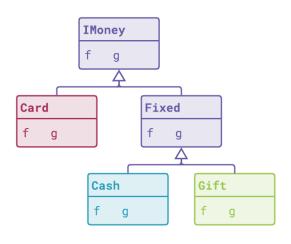




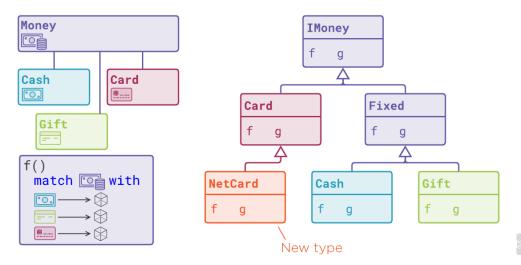


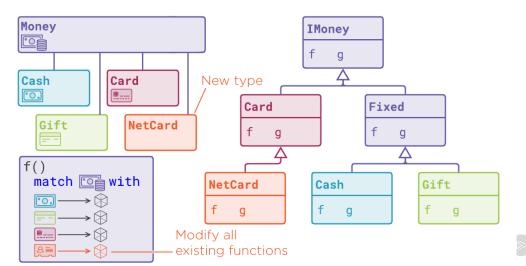


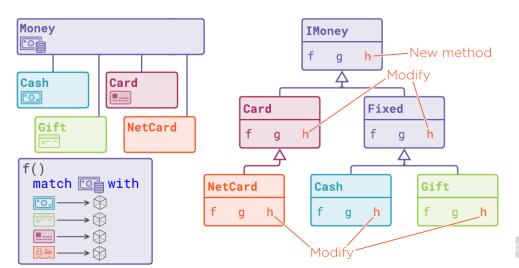


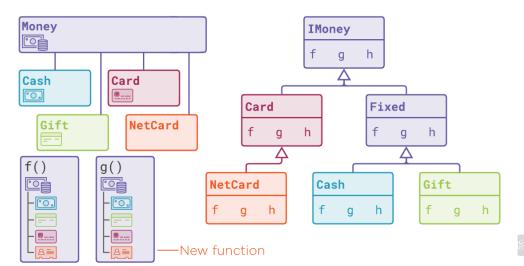


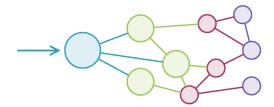


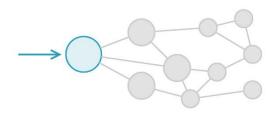




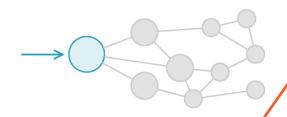








Strong points of object-oriented design Object composition Polymorphic execution

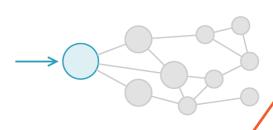


Strengths of functional programming Function composition

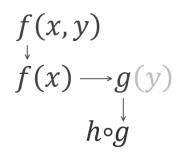
Strong points of object-oriented design Object composition Polymorphic execution

$$(f \circ g)(x) = f(g(x))$$

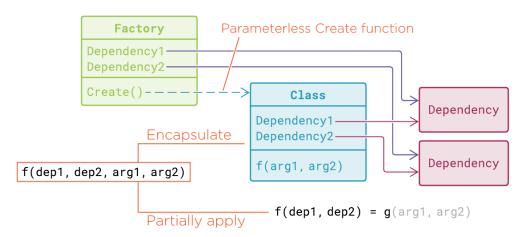
Composition operator "f" after g"



Strong points of object-oriented design Object composition Polymorphic execution Strengths of functional programming Function composition Partial function application



## Dependencies vs. Partial Application



#### What Follows in This Module



Demonstrating function composition in action



Examining how long the argument list should be



Applying function composition to the payment model

#### Solving Quadratic Equation

$$ax^{2} + bx + c = 0$$
,  $a \neq 0$   
 $(p+q)^{2} = p^{2} + 2pq + q^{2}$ 

## Solving Quadratic Equation

 $ax^2 + bx + c$ 

$$ax^{2} + bx + c = 0$$
,  $a \neq 0$   
 $(p+q)^{2} = p^{2} + 2pq + q^{2}$   
 $p^{2} + 2pq + q^{2} = (p+q)^{2}$ 

$$ax + \frac{b}{2} = \frac{\pm\sqrt{b^2 - 4ac}}{2}$$

$$2ax + b = \pm\sqrt{b^2 - 4ac}$$

$$-b \pm \sqrt{b^2 - 4ac}$$

 $a^2x^2 + abx + ac = 0$ 

 $(ax)^2 + 2(ax)\frac{b}{2} + \left(\frac{b}{2}\right)^2 + ac - \left(\frac{b}{2}\right)^2 = 0$ 

 $ax^2 + bx + c = 0$  /· a

 $\left(ax + \frac{b}{2}\right)^2 = \frac{b^2 - 4ac}{4}$ 

$$ax + \frac{b}{2} = \frac{\pm\sqrt{b^2 - 4ac}}{2} / 2$$

$$2ax + b = \pm\sqrt{b^2 - 4ac}$$

$$x = \frac{-b \pm\sqrt{b^2 - 4ac}}{2a}$$

 $(ax)^2 + 2(ax)\frac{b}{2} + \left(\frac{b}{2}\right)^2 + ac - \left(\frac{b}{2}\right)^2 = 0$ 

 $ax^2 + hx + c = 0$  /· a

 $\left(ax + \frac{b}{2}\right)^2 = \frac{b^2 - 4ac}{4}$ 

 $a^2x^2 + abx + ac = 0$ 

## Quadratic equation roots

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$
——discriminant

$$S = \frac{\left\{ -\frac{b}{2a} \right\}}{\left\{ \frac{-b - \sqrt{b^2 - 4ac}}{2a}, \frac{-b + \sqrt{b^2 - 4ac}}{2a} \right\}, b^2 - 4ac = 0}{b^2 - 4ac > 0}$$

$$\emptyset \qquad , b^2 - 4ac < 0$$

$$\frac{\sqrt{b^2 - 4ac}}{2a}$$
,  $\frac{-b + \sqrt{b^2 - 4ac}}{2a}$ },  $b^2 - 4ac > 0$ ,  $b^2 - 4ac < 0$ 

## Introducing Fluent Interface Design

```
Class
field1
field2
...
field100
Method(this)
```

```
Class
Method(this, field1, field2, ..., field100)
```

#### Introducing Fluent Interface Design

```
Class

field1
field2
...
field100

AnotherClass Method(this)
```

```
obj.Chaining().Calls().LikeA().Pro();
```



# Summary



#### **Function composition**

- Compose small functions into larger ones
- Apply a function to the result of a previous function

#### F# composition operators

- Pipe-forward |>
- Forward composition >>
- Backward pipe and composition <|, <<</li>



# Summary



#### Function composition in C#

- Fluent interface design
- An object is passed to the next method
- LINQ is based on function composition

#### Benefits of function composition

- Shorter functions
- Cleaner code

# Course Summary



#### **Defining functions**

- Function is not a process
- Function is a mapping

#### Functional programming in C#

- Avoid side effects
- Use higher-order functions
- Make types immutable
- Control flow with pattern matching

# Course Summary



#### **Functional sequences**

- Treat sequences as objects
- Turn sequences immutable, too
- Rely on IEnumerable<T> and ImmutableList<T> whenever possible

#### **Function composition**

- Write small, isolated functions
- Compose them into larger functions

# Course Summary



#### Why functional programming?

- To reduce code length
- To reduce number of bugs
- To easily extend the design