

Bowser is a villain who often kidnaps princesses.

There are n prison cells in the dungeon. Prison cells are numbered from 1 to n and arranged in this order along a long corridor at the same distance from each other. Every prison cell has its own capacity $prison_i$.

The entrance to the dungeon is located between the prison cells $entrance$ and $entrance + 1$, while if $entrance = 0$, this means that the entrance is in the very beginning before the first prison cell. If $entrance = n$, the entrance is after the last prison cell.

Bowser is going to make raids for kidnapping princesses. During his j^{th} raid, he plans to kidnap $princesses_j$ princesses. Bringing them into the dungeon, Bowser chooses a prison cell using the following rules:

- If there is a free prison cell with a capacity of $prison_i = princesses_j$, then Bowser chooses this prison cell. Otherwise, he chooses a free prison cell with a capacity of $prison_i > princesses_j$.
- If there are several options, Bowser chooses the one that is located as close as possible to the $entrance$. If there are several prison cells with the same distance to the entrance, he chooses the one closer to the beginning of the corridor. The distance from the $entrance$ to the prison cell equals to the number of prison cells between them.
- Bowser does not put 2 groups of princesses to one prison cell, i.e. if the prison cell was filled once it won't be filled anymore.
- If there are no free prison cells with $prison_i \geq princesses_j$, Bowser is upset and let the princesses go.

For each Bowser raid he wants to know the number of the prison cell the princesses will be imprisoned in.

Example

For $prisons = [1, 3, 2, 2]$, $princesses = [1, 1, 3, 2, 1]$ and $entrance = 2$, the output should be $prisonForPrincesses(prisons, princesses, entrance) = [1, 2, -1, 3, 4]$.

- $princesses[0] = 1$ and $prisons[0] = 1$ exists, so Bowser put the first group of princesses to prison number 1 .
- $princesses[1] = 1$ and there are no free prisons with the same capacity, so Bowser is looking for prisons with bigger capacity - prisons number $2, 3$ and 4 . The nearest to the entrance are prisons number 2 and 3 , but prison 2 is closer to the beginning of the corridor, so Bowser put the second group of princesses to prison number 2 .
- $princesses[2] = 3$ and there are no free prisons with equal or greater capacity, so Bowser let this group of princesses go.
- $princesses[3] = 2$ and there are 2 free prisons with the same capacity - prisons 3 and 4 , but prison 3 is closer to the entrance, so Bowser chooses it instead of prison 4 .
- $princesses[4] = 1$ and there is one left free prison with greater capacity, so Bowser put princesses there.

Input/Output

- **[execution time limit] 4 seconds (js)**
- **[input] array.integer prisons**

The capacities of the prison cells.

Guaranteed constraints:

$$1 \leq prisons.length \leq 10^3,$$
$$1 \leq prisons[i] \leq 10^3.$$

- **[input] array.integer princesses**

The number of princesses during the raids.

Guaranteed constraints:

$$1 \leq princesses.length \leq 10^3,$$
$$1 \leq princesses[i] \leq 10^3.$$

- **[input] integer entrance**

The location of the dungeon's entrance.

Guaranteed constraints:

$$0 \leq entrance \leq prisons.length.$$