



# Introduction to Natural Language Processing

NOTES FROM THE FALL 2015 SESSION ON COURSERA

DRAGOMIR RADEV, UNIVERSITY OF MICHIGAN

## Contents

|  |    |
|--|----|
| Useful Advice for the Course .....             | 3  |
| Introduction .....                             | 3  |
| Index of course concepts (by Franz Calvo)..... | 3  |
| Student Goals .....                            | 3  |
| Python .....                                   | 4  |
| Where can I download the slides? .....         | 5  |
| NACLO and IOL Puzzles .....                    | 5  |
| Course Errata .....                            | 9  |
| Week 1 .....                                   | 9  |
| Week 2 .....                                   | 10 |
| Week 3 .....                                   | 11 |
| Week 4 .....                                   | 20 |
| Week 5 .....                                   | 20 |
| Week 7 .....                                   | 22 |
| Week 11 .....                                  | 23 |
| Notes.....                                     | 24 |
| External Links .....                           | 39 |
| Python .....                                   | 39 |
| Corpus Linguistics.....                        | 40 |
| Deep Learning for NLP .....                    | 40 |
| Edit Distance .....                            | 41 |
| Coreference Tools .....                        | 41 |
| Information Extraction .....                   | 42 |
| Latent Semantic Analysis .....                 | 42 |
| Linguistics courses.....                       | 42 |
| Machine translation tutorials .....            | 42 |
| More Pointers .....                            | 43 |
| Morphological Analysis of German .....         | 43 |

|  |    |
|--|----|
| Natural Language Generation .....        | 43 |
| Notation guides.....                     | 44 |
| Parsers.....                             | 45 |
| Polysemous words .....                   | 46 |
| Porter’s Stemming Algorithm .....        | 46 |
| Singular Value Decomposition (SVD) ..... | 46 |
| Text to Speech (TTS).....                | 47 |
| Tokenization Comparisons.....            | 47 |
| Topic modeling and text similarity.....  | 47 |

# Useful Advice for the Course

## Introduction

The first iteration of the “Introduction to Natural Language Processing” course from the University of Michigan was offered in October-December 2015 on Coursera.

Coursera switched to a new, on-demand platform in 2016 and has decided to delete the old forums from 2015. With help from Yilin Guo, Nick Serra, and David Walker, we now have this document that includes a lot of useful information from these old forums.

The versions of the course that will start on July 4, 2016 and August 1, 2016 are identical with the version from Fall 2015.

A new version of the course (that includes Deep Learning) will be available in early 2017.

In the meantime, I hope that this document will be useful to you.

Drago

June 29, 2016

## Index of course concepts (by Franz Calvo)

[https://franzcalvo.files.wordpress.com/2015/11/index\\_of\\_nlp\\_mooc\\_at\\_umich.pdf](https://franzcalvo.files.wordpress.com/2015/11/index_of_nlp_mooc_at_umich.pdf)

## Student Goals

I have come across students who have very different goals:

- learn about the wide range of problems that NLP addresses
- build applications using open source code such as NLTK and the many other tools mentioned elsewhere
- understand the mathematics behind the existing algorithms
- design new algorithms
- write academic papers, etc.

Collins's class on Coursera covers item (3) in more detail than my class.

Both the 2012 Manning and Jurafsky class on Coursera and my class cover (1) in detail.

I also spend some time on (2) and (3) but not on (4) or (5), which are more research-oriented.

Students interested in (4) or (5) are encouraged to pursue a PhD and/or work for a company that does R&D work.

## Python

Installing Python environments for this class

Suggestions for Setting up Python and NLTK on Windows

<https://github.com/jevad/NLTKinstallForNlpClass>

How to install a specific older Python library

```
pip uninstall scikit-learn
pip install scikit-learn==0.15.2
```

or

```
pip uninstall sklearn
pip install scikit-learn==0.15.2
```

NLTK

Natural Language Processing with Python

<http://www.nltk.org/book/>

## Where can I download the slides?

The slides from the 2015 and 2016 sessions are publicly available here:

<http://web.eecs.umich.edu/~radev/coursera-slides/>

## NACLO and IOL Puzzles

The main site for NACLO is <http://www.nacloweb.org/>

The IOL site is <http://www.ioling.org>

Recommended NACLO puzzles by course week. The URLs for the solutions are formed by adding “S” before “.pdf”, e.g., N2007-A.pdf

### Week 1

We are all molistic in a way

<http://www.nacloweb.org/resources/problems/2007/N2007-A.pdf>

Letters for Cuzco

<http://www.nacloweb.org/resources/problems/2009/N2009-C.pdf>

### Week 2

Gelda’s House of Gelbelgarg

<http://www.nacloweb.org/resources/problems/2010/A.pdf>

Orwellspeak

<http://www.nacloweb.org/resources/problems/2009/N2009-M.pdf>

### Week 3

Nok-nok!

<http://www.nacloweb.org/resources/problems/2009/N2009-B.pdf>

Pooh’s encyclopedia

<http://www.nacloweb.org/resources/problems/2007/N2007-B.pdf>

The lost tram

<http://www.nacloweb.org/resources/problems/2007/N2007-F.pdf>

#### Week 4

Twodee

<http://www.nacloweb.org/resources/problems/2013/N2013-H.pdf>

One, Two, Tree

<http://www.nacloweb.org/resources/problems/2012/N2012-R.pdf>

Grammar Rules!

<http://www.nacloweb.org/resources/problems/2013/N2013-F.pdf>

#### Week 5

CCG

<http://www.nacloweb.org/resources/problems/2014/N2014-O.pdf>

Combining Categories in Tok Pisin

<http://www.nacloweb.org/resources/problems/2014/N2014-P.pdf>

Dogs and cats on trees

<http://www.nacloweb.org/resources/problems/2010/I.pdf>

#### Week 6

Use the Force

<http://www.nacloweb.org/resources/problems/2015/N2015-E.pdf>

Springing up baby

<http://www.nacloweb.org/resources/problems/2008/N2008-B.pdf>

#### Week 7

A fox among the h

<http://nacloweb.org/resources/problems/2012/N2012-K.pdf>

Fakepapersshelfmaker

<http://nacloweb.org/resources/problems/2008/N2008-F.pdf>

Word Salad

<http://nacloweb.org/resources/problems/2011/M.pdf>

## Week 8

Yesbot

<http://www.nacloweb.org/resources/problems/2013/N2013-L.pdf>

Levenshtein's Fine Signs

<http://www.nacloweb.org/resources/problems/2014/N2014-C.pdf>

## Week 9

Summer Eyes

<http://www.nacloweb.org/resources/problems/2009/N2009-E.pdf>

## Week 10

Hypo-Hmong-driac

<http://www.nacloweb.org/resources/problems/2009/N2009-J.pdf>

## Week 11

Zoink!

<http://www.nacloweb.org/resources/problems/2015/N2015-G.pdf>

The Little Engine that Could... Read

<http://www.nacloweb.org/resources/problems/2012/N2012-O.pdf>

## Week 12

Interstellar First Contact

<http://www.nacloweb.org/resources/problems/2012/N2012-C.pdf>

Running on MT

<http://www.nacloweb.org/resources/problems/2011/A.pdf>



Grice's Grifter Gadgets

<http://www.nacloweb.org/resources/problems/2013/N2013-Q.pdf>

Bonus Puzzles

The Old Man the Boats

<http://nacloweb.org/resources/problems/2015/N2015-P.pdf>

All in the Family

<http://www.naclo.cs.cmu.edu/problems2012/N2012-D.pdf>

International Linguistics Olympiad

<http://www.ioling.org/>

2016 International Linguistics Olympiad

<http://iol14.plo-in.org/index>

# Course Errata (from 2015 and 2016)

## Week 1

QUESTION: Week 1 Course goals differ slightly in Lecture 1 vs Lecture 4

### ANSWER:

Week 1, Lecture 1, slide 8, Goals of this Class:

- Understand that NLP is hard
- Understand key problems in NLP
- Learn about the methods to solve those problems
- Understand the limitations of these methods

Week 1, Lecture 4, slide 3, Three Major Goals:

- Learn the basic principles and theoretical issues underlying NLP.
- Learn techniques and tools used to develop practical robust systems that can understand text and communicate with users in one or more languages.
- Gain insight into some open research problems in natural language.

Indeed, there is overlap between the two. But I think it is helpful to have 100% clarity on the goals.

Sorry if this comes across as nit-picking :)

### ANSWER (DRAGO):

Thanks for the question.

MOOCs have a very diverse audience and people come here with different goals in mind. For example, many students just get the lecture notes and try the quizzes but don't do any of the programming assignments. Others focus on the programming part.

A fuller list of course goals was posted in the Announcement for Week One. Here it is again:

The goals of this class are (1) understanding the need for NLP, (2) understanding why language processing is very hard, (3) learning about the key tasks in NLP, (4) learning about the methods used to solve these tasks, (5) obtaining the linguistic and mathematical background behind these methods, (6) understanding the premises and limitations of these methods, (7) learning about the availability of

external resources, such as programming libraries, tutorials, tools, and text corpora, and (8) getting experience building specific NLP components.

**QUESTION:** 01.05 - Quiz 1 incorrect answer

**ANSWER:**

in the first quiz "time flies like an arrow" the grader accepts "0 possible interpretations" as the correct answer. This would be incorrect and the instructor immediately provides possible interpretations on the next slide. so the correct answer should be "2 or more"

**QUESTION:** 01.05 - Why is NLP hard? Yehoshua Bar-Hillel

In the captions in 2:40 says

"this is an example from Yehorshwa Bahilow from close to a 100 years ago." but it is "Yehoshua Bar-Hillel" and is from the year 1960 not 1915 (100 years ago).

[https://en.wikipedia.org/wiki/Yehoshua\\_Bar-Hillel](https://en.wikipedia.org/wiki/Yehoshua_Bar-Hillel)

**QUESTION:** Quiz 1 - misleading spelling error in quiz 1

**ANSWER:**

There's is misspelling error in quiz 1 where the word entrepreneur is spelled enterpreneur. This may induce an error when replying to this question.

## **Week 2**

**QUESTION:** 02.05 - Slide 14 -  $D(1,j-1)+1$  should be  $D(i,j-1)+1$

On the slide 14 in 02.05 it looks like the pseudocode has a typo:

$D(1,j-1)+1$  should be  $D(i,j-1)+1$

## QUESTION: 02.05 - Edit Distance between 'trend' and 'strength'

In the 02.05 video, the professor said that the minimum edit distance between 'trend' and 'strength' is 4. That is correct, I suppose.

However, he proposes the following for "strength" to be converted to "trend":

Drop the "s" ("trength")

Substitute the "g" with "d" (trendth)

Inserting a "t" and an "h" (trendthth) ???

Not sure if I'm wrong here, but I suspect the instructor intended to say "drop the 't' and 'h'". Nonetheless I was pretty confused.

## ANSWER:

Yes, I am certain he meant to say "drop the 't' and 'h'".

He was trying to convert "strength" to "trend", so there is no way he could have meant to insert the t and h.

I actually found another typo in that section.

Slide deck: 02.05 - Spelling Similarity: Edit Distance

Page: Recurrence Relation (page 14)

See the section on the right "Recursive Dependencies". The middle element in the  $\min()$  is:

$D(1, j-1) + 1$

It should be:

$D(i, j-1) + 1$

## Week 3

## QUESTION: 03.02 - Probabilities of ungulate and deer

In the 3 - 2 - 03.02 - Thesaurus-based Word Similarity Methods - [11 slides] (07-52) video, the professor says:

And if we want to look at the probability of those,

72

00:04:34,870 --> 00:04:37,890

it should be pretty obvious that in any given corpus,

73

00:04:37,890 --> 00:04:42,330

the probability of ungulate will be larger than the probability of deer, because

74

00:04:42,330 --> 00:04:47,400

ungulates are more common than deer, with deer being a special case of ungulates.

Here I don't assume so. Because in my assumption ungulate is more of an academic word, while deer can be used in more informal settings. Thus probability of deer can be higher than ungulate in some corpora, or some sections of a corpus.

I am only speaking from my assumption. I hope someone can explain this. Thanks!

**ANSWER:**

I am going to guess that the probability of a word (or word sense?) is the relative frequency of it and all of its hyponyms in a certain corpus. So ungulate has a higher probability not because it is more frequent but because it is a hypernym for lots of other words. But can anyone confirm this? I don't think it has been defined in the lectures.

**ANSWER:**

I believe you have described it perfectly, based Philip Resnik's paper that defines this method: Using Information

Content to Evaluate Semantic Similarity in a Taxonomy.

[http://arxiv.org/PS\\_cache/cmp-lg/pdf/9511/9511007v1.pdf](http://arxiv.org/PS_cache/cmp-lg/pdf/9511/9511007v1.pdf)

**ANSWER:**

I was still very confused by the explanation and I read the article (well, partially). I like it that the author has introduced an intermediate concept: the information content. More general concepts have lower information content, then more specific ones. And yes, the information content is defined recursively as  $-\log$  the sum of frequencies of all subsumed notions. I find this intermediate step with information content very useful for understanding.

**ANSWER:**

Maybe this makes sense... The numerator in the Lin formula is  $\log(P(\text{LCS}(v,w)))$ . Since  $P$  is in the range 0 to 1, then  $\log(P)$  is in the range  $-\infty$  to 0. The larger is  $P(\text{LCS})$  the smaller the absolute value of  $\log(P(\text{LCS}))$ , making  $\text{Sim}(v,w)$  smaller. (The numerator and denominator are both negative so the division result will always be positive.)

Basically this is saying that the higher you have to go to find an LCS then the lower  $\log(P(\text{UCS}))$  and the lower the similarity.

If  $v$  and  $w$  are the same word (as similar as you can get) then  $\text{LCS}(v,w) = v = w$ . Plugging in any value for  $P(v)$  ( $0 < P(v) < 1$ ) gives  $\text{Sim}(v,w) = 1$

If the words have no similarity then the only UCS is "any word" and then  $P(\text{UCS})$  is 1 (or so I assume). Then  $\log(P(\text{UCS}))$  is 0 so  $\text{Sim}(v,w) = 0$  no matter what are the values  $P(v)$  and  $P(w)$ .

It took me a while to think this through. In this course a lot of tricky concepts pop up without much explanation. Several hours work got me nowhere on the reductions of dimensions topic; I could generally follow the math but had little idea what was being done with it.

**ANSWER:**

Yes, your considerations are exactly to the point. We take  $-\log$  in order to take, as you say, the absolute value. And the division by the sum of information contents of two words separately is just a normalisation.

I believe, that all of this is much based on the information theory. This is why it looks tricky at the first glance. I don't know much about information theory, but taking a log to assess information content rings a bell.

I did not get to reductions of dimensions yet, so can't comment, but it can be based on some linear algebra theory ;-)

**ANSWER:**

Well, I have heard now the dimension reduction lecture. This is a well-known machine learning method (which probably came from statistics, like factor analysis). I have started doing machine learning on coursera, done until now about 3 weeks of it, and it was explained in more details there. It was applied for an image simplification there, where you could still recognise the image after half of the eigenvalues were thrown away. As far as I understood, this method is used either for information compressing or for finding hidden reasons behind the data. Anyway it is a much broader topic then it was presented here, maybe you could google for SVD to learn more.

QUESTION: 03.03 - problem with the discussion of the cosine similarity in the vector space model.

@1:43: "similarity between  $d_1$  and  $q$  is proportional to the angle  $\alpha$ ..." – this is not correct. In fact, the smaller the angle, the larger the similarity  $\Rightarrow$  it is not a proportionality relation.

The following (@2:05) discussion of the cosine approximation "This is  $\cos(\alpha)$  vs  $\cos(\theta)$ ", in this quadrant they are related in the same direction. So if the angle is smaller, that means that the cosine is also smaller" – sounds misleading to me. In fact, the two vectors are the closer, the smaller is the angle between them. In terms of the cosine, however, the similarity means the closeness of the cosine to 1 (as  $\cos(\alpha) = 1 - \frac{\alpha^2}{2}$  for small  $\alpha$ ). So this part should read: "The similarity of two vectors  $d$  and  $q$  is determined by their scalar product, which is equal to  $|d| |q| \cos(\alpha)$ . When  $\alpha$  is close to zero,  $\cos(\alpha) \Rightarrow 1$ , and the scalar product (and therefore the similarity) is maximized. The larger  $\alpha$ , the smaller the cosine, and therefore the similarity".

QUESTION: 03.03 - Prep Phrase Att 3/3 11:50 Other methods- on course site, where can these papers be found

**ANSWER:**

The Video mentions that papers referred on this slide are available on course site. I am unable to locate this additional material.

QUESTION: 03.03 - Wrong answer in 2nd quiz, lecture 3.03

The second quiz within lecture 3.03 has two parts. The correct answer for the second part is "0.6". But "0.6" was shown as incorrect and "30" was given as the correct answer.

**ANSWER:**

I had the same issue. The similarity is limited to 1 so "3" is not possible at all.

**ANSWER:**

The same thing happened to me. Yet, the next slide after the quiz shows that 0.6 is indeed correct. TAs, could you fix this confusion?

#### QUESTION: 03.04 - Dimensionality reduction slide

left plot, axes show height and weight (not shown on the slide). What stays on both axes at the right plot?

#### ANSWER:

@12:21: I believe, the diagonal elements of Sigma are the square roots of the eigenvalues of  $ATA$ , not the eigenvalues themselves.

@12:33: Third bullet should be "If A has 5 rows and 3 columns..." – otherwise the dimensions of U and V are wrong.

@13:33:  $D2=\{T1,T2\}$ , while @14:31 the second column of the A-matrix is  $\{1,1,0,0,1,0,0,0,0\}$  (has one extra D5 component). Same for the normalized matrix.

@15:02: "V is 7x9 matrix" misspoken; should be "V is 7x7 matrix". Furthermore, according to its definition as eigenvalues of  $ATA$ , Sigma-matrix should also be 7x7. Would be nice either to clarify that the last two zero rows were added so that the matrices  $U=(9 \times 9)$ ,  $Sigma\_new=(9 \times 7)$  and  $V^T=(7 \times 7)$  are mutually multipliable, or to define Sigma-matrix as a rectangular matrix.

#### QUESTION: 03.04 - wrong dimension of matrix A

Slide 12 reports that A has 5 columns and 3 rows, but it should be 5 rows and 3 columns.

#### ANSWER:

True. One more thing: on slide 13  $D2=\{T1,T2\}$ , while in slide 15 the second column of the A-matrix is  $\{1,1,0,0,1,0,0,0,0\}$ . Which D2 was actually used in the numerics shown on the next slides?

#### ANSWER:

In fact, there is one more inaccuracy in this lecture.

In the DT-example, with  $A = (9 \times 7)$ -matrix, the dimensions of V and S are 7x7 -- as these matrices are composed from eigenvalues and eigenstates of  $A^T A$ . The lecture wrongly says that they are 7x9 matrices. Looks like after S-matrix was calculated, two additional zero rows were inconspicuously added to it (see slide 17) -- to make the matrices  $U=(9 \times 9)$ ,  $S\_new=(9 \times 7)$  and  $V^T=(7 \times 7)$  multipliable (otherwise the dimensions misfit and the multiplication is impossible). I don't know how and why it works, however, this is the only way I can figure it out, given  $A = U * S * V^T$  and the definitions of S,U,V from the slide 12. Please correct me if you have other interpretations...



### ANSWER:

We're in the same interpretation. The 7x9 is misspoken, the V matrix in the slide is 7x7.

"..two additional zero rows were inconspicuously added to it (see slide 17)...".

Hermiticity or symmetry is not required for singular values. Zero-row x any vector = zero terms in reconstruction. Furthermore, when we perform lower n-rank approximation, it's reduced to  $n \times n$ . So, it's supercalifragilisticexpialidocious.

### ANSWER:

Sorry, one more thing. At slide 12 it should stay "The components of S are the \*square roots of the\* eigenvalues of ATA".

### QUESTION: 03.04 - dimensionality reduction -- general sense of the terms used in the lecture

A term is a word in this context. In principle, it could also be a phrase, e.g., "New York".

A concept would be something like "art", "medicine", "jazz". Many words are related (with different probabilities) to the same "concept" (non-exclusively).

Consider,

**A = m x n matrix**, i.e. m terms x n documents,

Other examples,

- (1) some people use the opposite: m documents x n terms (NLP, similarity),
- (2) m movies x n users (e.g. a Netflix recommender system),
- (3) m items x n customers (e.g. an Amazon recommender system), etc.

**A matrix:** Columns = documents

|  |                |  |    |   |    |   |
|--|----------------|--|----|---|----|---|
|  |                | title "What came first, the egg or the chicken?" |    | title "Actress Jane Doe slipped on banana peel" |    |   |
| R<br>o<br>w<br>s<br>=<br>t<br>e<br>r<br>m<br>s | egg<br>chicken | T1   | 8  | 2   | 0  | 1 |
|  |                | T2   | 6  | 4   | 1  | 0 |
|  |                | T3   | 3  | 7   | 0  | 0 |
|  |                | T4   | 5  | 4   | 0  | 1 |
|  | actress<br>doe | T5   | 0  | 0   | 8  | 3 |
|  |                | T6   | 0  | 1   | 5  | 9 |
|  |                | D1   | D2 | D3  | D4 |   |

Cells with yellow background are "**biology**" related

Cells with green background are "**gossip**" related

Each matrix's cell represents frequency of term T in respective document D.

- 1st document D1's title is "What came first, the egg or the chicken?",
- 2nd document D2 has the same "concept" with 1st document,
- 3rd document D3's title is "Actress Jane Doe slipped on banana peel.",
- 4th document D4 has the same "concept" with 3rd document,

- 1st row T1 represents "egg" term,
- 2nd row T2 represents "chicken" term,
- 5th row T5 represents "actress" term,
- 6th row T6 represents "doe" term,

(we pretend that Jane Doe is a very famous actress)

By applying [SVD](#) to matrix A, we get decomposed matrices, U, S, V.

**U = m x r matrix**, left singular vectors, i.e. m terms x r concepts, r is rank, this is "term-to-concept" similarity matrix.

**U matrix:** (left singular vectors, term-to-concept similarity matrix)

| biology concept |         | gossip concept |         | other concepts |
|-----------------|---------|----------------|---------|----------------|
| 0.5005          | -0.2236 | -0.6157        | 0.1706  |                |
| 0.4740          | -0.1987 | -0.0975        | -0.1986 |                |
| 0.4201          | -0.2167 | 0.7524         | -0.1506 |                |
| 0.4273          | -0.1705 | 0.0536         | 0.0937  |                |
| 0.2233          | 0.5773  | 0.1483         | -0.7474 |                |
| 0.3405          | 0.7080  | 0.1423         | 0.5841  |                |

**S = r x r diagonal matrix**, singular values, r is rank, i.e. the scale (or strength) of each concept, or the variance (spread) on the concept axes.

**S diagonal matrix:** (singular values)

| U*S, scale or strength of "biology" concept | U*S, scale or strength of "gossip" concept |       |       |
|---|--|-------|-------|
| 14.3  | 0.00                                       | 0.000 | 0.000 |
| 0.0   | 12.26                                      | 0.000 | 0.000 |
| 0.0   | 0.00                                       | 5.034 | 0.000 |
| 0.0   | 0.00                                       | 0.000 | 4.659 |

S\*V.T, variance or spread on V1 axis      S\*V.T, variance or spread on V2 axis

**V = n x r matrix**, right singular vectors, i.e. n documents x r concepts, r is rank, this is "document-to-concept" similarity matrix.

**V.T matrix:** (right singular vectors, document-to-concept similarity matrix)

|                    |         |         |         |        |                   |
|--------------------|---------|---------|---------|--------|-------------------|
| biology<br>concept | 0.7162  | 0.5514  | 0.2770  | 0.3259 | other<br>concepts |
|                    | -0.3656 | -0.2228 | 0.6491  | 0.6287 |                   |
| gossip<br>concept  | -0.5930 | 0.7953  | -0.1137 | 0.0544 |                   |
|                    | 0.0407  | -0.1177 | -0.6993 | 0.7039 |                   |

(.T is transpose),

The concept space,

Term/word vectors representation in concept space.

projection of terms on the "biology" axis

projection of terms on the "gossip" axis

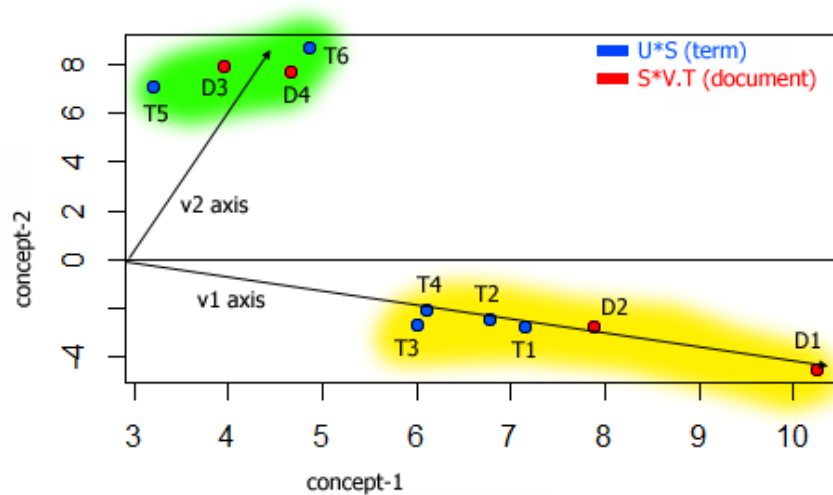
$$U \cdot S =$$

|       |        |         |         |
|-------|--------|---------|---------|
| 7.158 | -2.742 | -3.0993 | 0.7948  |
| 6.780 | -2.436 | -0.4909 | -0.9254 |
| 6.009 | -2.657 | 3.7877  | -0.7018 |
| 6.113 | -2.091 | 0.2703  | 0.4370  |
| 3.194 | 7.079  | -0.7465 | -3.4822 |
| 4.870 | 8.681  | 0.7164  | 2.7214  |

Document vectors representation in concept space.

$S \cdot V \cdot T =$

|        |         |         |        |
|--------|---------|---------|--------|
| 10.245 | 7.8872  | 3.9628  | 4.6619 |
| -4.483 | -2.7326 | 7.9597  | 7.7095 |
| -2.985 | 4.0029  | -0.5724 | 0.2739 |
| 0.190  | -0.5485 | -3.2576 | 3.2794 |



In the plot, similarity is calculated from "angle" between vectors. The closer, the smaller the vectors' angle, the higher the cosine similarity (dot product). E.g.

- T5 (actress) is closer to D3 (with frequency of 8 in A matrix).
- T6 (doe) is closer to D4 (with frequency of 9 in A matrix).
- T1 (egg) is closer to D1 (with frequency of 8 in A matrix), although the angle difference between T1-D1 vector and T1-D2 vector is very small.
- T3 is inaccurate, because it's closer to D1. Remember this is rank-2 approximation (plot in 2D), error is expected. More accurate plot should be in 4D, I don't know how to plot in 4D space. (--- is this understanding correct?)

Now, we want to know what concept is "chicken" T2-term in 4-documents with frequencies of [7, 5, 0, 2] respectively.

Multiply the vector [7, 5, 0, 2] and V vector (document-to-concept similarity).

---Result is [8.422 -2.416 -0.06612 1.105], 8.422 in first column represents "biology" concept.

Now, we want to know what concept is a document contains ["chicken" T2-term, T3-term, and "actress" T5-term], with frequencies of [0, 6, 4, 0, 3, 0] respectively.

Multiply the vector [0, 6, 4, 0, 3, 0] and U vector (term-to-concept similarity).

---Result is [5.194 -0.3267 1.98 -4.037], 5.194 in first column represents "biology" concept (concept 1). High frequencies of T2 and T3 belongs to biology concept.

Now, we want to know what concept is a document contains ["chicken" T2-term, T3-term, and "actress" T5-term], with frequencies of [0, 1, 2, 0, 7, 0] respectively.

Multiply the vector [0, 1, 2, 0, 7, 0] and U vector (term-to-concept similarity).

---Result is [3.101 3.987 0.221 -6.48], 3.987 in second column represents it's closer to "gossip" concept (concept 2) than "biology" (3.101). High frequency of T5 (actress) compared to lower frequencies of T2 and T3.

**QUESTION: 03.07 - Reference to ATT demo in lecture 3.7 not found**

The webpage with the ATT speech demo referred to in lecture 3.7 appears to exist no longer. Does it have a new address?

**ANSWER:**

Many other softwares,

<http://www.howtogeek.com/125305/the-best-text-to-speech-tts-software-programs-and-online-tools>

Windows has built-in Microsoft Narrator and Windows Speech Recognition. Dictation & Text to Speech in Mac OS X.

## Week 4

QUESTION: 04.01 Parsing Exercises at the end of lecture 4.01

Are solutions available anywhere? I would like to check my answers if possible.

## Week 5

QUESTION: 05.04 - Error in Section 05.04 Prepositional Phrase Attachment 3/3 "Collins and Brooks" slide

On Page 14 of the PDF file `nlpintro_co1_05.04_DR_Edit.pdf` of slides for Section 05.04 Prepositional Phrase Attachment 3/3

(titled "Collins and Brooks" ) it says:

If the denominator of the next formula is 0, then use the classification for the 4-tuple  
Surely that ought to be:

If the denominator of the next formula  $> 0$ , then use the classification for the 4-tuple

QUESTION: 05.04 - Collins and Brooks algorithm

The last step of the Collins and Brooks algorithm is "else label as default". The audio recommends to mark it as "high, i.e. 0", while the slide suggests to mark it as "low, i.e. 0". Previously, "default" was defined "low, i.e. 1", however we learned at some point that there is a "better default" = "high, i.e. 0 -- after we have looked at of and to". As far as I understand, the Collins and Brooks algorithm does not use the of/to-rule as Algorithm 2a does -- so which default should one use for the last step?

QUESTION: 05.04 - problem with last line of the slide

**ANSWER:**

@10:24. Audio: "...in the final step, we go to the default, which is to label everything else as high attachment, or zero". The slide suggests to mark it as "low", but still gives 0 as a numeric value (though "low" corresponds to 1). To me, as we don't use of/to-rule here, the default should be "low = 1". I assume a typo in the last line of the slide (1 should stay instead of 0), while "high attachment, or zero" should be replaced with "low attachment, or one" in the audio.

QUESTION: 05.05 - print of Jurafsky and Martin contains error

On slide 21 of Statistical Parsing there seems to be an error in the table "Lexicon" of Jurafsky and Martin. The second row (Noun) adds up to 1.1 instead of 1.0.

**ANSWER:**

You are right.

The table is the same as on page 471 of my Jurafsky and Martin "Speech and Language Processing" 2nd edition.

It is wrong there too.

QUESTION: 05.08 - Week 5 Video 8 question on CFG

Could someone clarify this fact for me:

$a^n b^n$  can be captured by a CFG

Link [https://en.wikipedia.org/wiki/Context-free\\_language](https://en.wikipedia.org/wiki/Context-free_language)

However, in the video, Professor Radev mentions that this cannot be captured by a CFG.

**ANSWER (DRAGO):**

$a^n b^n$  can be captured by a CFG. You push the first  $n$  symbols in the stack, then you pop one of them from the stack for each of the remaining  $n$  symbols in the input string.

What a CFG cannot capture is  $a^n b^n c^n$ . Once you've captured the  $a^n b^n$  part, you have lost track of the value of  $n$ .

$a^n b^n c^n d^n$  is another language that cannot be captured by a CFG.

## QUESTION: Quiz 5: Question 2

Consider the sample ATIS grammar shown on slide 21 of Unit 05.05.

What is the probability of "flights to Houston" to be parsed as NP?

Although the answers make the meaning clear, the probability to be parsed as NP in this case is 1 since there is no other possible parse. What the answers show is the probability to generate "flights to Houston" from an NP

### ANSWER:

Yes I think you are right.

"parsed as NP" means we do not need to consider it, or  $P(\text{NP}) = 1$ .

## Week 7

### QUESTION: 07.03 - Week 7 - video 07.03

On page 14, in slide 07.03; the two last lines in the calculation says:

$$+ .2 \times .5 \times .4 \times .2$$

$$+ .2 \times .5 \times .6 \times .1$$

Are the two rightmost values correct? Is not 'z' generated on  $A = .1$ , and 'z' generated on  $B = .2$ ? Should it not be:

$$+ .2 \times .5 \times .4 \times .1$$

$$+ .2 \times .5 \times .6 \times .2$$

### ANSWER:

Great catch, but actually I believe he merely transposed the last two lines.

$$P(yz) = P(yz \mid AA) + P(yz \mid AB) + P(yz \mid BA) + P(yz \mid BB)$$

$$P(yz \mid AA) = P(A \mid A) \times P(y \mid A) \times P(A \mid A) \times P(z \mid A) = .8 \times .2 \times .8 \times .1$$

$$P(yz \mid AB) = P(A \mid A) \times P(y \mid A) \times P(B \mid A) \times P(z \mid B) = .8 \times .2 \times .2 \times .2$$

$$P(yz \mid BA) = P(B \mid A) \times P(y \mid B) \times P(A \mid B) \times P(z \mid A) = .2 \times .5 \times .6 \times .1$$

$$P(yz \mid BB) = P(B \mid A) \times P(y \mid B) \times P(B \mid B) \times P(z \mid B) = .2 \times .5 \times .4 \times .2$$

where

Transition:

$$P(A \mid A) = 0.8$$

$$P(A \mid B) = 0.6$$

$$P(B \mid A) = 0.2$$

$$P(B \mid B) = 0.4$$

Emission:

$$P(x \mid A) = 0.7, P(y \mid A) = 0.2, P(z \mid A) = 0.1$$

$$P(x \mid B) = 0.3, P(y \mid B) = 0.5, P(z \mid B) = 0.2$$

## Week 11

QUESTION: 11.05 - Lecture 11.5:  $3+4 = 12$

$$\text{add}(3,4) = (\lambda x. \lambda y. x+y)(3)(4) = (\lambda y. 3+y)(4) = 3+4 = 12$$

Nice logic in the end :)

**ANSWER:**

$$\text{Oh, add}(3,4) = (\lambda x. \lambda y. x+y)(3)(4) = \lambda y. (3+y)(4) = 3+4 = 7!$$



# Notes

QUESTION: What is the impact of "human accuracy = 88%"?

Regarding PP attachment, a human accuracy of 88% seems low.

I'm wondering what is the impact of such a relatively low accuracy for language comprehension in the real world:

1. May we still understand a sentence reasonably well even when we incorrectly attach a PP as high or low?  
For example, regarding the tuple:  
"bring attention to problem" [1]  
I don't think comprehension would be much compromised if we attach the PP as "low".
2. Do humans have other mechanisms for language comprehension that would compensate for a wrongly attached PP?

I would really appreciate your ideas.

[1] Video 05.02, slide 12

QUESTION: Definition of binarized grammar

Does binarized grammar refer to one having 2 and ONLY 2 non-terminals on the right hand side? Or one having a MAXIMUM of 2 non-terminals? In the latter case, unary grammar, that is, having only 1 non-terminal does not count as binarized grammar, as it seems in the videos.

Am I right?

**ANSWER (DRAGO):**

CKY works when the grammar is in Chomsky Normal Form (CNF).

CNF requires all rules to be in the format:

A -> B C

A -> b

where A B C are non-terminals and b is a terminal.

The following types of rules are not allowed:

A  $\rightarrow$  B

A  $\rightarrow$  B C D

A  $\rightarrow$  b C D

A  $\rightarrow$  b C

A  $\rightarrow$  epsilon

QUESTION: Why standardize the matrix columns before SVD

ANSWER:

I was also wondering the same thing,

<http://stats.stackexchange.com/questions/69157/why-do-we-need-to-normalize-data-before-analysis>

<http://stats.stackexchange.com/questions/12200/normalizing-variables-for-svd-pca>

QUESTION: Tree plot of parsed sentences

ANSWER:

Want to have fun with tree plot of the parsed sentences?

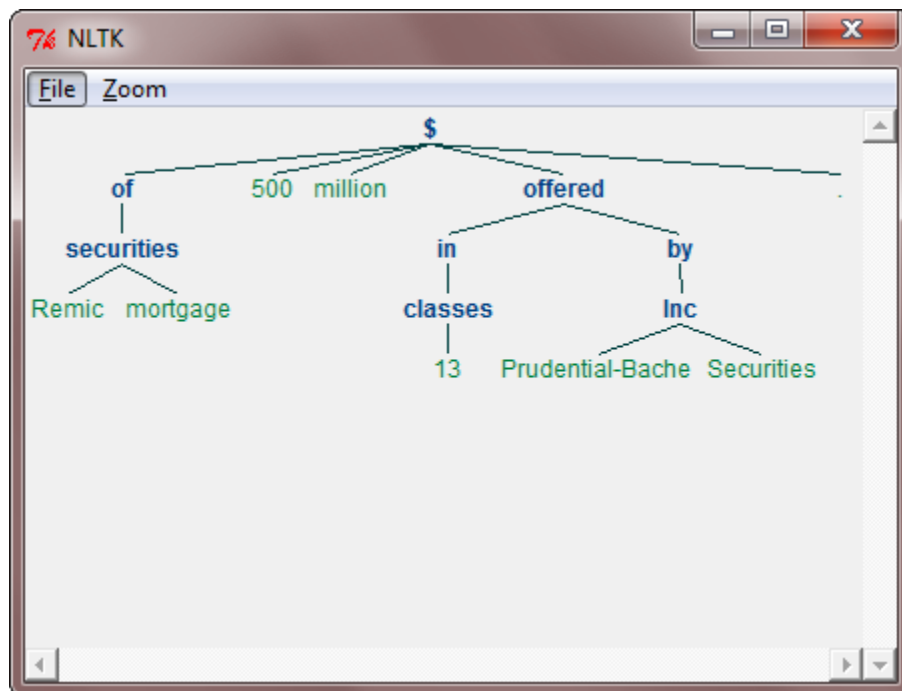
If so, in your modified "test.py" of Assignment-1, insert this statements after the "tp.parse()",

```
# tree of 4th sentence,  
# change "4" to 0, 1, 2.., 5, 6,.., 12,..  
# or do it in a loop,  
tree = parsed[4].tree()  
print tree  
tree.draw()
```

E.g. with English model, 4th sentence of "en-universal-test.conll",

|    |                  |   |   |      |     |   |      |         |   |
|----|------------------|---|---|------|-----|---|------|---------|---|
| 1  | \$               | _ | . | \$   | _   | 0 | ROOT | _       | _ |
| 2  | 500              | _ |   | NUM  | CD  | _ | 1    | num     | _ |
| 3  | million          | _ |   | NUM  | CD  | _ | 1    | num     | _ |
| 4  | of               | _ |   | ADP  | IN  | _ | 1    | adpmod  | _ |
| 5  | Remic            | _ |   | NOUN | NNP | _ | 7    | compmod | _ |
| 6  | mortgage         | _ |   | NOUN | NN  | _ | 7    | compmod | _ |
| 7  | securities       | _ |   | NOUN | NNS | _ | 4    | adpobj  | _ |
| 8  | offered          | _ |   | VERB | VRN | _ | 1    | partmod | _ |
| 9  | in               | _ |   | ADP  | IN  | _ | 8    | adpmod  | _ |
| 10 | 13               | _ |   | NUM  | CD  | _ | 11   | num     | _ |
| 11 | classes          | _ |   | NOUN | NNS | _ | 9    | adpobj  | _ |
| 12 | by               | _ |   | ADP  | IN  | _ | 8    | adpmod  | _ |
| 13 | Prudential-Bache | _ |   | NOUN | NNP | _ | 15   | compmod | _ |
| 14 | Securities       | _ |   | NOUN | NNP | _ | 15   | compmod | _ |
| 15 | Inc              | _ |   | NOUN | NNP | _ | 12   | adpobj  | _ |
| 16 | .                | _ | . | .    | .   | _ | 1    | p       | _ |

Plot:



Print:

```

($
(of (securities Remic mortgage))
500
million
(offered (in (classes 13)) (by (Inc Prudential-Bache Securities)))
.)

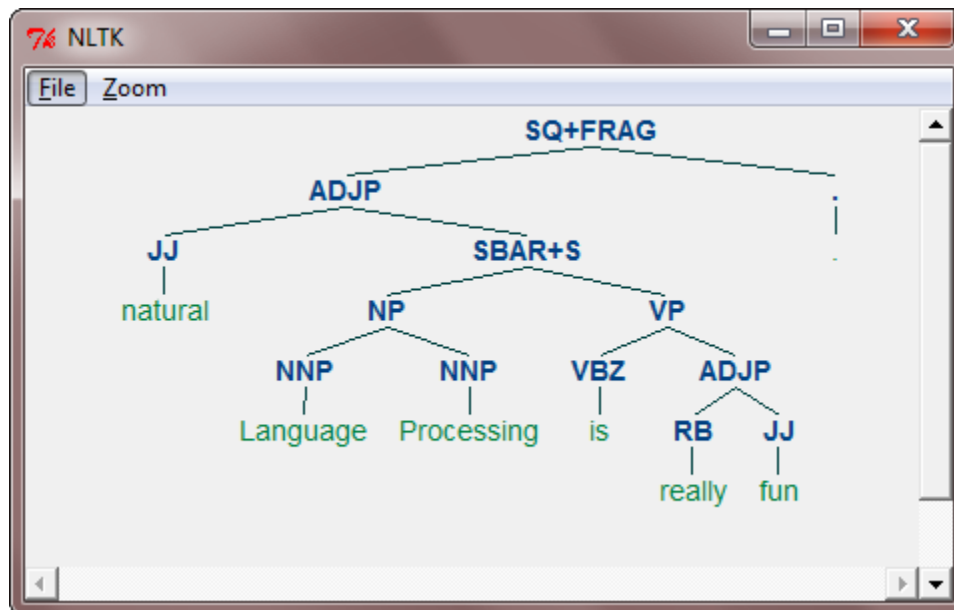
```

Or, by using [PyStatParser](#), by Emil Mont, simple Python statistical (CKY) parser together with scripts for learning the PCFG from the QuestionBank and Penn treebanks.

```
from stat_parser import Parser, display_tree
parser = Parser()

tree = parser.parse("Natural Language Processing is really fun.")
display_tree(tree)
print tree
```

Plot:



Print:

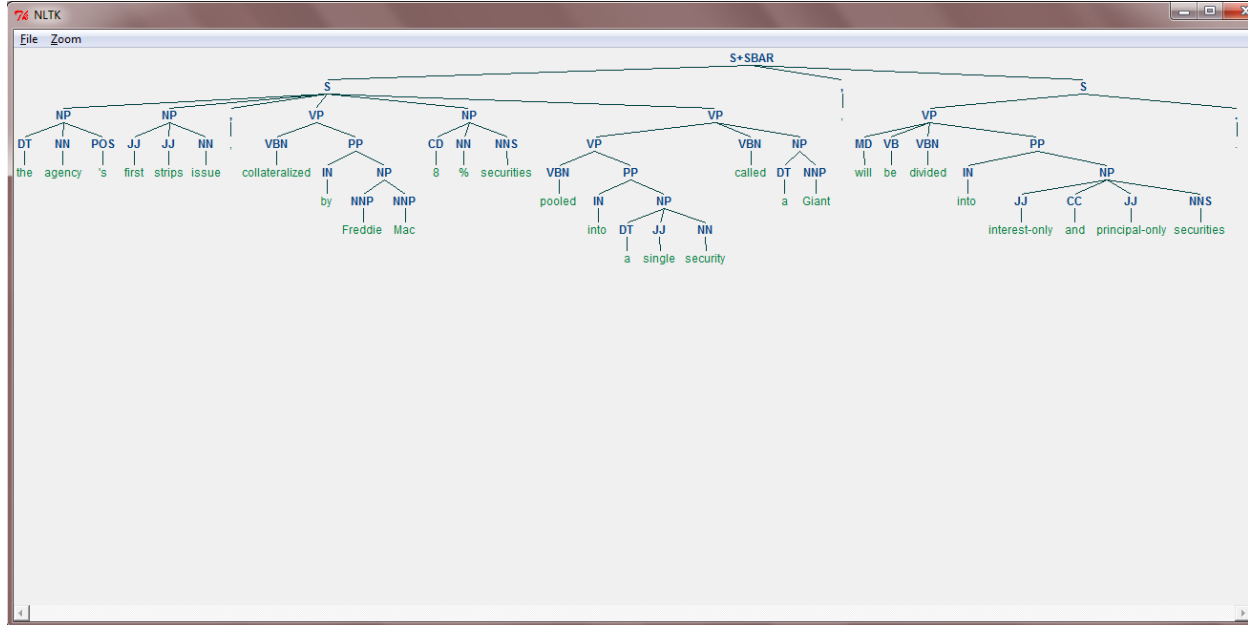
```
(SQ+FRAG
 (ADJP
  (JJ natural)
  (SBAR+S
   (NP (NNP Language) (NNP Processing))
   (VP (VBZ is) (ADJP (RB really) (JJ fun))))))
 (. .))
```

Another example,

```
sent1 = "The agency's first strips issue, collateralized by Freddie Mac 8%
securities pooled into a single security called a Giant, will be divided
into interest-only and principal-only securities."

tree = parser.parse(sent1)
display_tree(tree)
print tree
```

Plot:



Print:

```
(S+SBAR
(S
(NP (DT the) (NN agency) (POS 's))
(NP (JJ first) (JJ strips) (NN issue))
(, ,)
(VP
(VBN collateralized)
(PP (IN by) (NP (NNP Freddie) (NNP Mac))))
(NP (CD 8) (NN %) (NNS securities))
(VP
(VP
(VBN pooled)
(PP (IN into) (NP (DT a) (JJ single) (NN security)))))
(VBN called)
(NP (DT a) (NNP Giant))))
(, ,)
(S
(VP
(MD will)
(VB be)
(VBN divided)
(PP
(IN into)
(NP
(JJ interest-only)
(CC and)
(JJ principal-only)
```

```
(NNS securities))))  
(. .)))
```

#### QUESTION: Stuck in feats extraction part

Sorry, but I am very confused. I changed this in the test module:

```
tp = TransitionParser.load('featureextractor.py')
```

and I completed some code transition.py according to the video lectures. I made sure all the modules have all the imports they need and every time I run test.py I get the message: This is not a very good feature extractor. I made the part of the code that shows this message to comments with # and now when I run test.py it keeps going on and on for ages, using up the full capacity of my CPU.

How am I supposed to evaluate my features if there is no result?

#### ANSWER:

`TransitionParser.load()` should only be called with the name of a file that you created with `TransitionParser.save()`. These will be `swedish.model`, `english.model`, and `danish.model`.

What save and load actually do are use Python's pickle module to persist or reconstitute an in-memory instance of the `TransitionParser` class to/from disk. However, while you are just trying to get your code working, there's no need to save or load these files.

Usually if test.py runs for more than a couple of minutes, certainly if it goes for many minutes, then there is probably a bug in your implementation of the functions in transition.py. Things to look out for are: correctly checking for the preconditions of the operations you implement, correctly moving items between stack and buffer, and returning correct values, namely -1 if preconditions are not met, and anything else if they are.

#### QUESTION: SVD code with Python and R

The lecture 3.4 uses Matlab when describing SVD. This is code in Python and R.

Python, with Numpy and Scipy,

The example is the same as in lecture 3.4, there is 6 documents with 9 terms,

```
D1: T6, T9  
D2: T1, T2  
D3: T2, T5, T8  
D4: T1, T4, T6, T8, T9  
D5: T1, T7
```

D6: T3, T7

D7: T1, T3

The matrix, in Numpy array,

```
import numpy as np
```

```
# matrix, columns represent documents, rows represent terms,
```

```
A0 = np.array([
    [0, 1, 0, 1, 1, 0, 1],
    [0, 1, 1, 0, 0, 0, 0],
    [0, 0, 0, 0, 0, 1, 1],
    [0, 0, 0, 1, 0, 0, 0],
    [0, 1, 1, 0, 0, 0, 0],
    [1, 0, 0, 1, 0, 0, 0],
    [0, 0, 0, 0, 1, 1, 0],
    [0, 0, 1, 1, 0, 0, 0],
    [1, 0, 0, 1, 0, 0, 0]], dtype=float)
```

```
# normalize
```

```
from sklearn.preprocessing import normalize
```

```
A = normalize(A0, axis=0, norm='l2')
```

```
np.set_printoptions(precision=4, suppress=True)
```

```
print A
```

Output:

```
[[ 0.      0.5774 0.      0.4472 0.7071 0.      0.7071 ]
 [ 0.      0.5774 0.5774 0.      0.      0.      0.      ]
 [ 0.      0.      0.      0.      0.      0.7071 0.7071 ]
 [ 0.      0.      0.      0.4472 0.      0.      0.      ]
 [ 0.      0.5774 0.5774 0.      0.      0.      0.      ]
 [ 0.7071 0.      0.      0.4472 0.      0.      0.      ]
 [ 0.      0.      0.      0.      0.7071 0.7071 0.      ]
 [ 0.      0.      0.5774 0.4472 0.      0.      0.      ]
 [ 0.7071 0.      0.      0.4472 0.      0.      0.      ]]
```

(1) SVD with `numpy.linalg.svd`, in this example we reduce matrix to rank-4 approximation,

```
from numpy.linalg import svd
```

```
U, s, V = svd(A)
```

```
# diagonal matrix
S = np.zeros((U.shape[0], V.shape[0]), dtype=float)
S[:V.shape[0], :V.shape[0]] = np.diag(s)
```

```
# dimension
print U.shape, V.shape, S.shape
```

```
print "U"
print U
print "S"
print S
print "V"
print V.T
```

```
# reconstruction
A1 = np.dot(U, np.dot(S, V))
print "reconstruction"
print A1
```

```
# is close?
```

```
print np.allclose(A, A1)
```

Output,

Shape:

```
(9, 9) (7, 7) (9, 7)
```

U

```
[[-0.6977 -0.0931  0.0175 -0.6951 -0.      0.0157  0.1441 -0.      0.      ]
 [-0.2619  0.2966  0.4681  0.1969 -0.     -0.2468 -0.157  -0.6356  0.3099]
 [-0.3527 -0.4491 -0.1017  0.4013  0.7071 -0.0066 -0.0493 -0.      0.      ]
 [-0.1121  0.141  -0.1478 -0.0733 -0.      0.4842 -0.8402 -0.     -0.      ]
 [-0.2619  0.2966  0.4681  0.1969  0.     -0.2468 -0.157   0.6356 -0.3099]
 [-0.1874  0.3747 -0.5049  0.127  -0.     -0.2287  0.0338 -0.3099 -0.6356]
 [-0.3527 -0.4491 -0.1017  0.4013 -0.7071 -0.0066 -0.0493 -0.      0.      ]
 [-0.2104  0.3337  0.0954  0.282   0.      0.734   0.4657  0.      0.      ]
 [-0.1874  0.3747 -0.5049  0.127   0.     -0.2287  0.0338  0.3099  0.6356]]
```

S

```
[ [ 1.5777  0.      0.      0.      0.      0.      0.      ]
 [ 0.      1.2664  0.      0.      0.      0.      0.      ]
 [ 0.      0.      1.189   0.      0.      0.      0.      ]
```



```
[ 0.      0.      0.      0.7962  0.      0.      0.      ]
[ 0.      0.      0.      0.      0.7071  0.      0.      ]
[ 0.      0.      0.      0.      0.      0.5664  0.      ]
[ 0.      0.      0.      0.      0.      0.      0.1968]
[ 0.      0.      0.      0.      0.      0.      0.      ]
[ 0.      0.      0.      0.      0.      0.      0.      ]
]
```

V

```
[[-0.168  0.4184 -0.6005  0.2256  0.      -0.571  0.2432]
 [-0.4471  0.228  0.4631 -0.2185 -0.      -0.4872 -0.4986]
 [-0.2687  0.4226  0.5009  0.49  0.      0.2451  0.4451]
 [-0.3954  0.3994 -0.3929 -0.1305  0.      0.6132 -0.3697]
 [-0.4708 -0.3028 -0.0501 -0.2609 -0.7071  0.0113  0.3405]
 [-0.3162 -0.5015 -0.121  0.7128  0.      -0.0166 -0.3542]
 [-0.4708 -0.3028 -0.0501 -0.2609  0.7071  0.0113  0.3405]
]
```

reconstruction

```
[ [ 0.      0.5774  0.      0.4472  0.7071 -0.      0.7071]
 [-0.      0.5774  0.5774  0.      0.      -0.      0.      ]
 [ 0.      0.      0.      -0.      0.      0.7071  0.7071]
 [ 0.      0.      0.      0.4472  0.      0.      -0.      ]
 [ 0.      0.5774  0.5774  0.      0.      0.      0.      ]
 [ 0.7071  0.      0.      0.4472  0.      0.      0.      ]
 [ 0.      0.      0.      -0.      0.7071  0.7071  0.      ]
 [ 0.      0.      0.5774  0.4472  0.      -0.      0.      ]
 [ 0.7071 -0.      0.      0.4472  0.      0.      0.      ]
]
```

True

Reconstruction matrix is the same as original matrix.

Now, rank-4 approximation,

```
# now, reduce to DIM, rank-4 approximation
```

```
DIM = 4
```

```
print "REDUCE to", DIM
```

```
U1 = U[:, :DIM]
```

```
S1 = S[:, :DIM, :DIM]
```

```
V1 = V.T[:, :DIM].T
```

```
print "U1"
```

```

print U1
print "S1"
print S1
print "V1"
print V1.T

# reconstruction on matrices reduction
A2 = np.dot(U1, np.dot(S1, V1))
print "reduced reconstruction:"
print A2

```

Output: (U1 is now 9x4, V1 is now 7x4, S1 is now 4x4)

REDUCE to 4

U1

```

[[-0.6977 -0.0931  0.0175 -0.6951]
 [-0.2619  0.2966  0.4681  0.1969]
 [-0.3527 -0.4491 -0.1017  0.4013]
 [-0.1121  0.141  -0.1478 -0.0733]
 [-0.2619  0.2966  0.4681  0.1969]
 [-0.1874  0.3747 -0.5049  0.127 ]
 [-0.3527 -0.4491 -0.1017  0.4013]
 [-0.2104  0.3337  0.0954  0.282 ]
 [-0.1874  0.3747 -0.5049  0.127 ]]

```

S1

```

[[ 1.5777  0.      0.      0.    ]
 [ 0.      1.2664  0.      0.    ]
 [ 0.      0.      1.189   0.    ]
 [ 0.      0.      0.      0.7962]]

```

V1

```

[[-0.168  0.4184 -0.6005  0.2256]
 [-0.4471  0.228  0.4631 -0.2185]
 [-0.2687  0.4226  0.5009  0.49 ]
 [-0.3954  0.3994 -0.3929 -0.1305]
 [-0.4708 -0.3028 -0.0501 -0.2609]
 [-0.3162 -0.5015 -0.121  0.7128]
 [-0.4708 -0.3028 -0.0501 -0.2609]]

```

reduced reconstruction:

```

[[-0.0018  0.5958 -0.0148  0.4523  0.6974  0.0102  0.6974]
 [-0.0723  0.4938  0.6254  0.0743  0.0121 -0.0133  0.0121]
 [ 0.0002 -0.0067  0.0052 -0.0013  0.3569  0.7036  0.3569]
 [ 0.1968  0.0512  0.0064  0.2179  0.0532 -0.054  0.0532]
 [-0.0723  0.4938  0.6254  0.0743  0.0121 -0.0133  0.0121]]

```

```
[ 0.6315 -0.0598  0.0288  0.5291 -0.0008  0.0002 -0.0008]
[ 0.0002 -0.0067  0.0052 -0.0013  0.3569  0.7036  0.3569]
[ 0.2151  0.2483  0.4347  0.2262 -0.0359  0.0394 -0.0359]
[ 0.6315 -0.0598  0.0288  0.5291 -0.0008  0.0002 -0.0008]
]
```

Compare the reduced (rank-4 approximation) reconstruction matrix with the original A matrix, (the result can be different a bit because of different precision),

**u1\*s1\*v1'**

|         |         |         |         |         |         |         |
|---------|---------|---------|---------|---------|---------|---------|
| -0.0018 | 0.5958  | -0.0148 | 0.4523  | 0.6974  | 0.0102  | 0.6974  |
| -0.0723 | 0.4938  | 0.6254  | 0.0743  | 0.0121  | -0.0133 | 0.0121  |
| 0.0002  | -0.0067 | 0.0052  | -0.0013 | 0.3569  | 0.7036  | 0.3569  |
| 0.1968  | 0.0512  | 0.0064  | 0.2179  | 0.0532  | -0.0544 | 0.0532  |
| -0.0723 | 0.4938  | 0.6254  | 0.0743  | 0.0121  | -0.0133 | 0.0121  |
| 0.6315  | -0.0598 | 0.0288  | 0.5291  | -0.0008 | 0.0002  | -0.0008 |
| 0.0002  | -0.0067 | 0.0052  | -0.0013 | 0.3569  | 0.7036  | 0.3569  |
| 0.2151  | 0.2483  | 0.4347  | 0.2262  | -0.0359 | 0.0394  | -0.0359 |
| 0.6315  | -0.0598 | 0.0288  | 0.5291  | -0.0008 | 0.0002  | -0.0008 |

**A normalized**

|      |      |      |      |      |      |      |
|------|------|------|------|------|------|------|
| 0    | 0.58 | 0    | 0.45 | 0.71 | 0    | 0.71 |
| 0    | 0.58 | 0.58 | 0    | 0    | 0    | 0    |
| 0    | 0    | 0    | 0    | 0    | 0.71 | 0.71 |
| 0    | 0    | 0    | 0.45 | 0    | 0    | 0    |
| 0    | 0.58 | 0.58 | 0    | 0    | 0    | 0    |
| 0.71 | 0    | 0    | 0.45 | 0    | 0    | 0    |
| 0    | 0    | 0    | 0    | 0.71 | 0.71 | 0    |
| 0    | 0    | 0.58 | 0.45 | 0    | 0    | 0    |
| 0.71 | 0    | 0    | 0.45 | 0    | 0    | 0    |

(2) SVD with `scipy.sparse.linalg.svds`, just the same as previous example, in this example we reduce matrix A to rank-4 approximation (dimensionality reduction),

```
from scipy.sparse.linalg import svds
u, s, vt = svds(A, 4)
print "u"
print u
print "s4"
print np.diag(s)
print "vt"
print vt

print "u * s4 * vt"
print np.dot(u, np.dot(np.diag(s), vt))
```

Output:

u

```
[[-0.6951  0.0175 -0.0931  0.6977]
 [ 0.1969  0.4681  0.2966  0.2619]
 [ 0.4013 -0.1017 -0.4491  0.3527]
 [-0.0733 -0.1478  0.141   0.1121]
 [ 0.1969  0.4681  0.2966  0.2619]
 [ 0.127   -0.5049  0.3747  0.1874]
 [ 0.4013 -0.1017 -0.4491  0.3527]
 [ 0.282   0.0954  0.3337  0.2104]
 [ 0.127   -0.5049  0.3747  0.1874]]
```

s4

```
[ [ 0.7962  0.      0.      0.      ]
 [ 0.      1.189   0.      0.      ]
 [ 0.      0.      1.2664  0.      ]
 [ 0.      0.      0.      1.5777]]
```

vt

```
[ [ 0.2256 -0.2185  0.49   -0.1305 -0.2609  0.7128 -0.2609]
 [-0.6005  0.4631  0.5009 -0.3929 -0.0501 -0.121  -0.0501]
 [ 0.4184  0.228   0.4226  0.3994 -0.3028 -0.5015 -0.3028]
 [ 0.168   0.4471  0.2687  0.3954  0.4708  0.3162  0.4708]]
```

u \* s4 \* vt

```
[[-0.0018  0.5958 -0.0148  0.4523  0.6974  0.0102  0.6974]
 [-0.0723  0.4938  0.6254  0.0743  0.0121 -0.0133  0.0121]
 [ 0.0002 -0.0067  0.0052 -0.0013  0.3569  0.7036  0.3569]
 [ 0.1968  0.0512  0.0064  0.2179  0.0532 -0.054   0.0532]
 [-0.0723  0.4938  0.6254  0.0743  0.0121 -0.0133  0.0121]
 [ 0.6315 -0.0598  0.0288  0.5291 -0.0008  0.0002 -0.0008]
 [ 0.0002 -0.0067  0.0052 -0.0013  0.3569  0.7036  0.3569]
 [ 0.2151  0.2483  0.4347  0.2262 -0.0359  0.0394 -0.0359]
 [ 0.6315 -0.0598  0.0288  0.5291 -0.0008  0.0002 -0.0008]]
```

This Scipy's reconstruction matrix of rank-4 approximation is the same as previous Numpy's reconstruction result.

Conclusion, if we have a large Documents-Terms matrix, then we reduce its dimensionality with SVD, we are able to reproduce the approximation of original matrix with smaller size of decomposed matrices.

(3) With R, almost the same,

```
options(digits=4)
```

```
A0 = c(
```

```

0, 1, 0, 1, 1, 0, 1,
0, 1, 1, 0, 0, 0, 0,
0, 0, 0, 0, 0, 1, 1,
0, 0, 0, 1, 0, 0, 0,
0, 1, 1, 0, 0, 0, 0,
1, 0, 0, 1, 0, 0, 0,
0, 0, 0, 0, 1, 1, 0,
0, 0, 1, 1, 0, 0, 0,
1, 0, 0, 1, 0, 0, 0)

```

```
A = matrix(A0, nrow=9, ncol=7, byrow=T)
```

```
# l2 norm by matrixcolumn
```

```
A = apply(A, 2, FUN=function(x) {return(x/sqrt(sum(x^2)))})
```

```
# SVD
```

```
s = svd(A)
```

```
# left singular vectors,
```

```
s$u
```

output:

```

      [,1]      [,2]      [,3]      [,4]      [,5]      [,6]      [,7]
[1,] -0.6977 -0.09314  0.01754 -0.69510 -6.103e-17  0.015667  0.14406
[2,] -0.2619  0.29659  0.46807  0.19690  1.949e-17 -0.246804 -0.15701
[3,] -0.3527 -0.44910 -0.10170  0.40133  7.071e-01 -0.006643 -0.04929
[4,] -0.1121  0.14104 -0.14778 -0.07332 -1.013e-16  0.484193 -0.84017
[5,] -0.2619  0.29659  0.46807  0.19690  1.610e-17 -0.246804 -0.15701
[6,] -0.1874  0.37468 -0.50492  0.12700  6.641e-33 -0.228665  0.03385
[7,] -0.3527 -0.44910 -0.10170  0.40133 -7.071e-01 -0.006643 -0.04929
[8,] -0.2104  0.33370  0.09544  0.28200  1.623e-16  0.734046  0.46573
[9,] -0.1874  0.37468 -0.50492  0.12700  6.641e-33 -0.228665  0.03385

```

```
# right singular vectors
```

```
s$v
```

output:

```

      [,1]      [,2]      [,3]      [,4]      [,5]      [,6]      [,7]
[1,] -0.1680  0.4184 -0.60054  0.2256  0.000e+00 -0.57097  0.2432
[2,] -0.4471  0.2280  0.46307 -0.2185 -1.497e-16 -0.48721 -0.4986
[3,] -0.2687  0.4226  0.50089  0.4900  1.482e-16  0.24510  0.4451
[4,] -0.3954  0.3994 -0.39291 -0.1305  0.000e+00  0.61320 -0.3697

```

```
[5,] -0.4708 -0.3028 -0.05005 -0.2609 -7.071e-01 0.01127 0.3405
[6,] -0.3162 -0.5015 -0.12097 0.7128 2.081e-16 -0.01659 -0.3542
[7,] -0.4708 -0.3028 -0.05005 -0.2609 7.071e-01 0.01127 0.3405
```

```
# singular values, to diagonal matrix,
```

```
diag(s$d)
```

output:

```
      [,1] [,2] [,3] [,4] [,5] [,6] [,7]
[1,] 1.578 0.000 0.000 0.0000 0.0000 0.0000 0.0000
[2,] 0.000 1.266 0.000 0.0000 0.0000 0.0000 0.0000
[3,] 0.000 0.000 1.189 0.0000 0.0000 0.0000 0.0000
[4,] 0.000 0.000 0.000 0.7962 0.0000 0.0000 0.0000
[5,] 0.000 0.000 0.000 0.0000 0.7071 0.0000 0.0000
[6,] 0.000 0.000 0.000 0.0000 0.0000 0.5664 0.0000
[7,] 0.000 0.000 0.000 0.0000 0.0000 0.0000 0.1968
```

```
# helper function
```

```
reduce = function(s, d) {
  u = as.matrix(s$u[, 1:d])
  v = as.matrix(s$v[, 1:d])
  # Create the diagonal matrix dm,
  dm = as.matrix(diag(s$d)[1:d, 1:d])
  return(list(u=u, v=v, d=dm))
}
```

```
# reduced to rank-4
```

```
reduced_s = reduce(s, 4)
```

```
reduced_s$u
```

output:

```
      [,1] [,2] [,3] [,4]
[1,] -0.6977 -0.09314 0.01754 -0.69510
[2,] -0.2619 0.29659 0.46807 0.19690
[3,] -0.3527 -0.44910 -0.10170 0.40133
[4,] -0.1121 0.14104 -0.14778 -0.07332
[5,] -0.2619 0.29659 0.46807 0.19690
[6,] -0.1874 0.37468 -0.50492 0.12700
[7,] -0.3527 -0.44910 -0.10170 0.40133
[8,] -0.2104 0.33370 0.09544 0.28200
[9,] -0.1874 0.37468 -0.50492 0.12700
```

```
reduced_s$v
```

output:

```

      [,1]      [,2]      [,3]      [,4]
[1,] -0.1680  0.4184 -0.60054  0.2256
[2,] -0.4471  0.2280  0.46307 -0.2185
[3,] -0.2687  0.4226  0.50089  0.4900
[4,] -0.3954  0.3994 -0.39291 -0.1305
[5,] -0.4708 -0.3028 -0.05005 -0.2609
[6,] -0.3162 -0.5015 -0.12097  0.7128
[7,] -0.4708 -0.3028 -0.05005 -0.2609

```

reduced\_s\$d

output:

```

      [,1] [,2] [,3] [,4]
[1,] 1.578 0.000 0.000 0.0000
[2,] 0.000 1.266 0.000 0.0000
[3,] 0.000 0.000 1.189 0.0000
[4,] 0.000 0.000 0.000 0.7962

```

```

# reconstruction,
recon_A = reduced_s$u %*% reduced_s$A %*% t(reduced_s$v)
recon_A

```

output:

```

      [,1]      [,2]      [,3]      [,4]      [,5]      [,6]      [,7]
[1,] -0.0018294  0.59581 -0.014794  0.452253  0.697353  0.0101897  0.697353
[2,] -0.0722961  0.49384  0.625364  0.074291  0.012096 -0.0132637  0.012096
[3,]  0.0002113 -0.00667  0.005240 -0.001279  0.356899  0.7036082  0.356899
[4,]  0.1967947  0.05117  0.006379  0.217931  0.053211 -0.0540198  0.053211
[5,] -0.0722961  0.49384  0.625364  0.074291  0.012096 -0.0132637  0.012096
[6,]  0.6315410 -0.05978  0.028778  0.529090 -0.000809  0.0002113 -0.000809
[7,]  0.0002113 -0.00667  0.005240 -0.001279  0.356899  0.7036082  0.356899
[8,]  0.2150831  0.24825  0.434657  0.226166 -0.035893  0.0393623 -0.035893
[9,]  0.6315410 -0.05978  0.028778  0.529090 -0.000809  0.0002113 -0.000809

```

Again, the reconstruction matrix is similar to previous calculations in Python.

Why the result is a bit different between Numpy, Scipy, R, Matlab/Octave?

<http://stackoverflow.com/questions/5935893/any-reason-why-octave-r-numpy-and-lapack-yield-different-...>

<http://stackoverflow.com/questions/26589448/numpy-seems-to-produce-incorrect-eigenvectors>

Another example, <http://glowingpython.blogspot.com/2011/05/latent-semantic-analysis-with-term.html>

# External Links

## Python

### Python Tutorial and Reference Books

Official Python Docs

<https://docs.python.org/2/>

Learning Python

<http://www.worldcat.org/title/learning-python/oclc/863949628?referer=br&ht=edition>

The Python Standard Library by Example

[http://www.worldcat.org/title/python-standard-library-by-example/oclc/682896798%26referer=brief\\_results](http://www.worldcat.org/title/python-standard-library-by-example/oclc/682896798%26referer=brief_results)

Python in a Nutshell

<http://www.worldcat.org/title/python-in-a-nutshell/oclc/754143508?referer=br&ht=edition>

Python Cookbook

[http://www.worldcat.org/title/python-cookbook/oclc/826659391%26referer=brief\\_results](http://www.worldcat.org/title/python-cookbook/oclc/826659391%26referer=brief_results)

The Quick Python Book

<http://www.worldcat.org/title/quick-python-book/oclc/866849765>

Think Python

<http://www.greenteapress.com/thinkpython/>

Python Phrasebook

[http://www.worldcat.org/title/python-phrasebook-essential-code-and-commands/oclc/150388343%26referer=brief\\_results](http://www.worldcat.org/title/python-phrasebook-essential-code-and-commands/oclc/150388343%26referer=brief_results)

Python in Practice

[http://www.worldcat.org/title/python-phrasebook-essential-code-and-commands/oclc/150388343%26referer=brief\\_results](http://www.worldcat.org/title/python-phrasebook-essential-code-and-commands/oclc/150388343%26referer=brief_results)

Expert Python Programming

[http://www.worldcat.org/title/expert-python-programming-learn-best-practices-to-designing-coding-and-distributing-your-python-software/oclc/401988536%26referer=brief\\_results](http://www.worldcat.org/title/expert-python-programming-learn-best-practices-to-designing-coding-and-distributing-your-python-software/oclc/401988536%26referer=brief_results)



## Online Python Classes

Programming for Everybody (Getting Started with Python)

<https://www.coursera.org/learn/python>

Learn to Program: The Fundamentals

<https://www.coursera.org/course/programming1>

Codecademy Learn Python

<https://www.codecademy.com/learn/python>

Subreddit dedicated to learning python

<https://www.reddit.com/r/learnpython>

## Corpus Linguistics

Mark Davies, a corpus linguist at Brigham Young University.

Web-based search interface to a list of corpora, including the British National Corpus (bnc) and the Corpus of Contemporary American English (coca).

This interface allows searching for words, lemmas, POS tags, and combinations of those with a limited support for regular expressions.

In order to use the search interface, one should register, which is free. Without registration, the system limits the number of queries.

No interfacing API.

<http://corpus.byu.edu/>

## Deep Learning for NLP

Deep Learning for NLP Links

<http://web.eecs.umich.edu/~radev/dlnlp/list.txt>

Richard Socher's class

<http://cs224d.stanford.edu/syllabus.html>

## Deep learning libraries

Theano (Python)

<http://deeplearning.net/software/theano/>

cafe - image classification (PyCaffe interface)

<http://caffe.berkeleyvision.org/>

torch - machine learning framework (Lua/C)

<http://www.torch.ch/>

Open courseware for mathematical prerequisites, machine learning in general, and deep learning

Deep Learning for Text Mining From Scratch

<http://textminingonline.com/deep-learning-for-text-mining-from-scratch>

More deep learning links

[http://deeplearning.net/software\\_links](http://deeplearning.net/software_links)

## Edit Distance

<http://www.geeksforgeeks.org/dynamic-programming-set-5-edit-distance/>

<http://www.csse.monash.edu.au/~lloyd/tildeAlgDS/Dynamic/Edit/>

<http://www.let.rug.nl/~kleiweg/lev/>

## Coreference Tools

JavaRAP

<http://aye.comp.nus.edu.sg/~qiu/NLPTools/JavaRAP.html>

Bart

<http://www.bart-coref.org/>

GuiTAR

<http://cswww.essex.ac.uk/Research/nle/GuiTAR/>

ARKref

<http://www.ark.cs.cmu.edu/ARKref/>

Definite Coreference

<http://nlp.stanford.edu/software/dcoref.shtml>

## **Information Extraction**

OpenIE extracts binary relations as 3-tuples of natural language text

OpenIE project page

<http://openie.allenai.org/>

OpenIE source code

<https://github.com/knowitall/openie>

Paralex maps open-domain factoid questions to executable queries over a tuple store

Paralex home page

<http://knowitall.cs.washington.edu/paralex/>

Paraphrase-Driven Learning for Open QA

<http://turing.cs.washington.edu/papers/acl-2013-fader.pdf>

## **Latent Semantic Analysis**

<http://glowingpython.blogspot.com/2011/05/latent-semantic-analysis-with-term.html>

## **Linguistics courses**

Coursera - Miracles of Human Language

<https://www.coursera.org/course/humanlanguage>

## **Machine translation tutorials**

Philipp Koehn

<http://mt-class.org/jhu/slides/lecture-ibm-model1.pdf>

Chris Manning

<http://web.stanford.edu/class/cs224n/handouts/cs224n-lecture3-MT-6up.pdf>

Chris Callison-Burch

<https://www.cs.jhu.edu/~jason/465/PowerPoint/lect32a-mt-word-based-models.pdf>

Michael Collins

<http://www.cs.columbia.edu/~mcollins/ibm12.pdf>

## More Pointers

Quora includes a lot of relevant questions and answers about NLP and related topics.

<http://www.quora.com/>

## Morphological Analysis of German

<https://code.google.com/p/morphisto>

[http://www.aclweb.org/aclwiki/index.php?title=Resources\\_for\\_German](http://www.aclweb.org/aclwiki/index.php?title=Resources_for_German)

[https://en.wikipedia.org/wiki/Germanic\\_languages](https://en.wikipedia.org/wiki/Germanic_languages)

<http://stackoverflow.com/questions/680907/is-there-a-free-library-for-morphological-analysis-of-the-german-language>

## Natural Language Generation

nlgserve

A server that accepts JSON representations of sentences and generates English sentences. A wrapper on simplenlg.

<https://pypi.python.org/pypi/nlgserve/>

nlgserve PyPi installation page

<https://github.com/mnestis/nlgserve>

nlgserve source code

<https://github.com/mnestis/nlgserve>

simplenlg source code (Java)

<https://github.com/simplenlg/simplenlg>

pypolibox

database-to-text generation using openccg

pypolibox PyPi installation page

<https://pypi.python.org/pypi/pypolibox>

pypolibox source code

<https://github.com/arne-cl/pypolibox>

OpenCCG source code (Java)

<https://github.com/OpenCCG/openccg>

Definitions of some NLG terms, links to NLG systems, and a long list of related papers.

meta-guide: realizers in natural language processing

<http://meta-guide.com/dialog-systems/nlg/realizers-in-natural-language-processing/>

NLG paper by Iyer, Boyd-Graber, Daumé III

Generating Sentences from Semantic Vector Space Representations

[http://www.cs.umd.edu/~miyyer/pubs/2014\\_nips\\_generation.pdf](http://www.cs.umd.edu/~miyyer/pubs/2014_nips_generation.pdf)

Functional Unification Formalism NLG

Note: this appears to be a Google Summer of Code project that has not been updated since 2008

Implementing FUF in NLTK

<http://www.ling.helsinki.fi/kit/2010s/clt310gen/docs/ImplementingFUFinNLTK.pdf>

FUF in NLTK source code

[https://github.com/nltk/nltk\\_contrib/tree/master/nltk\\_contrib/fuf](https://github.com/nltk/nltk_contrib/tree/master/nltk_contrib/fuf)

## Notation guides

Parts of Speech

Penn Treebank parts of speech notations guide:

Full guide

<https://catalog.ldc.upenn.edu/docs/LDC99T42/tagguid1.pdf>

Summary

<http://www.comp.leeds.ac.uk/amalgam/tagsets/upenn.html>

## Constituents

Penn Treebank constituents notations guide:

<https://catalog.ldc.upenn.edu/docs/LDC99T42/prsguid1.pdf>

## Dependencies

Stanford parser dependencies notations guide:

[http://nlp.stanford.edu/software/dependencies\\_manual.pdf](http://nlp.stanford.edu/software/dependencies_manual.pdf)

Summary of various linguistic notations:

<http://web.mit.edu/6.863/www/PennTreebankTags.html>

## Parsers

Simple Python statistical (CKY) parser together with scripts for learning the PCFG from the QuestionBank and Penn treebanks:

<https://github.com/emilmont/pyStatParser>

Earley parser:

[http://www.inf.ed.ac.uk/teaching/courses/inf2a/slides/2012\\_inf2a\\_L19\\_slides.pdf](http://www.inf.ed.ac.uk/teaching/courses/inf2a/slides/2012_inf2a_L19_slides.pdf)

[http://courses.washington.edu/ling571/ling571\\_fall\\_2010/slides/parsing\\_earley.pdf](http://courses.washington.edu/ling571/ling571_fall_2010/slides/parsing_earley.pdf)

<http://www.cse.unt.edu/~tarau/teaching/NLP/Earley%20parser.pdf>

[https://www.cs.unm.edu/~luger/ai-final2/CH9\\_Dynamic%20Programming%20and%20the%20Earley%20Parser.pdf](https://www.cs.unm.edu/~luger/ai-final2/CH9_Dynamic%20Programming%20and%20the%20Earley%20Parser.pdf)

## Polysemous words

<http://norvig.com/ticip.html>

## Porter's Stemming Algorithm

<https://www.eecis.udel.edu/~trnka/CISC889-11S/lectures/dan-porters.pdf>

## Singular Value Decomposition (SVD)

Decoding Dimensionality Reduction, PCA and SVD

<http://bigdata-madesimple.com/decoding-dimensionality-reduction-pca-and-svd/>

Relationship between SVD and PCA. How to use SVD to perform PCA?

<http://stats.stackexchange.com/questions/134282/relationship-between-svd-and-pca-how-to-use-svd-to-perform-pca>

Why Octave, R, Numpy, and LAPACK yield different SVD results on the same matrix

<http://stackoverflow.com/questions/5935893/any-reason-why-octave-r-numpy-and-lapack-yield-different-svd-results-on-the-sa>

“Normalizing” variables for SVD / PCA

<http://stats.stackexchange.com/questions/12200/normalizing-variables-for-svd-pca>

Numpy seems to produce incorrect eigenvectors

<http://stackoverflow.com/questions/26589448/numpy-seems-to-produce-incorrect-eigenvectors>

Why we need to normalize data before analysis

<http://stats.stackexchange.com/questions/69157/why-do-we-need-to-normalize-data-before-analysis>

Understand Complex Datasets, Data Mining with Matrix Decompositions

<https://books.google.co.id/books?id=9SzLDi8jUnAC>

dimensionality reduction -- general sense of the terms used in the lecture

[https://class.coursera.org/nlpintro-001/forum/thread?thread\\_id=104#post-410](https://class.coursera.org/nlpintro-001/forum/thread?thread_id=104#post-410)

Low-rank approximation of a matrix

[https://inst.eecs.berkeley.edu/%7Eeee127a/book/login/l\\_svd\\_low\\_rank.html](https://inst.eecs.berkeley.edu/%7Eeee127a/book/login/l_svd_low_rank.html)

Singular Value Decomposition of General Matrices

[https://inst.eecs.berkeley.edu/%7Eee127a/book/login/l\\_svd\\_main.html](https://inst.eecs.berkeley.edu/%7Eee127a/book/login/l_svd_main.html)

## **Text to Speech (TTS)**

How-To Geek

The Best Text to Speech Software and Online Tools

<http://www.howtogeek.com/125305/the-best-text-to-speech-tts-software-programs-and-online-tools/>

Wizzard Speech LLC

AT&T Natural Voices Text to Speech SDK

<http://www.wizzardsoftware.com/text-to-speech-sdk.php>

## **Tokenization Comparisons**

<http://text-processing.com/demo/tokenize/>

## **Topic modeling and text similarity**

<https://radimrehurek.com/gensim/>