

# Design of Algorithms First Project

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# TABLE OF CONTENTS

**21**INTRODUCTION

PROJECT OVERVIEW

02

**Ø3**IMPLEMENTED

FEATURES

**Ø4**CONCLUSION

### Introduction

### **Problem:**

Creating a Water Supply Management System;

#### Tools:

- Implementation of a directed graph;
- Standard Template Library (STL);
- Appropriate data structures;
- Efficient algorithms.

```
Mater Supply Management (G15_02)

Choose your operation:

[1] Maximum Delivery for All Cities

[2] Maximum Delivery for Specific City

[3] Cities in Deficit

[4] Test Reservoir Out of Commission

[5] Test Reservoir Out of Commission

[6] Test Pumping Stations Out of Service

[7] Test Pumping Stations Out of Service (Brute-Force)

[8] Test Pipe Failures

[9] Test Pipe Failures

[9] Test Pipe Failures (Brute-Force)

[10] Critical Pipes for Specific City

[11] Network Balancing

[12] Display Network Information

[13] Set output to File (output.txt)

[9] Quit
```

# TABLE OF CONTENTS

**Ø**1

INTRODUCTION

02

PROJECT OVERVIEW

03

IMPLEMENTED FEATURES

04

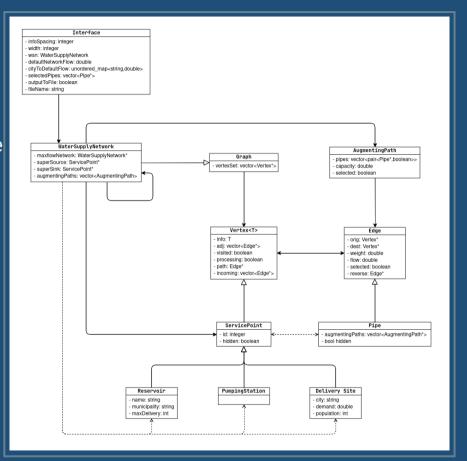
CONCLUSION

# Class Diagram

#### Each class:

- Is declared in a .h file with the same name (inside include/)
- Has its functionality defined in the respective .cpp file (inside src/, with the exception of the generic classes).

The app logic (main algorithms) is implemented as methods of WaterSupplyNetwork, and the Interface is responsible for the UI.



# Graph Representation

### Reservoir (R)

- Contains reservoir information (name, municipality, id, code, max. delivery)

### Pumping Stations (PS)

- Contains pumping station information (id, code)

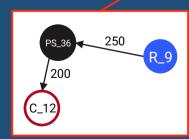
### Delivery Sites (C)

- Contains delivery sites information (city, id, code, demand, population)

### Pipes

Service Points

- Connection between two service points (origin and destination)
- Undirected connections are represented using two (directed) pipes





Edges

Vertices

# Graph Representation

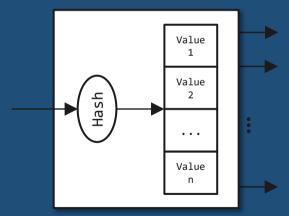
We used a graph **adjacency list representation**, similar to the one used in the practical classes, **b** which we kept as a generic graph.

#### Refinement:

The vertices are stored in a hash table instead of a vector.

### Advantages:

- Constant time for search, removal and insertion;
- Therefore, lower-complexity algorithms.



Simplified representation of a hash table

# TABLE OF CONTENTS

**2**1

INTRODUCTION

02

PROJECT OVERVIEW

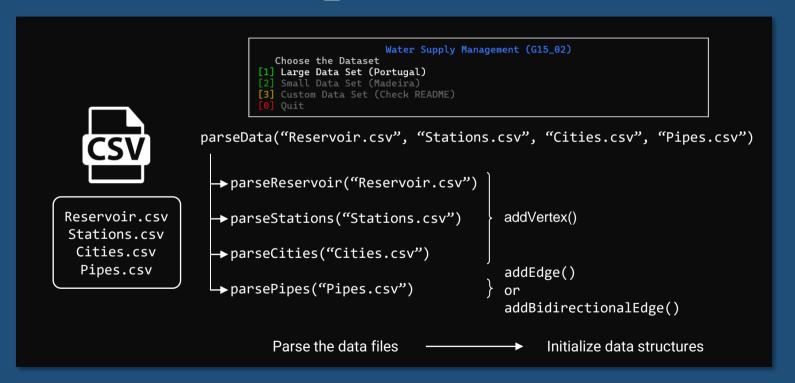
**Ø**3

IMPLEMENTED FEATURES

04

CONCLUSION

# Reading the Dataset



# Implemented Features

### Display Network Info



# Flow For All



# Calculate Max Flow For City



For delivery sites, reservoirs, pumping stations and pipes

Maximizes the total flow to all cities

 $O(VE^2)$ 

Redirects the flow to only one city as much as possible

 $O(VE^2)$ 

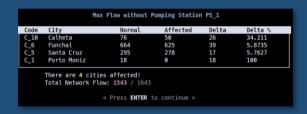
# Implemented Features

### Check Cities in Deficit



 $O(VE^2)$ 

### Test Failure

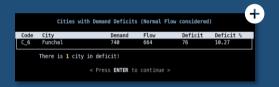


See effects of putting a reservoir, pumping station or pipe out of commission

 $O(VE^2)$ 

# Implemented Features

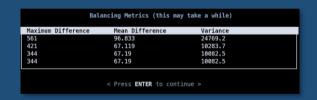
# Critical Pipes For City



Get pipes that affect the city flow

 $O(VE^3)$ 

### Balance Network



See effects of putting a reservoir, pumping station or pipe out of commission

 $O(VE^3C)$ 

# Balancing Algorithm

```
function balance(value):
    calculate max flow;
    while there is no pipe that can be changed do
        store current max flow in a copy;
        for each edge in increasing order of (capacity - flow) do
            decrease pipe capacity by value;
            recalculate max flow;
        if flow value decreased then
            restore max flow;
        else
            end inner for loop;
    restore capacities;
```

- The parameter value affects the precision and efficiency of the algorithm.
- Smaller values lead (in general) to better results, while making the algorithm run slower.

For every capacity decrement, the algorithm can run the Edmonds-Karp for every pipe in the network, resulting in a worst-case complexity of  $O(VE^3C)$ , where C is the sum of capacities of all pipes.

# Failure Algorithm

```
function recalculateMaxFlowWithoutPipes(pipes):
    get previous max flow and augmenting paths;
    for each pipe in pipes
        select augmenting paths that pass through the pipe;
        set pipe as hidden;
    removeSelectedAugmentingPaths();
    calculate remaining flow;

Function removeSelectedAugmentingPaths():
    for selected augmenting paths in the order they were found
        remove path flow from pipe;
        if the pipe is directed and flow is negative then
            select augmenting paths that pass through pipe;
```

- This algorithm is used for all failure algorithms, including for reservoirs and pumping stations (one just needs to hide the pipes incident on the service point).
- A brute-force alternative is also provided.
- Note: It sometimes redistributes the flow, resulting in different results compared to those obtained with a brute-force strategy, while still achieving a maximum flow.

# Failure Algorithm

- Removing the flow of an augmenting path results in a valid flow, however the direction constraint of a pipe can be violated (if the pipe flow becomes negative). This results from following augmenting paths that go against the pipe's normal direction. To resolve this, we just need to remove the next augmenting paths that pass through the pipe.
- Previous augmenting paths can be ignored: the sum of their flows through that pipe, by the
  algorithm, must be non-negative, so removing them would result in a lower flow through the
  pipe (zero, to be exact).
- Since it can happen that the algorithm removes all the augmenting paths, starting the Edmonds-Karp from scratch, the **worst-case complexity** of the algorithm is still  $O(VE^2)$ . However, since the removed flow value will be much smaller than the total flow, and thinking that rerunning the Edmonds-Karp will have, from a pseudo-polynomial standpoint, complexity O(Ef), with f being the removed flow value, **the average case will be much more efficient**.

### Interface

- Terminal User Interface (TUI) that can be controlled with and Return and Arrow keys.
- There are input capture functions defined in input.h.
- To make the menus, box-drawing characters are used and to change the colors, we've used macros with ANSI escape sequences (library created in ansi.h).

### Main Menu

```
Water Supply Management (G15_02)
Choose your operation:
[1] Maximum Delivery for All Cities
[2] Maximum Delivery for Specific City
[3] Cities in Deficit
[4] Test Reservoir Out of Commission
[5] Test Reservoir Out of Commission (Brute-Force)
[6] Test Pumping Stations Out of Service
[7] Test Pumping Stations Out of Service (Brute-Force)
[8] Test Pipe Failures
[9] Test Pipe Failures
[9] Test Pipe Failures
[10] Critical Pipes for Specific City
[11] Network Balancing
[12] Display Network Information
[13] Set output to File (output.txt)
[0] Quit
```

# Interface

### City Selection Menu

Water Supply Management (G15\_02)

Choose a city:

[1] Alcacer do Sal

[2] Évora

[3] Faro

[4] Guarda

[5] Lagos

[6] Leiria

[7] Lisboa

[8] Portalegre

[9] Porto

[10] Santarém

[0] Back

1 / 3 >

Water Supply Management (G15\_02)
Choose a city:
[21] Covilhã
[22] Estremoz
[0] Back

< 3 / 3

# Reservoir Out of Commission (e.g. Castelo do Bode)

Max Flow without Reservoir R\_13

Code	City	Normal	Affected	Delta	Delta %
C_14	Leiria	406	204	202	49.754
C_18	Santarém	200	105	95	47.5
C_6	Castelo Branco	230	100	130	56.522
C_15	Lisboa	12250	7164	5086	41.518
C_22	Viseu	330	310	20	6.0606

There are **5** cities affected!
Total Network Flow: **18630** / 24163

< Press ENTER to continue >

# TABLE OF CONTENTS

**Ø**1

INTRODUCTION

02

PROJECT OVERVIEW

03

IMPLEMENTED FEATURES

**24** 

CONCLUSION

# Highlighted Functionalities

The implementation of the more advanced and theoretical algorithms:

- Balancing Function maintaining the max flow
- **Testing the resiliency** without recalculating the Edmonds-Karp for every iteration

**Responsive interface** with relatively quick responses from the algorithms and relevant metrics/comparisons. Although not as important, it's always better to view the work and the information in a pleasant and organized manner.

### Main difficulties

- Creating and implementing solutions to the more theoretical questions of the project.
- **Debugging** and **testing code** was sometimes hard due to the complex algorithms and solutions to analyze.

### Contributions

 Each team member contributed significantly to different phases of the project, collectively trying to overcome these challenges.



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