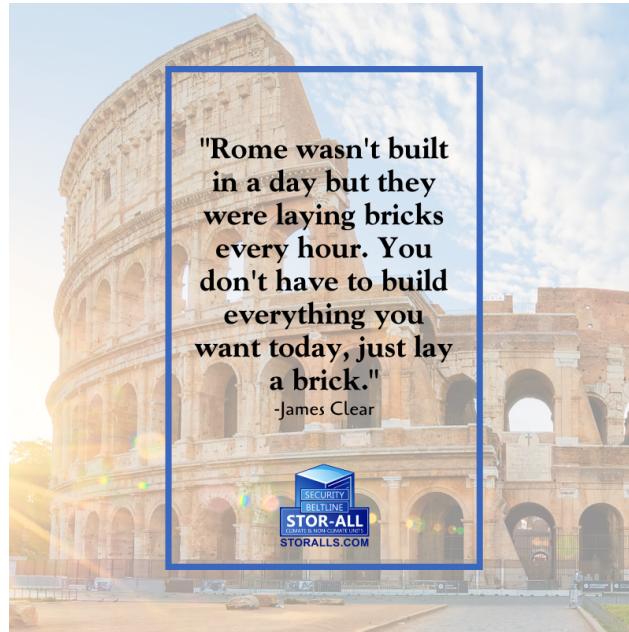


NOTES:

HASHMAP

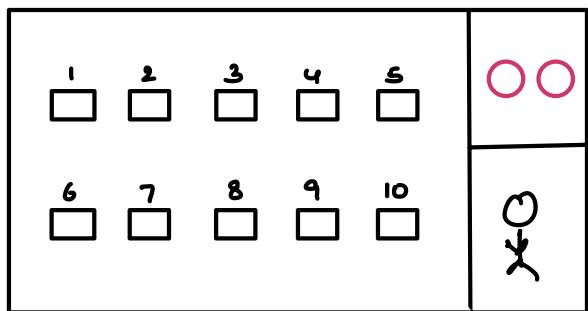
Good Evening



Note:- Concept will be ~~correct~~
Syntax → look from internet

- Today's Agenda → Hashmap Introduction
→ HashSet Introduction
→ Frequency of each query
→ First non repeating ele
→ distinct elements
→ Subarray with sum = 0 (Interview)

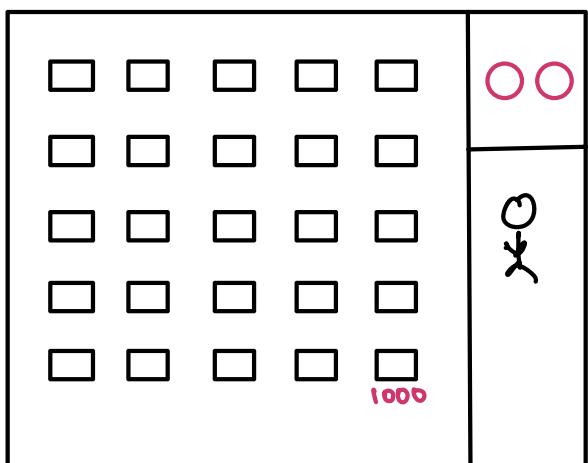
Yogi + Sachin



Register

- 1 → Occupied
- 2 → Not occupied
- 3
- 4
- 5 → Occupied
- :
- 10 → Occupied

1000 rooms



Room no. → {1 1000}

boolean array [] = 1001

01 999 →
A horizontal rectangle divided into 10 equal segments. The first segment is filled with a vertical line, while the others are empty. Below the rectangle, the indices 0, 1, 2, ..., 998 are written under each segment.

02 1000 →
A horizontal rectangle divided into 10 equal segments. The first three segments are filled with vertical lines, while the others are empty. Below the rectangle, the indices 0, 1, 2, ..., 999 are written under each segment.

03 1001 →
A horizontal rectangle divided into 10 equal segments. The first four segments are filled with vertical lines, and the fifth segment contains the letter 'T'. Below the rectangle, the indices 0, 1, 2, 3, ..., 1000 are written under each segment.

Room 2 is occupied → mark 2nd index as True

Room 5 is available? → If value is false, then it's available

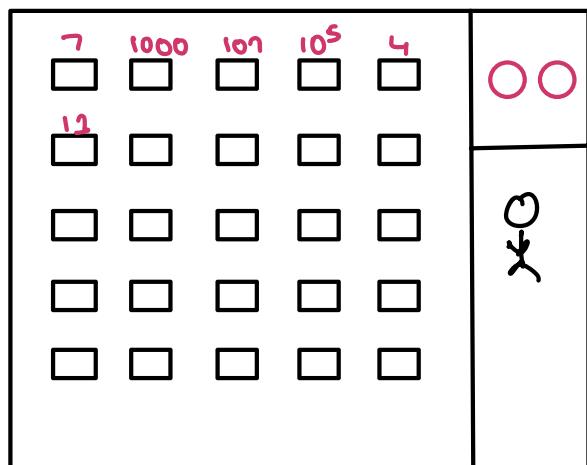
To check if particular room is available or not?

TC : O(1)

* Covid → Business is going down

Numerologist → $[1 - 10^9]$

1000 rooms



One on one mapping

boolean [] checkIn = 10⁹ + 1

~~Issues~~ → for 1000 rooms

↳ 10⁹ + 1 memory space

Advantage → Access the information → O(1) time

HashMap <key, value>

{
 7 → False
 1000 → False
 107 → False
 10⁵ → True
 5 → False
}

Size of HM = 1000

check(s)



TC: O(1)

Searching in HM is
always O(1) irrespective
of its size

How the TC is O(1)

How do implement HashMap

Advance content

* Obs → Keys are always unique

Value can be anything

Q1. Store population of every country

Key : Country name {String}

Value : Population {Long}

HashMap <String, Long> hm;

Q2. No. of states of each country

Key : Country name → {String}

Value : No. of states {Integer}

HashMap <String, Integer> hm;

Q3. Name of states of each country

Key : Country name → {String}

Value : All state names → List <String>

HashMap <String, List <String>> hm;

Q4. For every country, store population of each state

Key : Country name → {Strings}

Value : population of → HM <String, Long>
each state

HashMap <String, HM <String, Long>> hm;

HashMap → To store key-value pairs

HashSet → To only store unique keys

HashMap functionality

{key, value}

01. Size() → { No. of keys in hashmap }
02. insert (key, value)
03. search (key)
04. remove (key)
05. update → insert (key, value)
06. get (key) → Provide the value
07. iterate on hm → to get all keys

HashSet functionality

01. size() → { No. of keys in hashset }
02. add(key)
03. search(key)
04. remove(key)
05. update → No sense in hashset
06. Iterate on → to get all hashset keys

A single operation in HashMap / HashSet → O(1)

01. If we insert n {key, value}



SC: O(n)

✓

01. India → 20
 02. USA → 17
 03. Pak → 21
 04. Swit → 3

HashMap<String, Int> hm;
 hm.insert(India, 20)
 hm.insert(Pak, 21)
 hm.insert(Swit, 3)
 hm.insert(USA, 17)
 hm.insert(India, 1)

HM

Keys	Values
USA	→ 17
Pak	→ 21
India	→ 1
Switz	→ 3

TC: O(n) } To insert n entries
 SC: O(n)]

Q → Find frequency of numbers

Given N array elements & Q queries, find frequency of elements (given in queries) from the array.

arr[10] = {2 6 3 8 2 8 2 3 8 10}



Brute force → For each query, iterate on array look for the query ele & get the count

TC: $Q * N$

SC: $O(1)$

02 Sorting the array

TC: $O(n \log n + Q * n)$

SC: $O(1)$

* Optimised Approach → Store the data in HM

Key → Distinct ele of array

Values → Frequency of every distinct ele

$arr[10] = \{2, 6, 3, 8, 2, 8, 2, 3, 8, 10\}$



HM

key (Distinct ele)	value (Freq)
2	→ ✗ 2 3
6	→ 1
3	→ ✗ 2
8	→ ✗ 2 3
10	→ 1

Now, to answer a single query, $O(1)$ time

Queries: 4

2 → 3

8 → 3

3 → 2

5 → 0

void pointquery (int [] ar, int [] Q)

```
HashMap< Integer, Integer> hm;
```

// Iterate on array & populate hm

```
for( i=0; i<n; i++ )
```

```
if (hm.search(ar[i]) == true) {  
    int of = hm.get(ar[i]);  
    int nf = of + 1;  
    hm.insert(ar[i], nf);
```

} else {

hm.insert(ar[i], 1);

3

3

// Iterate on queries & answer using hashmap

```
for (i=0; i<Q.length; i++) {
```

int ele = Q[i];

if (hm. search (ele) == true)

```
point (hm.get(ell));
```

else

point (0):

3

$\alpha(g)$

3

TC: O(N+Q)

$Sc : O(n)$

Q2. Find the first non repeating element.

↳ first ele from start which is not repeating

arr = { 4 3 3 2 5 6 4 5 } Ans = 2

arr = { 2 6 8 4 7 2 9 } Ans = 6

arr = { 1, 2, 3, 1, 2, 5 } Ans = 3

arr = { 4, 3, 1, 3 } Ans = 4

B F → Choose each element & for that particular ele, iterate on complete array & check if it has duplicate or not

TC: $O(n^2)$

SC: $O(1)$

Q2. Sorting is not possible → Order matters

Q3. Using hashmap Key → Distinct ele
 value → Frequency

arr = { 1, 2, 3, 1, 2, 5 }
 0 1 2 3 4 5

HashMap

Keys

Values

Q1. Insert all ele in HM

5	\longrightarrow	1	}
1	\longrightarrow	2	
2	\longrightarrow	2	
3	\longrightarrow	1	

Iterate on arr again & look for the first ele with val(freq) as 1

Code $\rightarrow \{ \text{TODO} \}$

TC: $O(n)$
SC: $O(n)$

03. Given an arr[N] ele, find no. of distinct elements.

$$\text{arr}[5] = \{ \underline{3}, \underline{5}, \underline{6}, \cancel{5}, \underline{4} \} \quad \text{Ans} = 4$$

$$\text{arr}[5] = \{ \underline{1}, \underline{1}, \underline{1}, \underline{2}, \underline{2} \} \quad \text{Ans} = 2$$

$$\text{arr}[3] = \{ \underline{3}, \underline{3}, \underline{3} \} \quad \text{Ans} = 1$$

Solution \longrightarrow HashSet

Note:- Inserting the same key in HashSet is not going to affect the HashSet.

HashSet will only contain 1 occurrence

```
HashSet< Integer > set;
```

```
for ( i=0; i<n; i++ ) {
```

```
    |  
    set.add( ar[i] );  
    |  
    3
```

TC: O(n)

SC: O(n)

```
return set.size();
```

Q → Given an array, check if all elements are distinct or not.

ar [s] = { 6 8 3 2 7 } → True

```
HashSet< Integer > set;
```

```
for ( i=0; i<n; i++ ) {
```

```
    |  
    set.add( ar[i] );  
    |  
    3
```

TC: O(n)

SC: O(n)

```
if ( set.size() == ar.length ) return true
```

```
else return false;
```

OS. Given $ar[n]$ elements, check if there exists a subarray with sum = 0

$ar[10] =$	<table border="1"> <tr> <td>2</td><td>2</td><td>1</td><td>-3</td><td>4</td><td>3</td><td>1</td><td>-2</td><td>-3</td><td>2</td> </tr> <tr> <td>0</td><td>1</td><td>2</td><td>3</td><td>4</td><td>5</td><td>6</td><td>7</td><td>8</td><td>9</td> </tr> </table>	2	2	1	-3	4	3	1	-2	-3	2	0	1	2	3	4	5	6	7	8	9	$Ans = True$
2	2	1	-3	4	3	1	-2	-3	2													
0	1	2	3	4	5	6	7	8	9													

Brute force \rightarrow Consider every subarray & check if sum=0 or not

3 nested loops

$$TC \rightarrow O(n^3)$$

$$SC \rightarrow O(n)$$

Prefix sum

$$TC: O(n^2)$$

$$SC: O(n)$$

Carry forward

$$TC: O(n^2)$$

$$SC: O(1)$$

Optimisation \rightarrow Prefix sum for subarray sum calculation

$ar[10] =$	<table border="1"> <tr> <td>2</td><td>2</td><td>1</td><td>-3</td><td>4</td><td>3</td><td>1</td><td>-2</td><td>-3</td><td>2</td> </tr> <tr> <td>0</td><td>1</td><td>2</td><td>3</td><td>4</td><td>5</td><td>6</td><td>7</td><td>8</td><td>9</td> </tr> </table>	2	2	1	-3	4	3	1	-2	-3	2	0	1	2	3	4	5	6	7	8	9
2	2	1	-3	4	3	1	-2	-3	2												
0	1	2	3	4	5	6	7	8	9												

$Pf[10] =$	<table border="1"> <tr> <td>2</td><td>4</td><td>5</td><td>2</td><td>6</td><td>9</td><td>10</td><td>8</td><td>5</td><td>7</td> </tr> <tr> <td>0</td><td>1</td><td>2</td><td>3</td><td>4</td><td>5</td><td>6</td><td>7</td><td>8</td><td>9</td> </tr> </table>	2	4	5	2	6	9	10	8	5	7	0	1	2	3	4	5	6	7	8	9
2	4	5	2	6	9	10	8	5	7												
0	1	2	3	4	5	6	7	8	9												

$$Pf[2] = \text{sum}[0-2] = 5$$

$$Pf[8] = \text{sum}[0-8] = 5$$

$$= \text{sum}[0-2] + \text{sum}[3-8] = 5$$

$$\Rightarrow 5 + \text{sum}[3-8] = 5$$

$$\text{sum}[3-8] = 5 - 5 = 0$$

$$= x = * = x$$

$$\text{Pf}[0] = \text{sum}[0-0] = 2$$

$$\text{Pf}[3] = \text{sum}[0-3] = 2$$

$$\begin{aligned} &= \underbrace{\text{sum}[0-0] + \text{sum}[1-3]}_{2} = 2 \\ &\quad + \text{sum}[1-3] = 2 \end{aligned}$$

$$\text{sum}[1-3] = 2 - 2 = 0$$

Conclusion → If pf array is containing some values then we have a subarray with sum=0

$$\text{arr} = \{ \begin{matrix} 0 & 1 & 2 & 3 \\ 2 & -5 & 3 & 6 \end{matrix} \}$$

$$\text{Pf} = \{ 2 \ 3 \ 0 \ 6 \}$$

Note :- If 0 is present in pf array , then there exist a subarr with sum=0

One way → if $\text{Pf}[i] == 0$ return true

Other way → Explicitly add a 0 by yourself

Final Idea → We will insert pf array elements in hashset
& check if a value is already present
in hashset or not.

boolean subarrayzero (int ar[])

int pf[n]; → Can be optimised

HashSet < Integer > set;

by using carry forward

set.add(0);

for (i=0; i<n; i++) {

 if (set.search (pf[i]) == true) return true;

 else set.add (pf[i]);

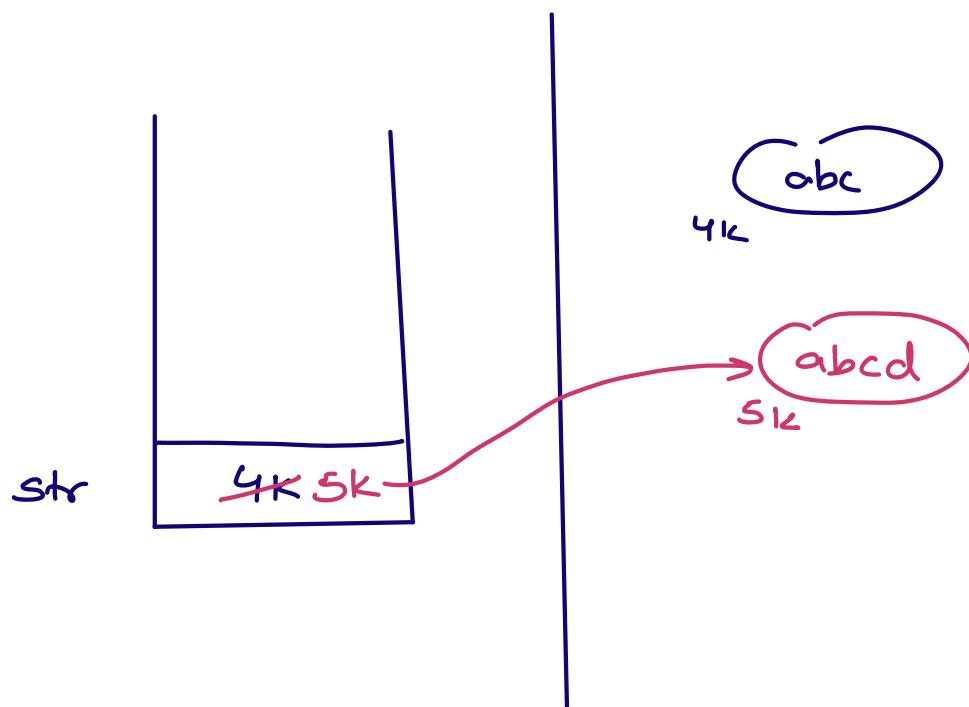
}

3

Strings in Java → Immutable

String str = "abc"

str = str + 'd' → abcd



Immutable Strings in Java

long sum = 0

$$\left. \begin{array}{l} 1 \leq \text{len}(\text{arr}) \leq 10^5 \\ 1 \leq \text{arr}[i] \leq 10^9 \end{array} \right\}$$

min sum = 1 = 1

max sum = $\frac{10^9}{0} \frac{10^9}{1} \frac{10^9}{2} \frac{10^9}{3} \dots \frac{10^9}{10^5}$

$$= \underbrace{10^9 + 10^9 + 10^9 + \dots + 10^9}_{10^5 \text{ times}} = \underline{\underline{10^{14}}}$$