



DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING

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UNIVERSITY INSTITUTE OF ENGINEERING

Department of Computer Science & Engineering

Subject Name: DAA Lab

Subject Code: 20ITP-312

Submitted to:

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Worksheet Experiment – 2.2

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Subject: DAA Lab

1. Aim/Overview of the practical:

To implement subset-sum problem using Dynamic Programming .

2. Task to be done/ Which logistics used:

find whether or not there exists any subset of the given set .

3. Algorithm/Flowchart:

- i. We create a boolean subset[][] and fill it in bottom up manner.
- ii. The value of subset[i][j] will be true if there is a subset of set[0..j-1] with sum equal to i., otherwise false.
- iii. subset[i][j] = true if there is a subset with:
- iv. the i-th element as the last element * sum equal to j
- v. subset[i][0] = true as sum of { } = 0 vi. subset[0][j] = false as with no elements we can get no sum
- vii. subset[i][j] = subset[i-1][j-E1]; where E1 = array[i-1] viii. Finally, we return subset[n][sum].

4. Steps for experiment/practical/Code:

```
5.  #include <iostream>
6.  using namespace std;
7.
8.  bool subsetsum_DP(int a[], int n, int sum)
9.  {
10.     bool dp[n + 1][sum + 1];
11.     int i, j;
```

```
12.     for (i = 0; i <= n; i++)
13.         dp[i][0] = true;
14.
15.     for (j = 1; j <= sum; j++)
16.         dp[0][j] = false;
17.
18.     for (i = 1; i <= n; i++)
19.     {
20.         for (j = 1; j <= sum; j++)
21.         {
22.             if (dp[i - 1][j] == true)
23.                 dp[i][j] = true;
24.             else
25.             {
26.                 if (a[i - 1] > j)
27.                     dp[i][j] = false;
28.                 else
29.                     dp[i][j] = dp[i - 1][j - a[i - 1]];
30.             }
31.         }
32.     }
33.     return dp[n][sum];
34. }
35. int main()
36. {
37.     cout << endl
38.         << "This worksheet belongs to Ruchika Raj (20BCS9285)\n";
39.
40.     int set[] = {3, 34, 4, 12, 5, 2};
41.     int sum = 9;
42.     int n = sizeof(set) / sizeof(set[0]);
43.     if (subsetsum_DP(set, n, sum) == true)
44.         cout << "Found a subset with given sum";
45.     else
46.         cout << "No subset with given sum";
47.     return 0;
48. }
49.
```

5. Observations/Discussions/ Complexity Analysis:

- Worst case time complexity: $\Theta(n \cdot \text{sum})$
- Space complexity: $\Theta(\text{sum})$

6. Result/Output/Writing Summary:

```
3 4 5 6 7
The minimum number of multiplication operations required to multiply the matrix chain is: 276
PS D:\CU\3rd Year\Sem 5\DAA\Worksheet\Unit 2> cd "d:\CU\3rd Year\Sem 5\DAA\Worksheet\Unit 2\" ; if
This worksheet belongs to Ruchika Raj (20BCS9285)
Found a subset with given sum
PS D:\CU\3rd Year\Sem 5\DAA\Worksheet\Unit 2> []
```

Learning Outcomes:-

1. Create a program keeping in mind the time complexity
2. Create a program keeping in mind the space complexity
3. Steps to make optimal algorithm
4. Learnt about how to implement subset sum problem using dynamic programming.