

Data Structures and Algorithm

19/10/22

non-primitive data types are abstract types.

```
student_Info {  
    string std_Name;  
    string std_Email;  
    int std_Cnt_Nums;  
    string std_RegNo;  
    int std_Attendance [][];  
}
```

Dynamic
Abstract data types
stack] linear D.S.
queue
tree
graph.] non-linear
D.S.

linked list is a
linear dynamic D.S.

Data Structure

Relationship b/w data's

Array → (Non Primitive)
 Static

20/10/22

Insert
Stack →

front (entry point or exit point)

stack is a dynamic
memory / temporary

Queue

front — rear.
↓ ↓
deletion addition

OS use queue
structure

code segment

stack
code
data.

Tree

directory hierarchy
root → entry point

Graph

no hierarchy

source

destination

shortest path
algorithm.

DSA

- relationship among data is known as structure.
 - set of steps to achieve an objective.
 - steps to access any data structure \rightarrow algorithm.
an algorithm should be optimized.
- optimization: using minimum resources, getting maximum benefits. (subjective term)
- Processing time optimization, time for execution
 - Line of code optimization.

CR
LF

Implementing Data Structures:

- | | |
|---------------------------------------|--------------------------------------|
| (i) Array* / List. (interchangeable). | (ii) Linked List / Node. |
| • array can store same type data | • node can store multiple data type. |
| • homogeneous data types | • heterogeneous data types. |
| • continuous memory, | • contiguous memory. |
| • array is static. | • node is dynamic. |

defragmentation

Operations on array:

(i) creation of array

```
int a[5]; [ 300 | 301 | 302 | 303 | 304 ]
```

char
int
tag

tags \rightarrow variables.memory locations
(memory addresses).

to access 300 (address).

a[0]

$$300 + 0 = 300 \checkmark$$

a[1]

$$300 + 1 = 301$$

a[2]

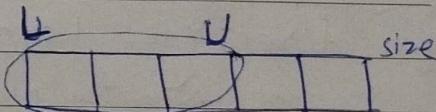
$$300 + 2 = 302$$

a[3]

$$300 + 3 = 303$$

a[4]

$$300 + 4 = 304$$

Upper bound(U) Lower bound(L)  size

(ii) Traversing: Visit / travel on all nodes.

Assignment: ① make functions of creation, traversal and all operations on an array.

(iii) Insertion.

3 a) insert-end. (array, value), isFull

3 b) insert-start. (array, value), isFull

3 c) insert-loc (array, value, loc), isFull- $L = \text{lowerbound}$

$$\downarrow \quad v++ \Rightarrow 5$$

for (int i=v ; i > loc ; i--) {

$$a[i] = a[i-1]$$

$$i=5 \quad 5 > 3 \quad \checkmark$$

}

$$a[L] = \text{value};$$

$$a[5] = 4$$

$$i=4 \quad 4 > 3$$

$$a[4] = 3$$

$$i=3 \quad 3 > 3 \times$$

$\{0, 1, 2, 3, 4\}, \underline{8}, \underline{3}\}$

DSA Lab

Linear Search

— Sentinel Linear Search

— Two way Linear Search

— Probabilistic Search.

— Binary Search

Memory..

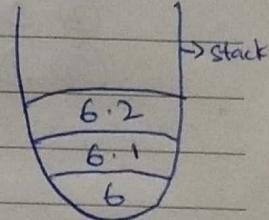
27/10/2022

Code Seg.
Data Seg.
Stack Seg.
Extra Seg.

Instructions

External Data.

Temporary memory.



code Seg..

input a and b.

function $\text{sum}(a, b)$ {

 return $a + b$

}

$\text{SOUT}(\text{sum}(a, b))$;

on function calling

∴ ~~call cu JUMP~~

① Push PC

② Call cu JUMP

that address will

be stored in stack.

on return

memory update.

③ Pop PC.

$$\text{PC} = \text{PC} + 1$$

Instruction Execution Cycle

1. PC - Program counter holds the address of next instruction to be executed

2. IR - Instruction Register holds ~~op.~~ codes cu addresses of operands.

\uparrow
operational

3. AC / ACC - Accumulator is the execution unit.

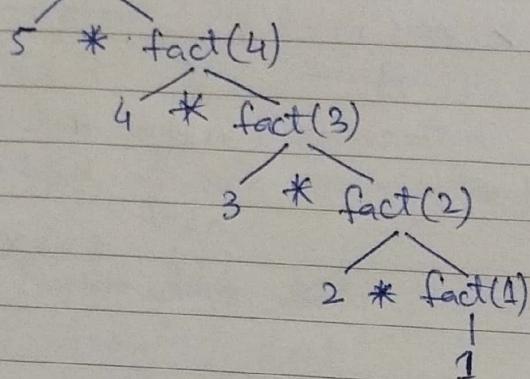
PAPERWORK

① Function Call

② Recursion.

• recursion tree

fact(5)



fact(n) {

if(n==1)

return 1

else

return n * fact(n-1)

}

1
2 * fact(1)
3 * fact(2)
4 * fact(3)
fact(5) = 5 * fact(4)

Assignment:- Fibonacci Series (draw tree and stack).

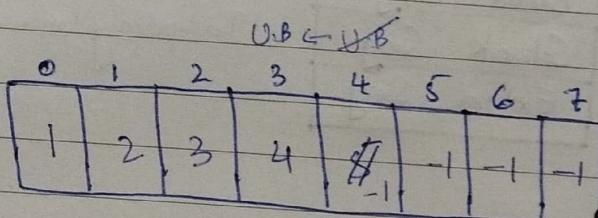
Array

Deletion

- ① Delete 1st element \rightarrow loc = 0 f L.B
- ② Delete last element \rightarrow loc = U.B
- ③ Delete element at loc.

L.B \rightarrow where elements start

U.B \rightarrow where elements end



- ② Delete last element (array)

$$\{ \text{temp} = a[U.B]$$

$a[U.B] = -1$; //Empty value of computer.

U.B --;

return temp;

}

if U.B == L.B == -1 \rightarrow array is empty.
 whenever there is a single element in an array,
 so U.B & L.B are same.

- ① Array Empty ($LB = UB = -1$)
- ② Array contain only one element ($UB = LB$).
- ③ Array contain more than one element ($LB < UB$)

Searching

Best

Average

Worst

Complexity

Time Memory or all
resources

Best case \rightarrow complexity = 1.

Average case \rightarrow complexity $> 1 \rightarrow n/2$

Worst case \rightarrow complexity = length - 1 or not found

① Linear Search

Data may be sorted or unsorted.

Returning location/index of any number to be searched through linear search, we returns -1, because -1 is -1 the index which is not part of index of an array.

```
search(array, x) {
    for (int i=0 ; i < size ; i++) {
        if (array[i] == x) {
            return i;
        }
    }
    return -1;
}
```

8/11/2022.

② BINARY SEARCH:

. sort (certain condition).

dynamic approach
modular approach
↓
en. recursion.

Sorting

arrangement of data under a certain condition.

① Bubble Sort.

$a \geq b$

0	1	2	3	4
2	45	0	11	9

$\frac{i \times j}{m \times n}$

iterations performed

```
for (i=0; i < size; i++) {
    for (j=0; j < (size-1); j++) {
```

2. Selection Sort : compares 1st coming element with every other element.

0	1	2	3	4
i	j	2	45	0
0	1	2	45	0
0	2	0	45	2
0	3	0	45	2
0	4	0	45	2

3. Insertion Sort

10/11/22.

Complexity

Time complexity.

int i, n; → 1 sec

n = 10 → 1 sec

for (i=0; i < n; i++) { → 1 sec + (n+1) sec → + n sec

i = i + 1; → n sec + n sec

print(i); → n sec.

}

$$\begin{matrix} 1 \\ 1 \\ 1 \\ n+1 \\ n \\ n \\ n \\ n \\ \hline 5n+4 \end{matrix}$$

$5n+4$ → negligible

$C_n \rightarrow$ time complexity

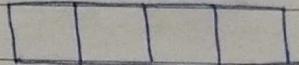
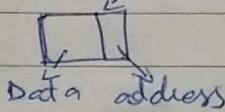
LINKED LIST

- different data types
- in a list, first element will have its data and address to the next element.
- each — Data.
Link to next node(address).
- linked list is dynamic.
- Head node → 1st in linked list array.

For linked list.

First element.

when head == null, (means no list).



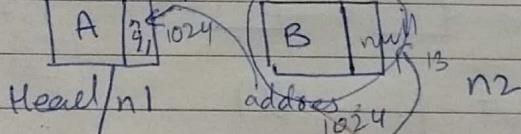
↓
Base address.

Head will be updated

Inserting 1st element → if (head == null).

Last element deletion.

if n1 update n2



create node {

DT Data

Address = null

Pointer

→ Head = create n1.node

create node &

update head 3.

temp = create n. node {

DT Data

Add next

n1.next = temp

temp = head // 57

temp = temp.next // 1024

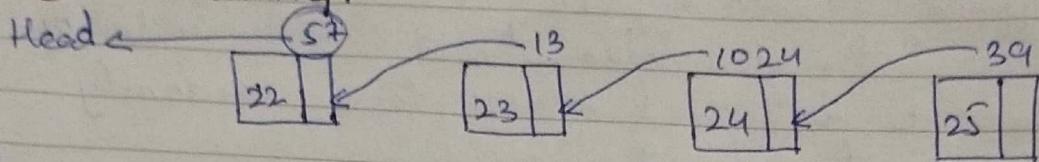
if (temp != null)

temp = temp.next.

singly
doubly

OPERATIONS ON LINKED LIST

① SEARCHING:



key = 22

Head = address of 1st node

Head.data

Head.next.

if (key == Head.data) found.
else ↴

current = Head; while (current != null) {

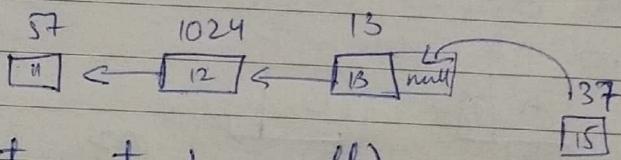
if (current.data == key) {

return / break (if key found).

↳ ↴

current = current.next;

② INSERTION:

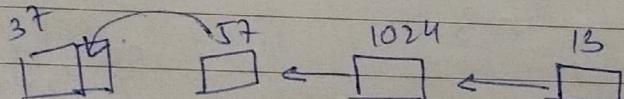


if (current.next != null)

↳ ↴ current = current.next;

↳ ↴ current.next = create new node,

Head



temp = create new node.

new node.next = Head.

Head = temp

100%
50%
25%
↳ ↴
13

25%

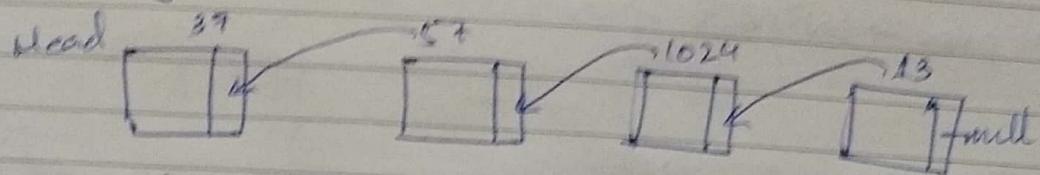
Deletion in Linked List..

Delete

Last node

First node

Any middle node

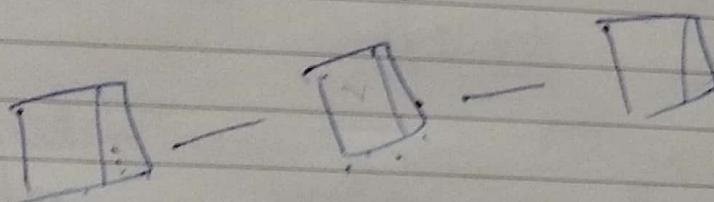


① Last node.

② Head node.

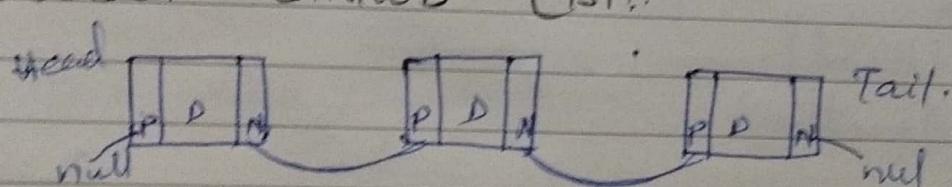
$$\text{Head} = \text{Head}.\text{next}$$

You brought mine
from your garden
so wait for my
visit to yours



Ayaan

DOUBLY LINKED LIST:

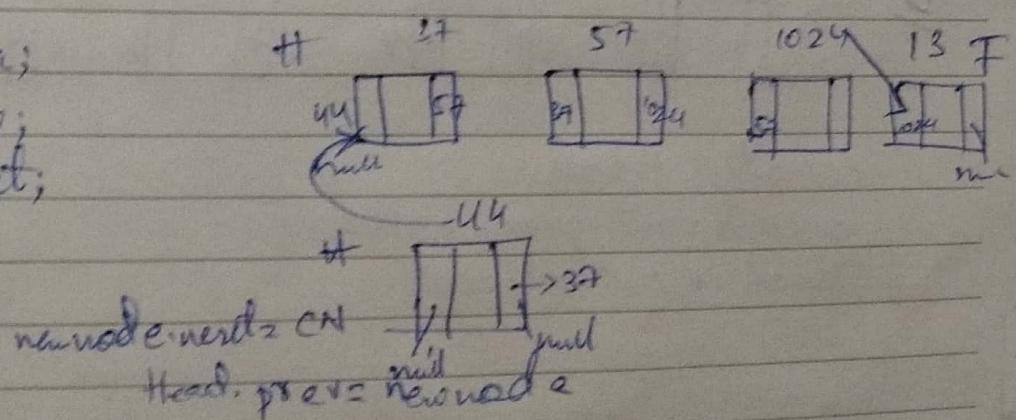


node {

DT Data;

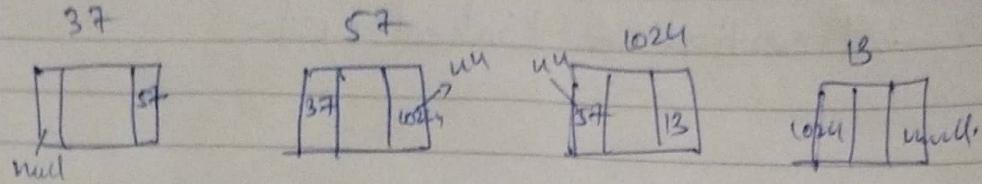
ref Prev;

ref Next;



newNode.next = CN

Head.prev = newNode

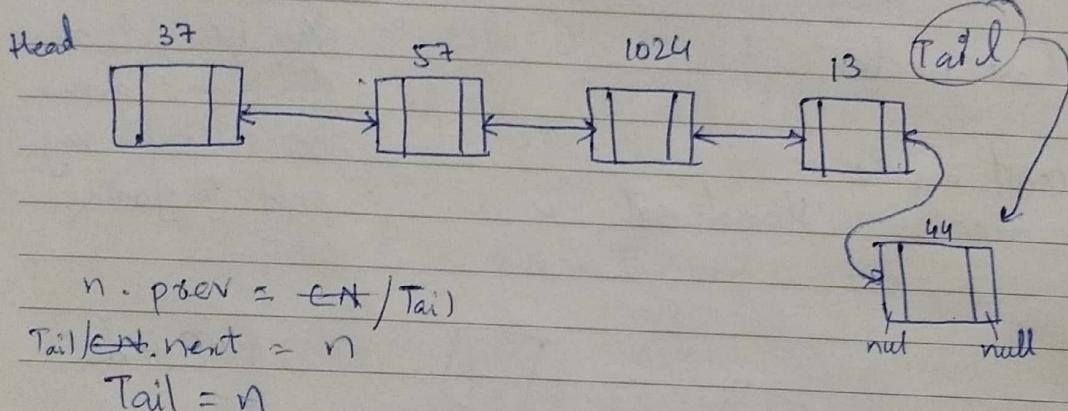


- 44. $n \cdot pprev = CN$
- 44. $n \cdot next = CN \cdot next$
- $57 \cdot next = CN \cdot next = n$
- $1024 \cdot pprev = CN \cdot next \cdot pprev = n$

③
 $CN \cdot current = newNode$
④ $newNode \cdot p = CN$
⑤ $newNode \cdot next = CN \cdot next$

24/11/22.

- Insertion at last:-



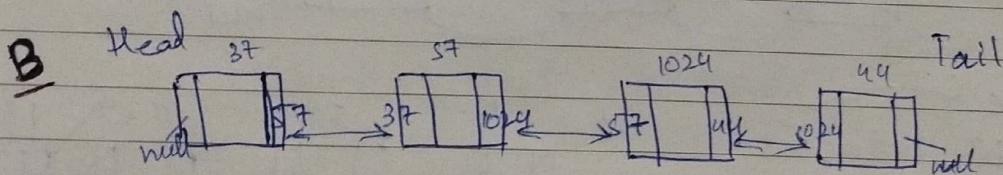
Deletion:-

29/11/2022

A → Middle

B → 1st (Head).

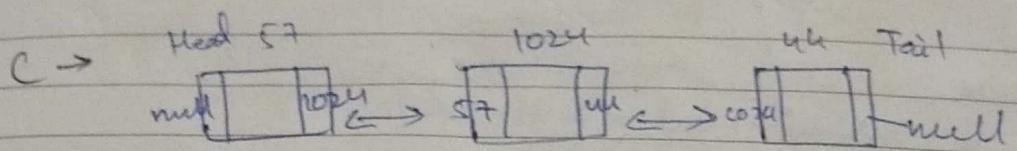
C → last element (tail)



current = Head.

current.next.pprev = null

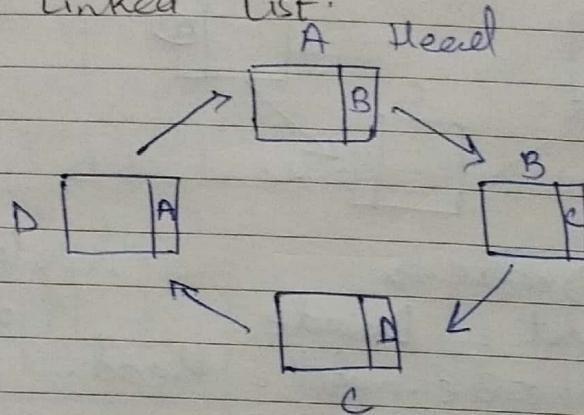
Head = current.next



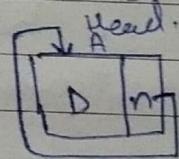
Tail · præv · next = Tail · next ·

~~Tall. p̄ev~~ = Tail = Tail. p̄ev

Circular Linked List

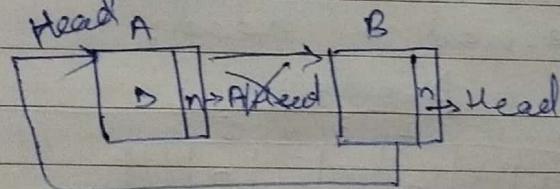


- Head = null \rightarrow There is no linked list.
 - Inserting first node ①

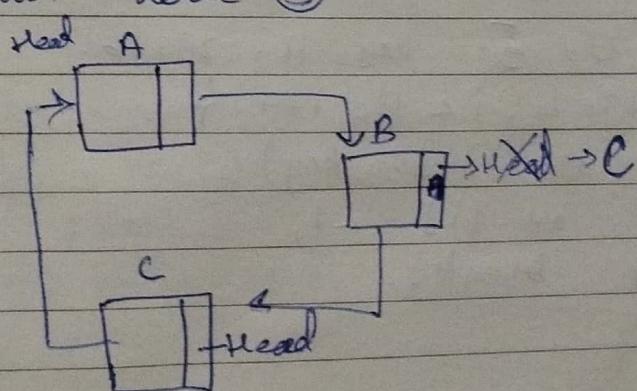


~~Head = new node~~
~~Head.next = Head~~

- Inserting second node ②



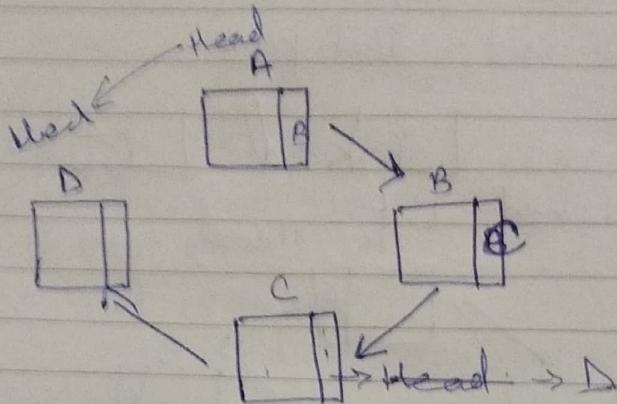
- Inserting third node ③



2/5 =

Traverse

if (current.next == head).
so break;



Head = Dnode

current.next = Dnode.

Head = Dnode.next = Head.

Head = Dnode

Insert new node in place of head.

Dnode = new node.

while (current.next != head) {

 current = current.next;

y,

 current.next = Dnode;

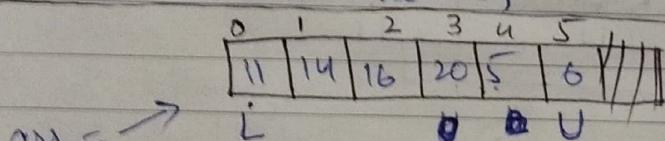
 Dnode.next = Head;

Head = Dnode;

% 2 (0-1)

% 8 (0-7)

% 16 (0-15)



L = 0, U = 5. key = 11, 20, 16.

for (int i = L; i < U; i++) {

 if (arr[i] == key) {

 arr[i] = -1; L = i + 1;

 break;

}

}

i % length < length

DOUBLY CIRCULAR LINKED LIST

1/12/22 2.

$\text{Head} = \text{null}$

$\text{Tail} = \text{null}$

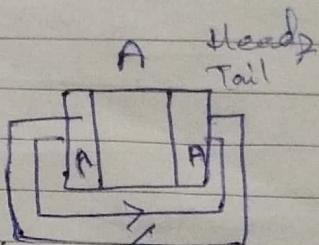
case I $\Rightarrow \text{Head} == \text{Tail} == \text{null}$

① if ($\text{Head} == \text{Tail} == \text{null}$) {

$\text{Head} = \text{Tail} = \text{newNode}$.

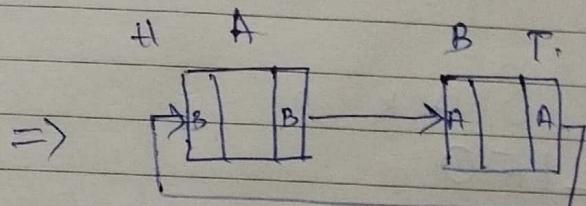
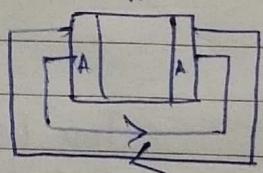
$\text{Head}.\text{next} = \text{newNode}$

$\text{Head}.\text{prev} = \text{newNode}$.



case II $\Rightarrow \text{Head} == \text{Tail}$

②



if ($\text{Head} == \text{Tail}$) {

$\text{Head}.\text{next} = \text{newNode}$

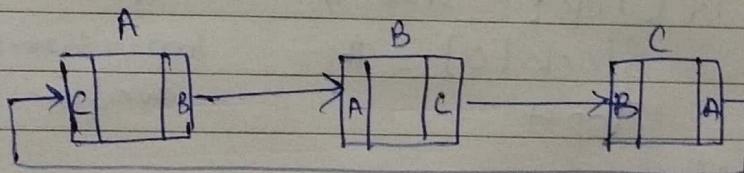
$\text{Head}.\text{prev} = \text{newNode}$.

$\text{newNode}.\text{next} = \text{Head}$

$\text{newNode}.\text{prev} = \text{Head}$.

$\text{Tail} = \text{newNode}$

}



case \Rightarrow Insert at last

$\text{Head}.\text{prev} = \text{newNode}$

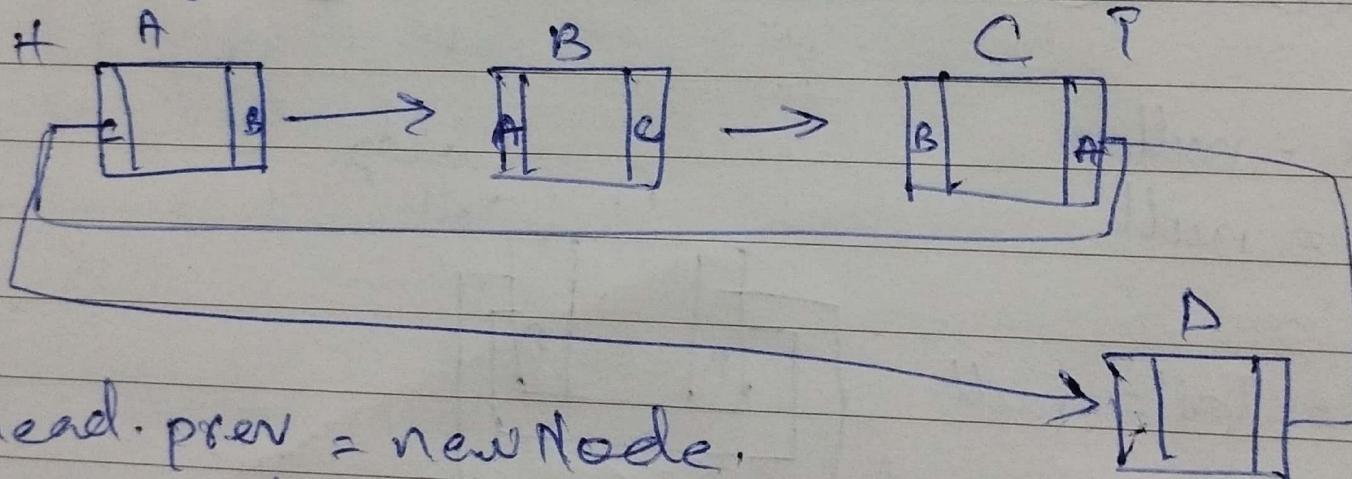
$\text{Tail}.\text{next} = \text{newNode}$

$\text{newNode}.\text{prev} = \text{Tail}$

$\text{newNode}.\text{next} = \text{Head}$

$\text{Tail} = \text{newNode}$.

case \Rightarrow Insert at Head.



Head · prev = newNode.

Tail · next = newNode.

newNode · prev = ~~Head~~ Tail

newNode · ~~next~~ = Head.

Head = newNode.