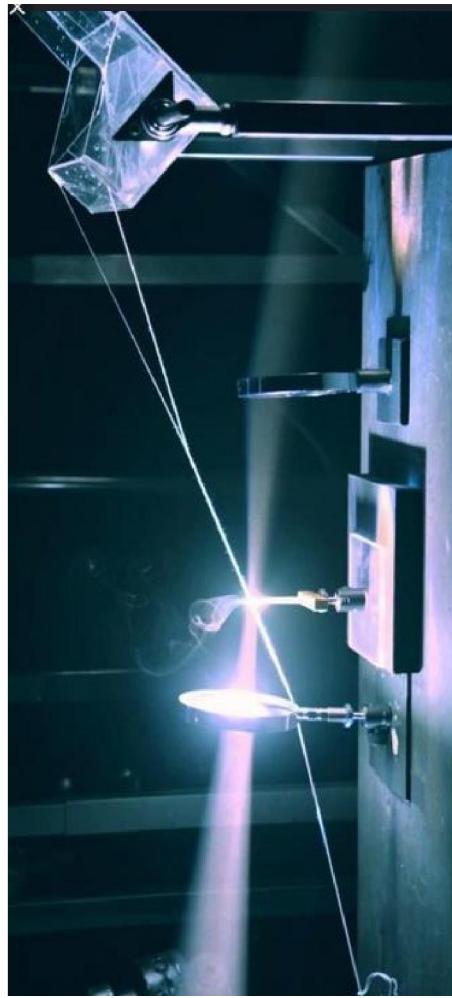
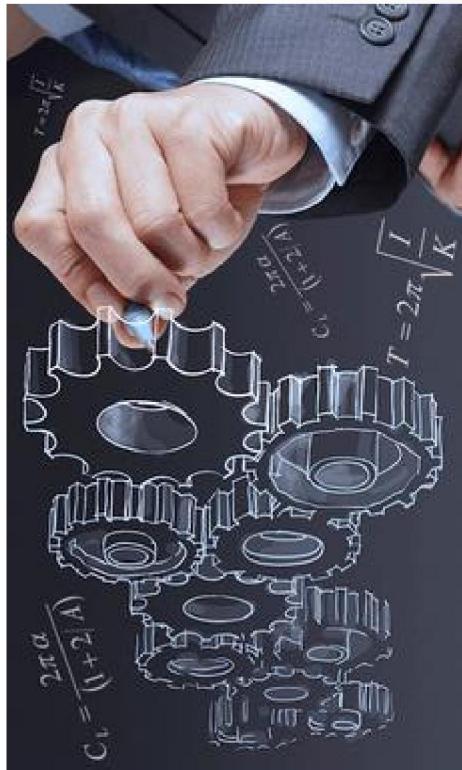


Engineering Physics (PHY109)

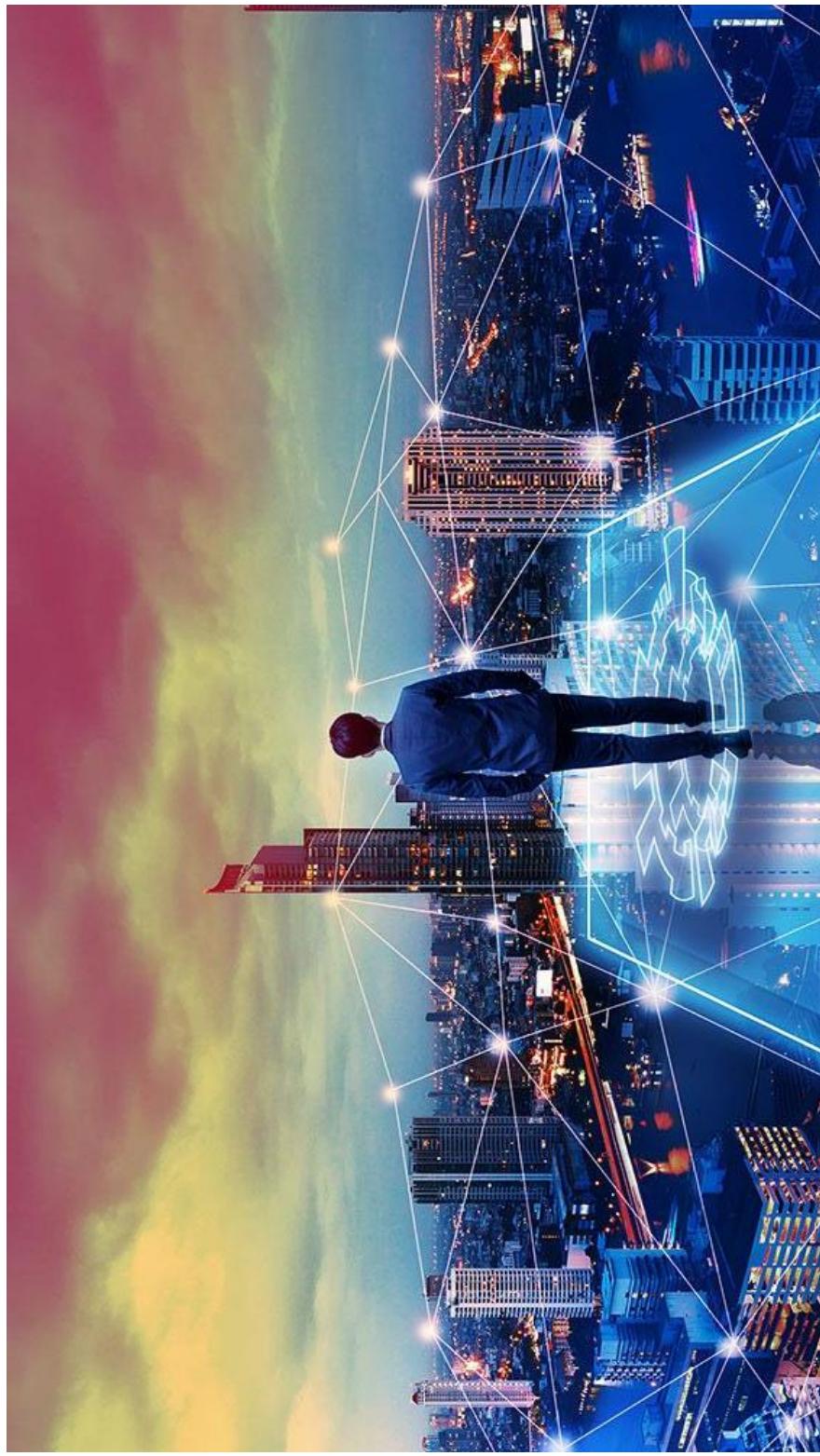


COURSE OVERVIEW

L: 3 T:1 P:0 Credits:4

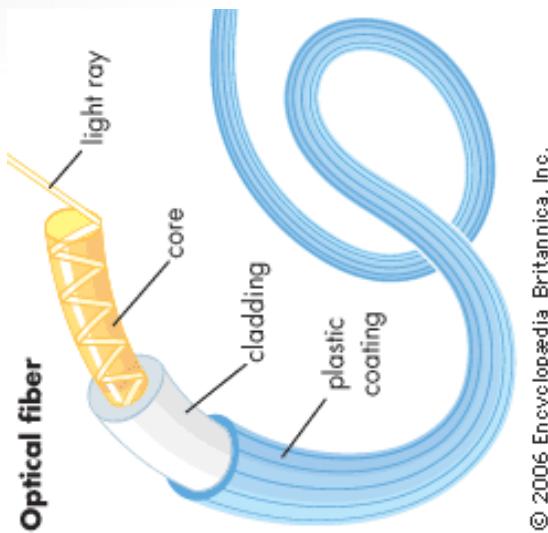
- Unit 1: Electromagnetic theory
- Unit 2: Lasers and applications
- Unit 3: Fiber optics
- Unit 4: Quantum mechanics
- Unit 5: Waves
- Unit 6: Solid state physics

Unit-3: Fiber optics



Unit-3: Fiber optics

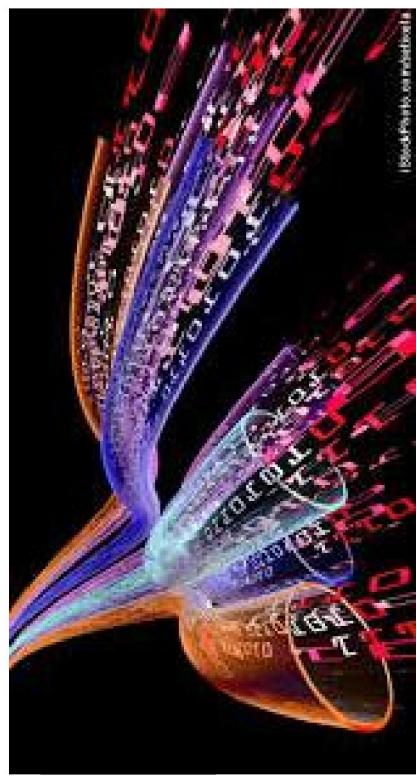
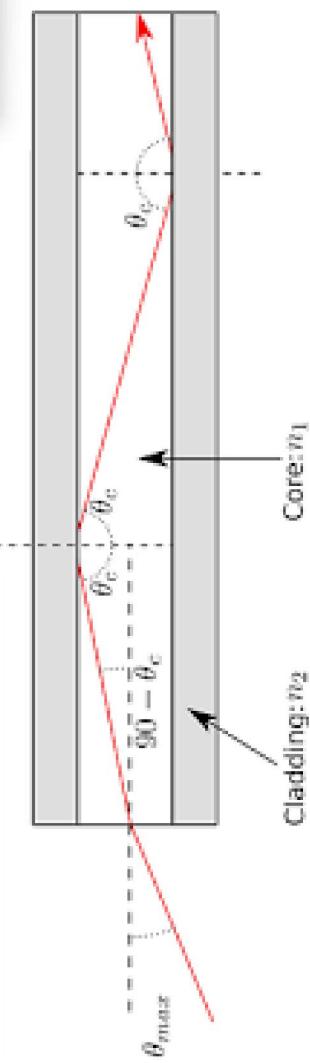
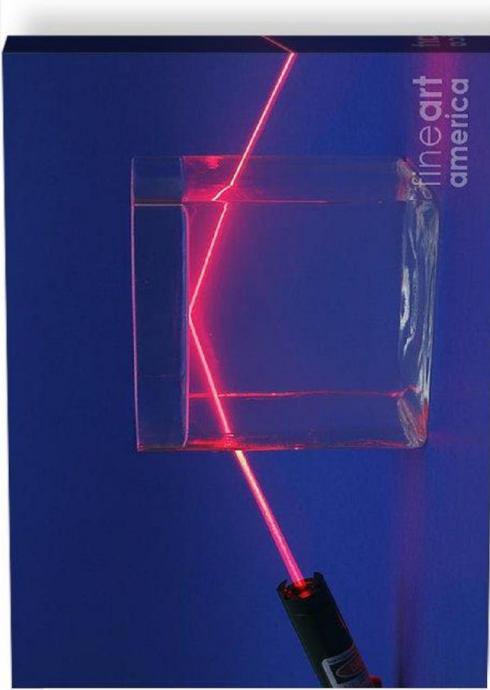
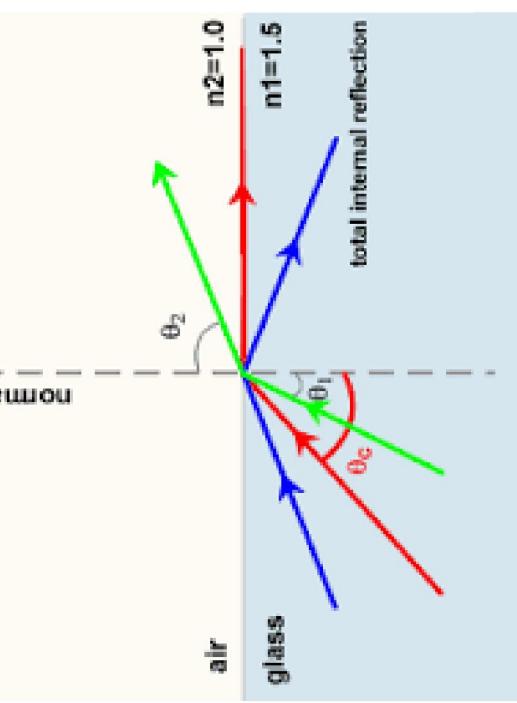
- Introduction to optical fiber
- Optical fiber as a dielectric wave guide
- Total internal reflection
- Acceptance angle & Numerical aperture
- Relative refractive index
- V-number
- Step index and graded index fibers
- Losses associated with optical fibers
- Application of optical fibers



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Refraction→TIR

Total internal reflection

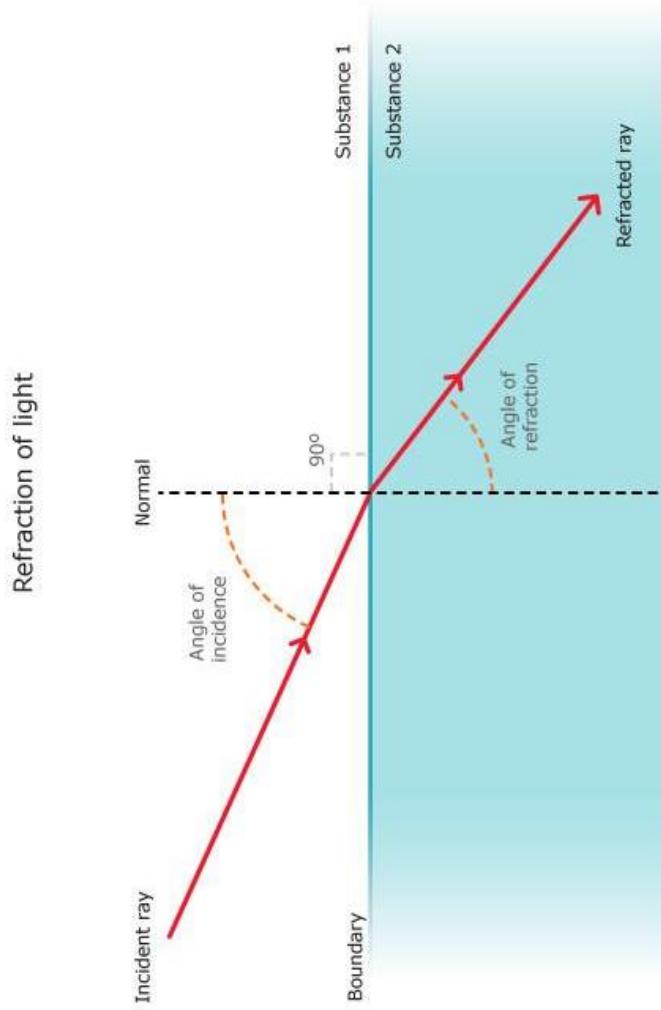


High speed data
transfer

CO3: discover the concepts of physics in understanding fiber optics

Key phenomena

- **Refraction:** phenomenon of light, being deflected in passing through the interface between one medium and another or through a medium of varying density



Refractive indices

- In optics, the **refractive index** or *index of refraction* of a material is a dimensionless number that describes how light propagates through that medium. It is defined as

$$\boxed{n = \frac{c}{v}}$$

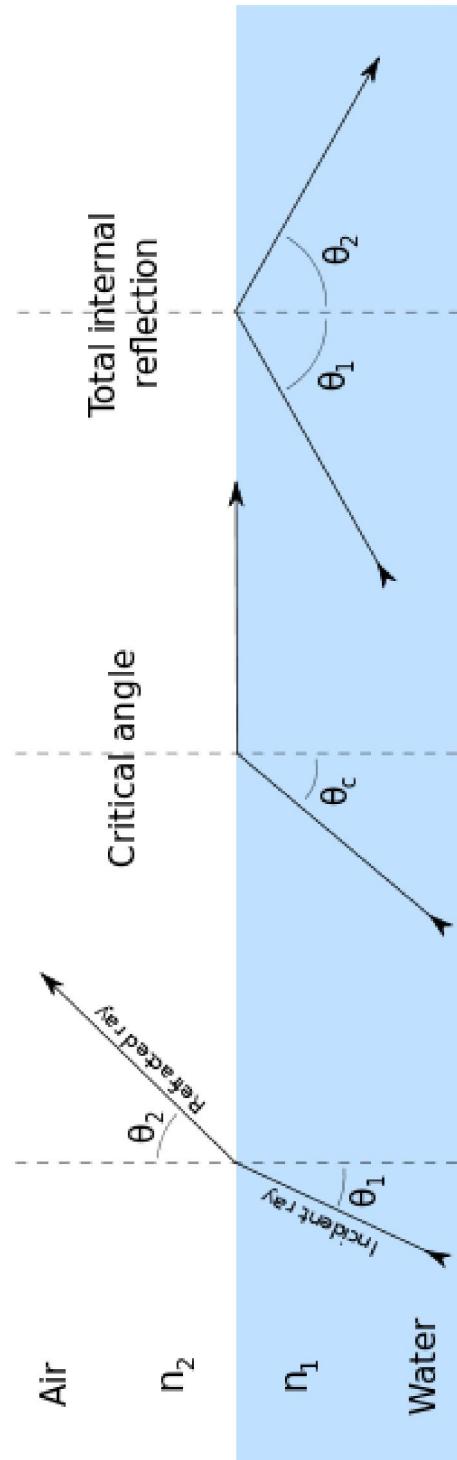
Where,

c is the speed of light in vacuum and

v is the phase velocity of light in the medium.

Critical angle

- The incident angle at which the angle of refraction is equal to 90° is called critical angle
- Glass core+plastic cladding has critical angle of 82°
- Which means light rays having incident angle more than 82° will get internal reflection



Introduction

- Many years, **radiowaves** and **microwaves** were being used as a carrier waves in communication systems
- However, **energy of light waves gets dissipated in open atmosphere**, hence cannot travel long distance
- Hence, guiding channel is required (just like a metal wire is required to guide electrical current)
- Firstly, in **1960 first ever** fibre optical telecommunication was conceptualized with the help of laser

Introduction

- Hence the purpose is solved by optical fiber
- Def: a very thin glass or plastic cable designed to **guide light waves** along the length of the fiber
- As long as the refractive index of the fiber is greater than that of its surrounding medium, the light will undergo total internal reflections to travel at the opposite end of the fiber

Introduction

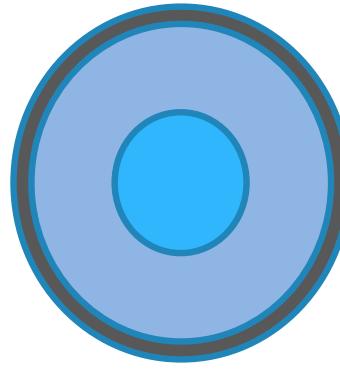
- Uses glass, plastic, threads or fibres to transmit data

Core (n_1) [glass]

Cladding (n_2) [optical material]

Sheath [plastic protecting material]

$n_1 > n_2$ (total internal reflection)



Dielectric Waveguide

- An optical fibre is a dielectric waveguide with a **very high bandwidth**
- A **Waveguide** that consists of a **Dielectric** material surrounded by another **dielectric** material, such as air, glass, or plastic, with a lower refractive index
- It guides electromagnetic waves in an optical spectrum, the same way as microwaves are guided by rectangular or cylindrical metallic waveguides
- An optical fibre confines the propagating waves inside it by utilizing the property of total internal reflection of light from a dielectric interface

Relative refractive index

- Fractional refractive index

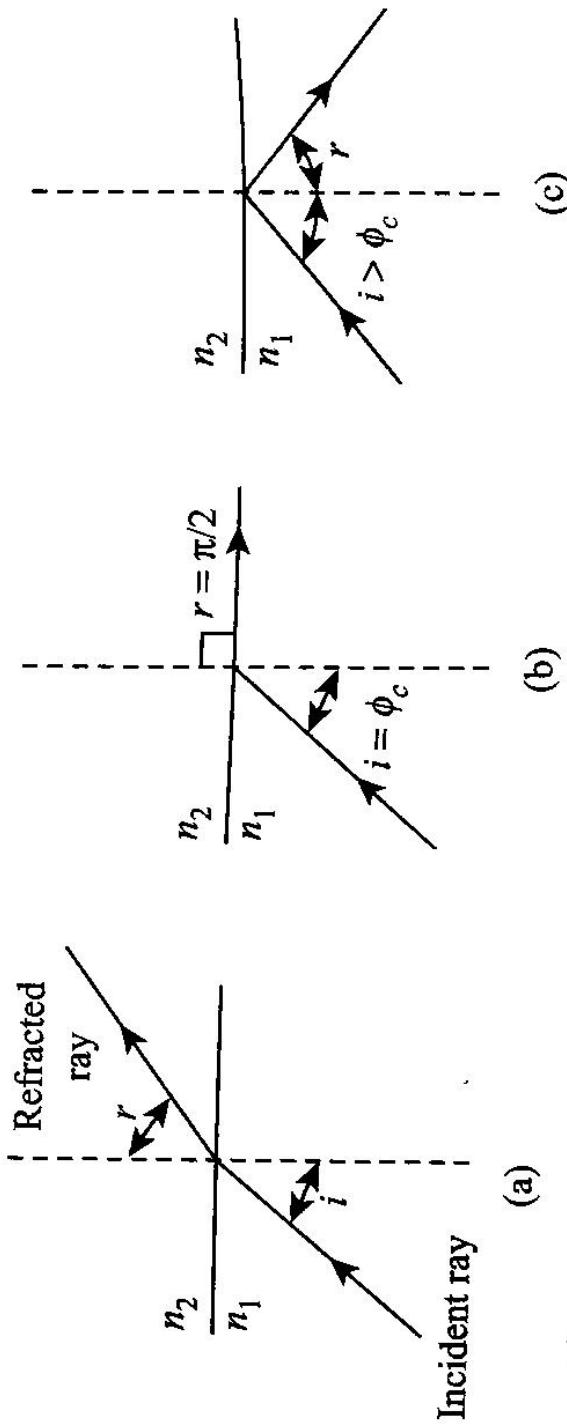
- If the refractive index of the core material is n_1 and that of cladding material is n_2 , a quantity Δn_r is defined as,



Total internal reflection

- Refraction is governed by Snell's law
- Def: Phenomenon of re-entering of the refracted ray into the medium from which the ray incident on the interface originated is called *total/ internal reflection*

$$n_1 \sin(i) = n_2 \sin(r)$$

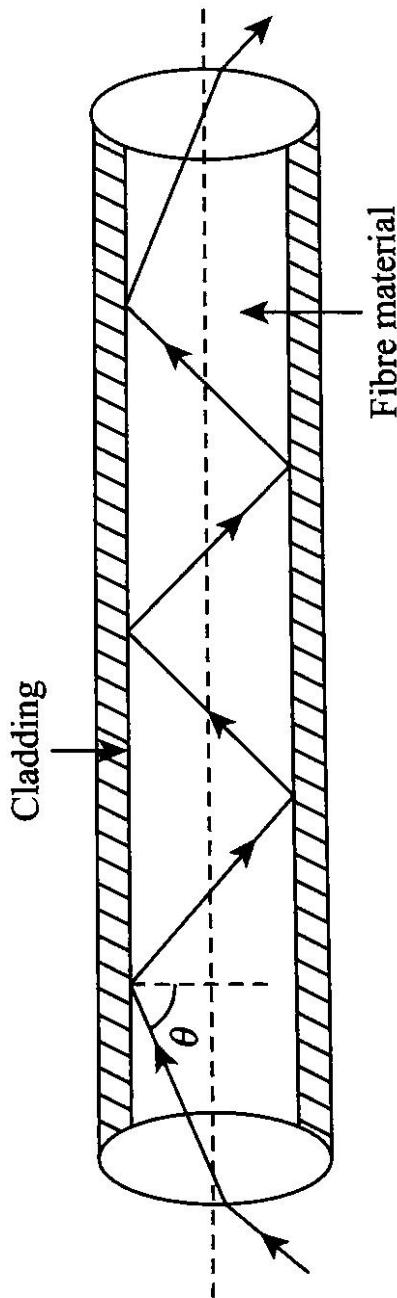


Total internal reflection

- Snell's law for TIR

$$\sin(i = \theta_c) / \sin(r = 90) = n_2/n_1$$

$$\sin(\theta_c) = n_2/n_1$$



Acceptance angle

- $\Phi = (\pi/2) - \theta$
- Acceptance angle = Half angle α_m (corresponding to θ_c)

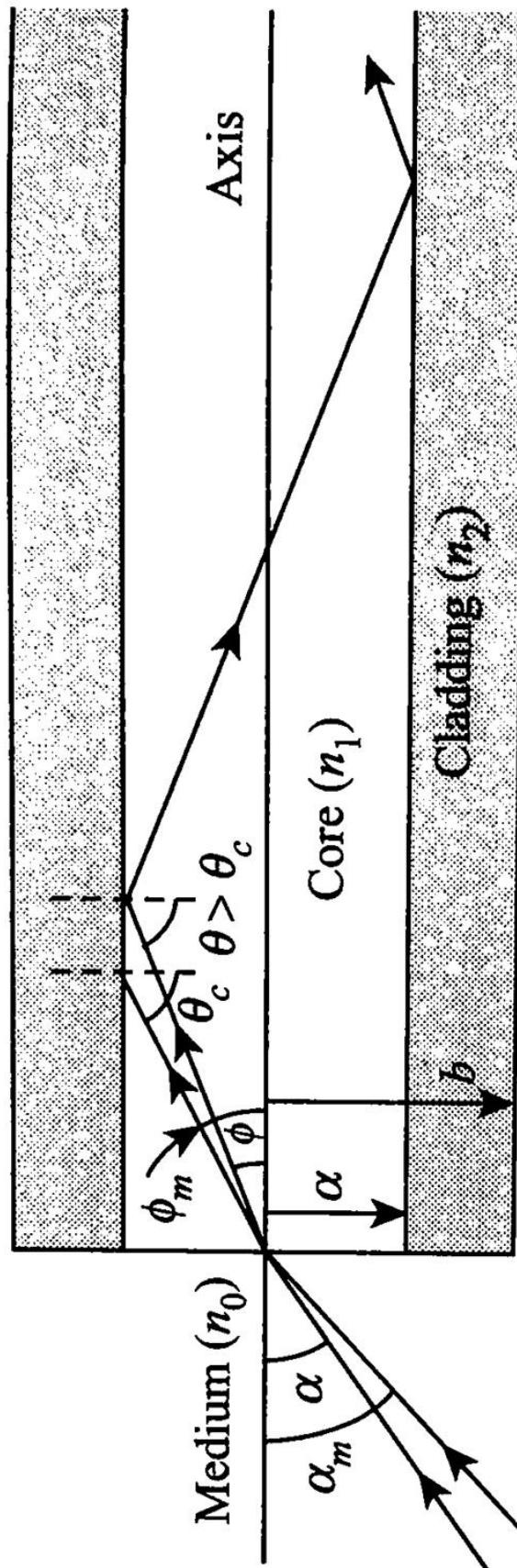
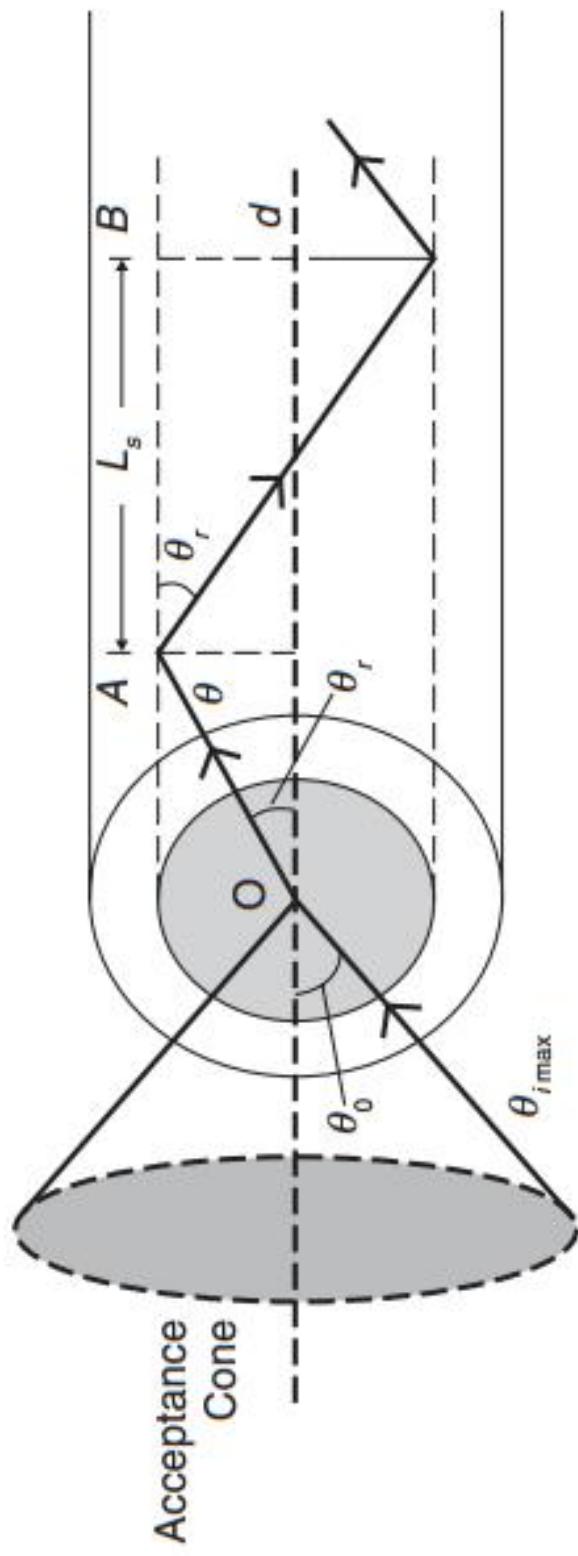
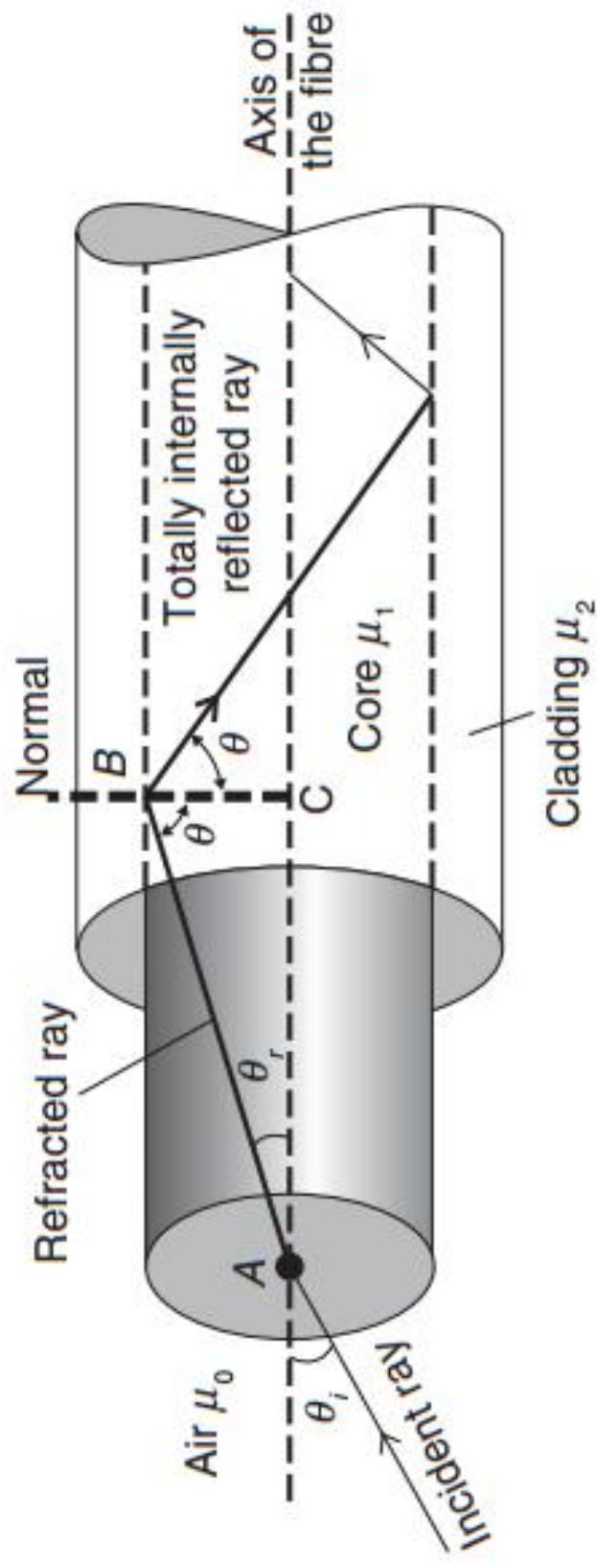


Fig. 5.3 Propagation of light in optical fibre

Acceptance cone

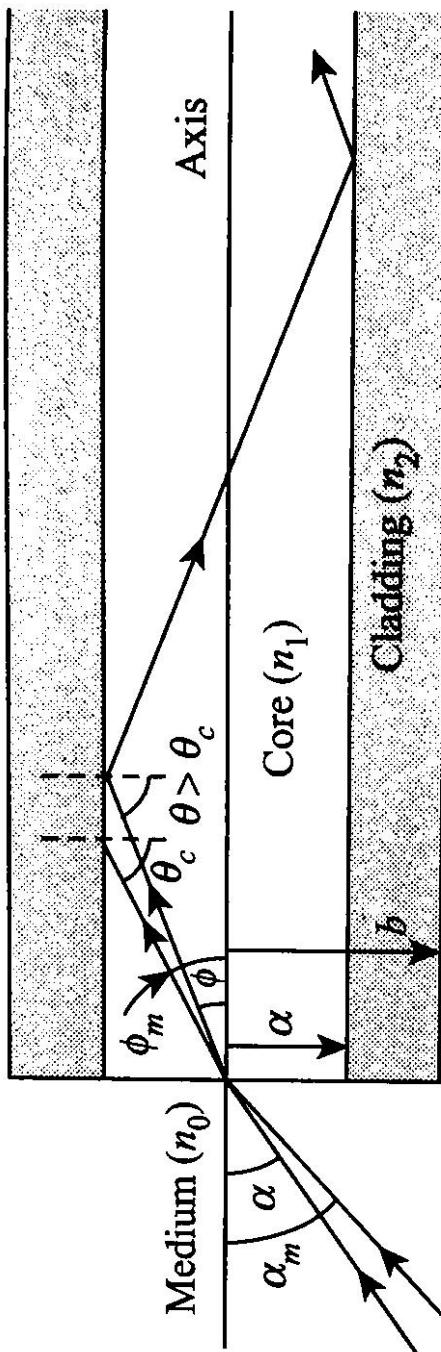


Acceptance angle



Numerical aperture & Acceptance angle

- Application of Snell's law at the core-air interface



$$n_0 \sin \alpha = n_1 \sin \phi$$

$$n_0 \sin \alpha_m = n_1 \sin \phi_m$$

$$\phi_m = \frac{\pi}{2} - \theta_c$$

The use of Eq. (5.6) in Eq. (5.5) yields the following expression:

$$n_0 \sin \alpha_m = n_1 \cos \theta_c \quad (5.7)$$

We can write that

$$\cos \theta_c = [1 - \sin^2 \theta_c]^{1/2} \quad (5.8)$$

The use of Eq. (5.3) in Eq. (5.8) leads to the following expression:

$$\cos \theta_c = \left[1 - \frac{n_2^2}{n_1^2} \right]^{1/2}$$

which gives the following relation:

$$\cos \theta_c = \frac{(n_1^2 - n_2^2)^{1/2}}{n_1} \quad (5.9)$$

Substitution of Eq. (5.9) into Eq. (5.7) results in the following expression:

$$n_0 \sin \alpha_m = n_1 \frac{(n_1^2 - n_2^2)^{1/2}}{n_1}$$

which implies that

$$n_0 \sin \alpha_m = (n_1^2 - n_2^2)^{1/2} \quad (5.10)$$

The term $n_0 \sin \alpha_m$ is called the *numerical aperture (NA)* for an optical fibre. The numerical aperture decides the light-gathering capacity of a fibre. Thus, we can write the following expression:

Numerical aperture

$$NA = (n_1^2 - n_2^2)^{1/2} \quad (5.11)$$

Let us define a quantity called relative refractive index difference Δ by the following expression:

$$\Delta = \frac{n_1^2 - n_2^2}{2n_1^2} \quad (5.12)$$

The use of Eq. (5.12) in Eq. (5.11) leads to the following relation:

$$NA = n_1 \sqrt{2\Delta} \quad (5.13)$$

Numerical aperture is a measure of the quantity of light that can be collected by an optical fibre. The light-gathering capability of an optical fibre increases with an increase in its numerical aperture. From Eqs (5.10) and (5.11), it is clear that $NA = \sin \alpha_m$ for $n_0 = 1$. Since the maximum value of $\sin \alpha_m$ can be 1, NA cannot exceed 1. For $\alpha_m = 90^\circ$, $NA = 0$; that is, the fibre completely reflects the incident light. Numerical apertures of practical optical fibres generally fall in the range of 0.2–1.

Numerical

- (1) for an optical fibre with a glass core ($n_1=1.5$) and a fused quartz cladding ($n_2=1.46$), determine the (1) critical angle, (2) acceptance angle and (3) NA. The source to fibre medium is air

Types of optical fibres

Classified into three major categories based on
following parameters

- A. Raw material of the fibre
- B. Number of modes of propagation of signal
- C. Refractive index profile

Types of optical fibres

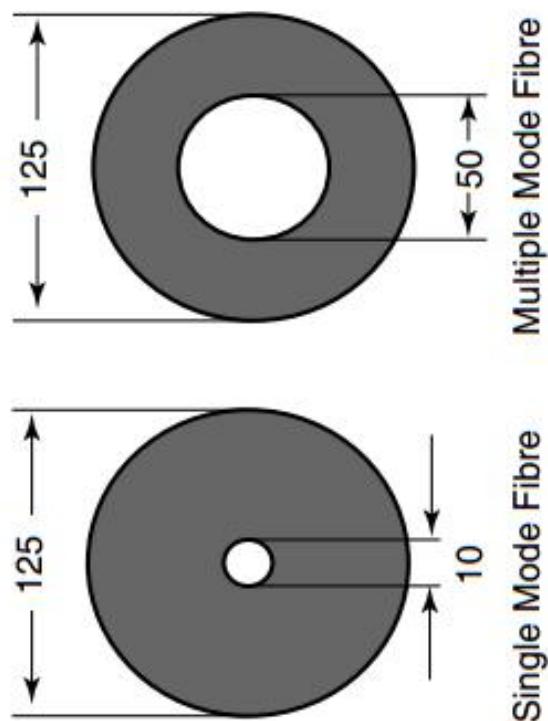
A. Raw material of the fibre

1. Glass (if the optical fibre is made by fusing mixture of metal oxides and silica glasses...known as a glass fibre)eg: $\text{GeO}_2\text{-SiO}_2$ core and SiO_2 clad, SiO_2 core and $\text{P}_2\text{O}_3\text{-SiO}_2$ clad
2. Plastic (Polystyrene and acrylate compound used to make...) inexpensive, highly flexible, tough, long life...possessed more attenuation compared to glass fibres...eg. Polystyrene core and methylmethacrylate clad, polymethyl-methacrylate core and co-polymer clad

Types of optical fibres

B. Number of modes of propagation of signal

1. Single mode optical fibre
2. Multimode optical fibre



Single mode optical fibre

- Is designed to carry only one signal of light
- This signal may contain different range of WLS
- Typical core diameter: 8-10 μm
- Cladding diameter: 125 μm
- Small difference in the refractive indices of core and cladding
- Only laser light can be used as a signal which propagates through single mode optical fiber
 - Long distance
 - Low attenuation losses

Multimode optical fibre

- More than one signal can be propagated
- Advantageous over single mode fiber
- Large core diameter makes it easier to connect such multimode fiber cables (end-to-end connections)
- Mostly used for communication over shorter distances
- Data rates: 10 Mbit/s to 10 Gbit/s (upto 600m)

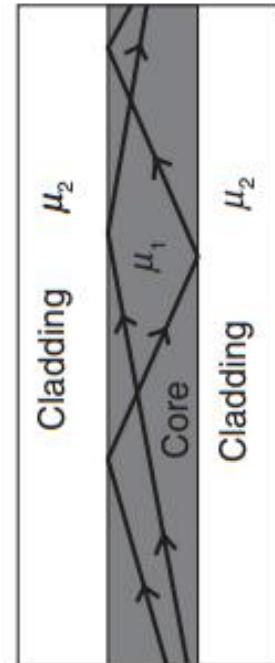
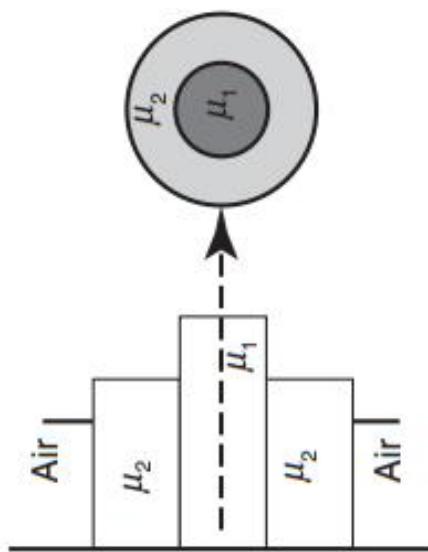
Types of optical fibres

C. Refractive index profile

1. step index optical fibre
2. graded index optical fibre

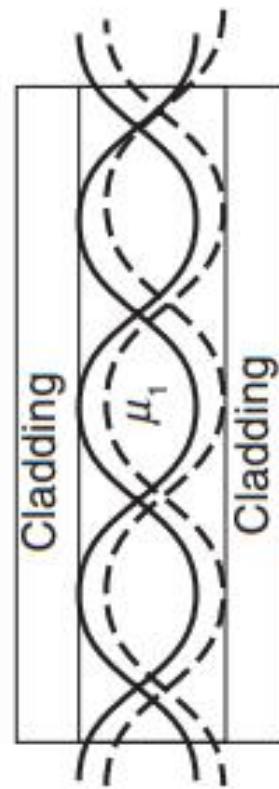
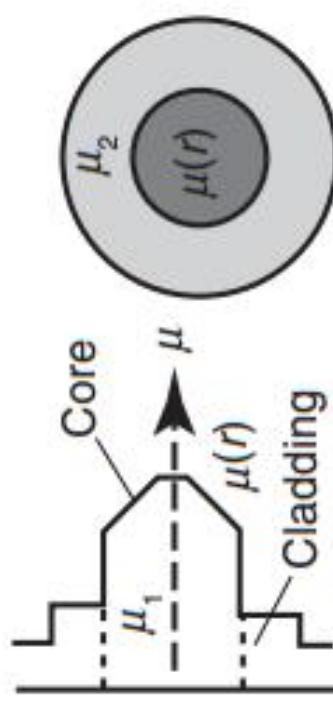
Step index optical fibre

- Core diameter $2a$
 - Cladding diameter $2b$
 - Refractive index has a step function profile over radial axis
 - NA: 0.2-0.29
- $2a = 50\text{-}100 \mu\text{m}$
- $2b = 118\text{-}140 \mu\text{m}$



Graded index optical fibre

- Overcomes-Multipath dispersion (will discuss in losses)
 - The refractive index at the core-cladding interface changes gradually
 - Light rays follow a helical path
 - High bandwidth
 - Low distortion
- $$2a = 50\text{--}62.5 \mu\text{m}$$
- $$2b = 125 \mu\text{m}$$



Further classifications

- Step index-single mode (SISM) 10/120 m
 - Small NA
 - Negligible dispersion
 - High bandwidth
 - High cost
 - Under sea installation, submarine cables, long distance communication

Further classification are

- Step index-multimode (SIMM) 200/300 μm
 - Large NA
 - High dispersion
 - Low bandwidth
 - Suffer from inter-mode dispersion loss
 - Low cost

Further classification are

- Graded index-multimode (GIMM) 200/250 μm
 - Reduced losses
 - Low attenuation
 - Medium bandwidth
 - Small NA
 - Cost high
 - Intercity trunk between telephone offices

V-number

- Def: a normalized frequency parameter, which determines the number of modes in a step-index fiber
 - Unit less quantity
 - Often used in the context of step-index fibers

$$V_n = \pi \frac{d}{\lambda} NA = \frac{\pi d}{\lambda} \sqrt{\mu_1^2 - \mu_2^2}$$

where

- λ is the wavelength
- d is the diameter of the fiber core
- NA is the numerical aperture

V-number

- For V values below ≈ 2.405 , a fibre supports only one mode, single mode optical fibre
- Multimode fibers can have much higher V numbers. For large values, the number of supported modes of a step-index fiber can be calculated approximately as

$$m_m = \frac{V_n^2}{2}$$

Types of rays

1. Meridional
 - Plane of propagation contains axis of the optical fibre
 - Even under TIR ray will continue to travel in that plane
2. Skew
 - In which the plane of propagation does not contain axis of optical fibre