



# Generative Entity Typing with Curriculum Learning



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## Introduction

### Task: Entity typing

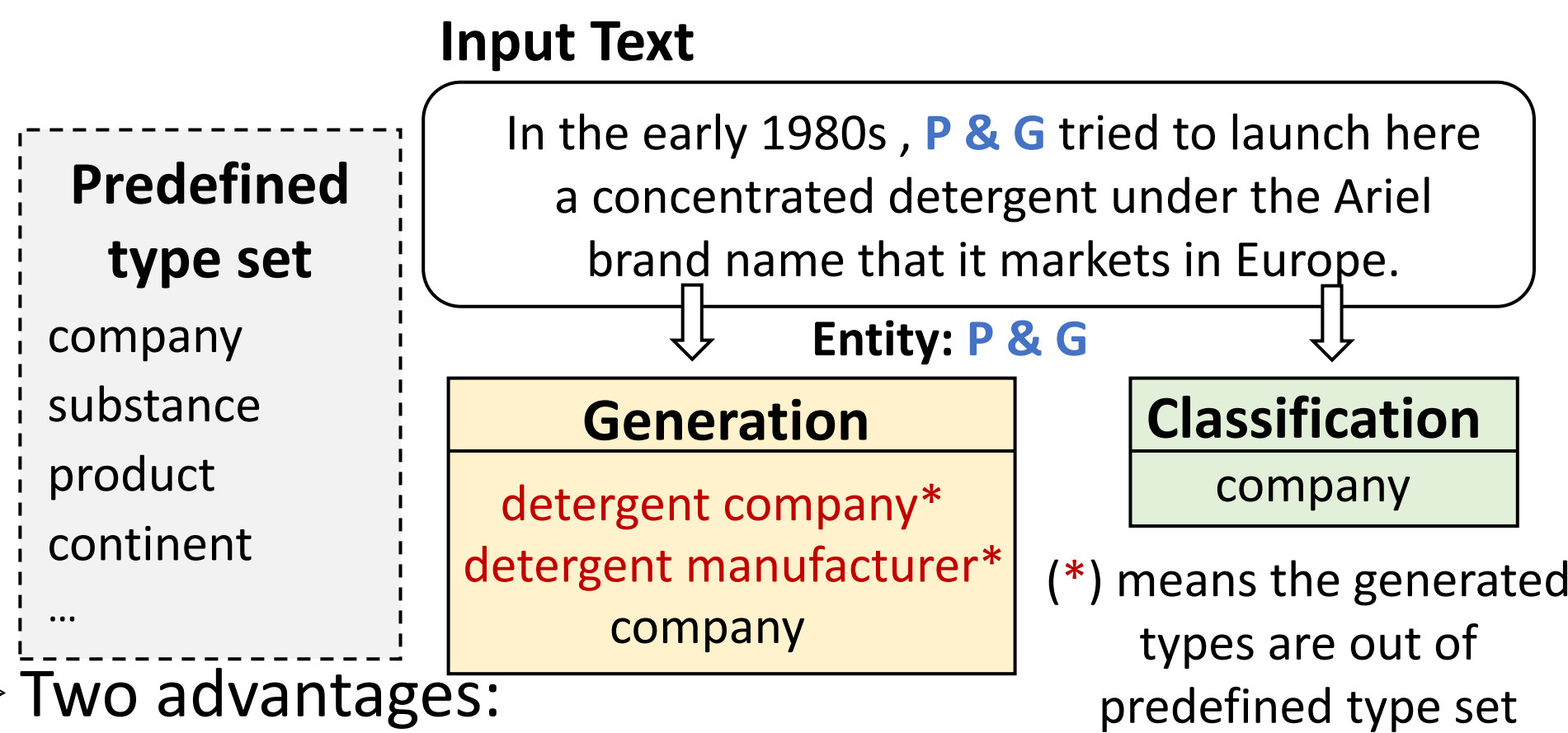
- Aims to assign types to the entity mentions in given texts.

### The drawbacks of pervious work

- Closed Type Set**: Cannot assign the entity to the types out of the predefined set.
- Few-shot Dilemma for Long-tail Types**: Hardly handle few-shot and zero-shot issues.

### Solution: Generative Entity Typing

- Generate types with a pre-trained language model from given a text with an entity mention.



### Two advantages:

- Open Type Set**: more open types for entity mentions
- Conceptual Reasoning Capability**: handle the few-shot and zero-shot dilemma well

## Challenges & Contribution

### Challenge 1: Fine-grained Types Generation

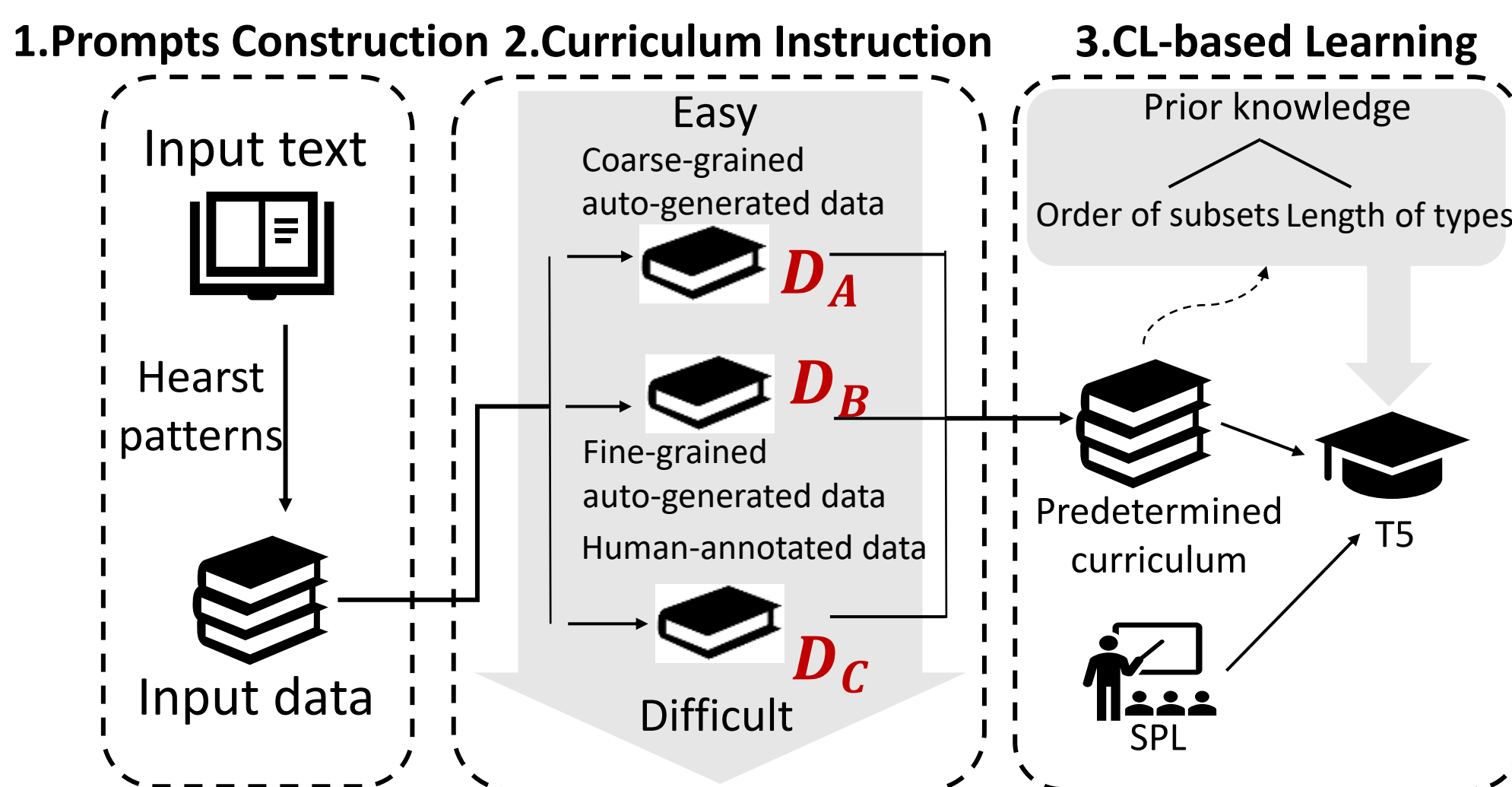
- How to guide the PLMs to generate **high-quality and fine-grained types** for entities is crucial.

### Challenge 2: Heterogeneous data

- How to train the PLMs to generate desirable types on these **low-quality heterogeneous**.

### Solution: Curriculum Learning

- Better learn heterogeneous data by ordering the training samples based on **their quality and difficulty**.
- CL can control the order of using training subsets from **coarse-grained and lower-quality** ones to **fine-grained and higher-quality** ones.



## CL-based GET

### Prompts Construction

- Construct the prompts in cloze format from the Hearst patterns

### Curriculum Instruction

- It is more difficult for PLMs to fit the samples of fine-grained types.
- Coarse-grained auto-generated data => *type length=1*
- Fine-grained auto-generated data => *type length ≥ 2*
- Human-annotated data => *ultra fine-grained types*

Whole training data  
 $D = D_A \cup D_B \cup D_C$

### CL-based Learning (T5 backbone)

- A fixed curriculum ignores the feedback from the training process => adopt **Self-paced Learning (SPL)**

- Loss function of one sample*  $D_k^{(i)} = \langle X^{(i)}, M^{(i)}, T_k^{(i)} \rangle \Rightarrow L(D_k^{(i)}) = L_{CE}(T_k^{(i)}, f(X^{(i)}, \theta, M^{(i)}))$

- The training objective:  $\min_{\theta, \nu} E(\theta, \nu; \lambda) = \sum_{i=1}^N \sum_{k=1}^{K^{(i)}} \nu_k^{(i)} L(D_k^{(i)}) + g(\nu; \lambda)$

- The binary variable  $\nu_k^{(i)} \in [0, 1]$   $\lambda = \mu\lambda, \mu > 1$

$$\nu_k^{(i)} = \begin{cases} 1, & L(D_k^{(i)}) < \lambda \\ 0, & L(D_k^{(i)}) \geq \lambda \end{cases} \quad g(\nu; \lambda) = - \sum_{i=1}^N \sum_{k=1}^{K^{(i)}} \nu_k^{(i)} \Rightarrow$$

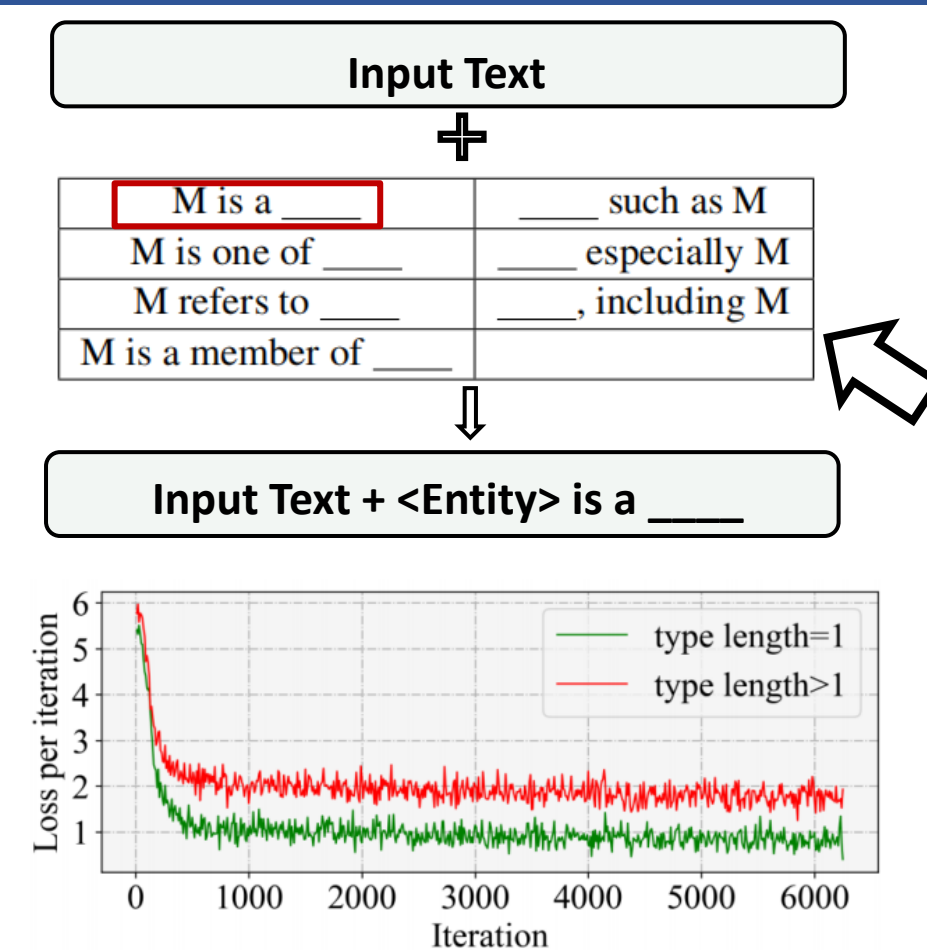
More samples **with larger losses** are gradually incorporated

- Expect the model to be trained according to the predetermined curriculum => adopt **prior knowledge**

$$\gamma(D_k^{(i)}) = \begin{cases} 1, & \text{if } D_k^{(i)} \in D_A \\ 2, & \text{if } D_k^{(i)} \in D_B \\ 3, & \text{if } D_k^{(i)} \in D_C \end{cases} \quad \text{length}(T_k^{(i)}) \Rightarrow w(D_k^{(i)}) = \text{length}(T_k^{(i)}) \times \gamma(D_k^{(i)})$$

$$L(D_k^{(i)}) = L_{CE}(T_k^{(i)}, f(X^{(i)}, \theta, M^{(i)})) \times w(D_k^{(i)})$$

Order of subsets    Length of types



## Experiment

### Datasets: 4 dataset

### Metrics:

- CT #  $\Rightarrow$  The number of correct types
- Len.  $\Rightarrow$  The average length of types
- Precision, Relative Recall, Relative F1

### RQ1: Can GET improve the task performance? A1: Yes

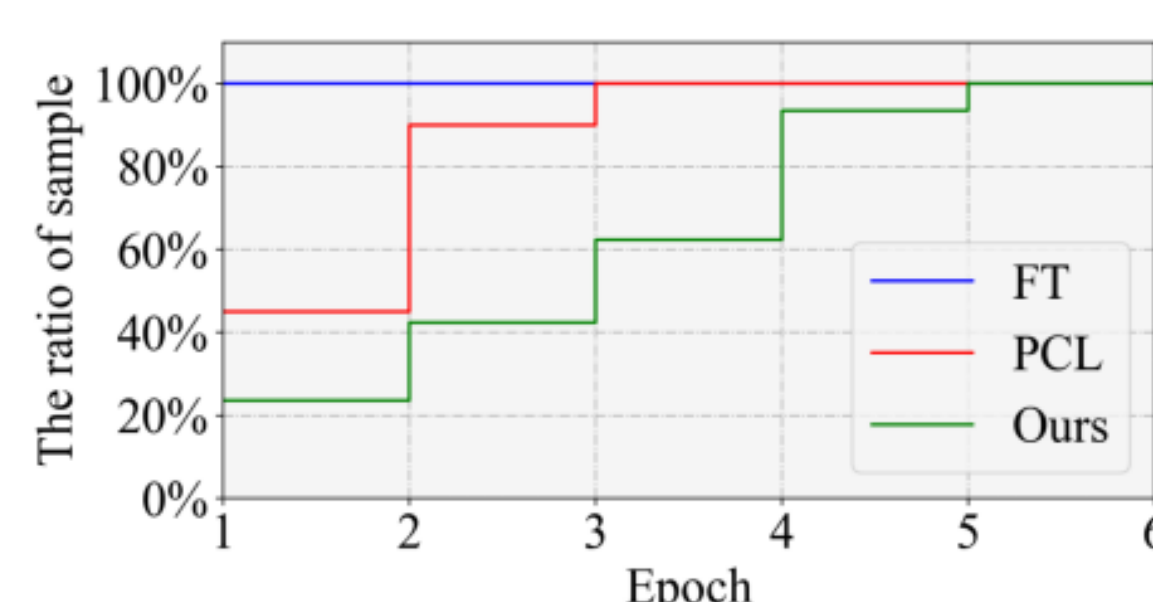
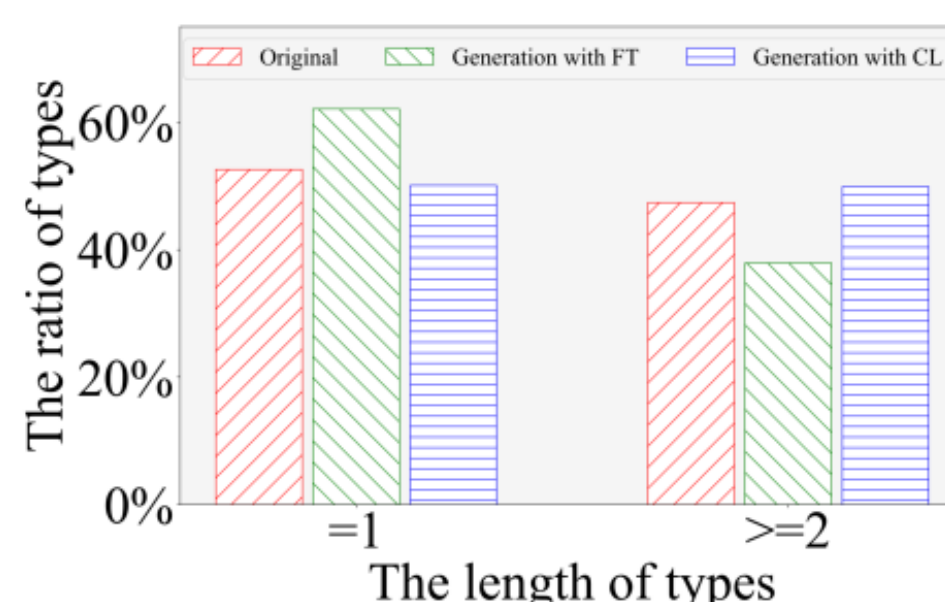
Model	BNN				FIGER			
	CT #	Prec.	R-Recall	R-F1	CT #	Prec.	R-Recall	R-F1
Zhang et al. (2018)	555	58.10%	50.49%	54.03%	348	62.00%	49.85%	55.26%
Lin and Ji (2019)	534	55.90%	48.58%	51.98%	353	62.90%	50.57%	56.07%
Xiong et al. (2019)	558	58.40%	50.75%	54.31%	350	62.30%	50.09%	55.53%
Ali et al. (2020)	697	73.00%	63.43%	67.88%	399	<b>71.00%</b>	57.08%	63.29%
Chen et al. (2020)	718	75.20%	65.35%	69.93%	388	69.10%	55.56%	61.59%
Zhang et al. (2021)	732	76.70%	66.65%	71.32%	394	70.10%	56.36%	62.48%
Li et al. (2021)	668	69.90%	60.74%	65.00%	397	70.60%	56.76%	62.93%
Ours	<b>875</b>	<b>82.30%</b>	<b>79.62%</b>	<b>80.94%</b>	<b>444</b>	66.20%	<b>63.52%</b>	<b>64.83%</b>

Model	Ultra-Fine			
	CT #	Prec.	R-Recall	R-F1
Xiong et al. (2019)	782	50.30%	24.28%	32.75%
Onoe and Durrett (2019) ELMo	884	51.50%	27.44%	35.81%
Onoe and Durrett (2019) BERT	884	51.60%	27.44%	35.83%
López and Strube (2020)	915	43.40%	28.41%	34.34%
Onoe et al. (2021)	1039	52.80%	32.26%	40.05%
Liu et al. (2021b)	1042	54.50%	32.35%	40.60%
Dai et al. (2021)	1213	53.60%	37.66%	44.24%
Ours	<b>1275</b>	<b>87.10%</b>	<b>39.58%</b>	<b>54.43%</b>

### RQ2: How do CL improve GET performance?

- Let the model **pay more attention** to fine-grained types.
- the former subsets can be regarded as a **pre-training process** that helps model optimization and **regularizes the training on the later subsets**.

Model	Dataset	Chinese				English			
		CT #	Prec.	R-F1	Len.	CT #	Prec.	R-F1	Len.
FT	Auto-generated data	690	84.46%	70.81%	2.80	870	75.85%	52.87%	1.48
PCL		646	91.76%	70.37%	2.75	864	85.97%	54.87%	1.32
SPL w/o PK		672	<b>92.18%</b>	72.22%	2.75	900	87.12%	56.66%	1.54
Ours	Human-annotated data	<b>714</b>	90.04%	<b>74.18%</b>	<b>2.86</b>	<b>928</b>	<b>87.14%</b>	<b>57.84%</b>	<b>1.62</b>
FT		383	72.54%	53.98%	<b>2.65</b>	352	84.82%	48.82%	1.72
PCL		370	77.24%	54.01%	2.64	<b>375</b>	88.03%	51.62%	1.69
SPL w/o PK		383	78.64%	55.59%	2.61	370	90.46%	51.53%	1.74
Ours		<b>409</b>	<b>83.64%</b>	<b>59.28%</b>	2.63	373	<b>90.75%</b>	<b>51.88%</b>	<b>1.82</b>



### RQ3: How do we adopt the typing generated from our GET model?

- Short Text Classification and Entity linking

Method	Prec.	Recall	F1
No type	72.92%	72.70%	72.47%
types (KG)	73.99%	73.17%	73.30%
types (Gen.)	<b>74.51%</b>	<b>73.41%</b>	<b>73.53%</b>

Dataset	Method	F1
AIDA	triples (KG.)	94.58%
	triples (Gen.)	<b>94.92%</b>
CoNLL-YAGO	triples (KG)	89.74%
	triples (Gen.)	<b>90.54%</b>