



# Explainable AI

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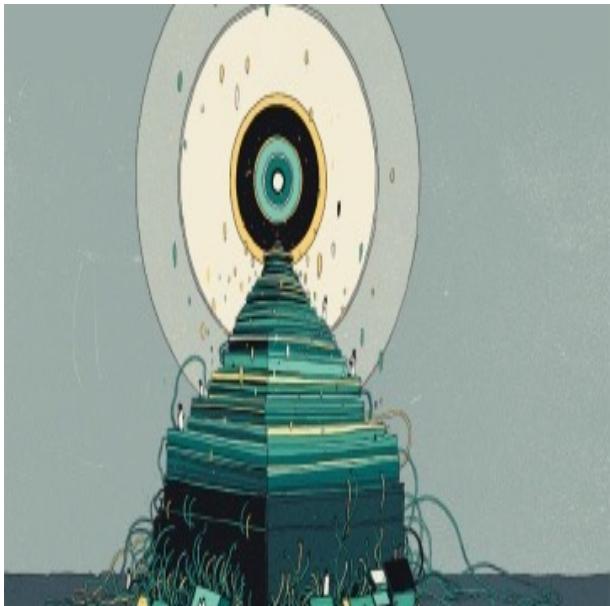
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# When and Why Model Understanding?

ML is increasingly being employed in complex high-stakes settings



# Safety to the Fore...



## The black box of AI

D. Castelvecchi, Nature, Vol. 538, 20, Oct 2016

*Machine learning is becoming ubiquitous in basic research as well as in industry. But for scientists to trust it, they first need to understand what the machines are doing.*

*Ellie Dobson, director of data science at the big-data firm Arundo Analytics in Oslo:*

- If something were to go wrong as a result of setting the UK interest rates, she says, “the Bank of England can’t say, the black box made me do it”.

# Explainability and Why It Is Important

**Fairness:** Ensuring that predictions are unbiased

**Privacy:** Ensuring that sensitive information in the data is protected

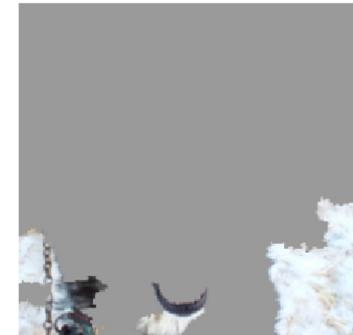
**Safety and Robustness:** Ensuring that small changes in the input do not lead to large changes in the prediction

**Causality:** Check that only causal relationships are picked up

**Trust:** It is easier for humans to trust a system that explains its decisions compared to a black box



(a) Husky classified as wolf



(b) Explanation

Figure 11: Raw data and explanation of a bad model’s prediction in the “Husky vs Wolf” task.

# Summary: Why Model Understanding?

## Utility

- Debugging
- Bias Detection
- Recourse
- If and when to trust model predictions
- Vet models to assess suitability for deployment

## Stakeholders

- End users (e.g., loan applicants)
- Decision makers (e.g., doctors, judges)
- Regulatory agencies (e.g., FDA, European commission)
- Researchers and engineers

# **Explainability Methods**

# A Survey of Methods for Explaining Black-box Models

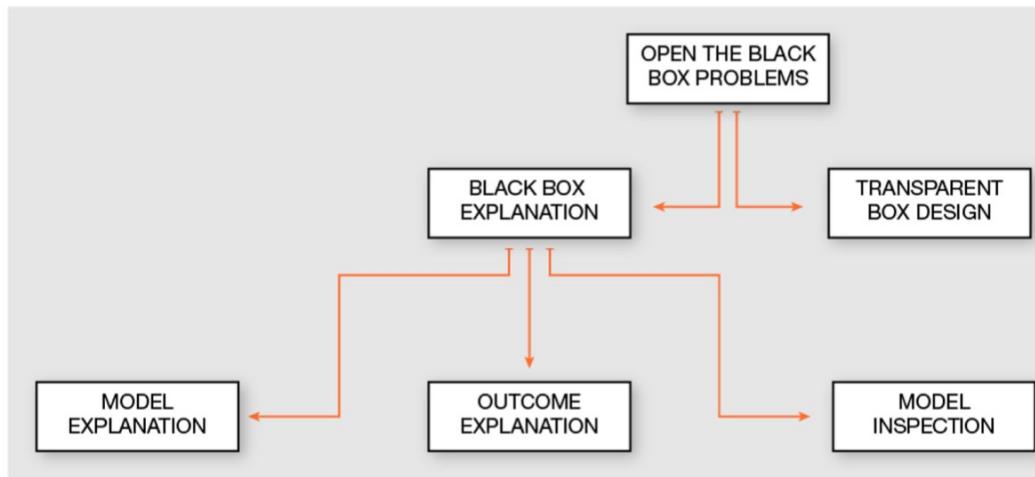
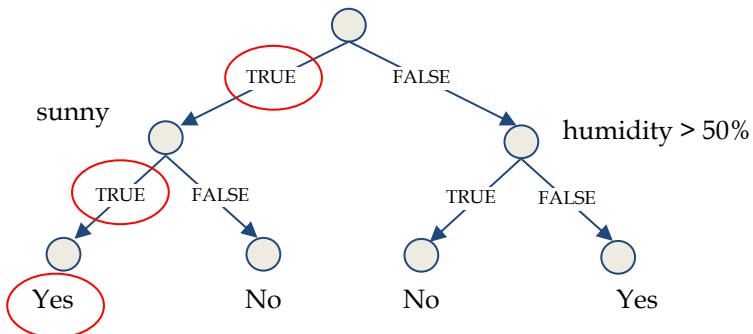


Fig. 4. Open the black box problems taxonomy. The *Open the Black Box Problems* for understanding how a black box works can be separated from one side as the problem of *explaining* how the decision system returned certain outcomes (*Black Box Explanation*) and on the other side as the problem of directly designing a *transparent* classifier that solves the same classification problem (*Transparent Box Design*). Moreover, the Black Box Explanation problem can be further divided among *Model Explanation* when the explanation involves the whole logic of the obscure classifier, *Outcome Explanation* when the target is to understand the reasons for the decisions on a given object, and *Model Inspection* when the target to understand how internally the black box behaves changing the input.

# Interpretable-by-Design (Transparent) Models

Should I play football outside?

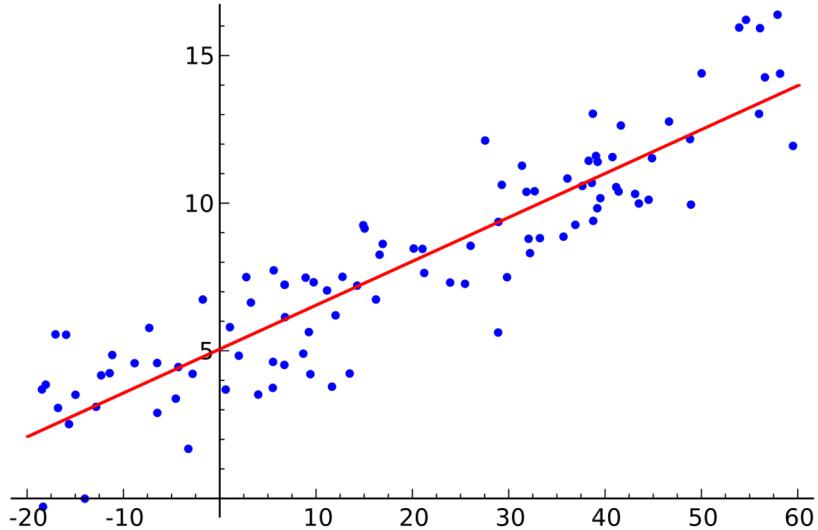
Outside temperature < 30°C



**Depth** = how many levels of decision

Too much depth makes the model **not interpretable**

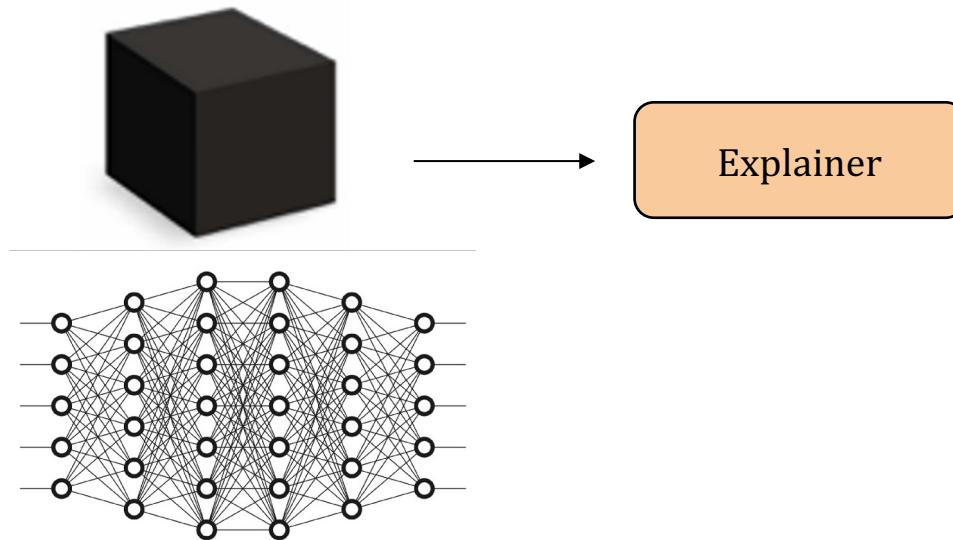
# Interpretable-by-Design (Transparent) Models



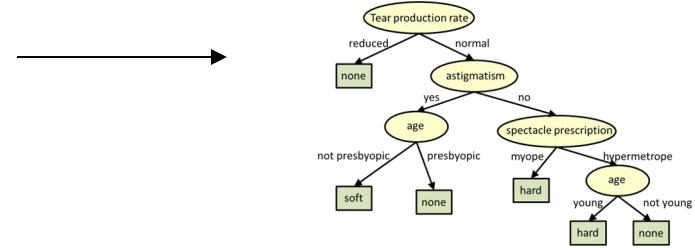
Even **linear** classifiers may be hard to interpret when dealing with high-dimensional problems

# Black-box Explanation

*Explain pre-built models in a post-hoc manner*



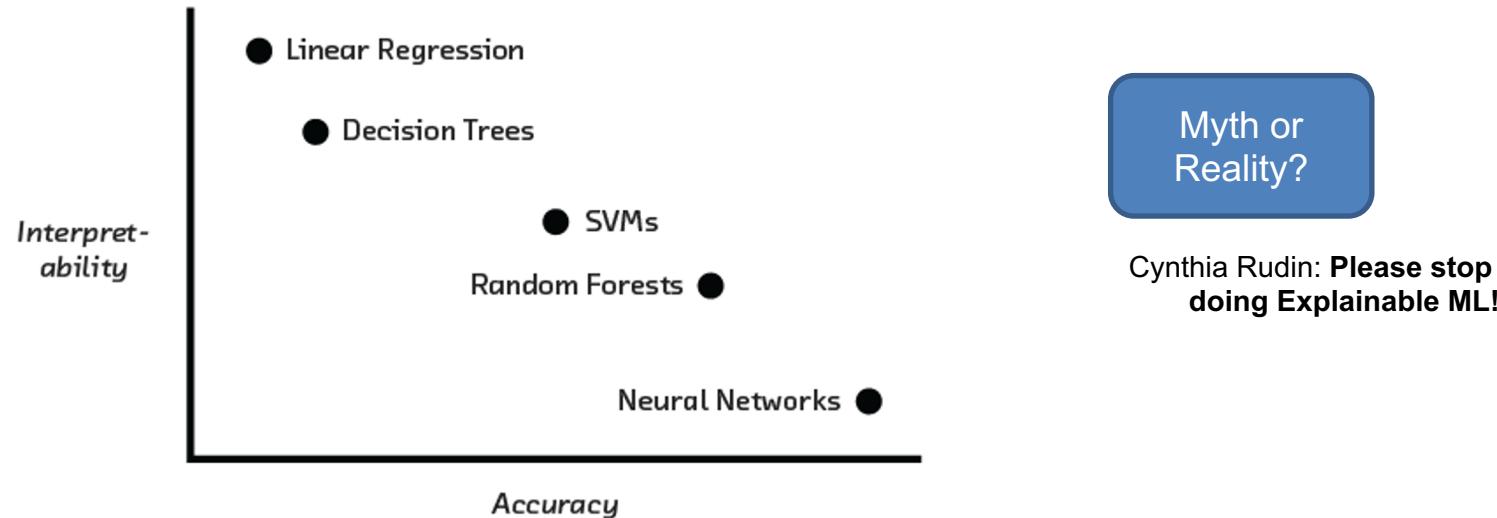
```
if (age = 18 – 20) and (sex = male) then predict yes  
else if (age = 21 – 23) and (priors = 2 – 3) then predict yes  
else if (priors > 3) then predict yes  
else predict no
```



Ribeiro et. al. 2016, Ribeiro et al. 2018; Lakkaraju et. al. 2019

# Interpretable-by-Design Models vs. Post-hoc Explanations

- In **certain** settings, accuracy-interpretability trade offs may exist



# A Survey of Methods for Explaining Black-box Models

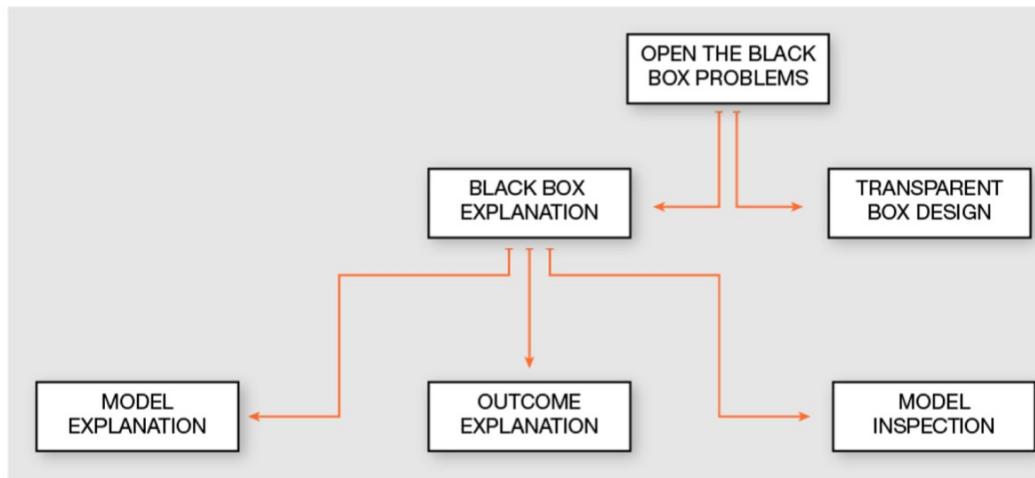
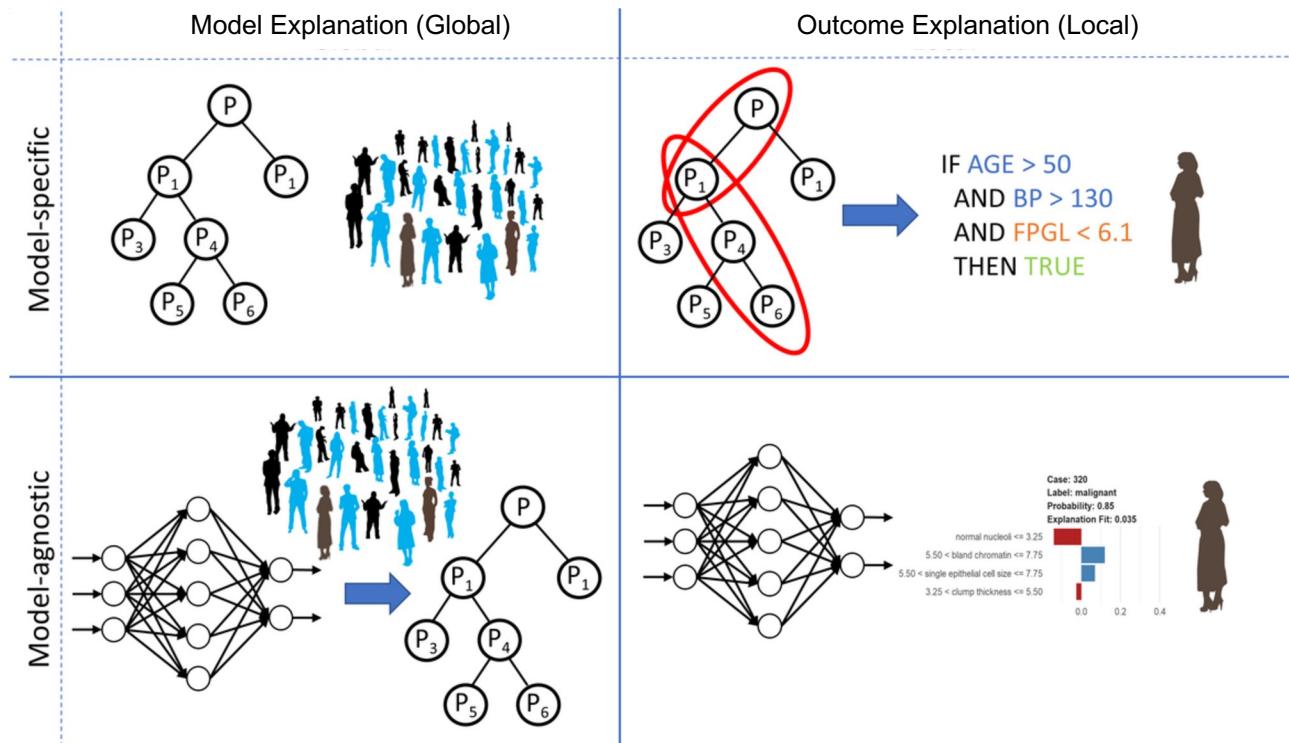


Fig. 4. Open the black box problems taxonomy. The *Open the Black Box Problems* for understanding how a black box works can be separated from one side as the problem of *explaining* how the decision system returned certain outcomes (*Black Box Explanation*) and on the other side as the problem of directly designing a *transparent* classifier that solves the same classification problem (*Transparent Box Design*). Moreover, the Black Box Explanation problem can be further divided among *Model Explanation* when the explanation involves the whole logic of the obscure classifier, *Outcome Explanation* when the target is to understand the reasons for the decisions on a given object, and *Model Inspection* when the target to understand how internally the black box behaves changing the input.

# Taxonomy of Explainability Methods



# Local Explanations vs. Global Explanations

Explain individual predictions

Explain complete behavior of the model

Help unearth biases in the *local neighborhood* of a given instance

Help shed light on *big picture biases* affecting larger subgroups

Help vet if individual predictions are being made for the right reasons

Help vet if the model, at a high level, is suitable for deployment

# Approaches for Post hoc Explainability

## Local Explanations

- Feature Importances
- Rule Based
- Saliency Maps
- Prototypes/Example Based
- Counterfactuals

## Global Explanations

- Collection of Local Explanations
- Representation Based
- Model Distillation
- Summaries of Counterfactuals

# Model-agnostic Methods

- **Black-box:** work by observing only input-output pairs



- **White-box:** access to model's internals (usually gradients)



# **Black-box Methods**

# LIME

Local linear approximation, weighting perturbed points by **proximity**

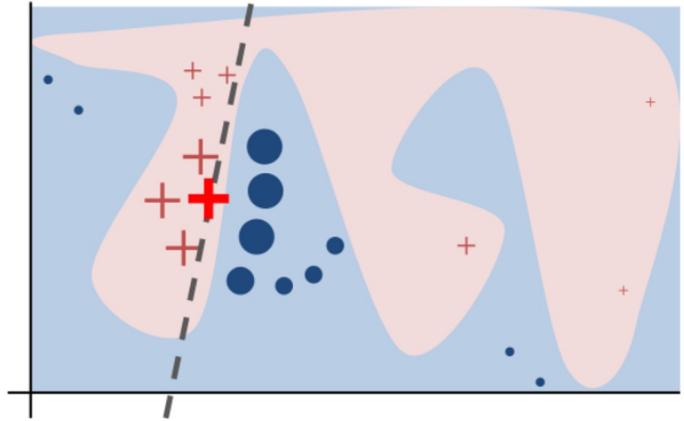
**Additive attribution** (each feature contributes additively to the outcome)

**Local fidelity**, i.e. explained features might differ from one sample to the other (as opposed to global explanations)

$$\xi(x) = \underset{g \in G}{\operatorname{argmin}} \mathcal{L}(f, g, \pi_x) + \Omega(g)$$

local approximation

↑  
family of interpretable models      ↑ regularization

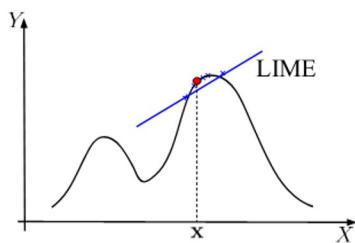


Ribeiro et al. "Why should I trust you?" Explaining the predictions of any classifier." ACM SIGKDD 2016.

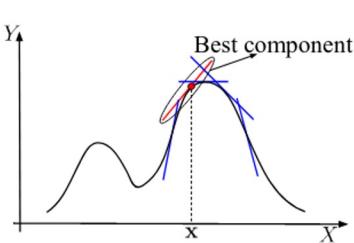
# LEMNA

**Fused lasso** (penalty that forces relevant/adjacent features to be grouped together to give meaningful explanations)

**Mixture regression model** (combines different linear models to approximate more complex functions)



(a) Linear regression model.



(b) Mixture regression model.

$$L(f(\mathbf{x}), y) = \sum_{i=1}^N \|f(\mathbf{x}_i) - y_i\|$$

subject to  $\sum_{j=2}^M \|\beta_{kj} - \beta_{k(j-1)}\| \leq S, k = 1, \dots, K$

fused lasso regularization

$$f(x) = \sum_{j=1}^K \pi_j (\beta_j \cdot x + \epsilon_j)$$

weighted sum of  $K$  linear models

# SHAP

**Additive attribution** method (like LIME)

Trains a model with and without subsets of features, compares the difference in performance (and then weight features based on all differences observed)

Finds out the **marginal contribution** of each feature and feature sets

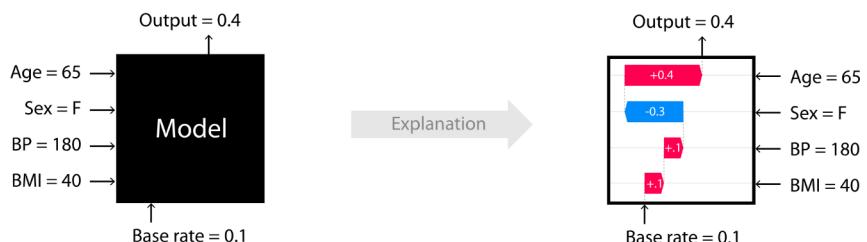
Weights the features by the **information they contain**, rather than the proximity

$$\phi_i(f, x) = \sum_{z' \subseteq x'} \frac{|z'|! (M - |z'| - 1)!}{M!} [f_x(z') - f_x(z' \setminus i)]$$

difference in outcome

subset of features

weighting term  
(how many features are in the subset)



base value				f(x)		
-0.337867	1.729202	3.796271	5.863339	7.93040	<b>8.822602</b>	9.997476
what a	great movie		ou have nc			

what a great movie! . . . if you have no taste .

# **White-box Methods**

# Explaining using Gradients

Compute **gradients of the output class**  
w.r.t. the input

- Can be unstable/not very informative!

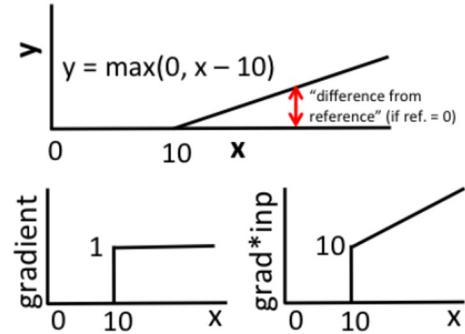
$$r_i = \frac{\partial y}{\partial x_i}$$



# Gradients x input, a.k.a. Linear Approximation

Decomposes the output on a specific input by backpropagating the contributions of all neurons to every feature

$$r_i = \frac{\partial y}{\partial x_i} x_i$$



# Integrated Gradients

Improves the linear approximation by referring to a **counterfactual baseline input**

Accumulates the gradients along the path

$$r_i = (x_i - x'_i) \int_0^1 \frac{\partial f_N(x' + \alpha(x - x'))}{\partial x_i} d\alpha$$

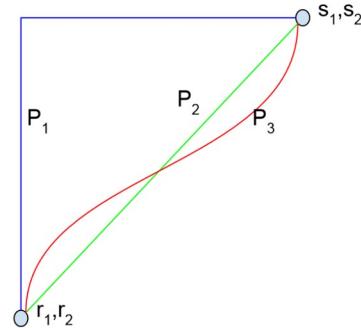
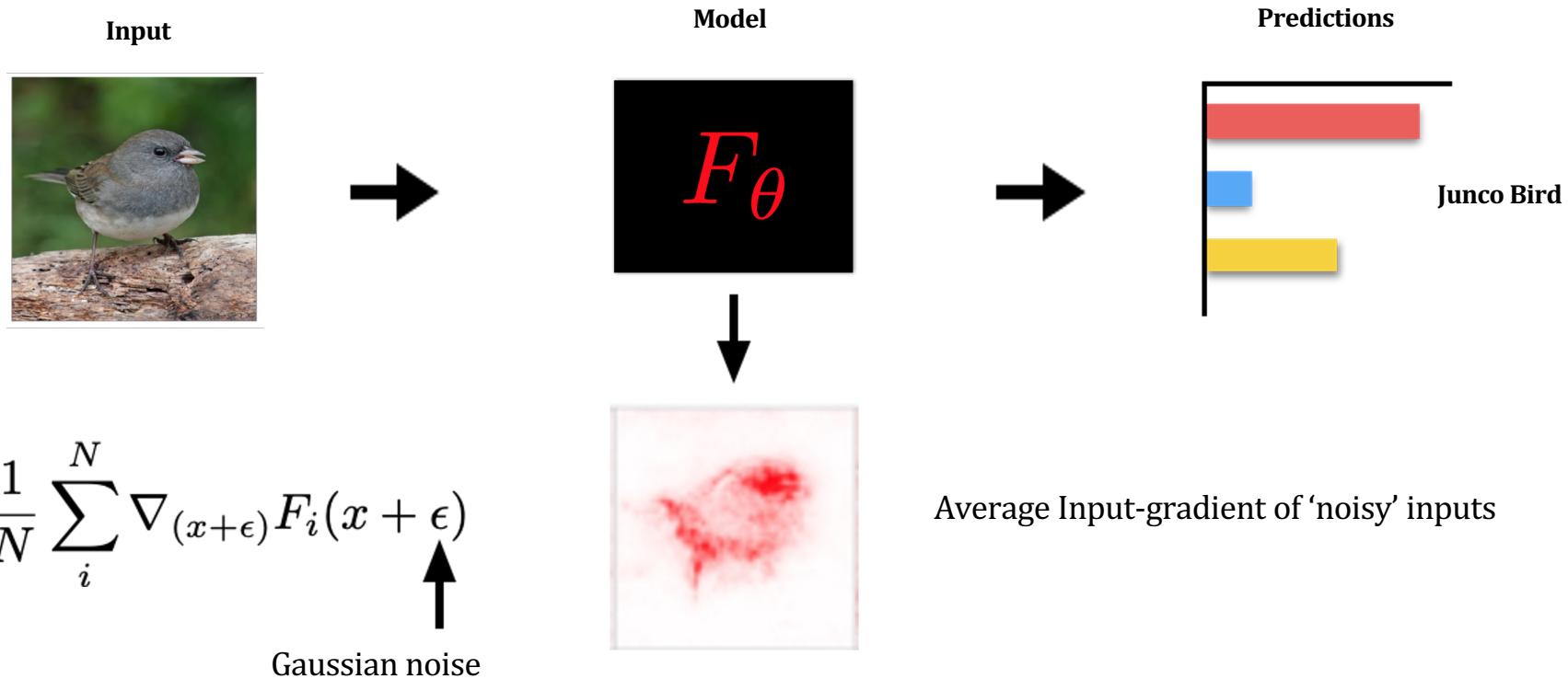


Figure 1. Three paths between an a baseline  $(r_1, r_2)$  and an input  $(s_1, s_2)$ . Each path corresponds to a different attribution method. The path  $P_2$  corresponds to the path used by integrated gradients.



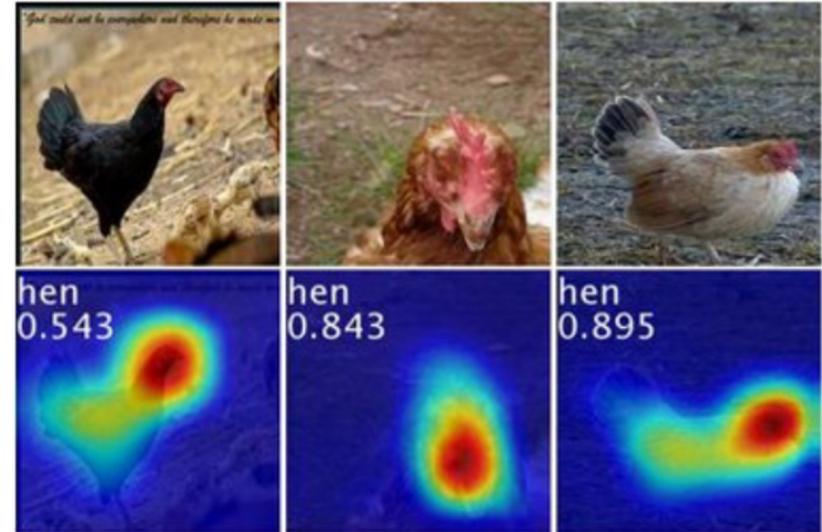
# SmoothGrad

Smilkov et. al. 2017



# Model Inspection: Class Activation Maps (CAM)

- Scale features from the last hidden layer with the weight connecting them to the desired output node
- Simple method, but often saturates and creates useless maps



# Model Inspection: Layer-wise Relevance Propagation (LRP)

- A map that assigns a value to each feature, representing the effect of that input being set to a reference value (usually zero), as opposed to its original value

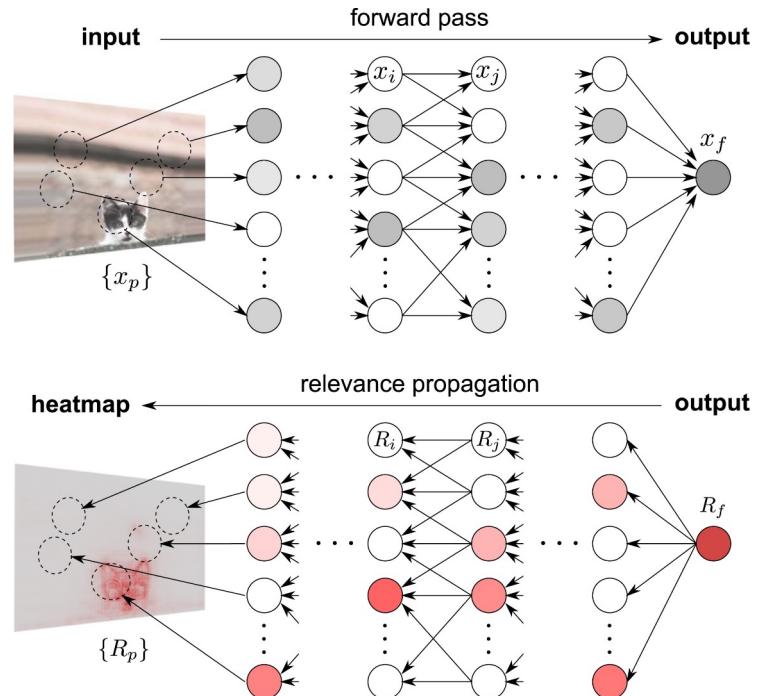
$$R_i^{(l)} = \sum_j \frac{z_{ij}}{\sum_{i'} z_{i'j}} R_j^{(l+1)}$$

with  $z_{ij} = x_i^{(l)} w_{ij}^{(l,l+1)}$

relevance at current layer

influence of the single neuron w.r.t. the sum of layer neurons

relevance at next layer



Bach et al. "On pixel-wise explanations for non-linear classifier decisions by layer-wise relevance propagation." PLoS one 2015.  
Image source: Montavon et al. "Explaining nonlinear classification decisions with deep taylor decomposition." Pattern Recognition, 2017.

# **Prototype-based Methods**

# Prototype-based methods

**Goal:** to identify training points most responsible for a given prediction

**Influence function:** how would the model's predictions change if we did not have this training point?

$$\hat{\theta}_{\epsilon, z} \stackrel{\text{def}}{=} \arg \min_{\theta \in \Theta} \frac{1}{n} \sum_{i=1}^n L(z_i, \theta) + \epsilon L(z, \theta)$$

$$\begin{aligned} \mathcal{I}_{\text{up}, \text{loss}}(z, z_{\text{test}}) &\stackrel{\text{def}}{=} \frac{dL(z_{\text{test}}, \hat{\theta}_{\epsilon, z})}{d\epsilon} \Big|_{\epsilon=0} \\ &= \nabla_{\theta} L(z_{\text{test}}, \hat{\theta})^\top \frac{d\hat{\theta}_{\epsilon, z}}{d\epsilon} \Big|_{\epsilon=0} \\ &= -\nabla_{\theta} L(z_{\text{test}}, \hat{\theta})^\top H_{\hat{\theta}}^{-1} \nabla_{\theta} L(z, \hat{\theta}). \end{aligned}$$

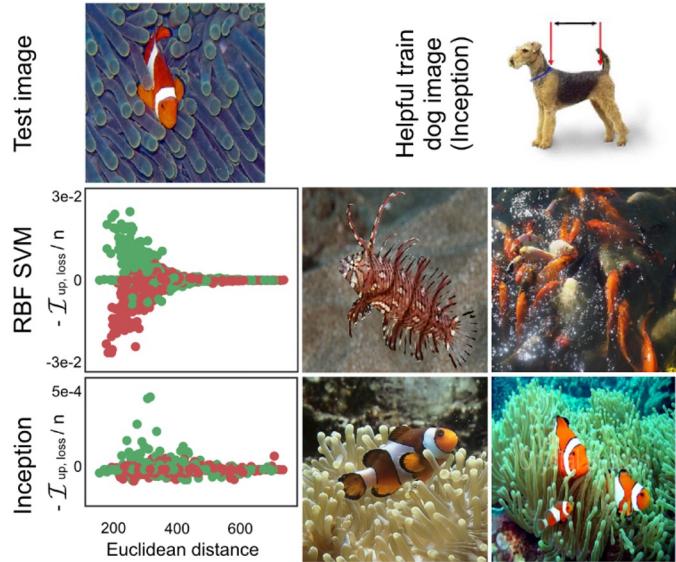


Figure 4. Inception vs. RBF SVM. Bottom left:  $-\mathcal{I}_{\text{up}, \text{loss}}(z, z_{\text{test}})$  vs.  $\|z - z_{\text{test}}\|_2^2$ . Green dots are fish and red dots are dogs. Bottom right: The two most helpful training images, for each model, on the test. Top right: An image of a dog in the training set that helped the Inception model correctly classify the test image as a fish.

# Counterfactual Explanations

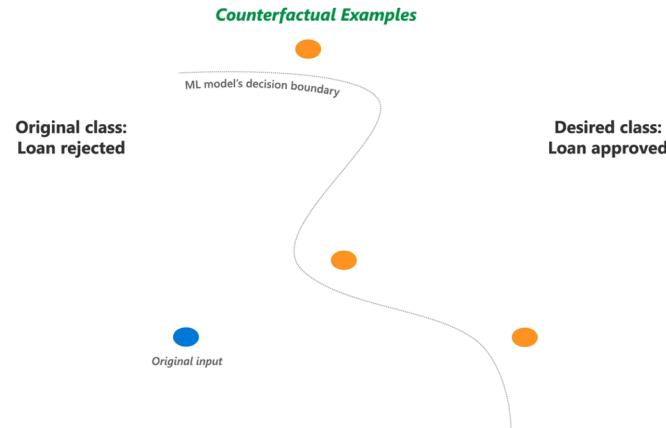
Hypothetical examples that show how to obtain a different prediction (using “intervention”)

Found with adversarial techniques

**Feasibility** of the counterfactual actions given user context and constraints

**Diversity** among the counterfactuals presented (different solutions)

$$\mathbf{c} = \arg \min_{\mathbf{c}} y \text{loss}(f(\mathbf{c}), y) + |\mathbf{x} - \mathbf{c}|$$



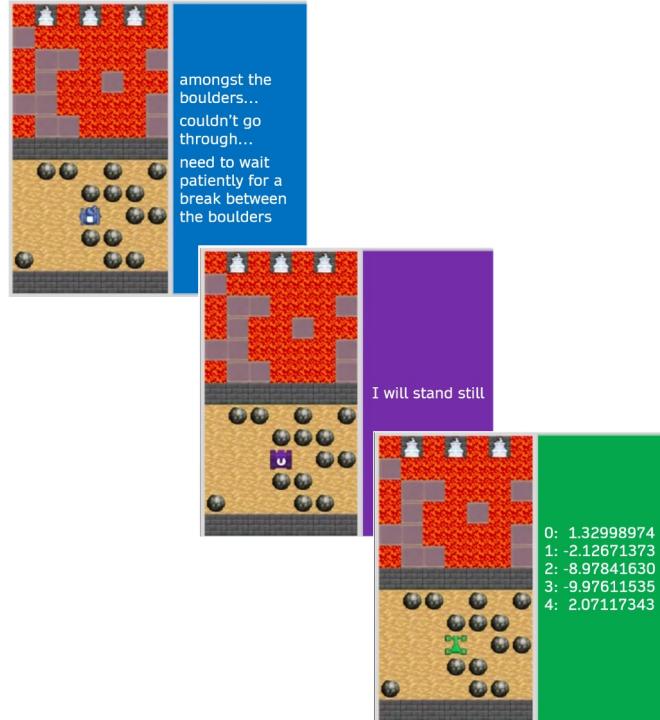
# **Final Remarks**

# Summary

- There is a great variety of explainability methods
- They have been tested **predominantly on images and text**
- but... there is no clear definition of what **explainability** is and how to measure it
  - How do you quantify if a method is “explainable”?
- Cynthia Rudin: **Please stop doing Explainable ML!**
  - <https://www.youtube.com/watch?v=l0yrJz8uc5Q>

# Human-centric xAI

- Study on how the explanations provided by AI are perceived by who opens the “black box”
- Studies how two different groups, with and without background in AI, **perceive** the explanations
- Aims towards **tailoring** the explanations to the public that is using them



Ehsan et al. "The who in explainable ai: How ai background shapes perceptions of AI explanations." arXiv:2107.13509, 2021.

# Limitations: Adversarial Attacks against Explanations

- Explanations are not robust to adversarial attacks
- The sample can be manipulated in a way that creates an **arbitrary explanation**



Dombrowski et al. "Explanations can be manipulated and geometry is to blame." NeurIPS 2019.

# Limitations: Yet Another Sanity Check...

