# Using Deception in Markov Game to Understand Adversarial Behaviors through a Capture-The-Flag Environment











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Subbarao Kambhampati<sup>1</sup>

#### **Objective**

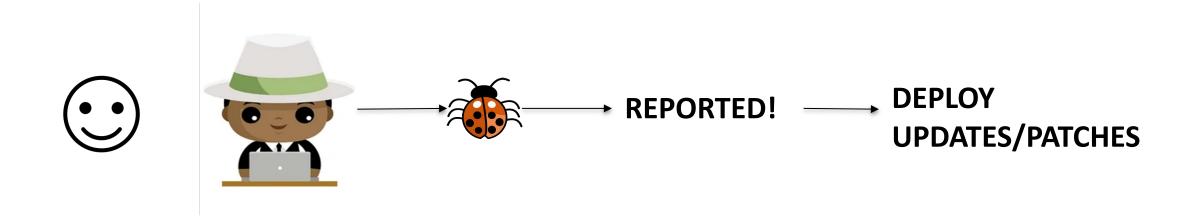
- Identifying real-world adversarial threats
- Advantage of deploying deception strategies
- Modeling the real-world attacker
- \* Role of game-theoretic decision models
- Understanding human attacker behaviors



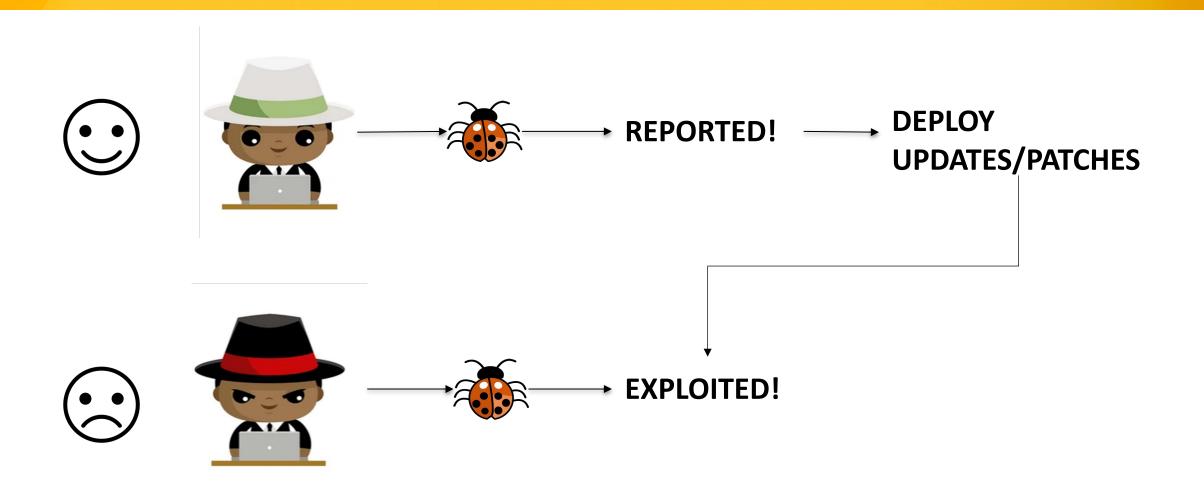
#### Agenda

- \* Reviewing Honey-Patching
- Setting up the user-study
- Deploying Honey-Patches as mitigations
- Modeling the adversary's attack graph
- \* Formulating the Markov Game model
- \* Computing the Bayesian Stackelberg Equilibrium

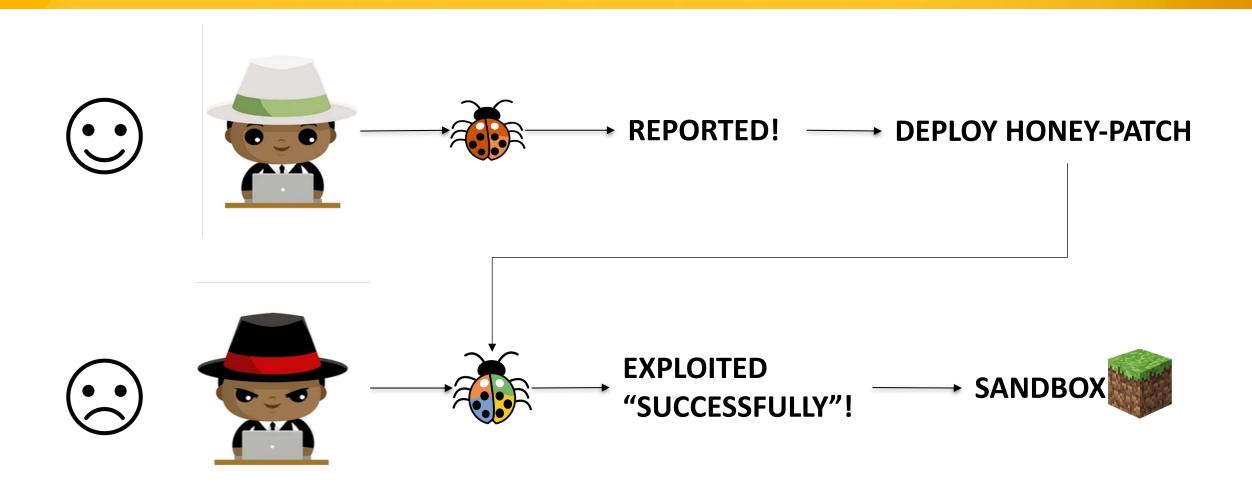
### **Traditional Solution to Mitigate Attacks**



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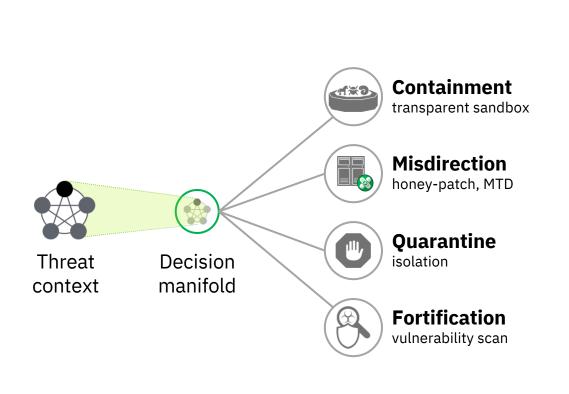
### **Using Deception as Defense**

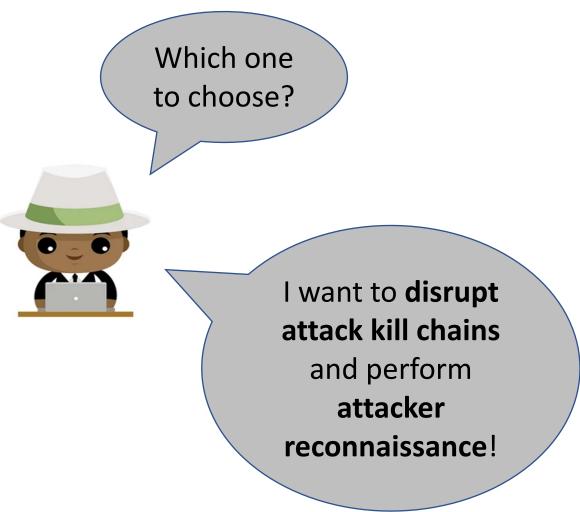


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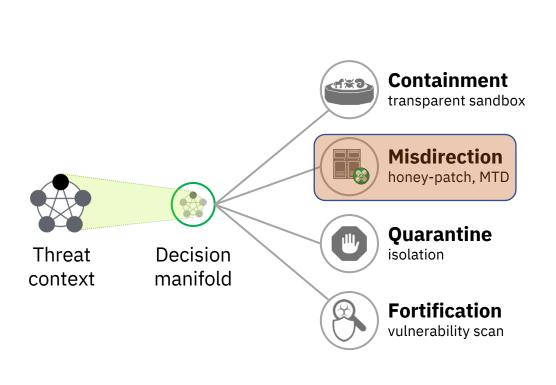
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#### **Automating Proactive Responses**





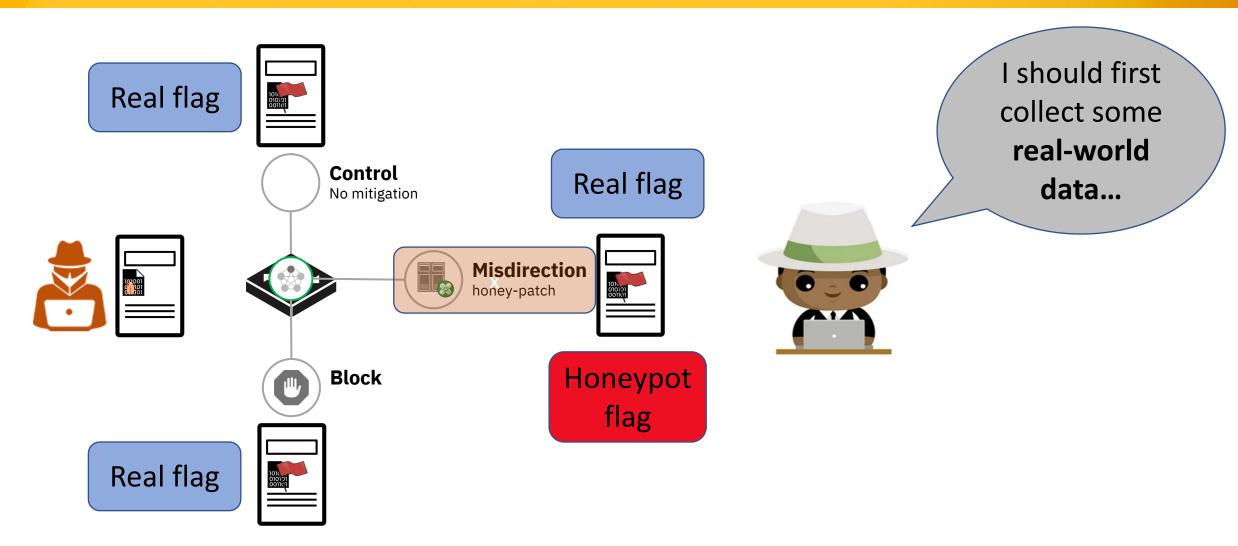
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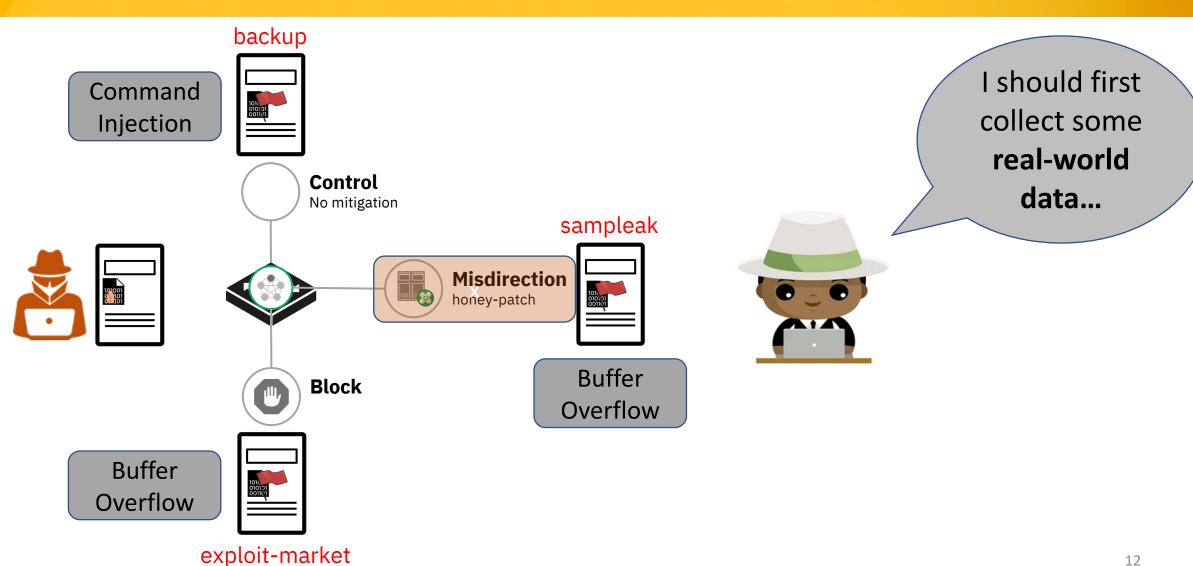


I also need to

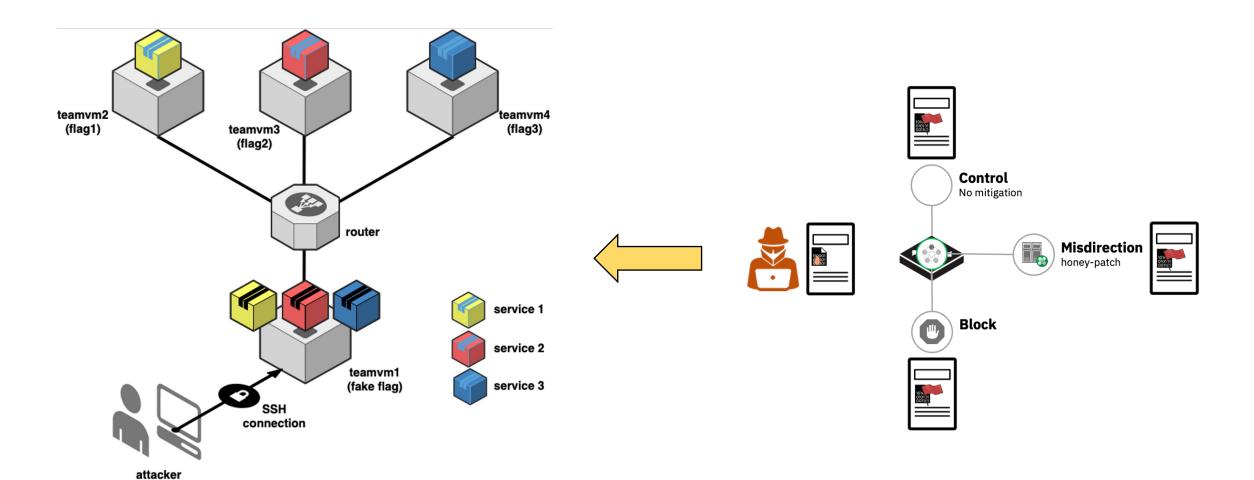
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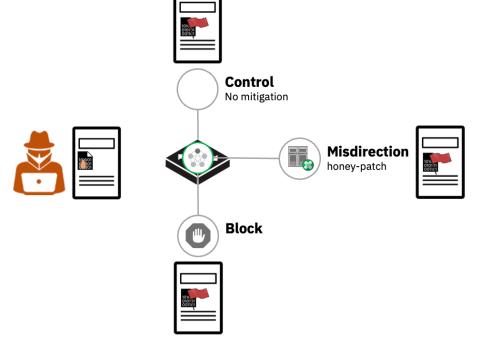


#### Adapting the iCTF Framework



#### **Hypothesis Testing**

"Once trapped in a honeypot environment, the attacker <u>chooses to continue</u> with the existing strategy to exploit the remaining vulnerabilities."

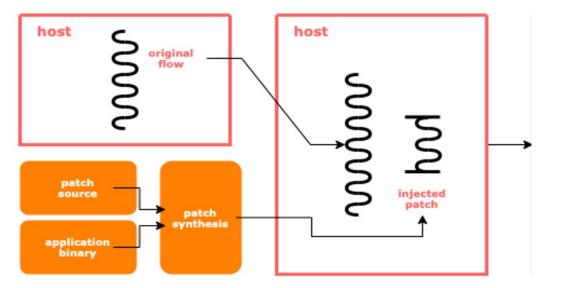


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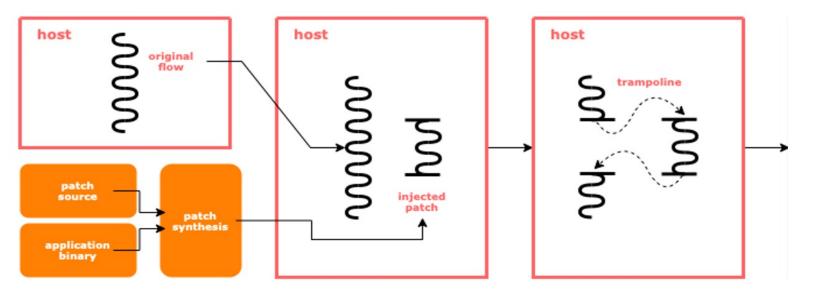
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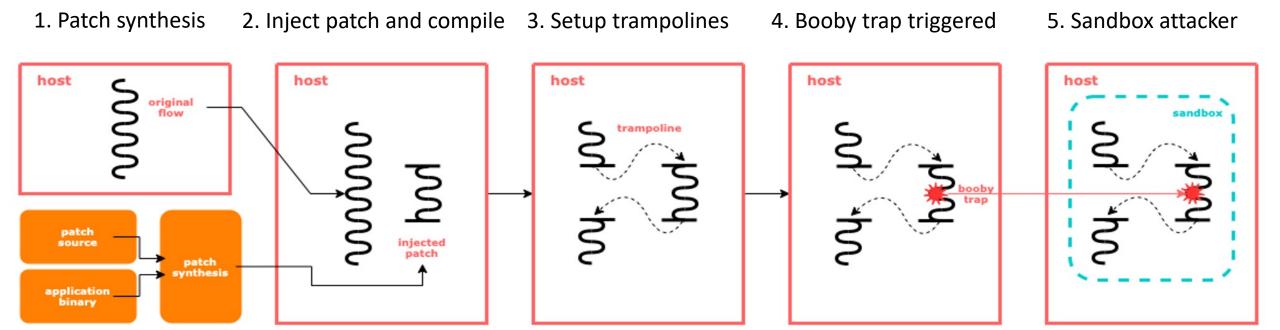
1. Patch synthesis

2. Inject patch and compile

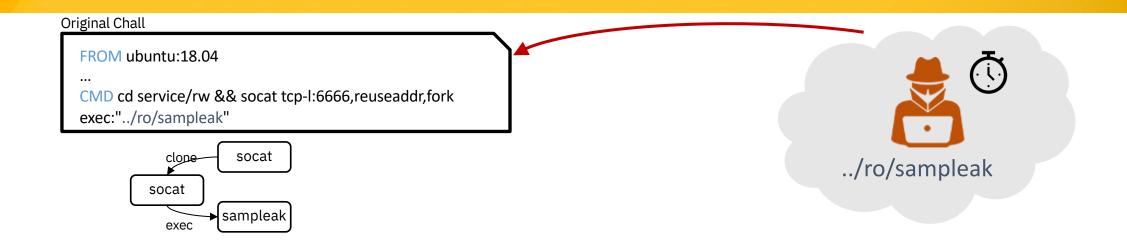


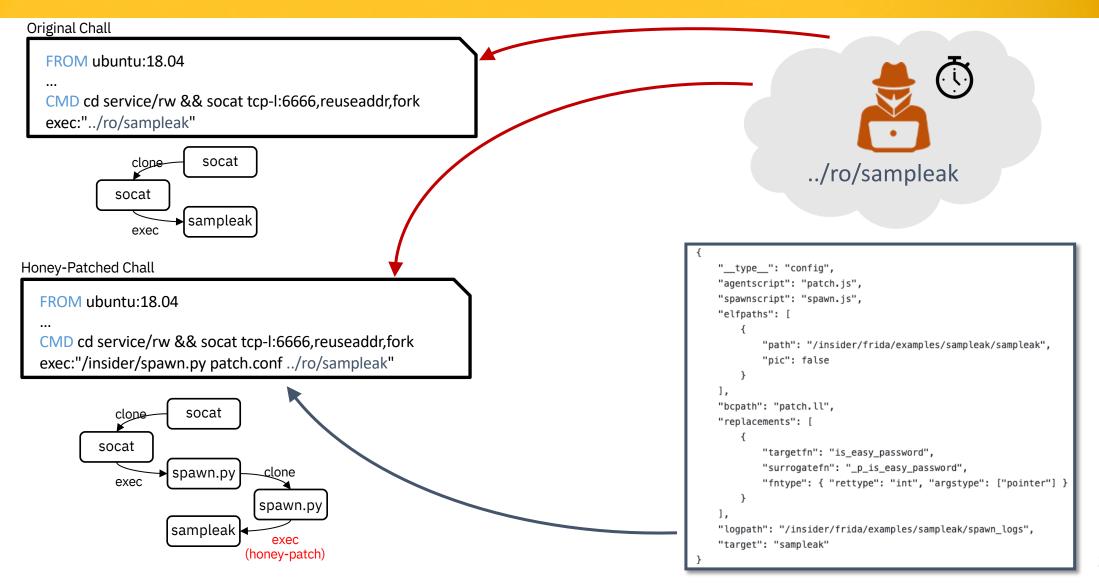
- 1. Patch synthesis
- 2. Inject patch and compile 3. Setup trampolines





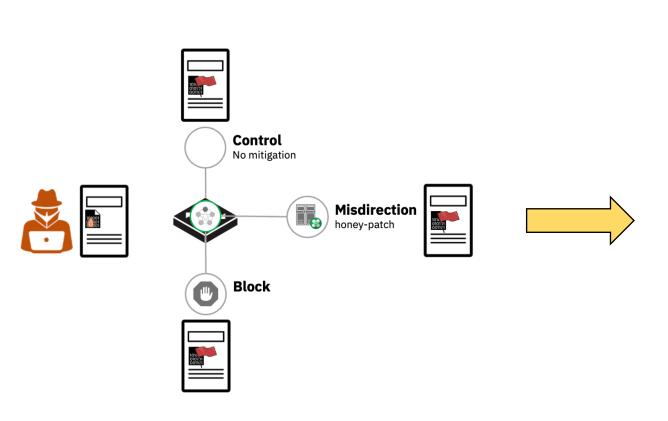
**INSIDER** Honey-Patching Framework

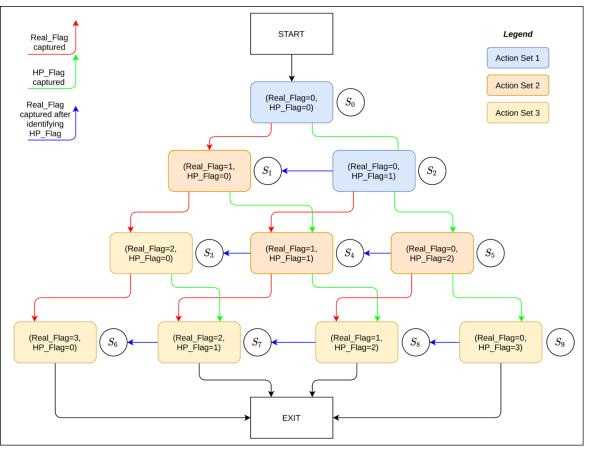




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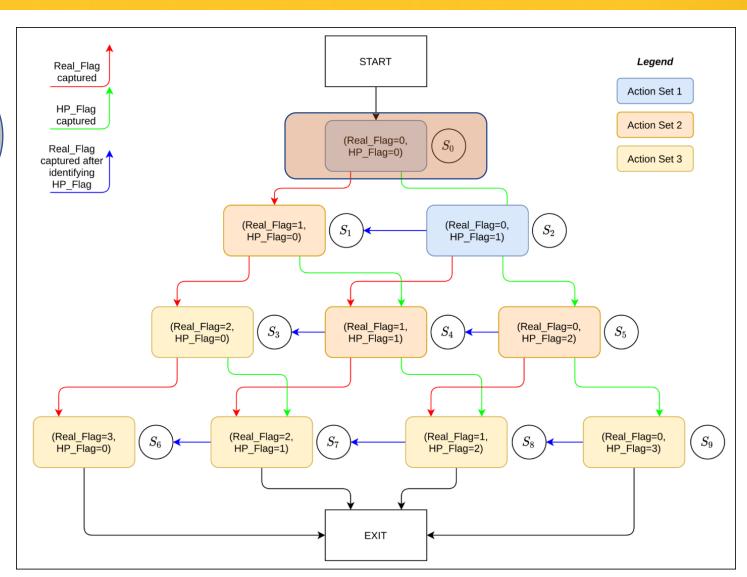
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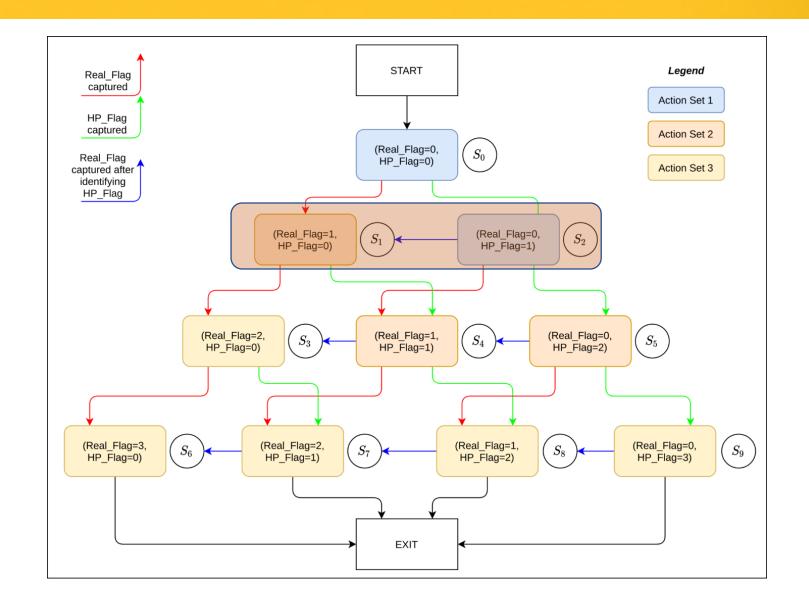
Let me start the exploit!

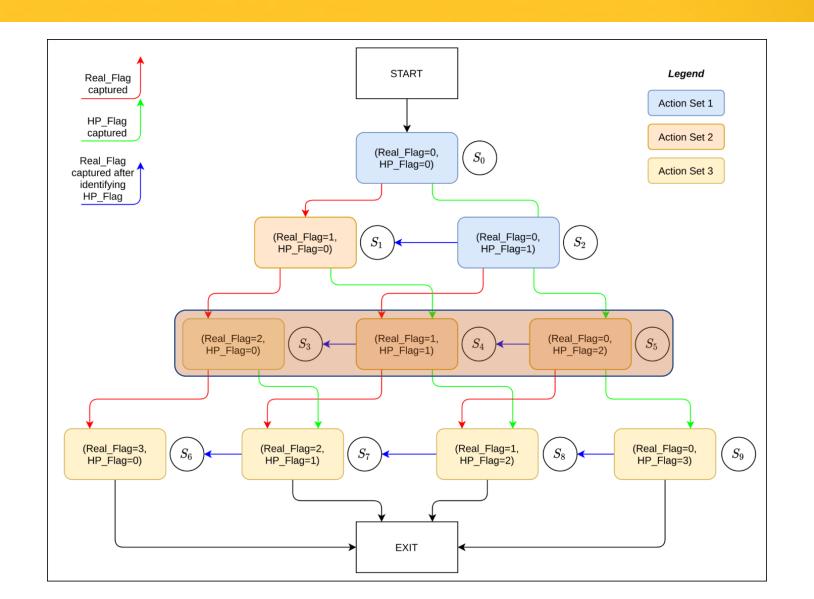




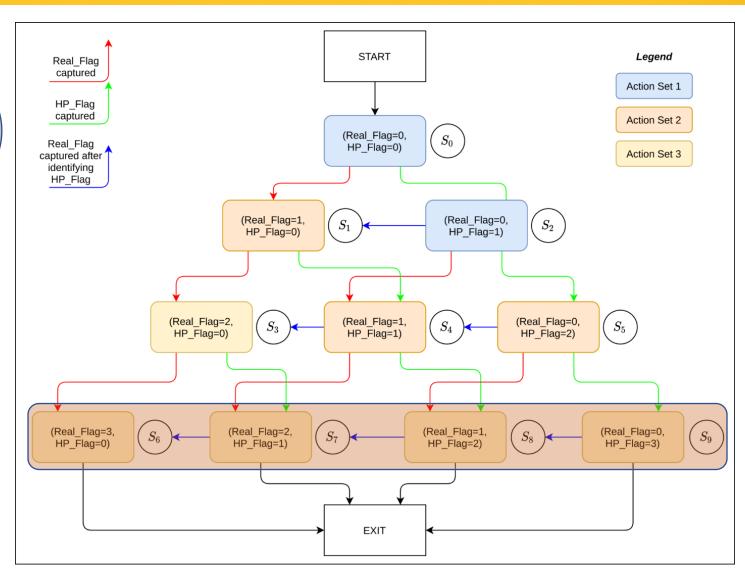
Which flag is it going to be?







I got the real flags!





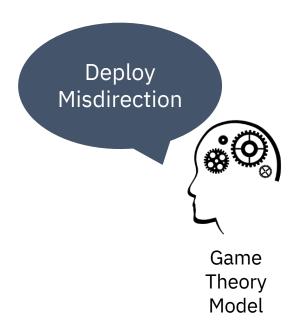


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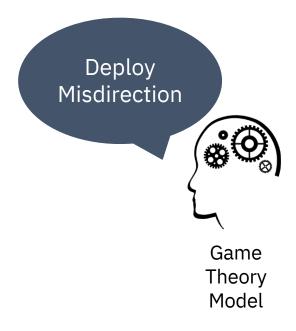
**Markov Game** (Shapley 1953) for two players  $P_1$  and  $P_2$  can be defined by the tuple  $(S, A_1, A_2, \tau, R, \gamma)$  where,

•  $S = \{s_1, s_2, ..., s_k\}$  represents a set of finite states of the game,



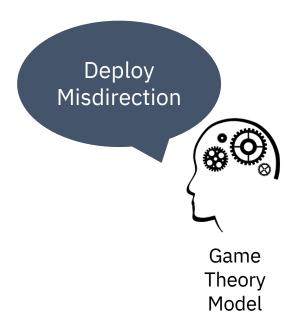
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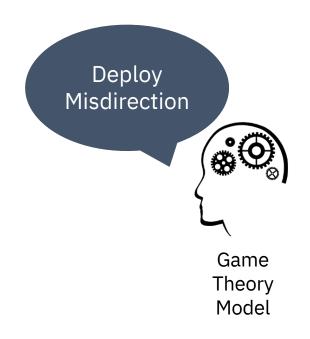
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- $R^i$  (s,  $a_1$ ,  $a_2$ ) denotes the utility or the rewards received by  $P_i$  in state s when  $P_1$  and  $P_2$  take actions  $a_1$  and  $a_2$  respectively,
- $\gamma \rightarrow [0, 1)$  is discount factor for future rewards.



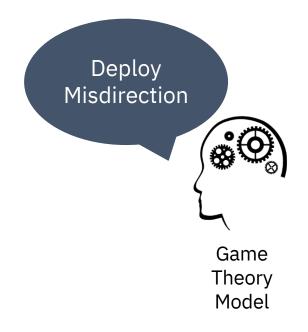




Attacker's e actions  $(A_A)$  e

#### Defender's actions $(A_{\mathcal{D}})$

	no_mon	hp_1	$hp\_2$	$hp_3$
no_op	0	-3	-3	-3
$\exp_1$	-5.9	2.9	-8.9	-8.9
$\exp_2$	-5.9	-8.9	2.9	-8.9
$\exp_3$	-5.9	-8.9	-8.9	2.9



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 Transition probability matrix τ is calculated using the statistics obtained from the iCTF user studies.

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# **Finding the Optimal Defender Strategy**

#### Algorithms:

- MMP: Min Max Pure Strategy
- URS: Uniform Random Strategy
- OPT: Optimal Mixed Strategy

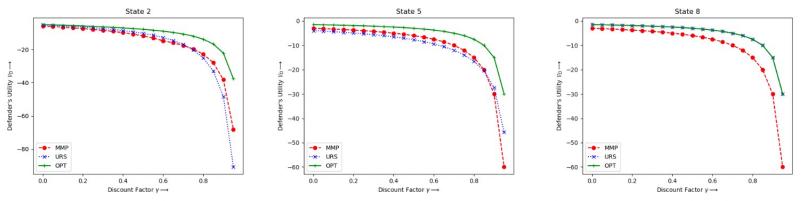


Figure: Defender's payoffs for Naive Model - **randomly set transition probabilities** and uniform mitigation deployment costs.

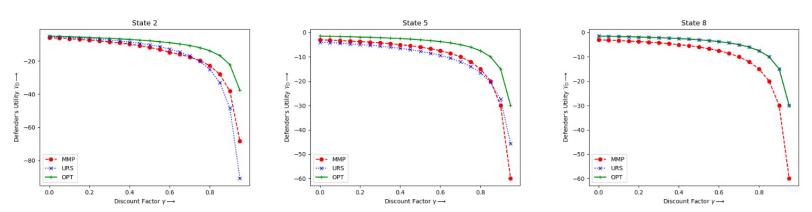
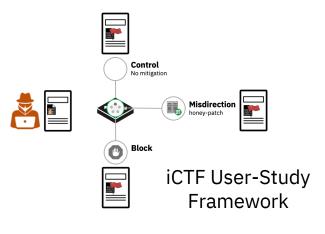
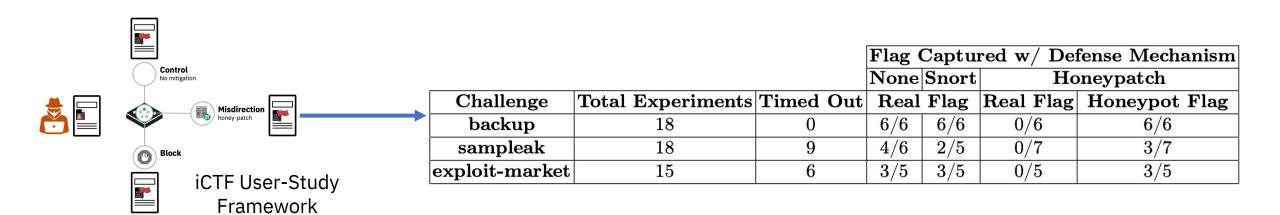


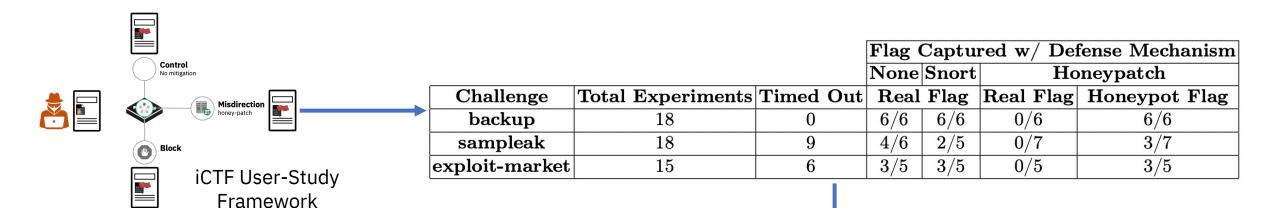
Figure: Defender's payoffs for Naive Model – **system expert set transition probabilities** and uniform mitigation deployment costs.



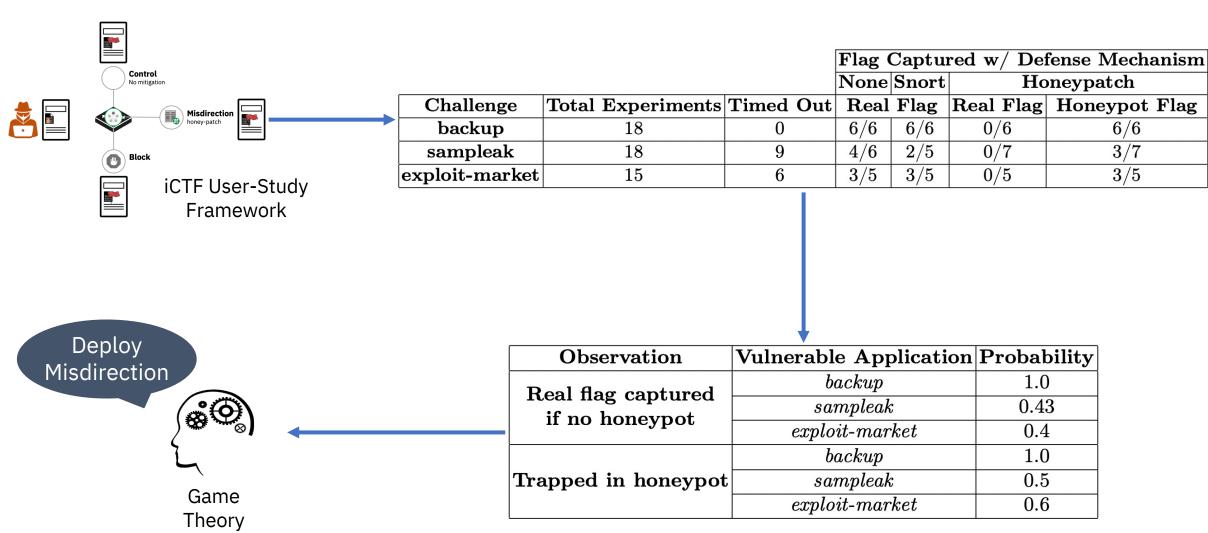








Observation	Vulnerable Application	Probability
Real flag captured if no honeypot	backup	1.0
	sample ak	0.43
	$exploit ext{-}market$	0.4
Trapped in honeypot	backup	1.0
	sample ak	0.5
	$exploit ext{-}market$	0.6



Model

### Comparing the Game Theoretic Model Case Studies

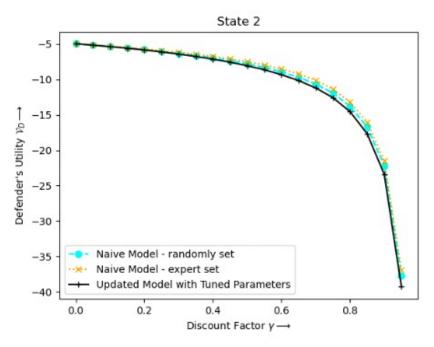


Figure: Defender's payoffs compared for the three models using **uniform mitigation deployment costs**.

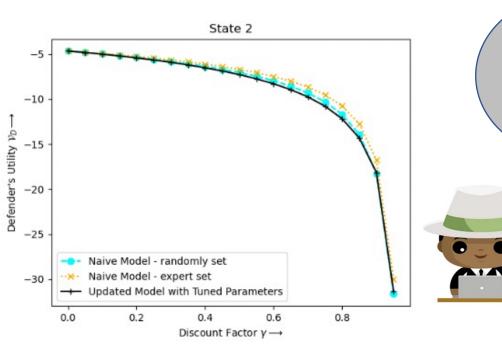


Figure: Defender's payoffs compared for the three models using **non-uniform mitigation deployment costs**.

#### Defender's returns:

Expert set  $(\tau)$  > Randomly set  $(\tau)$  > Computed from iCTF user studies  $(\tau)$ 

Maybe

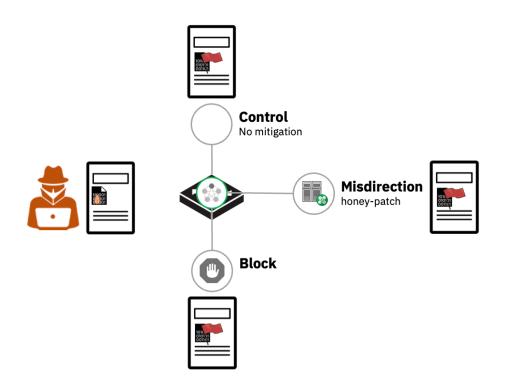
my

reward is

lesser!

## **Evaluating the Hypothesis**

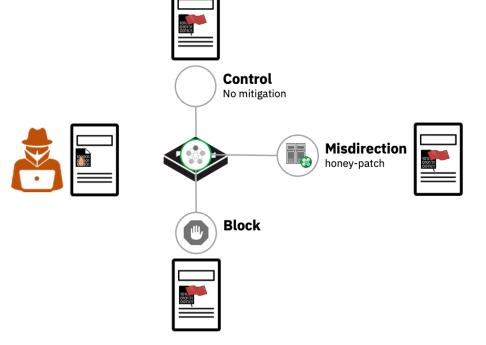
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**Observation 1:** None of the attackers received the observation of being trapped in a honey-pot, and thus continued with their existing strategy.

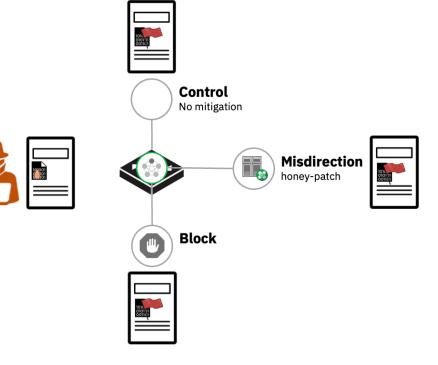


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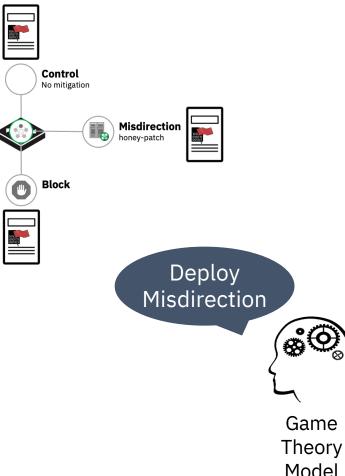
**Observation 2:** Only in one instance, an attacker learns about the honeypot for sampleak, after the user study ends and the attacker is explicitly informed.



#### Conclusion

• Utility returns vary in the three models only for the initial 3 states of the game.



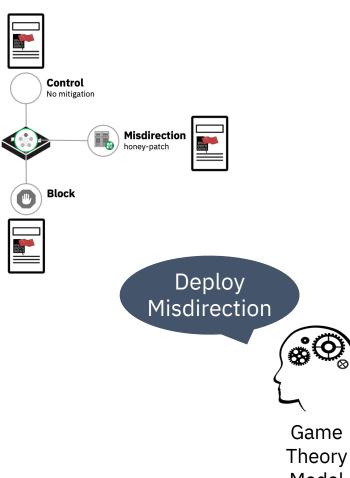


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Irrespective of parameter settings, all models recommend the defender to honey-patch the next vulnerable application.



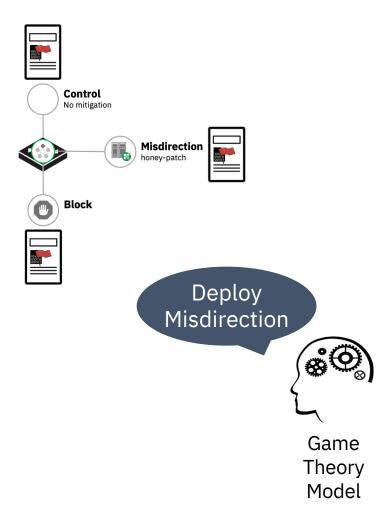
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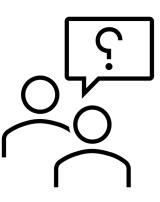


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- Model parameters set randomly or by expert may not imitate the true model representative of the real-world attack scenario.



## **Summary**

- Cybersecurity exercise helped gain insightful knowledge
- Closely analyzed interactions in deception-based setup
- \* Relaxed control over the different modalities
- \* Explore more ways to analyze attack behavior
- Obtain truer estimates for game-theoretic models



#### **Thank You!**