Surgical mask detection

Documentation

I. Description of the Machine Learning approach

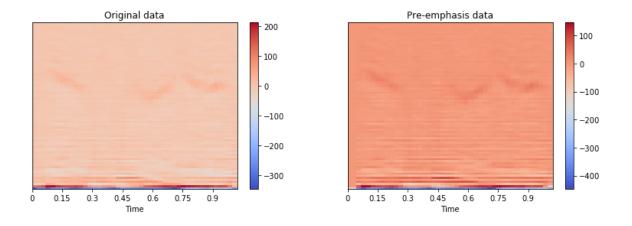
I have transformed the audio files in MFCCs, Mel-frequency cepstral coefficients, to help me classify the data. After I tried different approaches to find the best classification, such as SVM, Linear SVM, Logistic Regression, Random Forest Classification, Logistic Regression, the models that gave me the best scores on the validation data were SVM and Logistic Regression.

II. The steps of my implementation

- 1) First, I read from train.txt, test.txt, validation.txt, the name of every audio file and their label, 0 means without mask and 1 with mask, and saved the names (wavTrainNameFiles, wavTestNameFiles, wavValidationNameFiles) and the labels (yTrain, yTest, yValidation) in different vectors.
- 2) Second, I read the audio files for Train, Test and Validation and saved them in TrainData, TestData and ValidationData. Moreover, I did some preprocessing.
 - a. I used librosa with the default parameters to load an audio file as a floating point time series.
 - b. I pre-emphasized an audio signal with a first-order autoregressive filter:

$$y[n] -> y[n] - coef * y[n-1]$$

to boost the high frequency component.



c. "Mel-frequency cepstral coefficients (MFCCs) are coefficients that collectively make up an MFC. They are derived from a type of cepstral representation of the audio clip (a nonlinear "spectrum-of-a-spectrum"). The difference between the cepstrum and the mel-frequency cepstrum is that in the MFC, the frequency bands are equally spaced on the mel scale, which approximates the human auditory system's response more closely than the linearly-spaced frequency bands used in the normal cepstrum. This frequency warping can allow for better representation of sound, for example, in audio compression." From librosa I used librosa.feature.mfcc to get the Mel-frequency cepstral coefficients of every audio file. The parameters are:

- I keep the default sampling rate of data from returned by the load function, 22050.
- n mfcc = 80, the number of mfccs to return.
- d. For better data, I normalized the MFCCS using sklearn.preprocessing.scale with the following parameters:
 - axis = 0, independently standardizing each feature.
 - with mean = True, centering the data.
 - with std = True, scale the data to unit variance.
- e. Finally, appending the flattened mfcc_feat to TrainData, TestData or ValidationData.

```
▶ M¹
import librosa as lb
import sklearn
TrainData = []
for i in range(len(wavTrainNameFiles)):
   data, rate = lb.load(wavTrainNameFiles[i])
   data = lb.effects.preemphasis(data)
   mfcc_feat = lb.feature.mfcc(data, rate, n_mfcc = 80)
   mfcc_feat = sklearn.preprocessing.scale(mfcc_feat, axis = 0, with_mean = True)
   TrainData.append(mfcc feat.flatten())
TestData = []
for i in range(len(wavTestNameFiles)):
   data, rate = lb.load(wavTestNameFiles[i])
   data = lb.effects.preemphasis(data)
   mfcc_feat = lb.feature.mfcc(data, rate, n_mfcc = 80)
   mfcc_feat = sklearn.preprocessing.scale(mfcc_feat, axis=0, with_mean = True)
   TestData.append(mfcc feat.flatten())
ValidationData = []
for i in range(len(wavValidationNameFiles)):
   data, rate = lb.load(wavValidationNameFiles[i])
   data = lb.effects.preemphasis(data)
   mfcc_feat = lb.feature.mfcc(data, rate, n_mfcc = 80)
   mfcc_feat = sklearn.preprocessing.scale(mfcc_feat, axis=0, with_mean = True)
   ValidationData.append(mfcc_feat.flatten())
```

¹ <u>https://en.wikipedia.org/wiki/Mel-frequency_cepstrum</u> - Wikipedia last edited on 21 December 2019, at 11:54 (UTC)

3) I prepared the data for classification, changing the variabile names for better understanding.

```
# Train

X_train = TrainData
y_train = yTrain

# Validation

X_test = ValidationData
y_test = yValidation

# Test
X_test_final = TestData
```

4) To prevent overfitting I split the X_test and y_test in 2 parts.

```
# To prevent overfitting, I will do predictions only on 50% of the validation data from sklearn.model_selection import train_test_split

X_test1, X_test2, y_test1, y_test2 = train_test_split(X_test, y_test, test_size = 1/2)
```

- 5) To choose the best model I used GridSearchCV².
 - a. For **LogisticRegression** for X test2:

I used the following parameters:

```
tuned_parameters = {'penalty': ['l2'],'C':[0.001, 0.01, 1, 5, 10, 25]}
```

Grid scores on development set:

Score	Penalty	С
0.634 (+/-0.019)	12	0.001
0.649 (+/-0.022)	12	0.01
0.621 (+/-0.030)	12	1
0.624 (+/-0.025)	12	5
0.625 (+/-0.030)	12	10
0.623 (+/-0.025)	12	25

Best parameters set found on development set: {'C': 0.01, 'penalty': 'l2'}.

² https://scikit-learn.org/stable/auto_examples/model_selection/plot_grid_search_digits.html

Detailed classification report:

The model is trained on the full development set.

The scores are computed on the full evaluation set.

	precision	recall	f1-score	support
0	0.62	0.61	0.61	243
1	0.64	0.64	0.64	257
accuracy			0.63	500
macro avg	0.63	0.63	0.63	500
weighted avg	0.63	0.63	0.63	500

0.6256806970337625

b. For **SVM** for X Test:

I used the following parameters:

Grid scores on development set:

```
0.648 (+/-0.016) for {'C': 1, 'gamma': 0.01, 'kernel': 'rbf'}
0.644 (+/-0.013) for {'C': 1, 'gamma': 0.001, 'kernel': 'rbf'}
0.601 (+/-0.021) for {'C': 1, 'gamma': 0.0001, 'kernel': 'rbf'}
0.659 (+/-0.016) for {'C': 10, 'gamma': 0.001, 'kernel': 'rbf'}
0.667 (+/-0.020) for {'C': 10, 'gamma': 0.001, 'kernel': 'rbf'}
0.637 (+/-0.017) for {'C': 10, 'gamma': 0.0001, 'kernel': 'rbf'}
0.602 (+/-0.021) for {'C': 10, 'gamma': 1e-05, 'kernel': 'rbf'}
0.659 (+/-0.016) for {'C': 100, 'gamma': 0.001, 'kernel': 'rbf'}
0.649 (+/-0.016) for {'C': 100, 'gamma': 0.001, 'kernel': 'rbf'}
0.644 (+/-0.011) for {'C': 100, 'gamma': 0.0001, 'kernel': 'rbf'}
0.635 (+/-0.019) for {'C': 100, 'gamma': 0.0001, 'kernel': 'rbf'}
```

```
0.659 (+/-0.016) for {'C': 500, 'gamma': 0.01, 'kernel': 'rbf'}

0.651 (+/-0.019) for {'C': 500, 'gamma': 0.001, 'kernel': 'rbf'}

0.645 (+/-0.007) for {'C': 500, 'gamma': 0.0001, 'kernel': 'rbf'}

0.639 (+/-0.011) for {'C': 500, 'gamma': 1e-05, 'kernel': 'rbf'}

0.659 (+/-0.016) for {'C': 1000, 'gamma': 0.01, 'kernel': 'rbf'}

0.651 (+/-0.019) for {'C': 1000, 'gamma': 0.001, 'kernel': 'rbf'}

0.640 (+/-0.008) for {'C': 1000, 'gamma': 0.0001, 'kernel': 'rbf'}

0.635 (+/-0.011) for {'C': 1000, 'gamma': 1e-05, 'kernel': 'rbf'}

0.659 (+/-0.016) for {'C': 2000, 'gamma': 0.001, 'kernel': 'rbf'}

0.632 (+/-0.011) for {'C': 2000, 'gamma': 0.0001, 'kernel': 'rbf'}

0.633 (+/-0.004) for {'C': 2000, 'gamma': 0.0001, 'kernel': 'rbf'}
```

Best parameters set found on development set: {'C': 10, 'gamma': 0.001, 'kernel': 'rbf'}

```
Detailed classification report:
The model is trained on the full development set.
The scores are computed on the full evaluation set.
[[309 163]
 [175 353]]
              precision
                          recall f1-score
                                              support
                   0.64
                             0.65
                                       0.65
                                                  472
           0
           1
                                                  528
                   0.68
                             0.67
                                       0.68
                                       0.66
                                                  1000
    accuracy
                   0.66
                             0.66
                                       0.66
                                                  1000
   macro avg
weighted avg
                   0.66
                             0.66
                                       0.66
                                                  1000
0.6612691395989494
```

- 6) Fitting the models from the Grid Search
 - a. For <u>LogisticRegression</u>:

• penalty = 'l2'. As an optimization problem, binary class \(\ell2\) penalized logistic regression minimizes the following cost function³:

$$\min_{w,c} \frac{1}{2} w^T w + C \sum_{i=1}^n \log(\exp(-y_i(X_i^T w + c)) + 1).$$

- C = 0.001
- Solver = 'lbfgs'. "L-BFGS uses an estimate of the inverse Hessian matrix to steer its search through variable space, but where BFGS stores a dense n x n approximation to the inverse Hessian (n being the number of variables in the problem), L-BFGS stores only a few vectors that represent the approximation implicitly."⁴

I predicted the labels for both, X test1 and X test2, and did the accuracy score.

```
| The state of the
```

³ https://scikit-learn.org/stable/modules/linear_model.html#logistic-regression

⁴ https://en.wikipedia.org/wiki/Limited-memory_BFGS- Wikipedia last edited on 16 May 2020, at 08:01 (UTC).

Cross Validation:

```
from sklearn.model_selection import cross_val_score
scores = cross_val_score(regr, X_test2, y_test2, cv=5)
print("Accuracy: %0.2f (+/- %0.2f)" % (scores.mean(), scores.std() * 2))
print()
scores = cross_val_score(regr, X_test1, y_test1, cv=5)
print("Accuracy: %0.2f (+/- %0.2f)" % (scores.mean(), scores.std() * 2))
Accuracy: 0.60 (+/- 0.04)
Accuracy: 0.56 (+/- 0.09)
```

Classification report:

```
[38] ▷ MJ 8→8
     from sklearn.metrics import classification report
     print(classification_report(y_test2, pred1_30))
     print(classification report(y test1, pred1 70))
     precision
                 recall f1-score support
                0
                        0.64
                                  0.65
                                            0.65
                                                       237
                        0.68
                                  0.68
                                            0.68
                                                       263
                                            0.66
                                                       500
         accuracy
        macro avg
                        0.66
                                  0.66
                                            0.66
                                                       500
     weighted avg
                       0.66
                                  0.66
                                            0.66
                                                       500
                   precision
                                recall f1-score
                                                   support
                        0.58
                                  0.54
                                            0.56
                                                       235
                0
                        0.61
                                  0.66
                                            0.64
                                                       265
                                            0.60
                                                       500
         accuracy
        macro avg
                        0.60
                                  0.60
                                            0.60
                                                       500
     weighted avg
                        0.60
                                  0.60
                                            0.60
                                                       500
```

Confusion matrix5:

a) X test1

```
Confusion matrix X_test1, without normalization
[[146 91]
[ 87 176]]
Normalized confusion matrix X_test1
[[0.62 0.38]
[0.33 0.67]]
```

b) X test2

⁵ https://scikit-learn.org/stable/auto_examples/model_selection/plot_confusion_matrix.html

```
Confusion matrix X_test2, without normalization
[[134 101]
[ 89 176]]
Normalized confusion matrix X_test2
[[0.57 0.43]
[0.34 0.66]]
```

b. For **SVM**:

First, I tried the model with the parameters that GridSearchCV gave me as the best.

- I. C=10, gamma=0.001, kernel='rbf
 - C=10, "C is the penalty parameter of the error term. It controls the trade off between smooth decision boundary and classifying the training points correctly."⁶
 - gamma=0.001
 - kernel='rbf, the type of hyperplane used to separate the data

Fitting the model and making predictions:

Accuracy score: 1. X_test1: 0.678 2. X_test2: 0.682

Confusion matrix:

1. X test1:

Confusion matrix X_test1, without normalization
[[158 81]
 [78 183]]
Normalized confusion matrix X_test1
[[0.66 0.34]
 [0.3 0.7]]

⁶ https://medium.com/all-things-ai/in-depth-parameter-tuning-for-svc-758215394769

2. X_test2:

```
Confusion matrix X_test2, without normalization
[[156 77]
  [ 84 183]]
Normalized confusion matrix X_test2
[[0.67 0.33]
  [0.31 0.69]]
```

Cross Validation:

X_Test1: Accuracy: 0.55 (+/- 0.10)
 X_Test2: Accuracy: 0.56 (+/- 0.07)

Classification report:

D WT 8→B				
<pre>from sklearn.metrics import classification_report print(classification_report(y_test2, pred_test1)) print() print(classification_report(y_test1, pred_test2))</pre>				
precision recall f1-score support				
0	0.65	0.67	0.66	233
1	0.70	0.69	0.69	267
accuracy			0.68	500
macro avg	0.68	0.68	0.68	500
weighted avg	0.68	0.68	0.68	500
	precision	recall	f1-score	support
0	0.67	0.66	0.67	239
1	0.69	0.70	0.70	261
accuracy			0.68	500
macro avg	0.68	0.68	0.68	500
weighted avg	0.68	0.68	0.68	500

Second, the model that gave the best score on test data.

I used a default SVC.

- C=1
- gamma='scale', calculated after this formula 1 / (n_features * X.var())
- kernel='rbf'

Fitting the model and making predictions:

Accuracy score: 1. X_test1: 0.612 2. X_test2: 0.634

Confusion matrix:

1. X test1:

```
Confusion matrix X_test1, without normalization
[[135 102]
    [ 81 182]]
Normalized confusion matrix X_test1
[[0.57 0.43]
    [0.31 0.69]]
```

2. X test2:

```
Confusion matrix X_test2, without normalization
[[125 110]
    [ 84 181]]
Normalized confusion matrix X_test2
[[0.53 0.47]
    [0.32 0.68]]
```

Cross Validation:

X_Test1: Accuracy: 0.53 (+/- 0.01)
 X Test2: Accuracy: 0.53 (+/- 0.03)

Classification report:

[20]	► Wi B+B						
	<pre>from sklearn.metrics import classification_report print(classification_report(y_test2, pred_test1)) print() print(classification_report(y_test1, pred_test2))</pre>						
3	precision recall f1-score support						
6	0	0.60	0.53	0.56	235		
1	ī	0.62	0.68		265		
8	accuracy			0.61	500		
3	macro avg	0.61	0.61	0.61	500		
1	weighted avg	0.61	0.61	0.61	500		
1							
	ı	recision	recall	f1-score	support		
1	0	0.62	0.57	0.60	237		
1/2	1	0.64	0.69	0.67	263		
8							
8	accuracy			0.63	500		
3	macro avg	0.63	0.63	0.63	500		
1	weighted avg	0.63	0.63	0.63	500		
9							