

2017 JUNE

Week 23
157-208
Tuesday

6

Suppose that a pgm having 1000000 inst. is executed on a processor w/ a frequency of 1GHz. If the pgm. has the foll. inst. mix what is the execution time for the pgm?

| Op. | Freq. | No. of clock cycles |
|------------|-------|---------------------|
| ALU ops | 35% | 1 |
| loads | 25% | 2 |
| sta Stores | 15% | 2 |
| Branches | 25% | 3 |

Problems on CPU time:

$$\text{CPU Time} = IC \times CPI \times \text{Cycle time}$$

$$CPI = \sum \frac{\text{Frequency of operation} \times \text{Clock cycle}}{\text{of operation}}$$

$$= \frac{(0.35 \times 1) + (0.25 \times 2) + (0.15 \times 2) + (0.25 \times 3)}{1}$$

$$= \underline{\underline{1.9}}$$

$$\text{cycle time} = \frac{1}{\text{processor frequency}} = \frac{1}{10^9} = 10^{-9} \text{ Hz sec.}$$

$$\text{CPU time} = 10^6 \times 1.9 \times 10^{-9} = 1.9 \times 10^{-3}$$

→ find or pipeline cycle time

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Speedup & Efficiency: Derive the speedup & efficiency for pipelined and unpipelined; given throughput k stage pipeline process n task in $k + (n-1)$ clock cycle

Total time to process n task $\Rightarrow T_k = [k + (n-1)]\tau$

For non-pipelined processor $\Rightarrow T_1 = nk\tau$.

Speedup Factor $\Rightarrow S_k = \frac{T_1}{T_k}$

$$= \frac{nk\tau}{[k + (n-1)]\tau}$$

$$= \frac{nk}{k + (n-1)}$$

Efficiency with k stage pipeline $\Rightarrow E_k = \frac{S_k}{k}$

$$= \frac{nk}{[k + (n-1)]k} = \frac{n}{k + (n-1)}$$

Throughput = $\frac{n}{\text{total time}}$

$$= \frac{n}{k + (n-1)\tau} = \frac{n\tau}{k + (n-1)}$$

where $\frac{1}{\tau} = f$

| JUNE | | | | | | | 2017 |
|------|----|----|----|----|----|----|------|
| W | M | T | W | T | F | S | S |
| 22 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
| 23 | 12 | 13 | 14 | 15 | 16 | 17 | 18 |
| 24 | 19 | 20 | 21 | 22 | 23 | 24 | 25 |

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Week 23
159-206
Thursday 8

Task has 4 subtasks with a time $t_1 = 60$, $t_2 = 50$, $t_3 = 90$ and $t_4 = 80$. ~~last delay~~ latch delay = 10 nanoseconds. Calculate (i) pipeline cycle time, (ii) cycle time for non-pipeline execution, (iii) pipeline time for 1000 tasks (iv) ~~frequency time~~ sequential time for 1000 task and the throughput.

(i) Pipeline cycle time = $\frac{1}{f} \underline{100\text{ns}}$

Acc. to Amdahl's law, pipeline cycle time depends on the longest task time and the delay.

= $90 + 10$

~~Increase~~, it.

(ii) Non-pipeline execution = $t_1 + t_2 + t_3 + t_4 + \text{delay}$
= 280ns

(iii) Speed up = $\frac{280}{100} = \underline{2.8}$

Pipelined time for 1000 tasks = $[k + (n-1)]\tau$
= $[4 + (1000-1)] \times 100$
= $39 \quad 96$
= 100300ns

(iv) Sequential time = $n \times k \tau$
= $1000 \times 4 \times 280$ 280×1000
= $112 \times 10^4\text{ns}$ = 280000ns

| JULY | | | | | | | 2017 |
|------|----|----|----|----|----|----|------|
| W | M | T | W | T | F | S | S |
| 26 | 31 | | | | | 1 | 2 |
| 27 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| 28 | 10 | 11 | 12 | 13 | 14 | 15 | 16 |
| 29 | 17 | 18 | 19 | 20 | 21 | 22 | 23 |
| 30 | 24 | 25 | 26 | 27 | 28 | 29 | 30 |

$k\tau = 280$

$$(iv) \text{ throughput} = \frac{n}{[k + (n-1)]\tau} = \frac{1000}{100300} = \underline{\underline{0.08}}$$

Non-linear Pipelining :

Design the collision vector & state transition diagram.
for the below case:

| | 1 | 2 | 3 | 4 | 5 | 6 |
|----|---|---|---|---|---|---|
| s1 | x | | | | x | |
| s2 | | | x | | | |
| s3 | | x | | x | | x |

Forbidden latencies, = 2, 4

PLV = 1, 3, 5, 6

Collision Vector = 1010

4 3 2 1
1010

RS by 1 → 0101

OR 1010

1011

RS by 3 → 0001

1010

1011

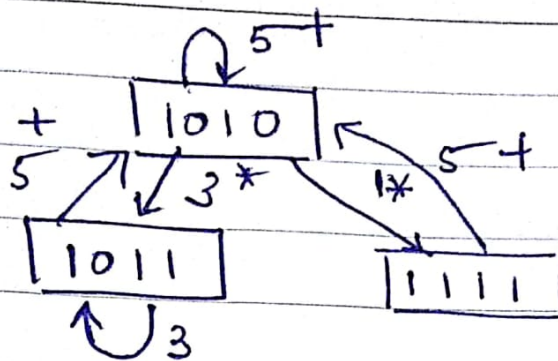
3 2 1

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(2) 3

Week 23
161-204
Saturday

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$$M = 4 + 1$$

Simple cycle = $(1, 5), (3, 5), 3, 5$.

Greedy = $(1, 5), 3$

$$MAL = \underline{\underline{3}}$$

Week 23
162-203

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