Given an array of integers, sort the array using insortion sort Augorithm

0th index as a single number is aways sorted.

build up the answer from there;

at each iteration move to the right and compare the current element with

all les previous element, if smaller than previous swap them.

## # Pseudo code

de	f sort(am):
	n = len (arr)
	// one single element is always sorted, so consider oth sorted
	for i in range (1, n)
	for j in range (i-1, -1, -1)
	// if Prev numbers > current number  if arr[j] > arr[j+1]:
	temp = arr[j+1] arr[j+1] = arr[j]
	arr[j] = temp else:
	break
	1 1 1

n=len(arr)	$\vec{J} = (i-1,-1,-1) = (0,-1,-1)$
for i in range (1, n):	arr= [9,4,1,2,3,-1]
for j in range (i-1, -1, -1):	arr[0] > arr[1], yes; swap them
if arr[j]>arr[j+1]:	arr= [4, 9, 1, 2, 3, -1]
temp = arr[j+1]	j = (1, -1, -1)
arr[j] = arr[j] arr[j] = 1emp	arr[1] > arr[2]? yes; swep then
else:	arr = [4, 1, 9, 2, 3, -1]
break	i=i-1 = 1-1=0
	arr[0] > arr[1]? yes, Swap them

i=3 Ť(2,-1,-1)	i=4 ; j=3
arr[2] > arr[3] ? Yes; swap them	$arr = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 & 5 \\ 1, & 2, & 4, & 9, & 3, & -1 \end{bmatrix}$
arr = [1, 4, 2, 9, 3, -1]	arr[3] > arr[4] ? yes, swd> them $arr = [1, 2, 4, 3, 9, -1]$
$\dot{\mathcal{J}}^{-=1} \Rightarrow 2$	J-=1=>3
arr [1] > $arr[2]$ ? Yes; swelp them $arr = [\frac{0}{1}, \frac{2}{4}, \frac{3}{9}, \frac{4}{3}, \frac{5}{1}]$	arr[1] > arr[3]? yes; swap them
$arr = [1, 3, 4, 9, 3, -1]$ $if -= 1 \Rightarrow 1$	$arr = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 & 5 \\ 1, & 2, & 3, & 4, & 9, & -1 \end{bmatrix}$
arr[0] > arr[1]? No, break	j-=1=>2
	arr[1]>orr[2]?No; break

arr[4] > arr[3]? yes; swap them

$$arr = [1, 2, 3, 4, -1, 9]$$

$$arr[3] > arr[4]? yes; swap them  $arr = [1, 2, 3, -1, 4, 9]$$$

arr[1] > arr[2]? Yes; swap them arr= [1, -1, 2, 3, 4, 9]

$$arr = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 & 5 \\ 1 & -1 & 2 & 3 & 4 & 9 \end{bmatrix}$$