

# Trip Planner

Input file:            **standard input**  
Output file:         **standard output**  
Time limit:          1 second  
Memory limit:       256 megabytes

The planet Xero has two islands  $A$  and  $B$ , each having  $n$  cities. The cities on island  $A$  are numbered  $A_1, A_2, \dots, A_n$  and cities on island  $B$  are numbered  $B_1, B_2, \dots, B_n$ .

Within an island, Rishabh can travel from any city to another by road. Rishabh can also travel from a city to itself by road. To travel across islands, Rishabh has to use air travel. Air travel exists between  $A_i$  and  $B_j$  only if  $\gcd(i, j) = 1$ .

Rishabh(a certified globetrotter) plans to make a trip from city  $A_x$  to city  $B_y$  in  $m$  steps. Each step consists of a road/air travel. Two steps are different if they differ at the starting and/or ending cities. Two trips are said to be distinct if there exists an  $i$  ( $1 \leq i \leq m$ ) such that the  $i$ th steps of the trips are different.

Find the number of distinct trips Rishabh can plan from city  $A_x$  to city  $B_y$  in  $m$  steps. Since this number can be large, print it modulo  $10^9 + 7$ .

## Input

The first line of input contains two integers  $n$  and  $m$  denoting the number of cities on an island and the number of steps respectively ( $1 \leq n \leq 10^4$ ,  $1 \leq m \leq 100$ ).

The second line contains two integers  $x$  and  $y$  denoting the starting city( $A_x$ ) and ending city( $B_y$ ) respectively ( $1 \leq x, y \leq n$ ).

## Output

Print the number of distinct trips Rishabh can plan from city  $A_x$  to city  $B_y$  in  $m$  steps, modulo  $10^9 + 7$ .

## Examples

standard input	standard output
5 2 4 3	7
12 4 6 9	5416

## Note

For the first testcase, 7 distinct trips from  $A_4$  to  $B_3$  are:

1.  $A_4 \rightarrow A_1 \rightarrow B_3$
2.  $A_4 \rightarrow A_2 \rightarrow B_3$
3.  $A_4 \rightarrow A_4 \rightarrow B_3$
4.  $A_4 \rightarrow A_5 \rightarrow B_3$
5.  $A_4 \rightarrow A_7 \rightarrow B_3$
6.  $A_4 \rightarrow A_8 \rightarrow B_3$
7.  $A_4 \rightarrow A_{10} \rightarrow B_3$