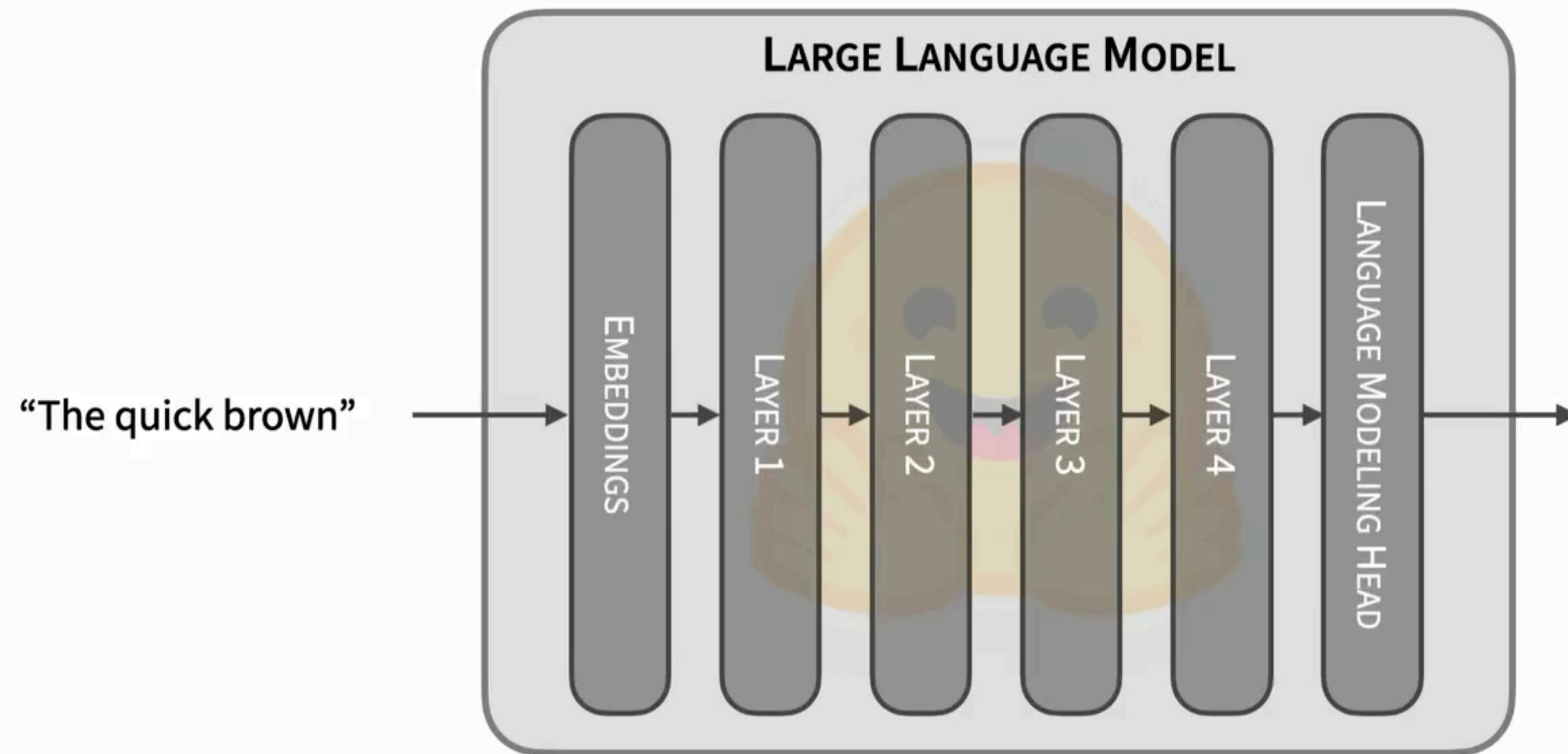


Decoding

NLP: Fall 2023

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Causal Language Models



https://huggingface.co/docs/transformers/llm_tutorial

Causal Language Models



"Autoregressive generation iteratively selects the next token from a probability distribution to generate text"

Causal LMs: Common Pitfalls

- **Generated output is too short/long:** LM may require further tuning, also asking for more tokens can help
- **Incorrect generation mode:** greedy decoding or sampling? Which is better depends on your task
- **Wrong padding side:** you may need to pad the prompt text on the left to ensure that the input is the same size as the training phase of the LM.
- **Wrong prompt:** this is tricky and has produced a whole industry of "prompt engineering"

https://huggingface.co/docs/transformers/llm_tutorial

c.f. for code
samples

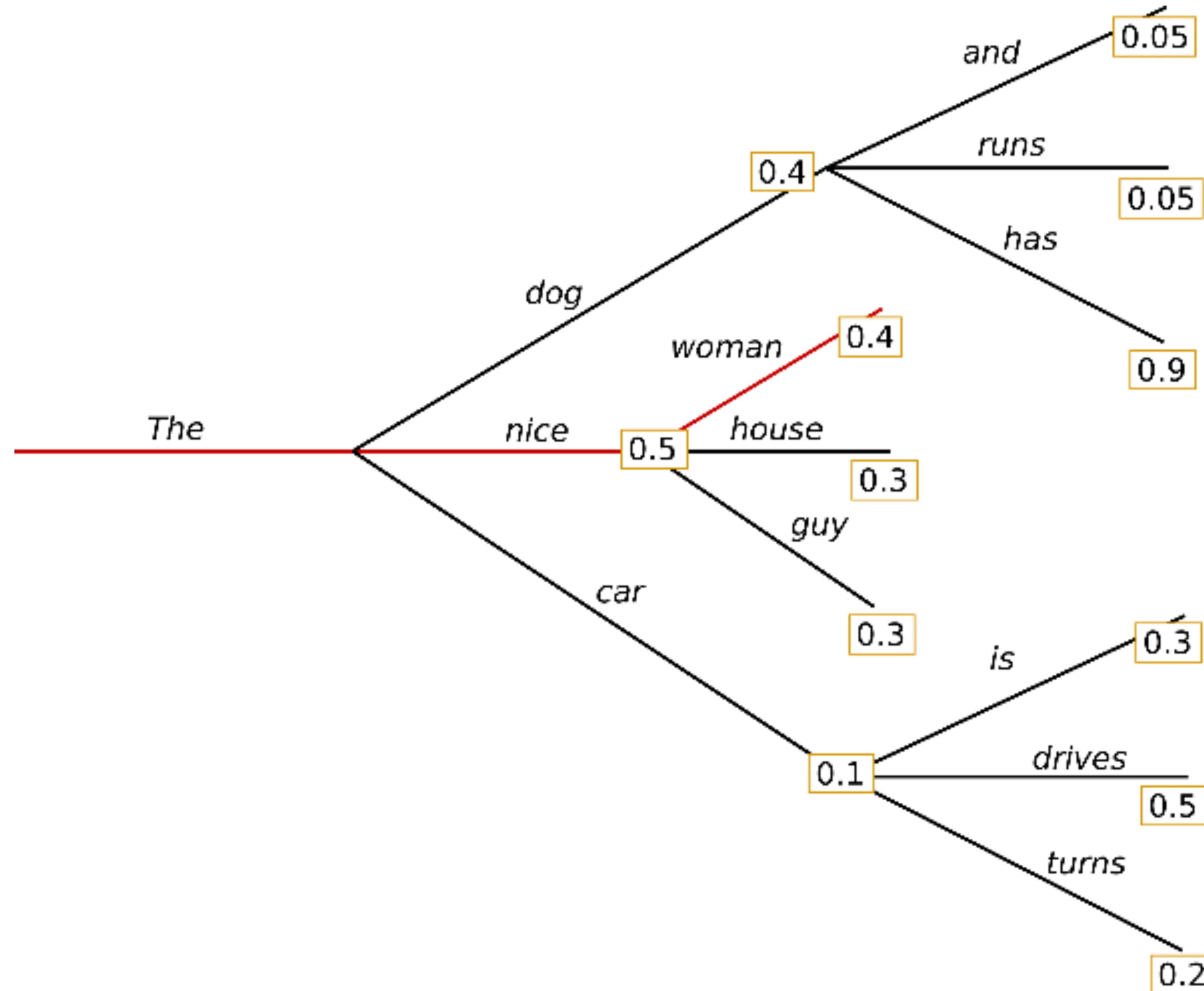
Decoding methods

<https://huggingface.co/blog/how-to-generate>

$$P(w_{1:T}|W_0) = \prod_{t=1}^T P(w_t|w_{1:t-1}, W_0) , \text{with } w_{1:0} = \emptyset,$$

- W_0 is the initial context word sequence (aka the "prompt")
- The length T of the word sequence is determined on-the-fly
- T is determined by the generation of the end-of-sentence EOS also known as the `<|endof text|>` token
- The EOS token is produced like the other tokens from $P(w_t | w_{1:t-1}, W_0)$

Greedy Decoding



("The", "nice", "woman")
having an overall
probability of
 $0.5 \times 0.4 = 0.2$

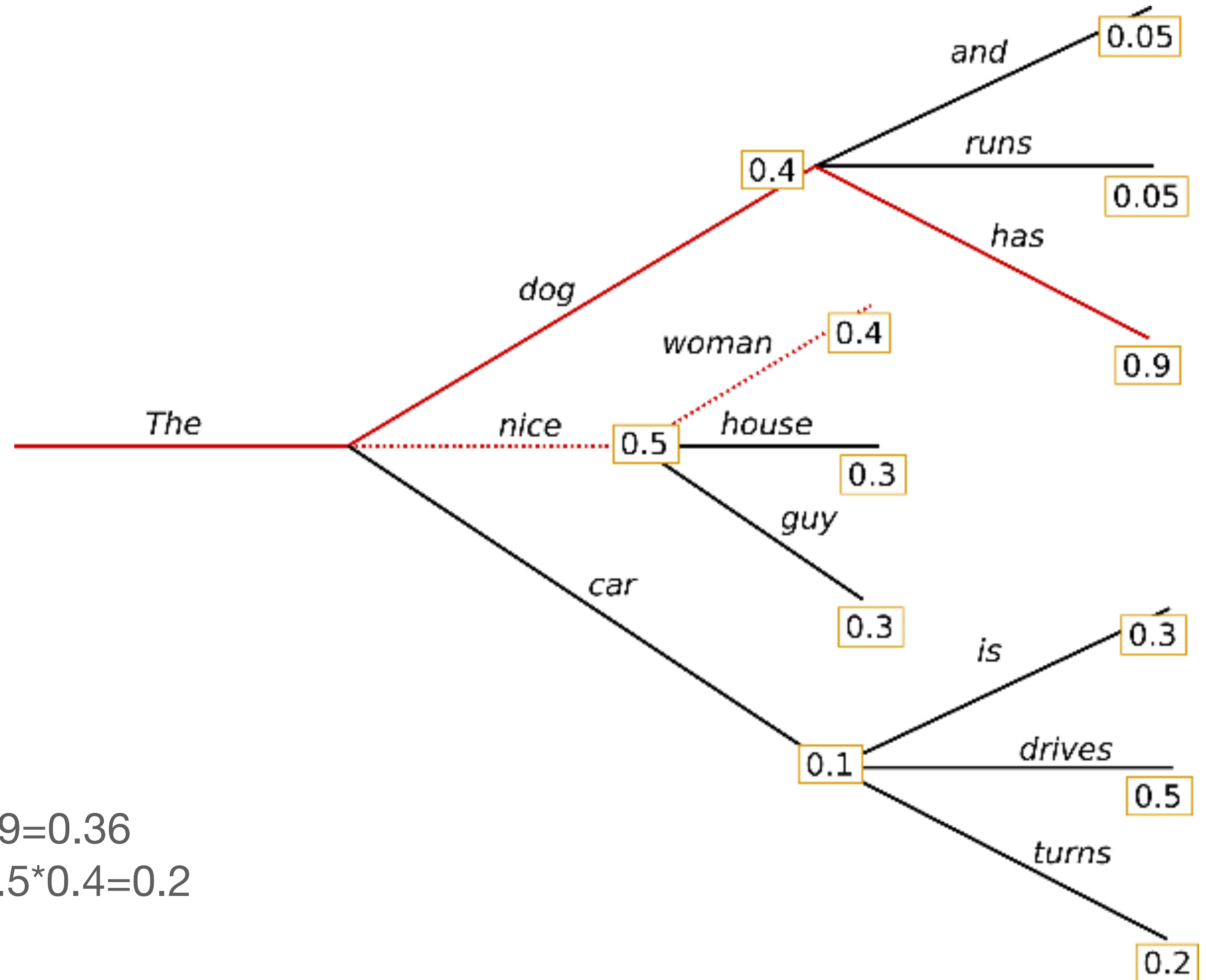
Beam Search

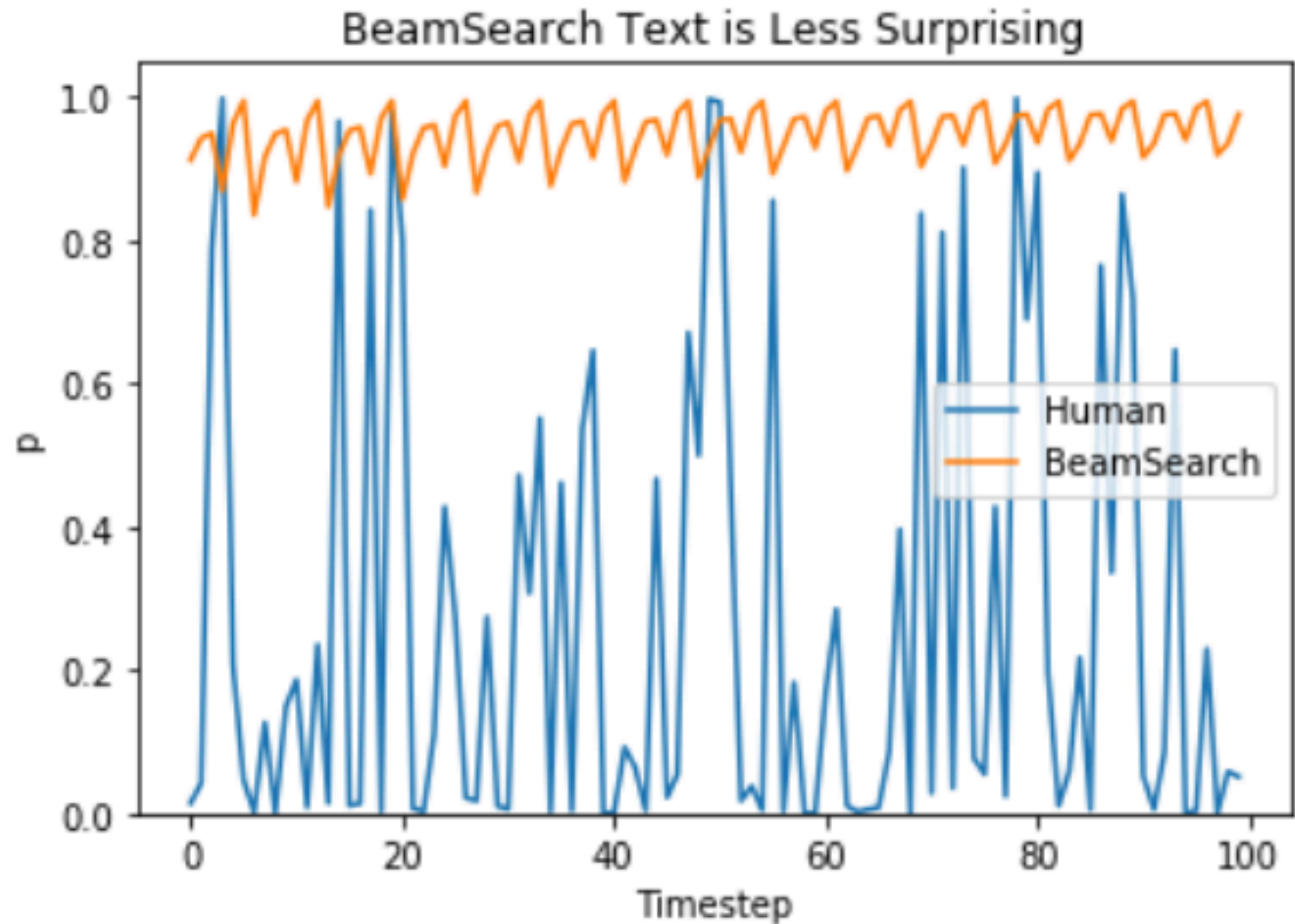
Let us assume a beam size of 2

Keep the 2 best outcomes at each time step

In this example:
("The", "nice") 0.5
("The", "dog") 0.4

Next time step:
("The", "dog", "has") $0.5 \times 0.9 = 0.36$
("The", "nice", "woman") $0.5 \times 0.4 = 0.2$





Ari Holtzman et al. (2019) plot probability that a model gives versus an estimate of the probability that a human would give. As humans we want generated text to surprise us and not be boring/predictable (depends on the task).

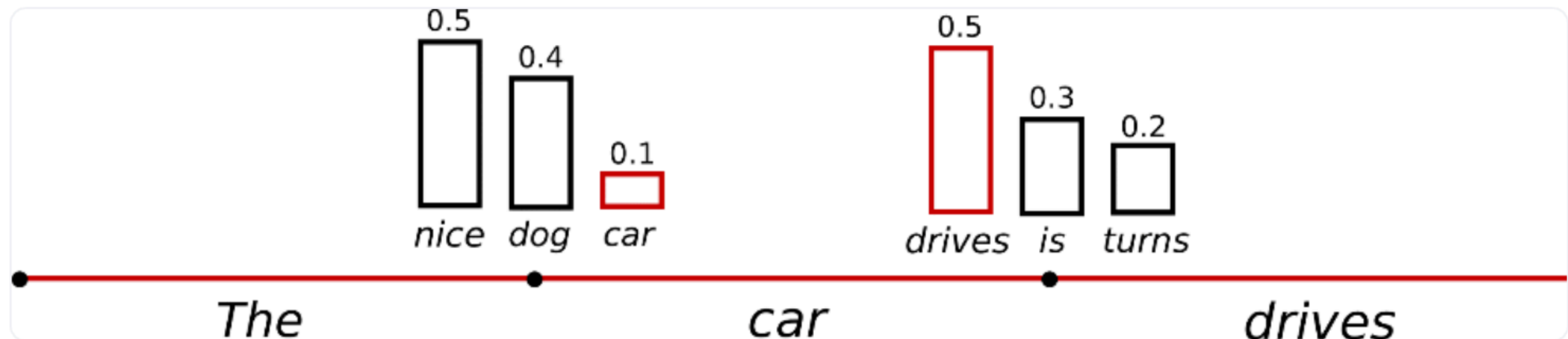
Sampling

- Sampling is represented by the operator \sim

- We pick the next word $w_t \sim P(w \mid w_{1:t-1}) = \frac{\exp(\text{logits}(w \mid w_{1:t-1}))}{\sum_{w'} \exp(\text{logits}(w' \mid w_{1:t-1}))}$

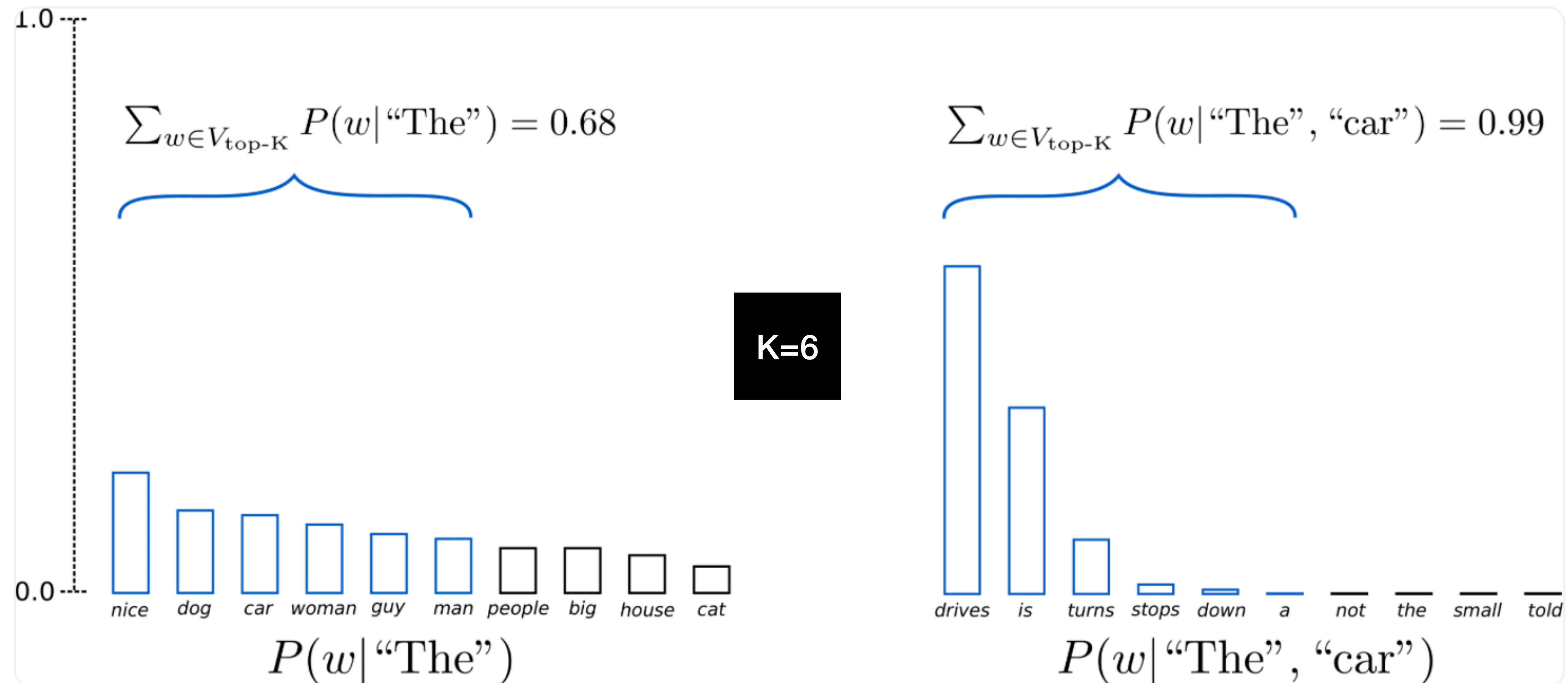
- Generation is no longer *deterministic*.

- Sampling can generate gibberish. Solution: use temperature $\frac{\exp(\text{logits}(w \mid w_{1:t-1})/T)}{\sum_{w'} \exp(\text{logits}(w' \mid w_{1:t-1})/T)}$



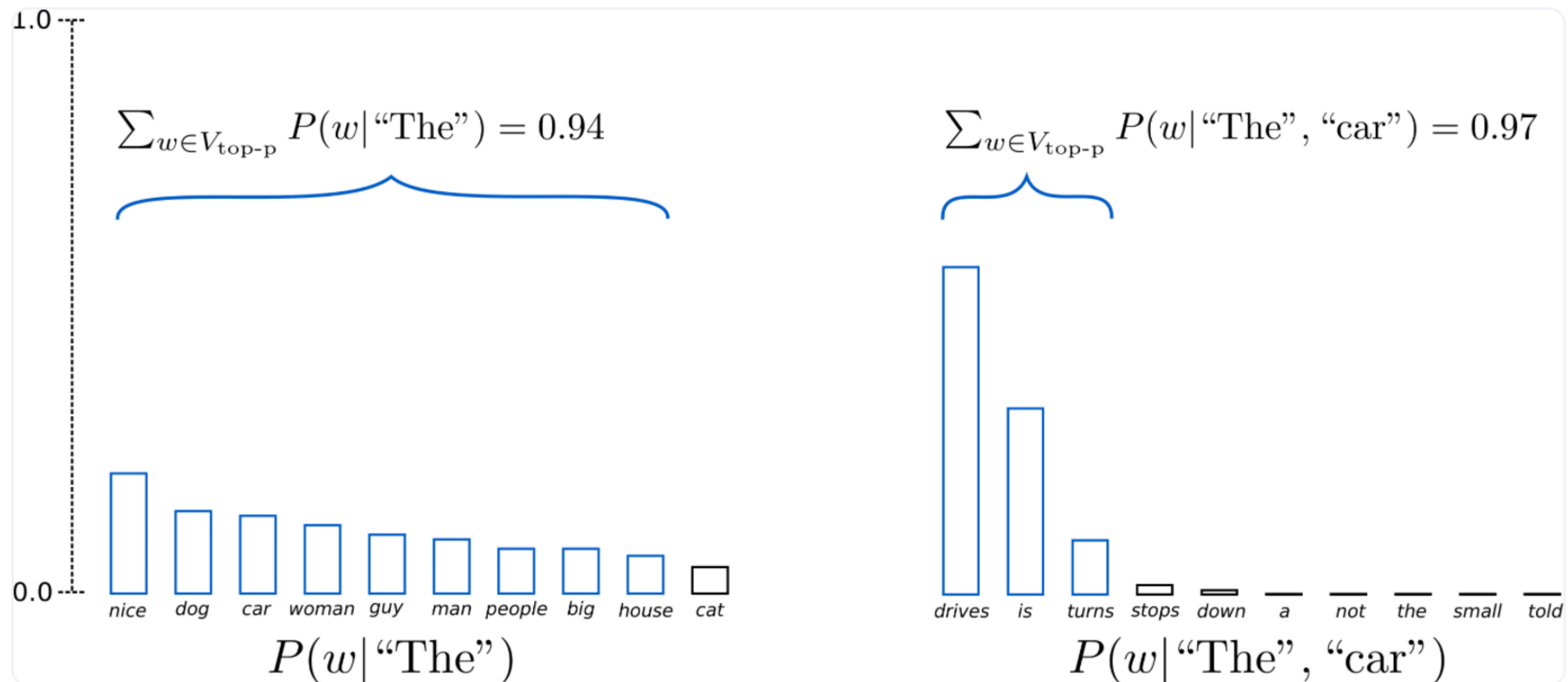
Top-k Sampling

- K most likely next words are filtered and we re-normalize over the K words
- GPT2 showed that this worked better than beam search



Top-p Nucleus Sampling

- Choose the smallest set of words whose cumulative probability exceeds a threshold probability p . The probability mass is redistributed among this set of words.
- The size of the set being sampled from grows and shrinks depending on the probability distribution.



Other problems

- **Unreachable subword problem:** there are some subwords for which under no circumstances is it possible to produce a subword (given any context).
- **Mode collapse:** tuning the LM might cause the model parameters to reach a state where Greedy and Sampling based generation produce the same output.
- **Softmax over very large vocabulary sizes:** Vocabulary sizes have reduced since subword segmentation has become the standard way to set up the vocabulary for LMs; However for very large vocabulary sizes, the compute efficiency for softmax might need careful consideration, e.g. use hierarchical softmax.