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Contents

1 Articles	53
2 Books	221
3 In proceedings	246
4 In collections	248
Aaronson, 1997	
Ablowitz and Fokas, 2003	
Abramowitz, 1965	
Abramowitz and Stegun, 1964	
Abu-Shammala and Torchinsky, 2007	
D. R. Adams and Hedberg, 1996	
R. A. Adams, 1975	
R. A. Adams and Fournier, 2003	
Adler, 2011	
Adolfsson, 1992	
Adolfsson, 1993	
Adolfsson and D. Jerison, 1994	
S. Agmon, Douglis, and Nirenberg, 1959	
Shmuel Agmon, 1965	
N. Agrawal, Yaozhong Hu, and Sharma, 2020	
O. P. Agrawal, 2002	
Ahlfors, 1978	
N. U. Ahmed and J. Zabczyk, 1996	
Nasir Uddin Ahmed, Fuhrman, and Jerzy Zabczyk, 1997	
Aidekon and Shi, 2014	
E. Aïdékon, Berestycki, Brunet, and Shi, 2013	
Elie Aïdékon, 2013	
Elie Aïdékon and Shi, 2010	
Aizenman, 1982	
Aizenman, Ivan Corwin, et al., 2020	
Aizenman and Warzel, 2015	
G. Akemann, J. Baik, and P. Di Francesco, 2011	

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Gernot Akemann, Jinho Baik, and Philippe Di Francesco, [2011](#)
 Alabert, Marco Ferrante, and David Nualart, [1995](#)
 Alabert and David Nualart, [1992](#)
 Alabert and David Nualart, [1997](#)
 Alberts, Khanin, and Jeremy Quastel, [2014a](#)
 Alberts, Khanin, and Jeremy Quastel, [2014b](#)
 S. Albeverio, Y.-Z. Hu, Röckner, and Zhou, [1999](#)
 S. Albeverio and M. Röckner, [1991](#)
 Sergio Albeverio, Yaozhong Hu, and Xian Yin Zhou, [1997](#)
 Sergio Albeverio, Stanislav A. Molchanov, and Surgailis, [1994](#)
 Alcaraz, Droz, Henkel, and Rittenberg, [1994](#)
 Allaire, [1992](#)
 Allez, Rhodes, and Vargas, [2013](#)
 Allman, Betz, and Martin Hairer, [2011](#)
 Allouba, [2013a](#)
 Allouba, [2013b](#)
 Allouba and Nane, [2013](#)
 Allouba and Weian Zheng, [2001](#)
 E. Alòs, J. A. León, and D. Nualart, [2001](#)
 E. Alòs, D. Nualart, and F. Viens, [2000](#)
 Elisa Alòs, Jorge A. León, and David Nualart, [1999](#)
 Elisa Alòs, Mazet, and David Nualart, [2000](#)
 Elisa Alòs, Mazet, and David Nualart, [2001](#)
 Elisa Alòs and David Nualart, [1997a](#)
 Elisa Alòs and David Nualart, [1997b](#)
 Elisa Alòs and David Nualart, [1998](#)
 Elisa Alòs and David Nualart, [2003](#)
 Alvarez-Gaumé, Barbón, and Crnkovi, [1993](#)
 Ambjørn, Durhuus, and Jónsson, [1994](#)
 Amir, Ivan Corwin, and Jeremy Quastel, [2011](#)
 Amorino and Eulalia Nualart, [2022](#)
 Ancona, [1997](#)
 B. D. O. Anderson, [1982](#)
 D. F. Anderson, Timo Seppäläinen, and Valkó, [2018](#)
 G. W. Anderson, [2011](#)
 G. W. Anderson, Alice Guionnet, and Zeitouni, [2010](#)
 P. W. Anderson, [1958](#)
 Andrews, [2010](#)
 Anton, D. Cohen, and Lluís Quer-Sardanyons, [2020](#)
 Apostol, [2010a](#)
 Apostol, [2010b](#)
 Applebaum, [2004](#)
 Apte, Hairer, Stuart, and Voss, [2007](#)
 Arendt, Batty, Hieber, and Neubrander, [2001](#)
 L.-P. Arguin, A. Bovier, and N. Kistler, [2011](#)
 Louis-Pierre Arguin, Anton Bovier, and Nicola Kistler, [2012](#)
 Louis-Pierre Arguin, Anton Bovier, and Nicola Kistler, [2013](#)
 Louis-Pierre Arguin and Zindy, [2014](#)
 Arnold, [1998](#)
 Arriojas, Hu, Mohammed, and Pap, [2007](#)
 Askey and Roy, [2010](#)

Asogwa, Foondun, Mijena, and Nane, [2020](#)
 Asogwa, Mijena, and Nane, [2020](#)
 Asogwa and Nane, [2017](#)
 S. Assing and R. Manthey, [1995](#)
 Sigurd Assing, [1993](#)
 Sigurd Assing, [1999](#)
 Sigurd Assing, [2001](#)
 Sigurd Assing, [2002](#)
 Sigurd Assing, [2007](#)
 Sigurd Assing, [2013](#)
 Sigurd Assing and Bichard, [2013](#)
 Sigurd Assing, Franco Flandoli, and Pappalettera, [2021](#)
 Sigurd Assing and Herman, [2021](#)
 Sigurd Assing and Hilbert, [2018](#)
 Sigurd Assing, Jacka, and Ocejó, [2014](#)
 Sigurd Assing and Ralf Manthey, [2003](#)
 Sigurd Assing and W. M. Schmidt, [1998](#)
 Sigurd Assing and Senf, [1991](#)
 Ayache and Yimin Xiao, [2005](#)
 Azmoodeh and Ivan Nourdin, [2019](#)
 Bacry and Muzy, [2003](#)
 Baeumer and Mark M. Meerschaert, [2001](#)
 Baeumer, Mark M. Meerschaert, and Nane, [2009a](#)
 Baeumer, Mark M. Meerschaert, and Nane, [2009b](#)
 Bahouri, Chemin, and Danchin, [2011](#)
 Jinho Baik, Barraquand, Corwin, and Suidan, [2018a](#)
 Jinho Baik, Barraquand, Corwin, and Suidan, [2018b](#)
 Jinho Baik, P. Deift, and Johansson, [1999](#)
 Bakry, Cohen, Hairer, and Roquejoffre, [2017](#)
 Bal, [2010](#)
 Bal, [2011](#)
 Bal, Garnier, Gu, and Jing, [2012](#)
 Bal and Gu, [2015](#)
 Bal, Gu, and Pinaud, [2018](#)
 R. M. Balan, [2001](#)
 R. M. Balan, [2002](#)
 R. M. Balan, [2004](#)
 R. M. Balan, [2007](#)
 R. M. Balan, Dumitrescu, and Schiopu-Kratina, [2010](#)
 R. M. Balan and Ivanoff, [2002](#)
 R. M. Balan and Jankovic, [2019](#)
 R. M. Balan and Schiopu-Kratina, [2005](#)
 R. Balan, [2009a](#)
 R. Balan, [2009b](#)
 R. Balan, [2014](#)
 R. Balan, A. Jakubowski, and Louhichi, [2016](#)
 R. Balan and D. Kim, [2008](#)
 R. Balan and Louhichi, [2010](#)
 R. Balan and Louhichi, [2011](#)
 R. Balan and Stoica, [2007](#)
 R. Balan and Zamfirescu, [2006](#)

Raluca M. Balan, [2001](#)
 Raluca M. Balan, [2005](#)
 Raluca M. Balan, [2011](#)
 Raluca M. Balan, [2012a](#)
 Raluca M. Balan, [2012b](#)
 Raluca M. Balan, [2012c](#)
 Raluca M. Balan, [2013](#)
 Raluca M. Balan, [2014](#)
 Raluca M. Balan, [2015](#)
 Raluca M. Balan and Le Chen, [2018](#)
 Raluca M. Balan, Le Chen, and Xia Chen, [2022](#)
 Raluca M. Balan, Le Chen, and Y. Ma, [2022](#)
 Raluca M. Balan and Conus, [2014](#)
 Raluca M. Balan and Conus, [2016](#)
 Raluca M. Balan, Jolis, and Lluís Quer-Sardanyons, [2015](#)
 Raluca M. Balan, Jolis, and Lluís Quer-Sardanyons, [2016](#)
 Raluca M. Balan, Jolis, and Lluís Quer-Sardanyons, [2017](#)
 Raluca M. Balan and R. Kulik, [2009](#)
 Raluca M. Balan and Louhichi, [2009](#)
 Raluca M. Balan and Ndong, [2016](#)
 Raluca M. Balan and Ndong, [2017](#)
 Raluca M. Balan, Lluís Quer-Sardanyons, and J. Song, [2019a](#)
 Raluca M. Balan, Lluís Quer-Sardanyons, and J. Song, [2019b](#)
 Raluca M. Balan and Saidani, [2020a](#)
 Raluca M. Balan and Saidani, [2020b](#)
 Raluca M. Balan and J. Song, [2017](#)
 Raluca M. Balan and J. Song, [2019](#)
 Raluca M. Balan and Ciprian A. Tudor, [2008](#)
 Raluca M. Balan and Ciprian A. Tudor, [2009](#)
 Raluca M. Balan and Ciprian A. Tudor, [2010a](#)
 Raluca M. Balan and Ciprian A. Tudor, [2010b](#)
 M. Balázs, Cator, and T. Seppäläinen, [2006](#)
 M. Balázs, J. Quastel, and T. Seppäläinen, [2011](#)
 M. Balázs, F. Rassoul-Agha, Seppäläinen, and Sethuraman, [2007](#)
 Márton Balázs, Busani, and Timo Seppäläinen, [2020](#)
 Márton Balázs, Busani, and Timo Seppäläinen, [2021](#)
 Márton Balázs, Komjáthy, and Timo Seppäläinen, [2012a](#)
 Márton Balázs, Komjáthy, and Timo Seppäläinen, [2012b](#)
 Márton Balázs, Firas Rassoul-Agha, and Timo Seppäläinen, [2006](#)
 Márton Balázs, Firas Rassoul-Agha, and Timo Seppäläinen, [2019](#)
 Márton Balázs and Timo Seppäläinen, [2007](#)
 Márton Balázs and Timo Seppäläinen, [2009](#)
 Márton Balázs and Timo Seppäläinen, [2010](#)
 P. Baldi and M. Sanz, [1991](#)
 Paolo Baldi and Marta Sanz-Solé, [1993](#)
 Bally, Annie Millet, and Marta Sanz-Solé, [1995](#)
 Bally and Etienne Pardoux, [1998](#)
 Bañuelos, Mijena, and Nane, [2014](#)
 X. Bardina, Bascompte, Rovira, and Tindel, [2013](#)
 X. Bardina, I. Nourdin, Rovira, and Tindel, [2010](#)
 Xavier Bardina, Jolis, and Lluís Quer-Sardanyons, [2010](#)

Xavier Bardina, Márquez, and Lluís Quer-Sardanyons, [2020](#)
 Xavier Bardina, David Márquez-Carreras, Rovira, and Tindel, [2004a](#)
 Xavier Bardina, David Márquez-Carreras, Rovira, and Tindel, [2004b](#)
 Xavier Bardina, Carles Rovira, and Samy Tindel, [2002](#)
 Xavier Bardina, Carles Rovira, and Samy Tindel, [2003a](#)
 Xavier Bardina, Carles Rovira, and Samy Tindel, [2003b](#)
 Xavier Bardina, Carles Rovira, and Samy Tindel, [2010](#)
 Barlow and D. Nualart, [1998](#)
 Barral, [1999](#)
 Barral, Jin, Rhodes, and Vargas, [2013](#)
 Barral, Antti Kupiainen, Nikula, Saksman, and Webb, [2014](#)
 Barral and Mandelbrot, [2002](#)
 Barral, Rhodes, and Vargas, [2012](#)
 Barraquand, Alexei Borodin, and Ivan Corwin, [2020](#)
 Barraquand, Alexei Borodin, Ivan Corwin, and Wheeler, [2018](#)
 Barraquand and Ivan Corwin, [2016](#)
 Barraquand and Ivan Corwin, [2017](#)
 Jacek Barski Michaand Jakubowski and Jerzy Zabczyk, [2011](#)
 Jerzy Barski Michaand Zabczyk, [2010](#)
 Jerzy Barski Michaand Zabczyk, [2012a](#)
 Jerzy Barski Michaand Zabczyk, [2012b](#)
 Jerzy Barski Michaand Zabczyk, [2020](#)
 Jerzy Barski Michaand Zabczyk, [2021](#)
 Basor and Craig A. Tracy, [1991](#)
 Basor and Craig A. Tracy, [1992](#)
 Basor and Craig A. Tracy, [1993](#)
 Basor, Craig A. Tracy, and Harold Widom, [1992a](#)
 Basor, Craig A. Tracy, and Harold Widom, [1992b](#)
 R. Bass, Xia Chen, and Rosen, [2009](#)
 R. Bass and Davar Khoshnevisan, [1992](#)
 R. F. Bass, [1998](#)
 R. F. Bass, Burdzy, Zhen-Qing Chen, and Hairer, [2010](#)
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 R. F. Bass and Xia Chen, [2004](#)
 R. F. Bass and Davar Khoshnevisan, [1992](#)
 R. F. Bass and Davar Khoshnevisan, [1993a](#)
 R. F. Bass and Davar Khoshnevisan, [1993b](#)
 R. F. Bass and Davar Khoshnevisan, [1993c](#)
 R. F. Bass and Davar Khoshnevisan, [1995](#)
 F. Baudoin, Nualart, Ouyang, and Tindel, [2016](#)
 Fabrice Baudoin and Li Chen, [2022](#)
 Fabrice Baudoin and Martin Hairer, [2007](#)
 Fabrice Baudoin, Martin Hairer, and Teichmann, [2008](#)
 Fabrice Baudoin and David Nualart, [2003](#)
 Fabrice Baudoin and David Nualart, [2005](#)
 Fabrice Baudoin and David Nualart, [2006](#)
 Fabrice Baudoin, Ouyang, and Samy Tindel, [2014](#)
 Bauinov and Simeonov, [1992](#)
 Baxter, N. C. Jain, and T. O. Seppäläinen, [1993](#)
 Becker-Kern, Mark M. Meerschaert, and Scheffler, [2004](#)
 Beenakker, [2011](#)

van Beijeren, Kutner, and H. Spohn, [1985](#)
 Beliaev, Bertrand Duplantier, and Zinsmeister, [2017](#)
 Bell and David Nualart, [2017](#)
 Bellucci and Trifonov, [2005](#)
 G. Ben Arous and A. Guionnet, [2011](#)
 Gérard Ben Arous and Ivan Corwin, [2011](#)
 Gérard Ben Arous, Jeremy Quastel, and Ramírez, [2003](#)
 Ben-Ari, [2009](#)
 Benhenni, [1998](#)
 Benjamini and Schramm, [2009](#)
 Bennett, [1998](#)
 Bercu, Ivan Nourdin, and Taqqu, [2010](#)
 Berg, R. C. Dalang, and Valette, [2018](#)
 Berger and Lacoïn, [2011](#)
 Bergh and Löfström, [1976](#)
 Berkes, Lajos Horváth, and Davar Khoshnevisan, [1998](#)
 Bernard and David Nualart, [1990](#)
 Bernardi and Bousquet-Mélou, [2011](#)
 Bernardi, Bertrand Duplantier, and Nadeau, [2010](#)
 S. Bernstein, [1904](#)
 Serge Bernstein, [1910](#)
 Bernyk, R. C. Dalang, and Peskir, [2008](#)
 Bernyk, R. C. Dalang, and Peskir, [2011](#)
 Berry and Howls, [2010](#)
 L. Bertini, N. Cancrini, and Jona-Lasinio, [1994](#)
 Lorenzo Bertini and Nicoletta Cancrini, [1995](#)
 Lorenzo Bertini and Giacomini, [1997](#)
 Lorenzo Bertini and Giacomini, [1999](#)
 Bertoin, [1996](#)
 Bertola, [2011](#)
 M. Besalú, A. Kohatsu-Higa, and S. Tindel, [2016](#)
 Mireia Besalú, David Márquez-Carreras, and Eulalia Nualart, [2021](#)
 Mireia Besalú and David Nualart, [2011](#)
 Beurling, [1948](#)
 S. Bezerra, Samy Tindel, and Frederi Viens, [2008](#)
 S. d. C. Bezerra and Samy Tindel, [2007](#)
 Biagini, Yaozhong Hu, Meyer-Brandis, and Øksendal, [2012](#)
 Biagini, Yaozhong Hu, Øksendal, and Sulem, [2002](#)
 Biagini, Yaozhong Hu, Øksendal, and Tusheng Zhang, [2008](#)
 Biermé, Bonami, Nourdin, and Peccati, [2012](#)
 Biggins and Kyprianou, [2004](#)
 Biggins and Kyprianou, [2005](#)
 Billingsley, [1995](#)
 Billingsley, [1999](#)
 Bingham, Goldie, and Teugels, [1989](#)
 Binotto, Ivan Nourdin, and David Nualart, [2018](#)
 Birman and Skvortsov, [1962](#)
 Biskup and Wolfgang König, [2001](#)
 Björk, [1969](#)
 Bleher and Liechty, [2014](#)
 D. Blömker, M. Hairer, and G. A. Pavliotis, [2005](#)

D. Blömker, M. Hairer, and G. A. Pavliotis, [2007](#)
 Dirk Blömker, Giuseppe Cannizzaro, and Romito, [2020](#)
 Dirk Blömker and Martin Hairer, [2004](#)
 Dirk Blömker and Martin Hairer, [2005](#)
 Dirk Blömker, Martin Hairer, and Grigorios A. Pavliotis, [2010](#)
 Blumenthal and Getoor, [1968](#)
 Bo and Tusheng Zhang, [2009](#)
 V. I. Bogachev, [2007](#)
 V. I. Bogachev, Kosov, Nourdin, and Poly, [2015](#)
 Vladimir I. Bogachev, [1998](#)
 Bohigas and Weidenmüller, [2011](#)
 Bojdecki, Gorostiza, and David Nualart, [1997](#)
 Bolaños Guerrero, David Nualart, and G. Zheng, [2021](#)
 Bolthausen, [1989](#)
 Bolthausen, J. D. Deuschel, and Zeitouni, [2000](#)
 Bolthausen, J. D. Deuschel, and Zeitouni, [2011](#)
 Bolthausen, J.-D. Deuschel, and Giacomin, [2001](#)
 Bolthausen and Ioffe, [1997](#)
 Bonet and D. Nualart, [1977](#)
 Borell, [1975](#)
 A. Borodin and I. Corwin, [2014](#)
 Alexei Borodin, [2011](#)
 Alexei Borodin, Bufetov, and Ivan Corwin, [2016](#)
 Alexei Borodin and Ivan Corwin, [2014a](#)
 Alexei Borodin and Ivan Corwin, [2014b](#)
 Alexei Borodin and Ivan Corwin, [2015](#)
 Alexei Borodin and Ivan Corwin, [2020](#)
 Alexei Borodin, Ivan Corwin, and P. Ferrari, [2014](#)
 Alexei Borodin, Ivan Corwin, P. Ferrari, and Vet, [2015](#)
 Alexei Borodin, Ivan Corwin, P. Ferrari, and Vet, [2021](#)
 Alexei Borodin, Ivan Corwin, and Patrik L. Ferrari, [2018](#)
 Alexei Borodin, Ivan Corwin, and Gorin, [2016](#)
 Alexei Borodin, Ivan Corwin, Gorin, and Shakirov, [2016](#)
 Alexei Borodin, Ivan Corwin, Petrov, and Sasamoto, [2015a](#)
 Alexei Borodin, Ivan Corwin, Petrov, and Sasamoto, [2015b](#)
 Alexei Borodin, Ivan Corwin, Petrov, and Sasamoto, [2019](#)
 Alexei Borodin, Ivan Corwin, and Remenik, [2013](#)
 Alexei Borodin, Ivan Corwin, and Remenik, [2015a](#)
 Alexei Borodin, Ivan Corwin, and Remenik, [2015b](#)
 Alexei Borodin, Ivan Corwin, and Tomohiro Sasamoto, [2014](#)
 Alexei Borodin, Ivan Corwin, and Toninelli, [2017](#)
 Alexei Borodin and P. Deift, [2002](#)
 Alexei Borodin and Patrik L. Ferrari, [2008](#)
 Alexei Borodin and Gorin, [2016a](#)
 Alexei Borodin and Gorin, [2016b](#)
 Alexei Borodin, Okounkov, and Olshanski, [2000](#)
 A. N. Borodin and Salminen, [2002](#)
 Bothner, [2017](#)
 Bothner, [2021](#)
 Bou-Rabee and M. Hairer, [2013](#)
 Bouchaud and Georges, [1990](#)

Bouchaud and Potters, [2011](#)
 Bouleau and Hirsch, [1991](#)
 Bourguin and Ivan Nourdin, [2020](#)
 Bouttier, [2011](#)
 Braaksma, [1964](#)
 Bramson and Zeitouni, [2012](#)
 Bréhier, Martin Hairer, and Andrew M. Stuart, [2018](#)
 Bressoud, [2010](#)
 Breton and Ivan Nourdin, [2008](#)
 Breton, Ivan Nourdin, and Peccati, [2009](#)
 E. Brézin and Hikami, [2011](#)
 É. Brézin, V. A. Kazakov, and Al. B. Zamolodchikov, [1990](#)
 Brislawn, [1991](#)
 Brownlees, Eulalia Nualart, and Y. Sun, [2020](#)
 Brownlees, Eulàlia Nualart, and Y. Sun, [2018](#)
 Y. Bruned, A. Chandra, Chevyrev, and Hairer, [2021](#)
 Y. Bruned, Gabriel, Hairer, and Zambotti, [2021](#)
 Y. Bruned, M. Hairer, and L. Zambotti, [2019](#)
 Yvain Bruned, Martin Hairer, and Lorenzo Zambotti, [2020](#)
 Brunet and Derrida, [2000a](#)
 Brunet and Derrida, [2000b](#)
 Z. Brzeniak and S. Cerrai, [2017](#)
 Z. Brzeniak, S. Cerrai, and M. Freidlin, [2015](#)
 Z. Brzeniak and M. Ondreját, [2011](#)
 Zdzisaw Brzeniak and Gatarek, [1999](#)
 Zdzisaw Brzeniak, Ben Goldys, et al., [2010](#)
 Zdzisaw Brzeniak and Martin Ondreját, [2007](#)
 Zdzisaw Brzeniak, Szymon Peszat, and Jerzy Zabczyk, [2001](#)
 Zdzisaw Brzeniak and Jerzy Zabczyk, [2010](#)
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 R. Buckdahn and D. Nualart, [1994](#)
 Rainer Buckdahn and David Nualart, [1993](#)
 Burda and Jurkiewicz, [2011](#)
 Burdzy, [1993](#)
 Burdzy and Davar Khoshnevisan, [1995](#)
 Burdzy and Davar Khoshnevisan, [1998](#)
 Burdzy and David Nualart, [2002](#)
 Burdzy, David Nualart, and Swanson, [2014](#)
 Burdzy and Jeremy Quastel, [2006](#)
 Caballero, B. Fernández, and David Nualart, [1995](#)
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 Caballero, B. Fernández, and David Nualart, [1998](#)
 Cadel, Samy Tindel, and Frederi Viens, [2008](#)
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 Cairoli and R. C. Dalang, [1995b](#)
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 Cairoli and Walsh, [1975](#)
 Cambanis and Yaozhong Hu, [1996](#)
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 Campese, Ivan Nourdin, Peccati, and Poly, [2016](#)
 Campos, Drewitz, Ramírez, Rassoul-Agha, and Seppäläinen, [2013](#)

Candil, [2022](#)
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 G. Cannizzaro and K. Matetski, [2018](#)
 Giuseppe Cannizzaro and Chouk, [2018](#)
 Giuseppe Cannizzaro, Erhard, and Schönbauer, [2021](#)
 Cantarella, Duplantier, Shonkwiler, and Uehara, [2016](#)
 Capasso et al., [2003](#)
 Caravenna, R. Sun, and Zygouras, [2017](#)
 Cardy, [1990](#)
 E. A. Carlen, Carvalho, and Gabetta, [2000](#)
 E. Carlen and Krée, [1991](#)
 Carlson, [2010](#)
 P. Carmona and Yueyun Hu, [2006](#)
 R. A. Carmona and S. A. Molchanov, [1995](#)
 Rene Carmona, Korolov, and S. Molchanov, [2001](#)
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 René Carmona and David Nualart, [1988b](#)
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 René A. Carmona and David Nualart, [1990](#)
 René A. Carmona and David Nualart, [1992](#)
 René A. Carmona and F. G. Viens, [1998](#)
 Caruana and P. Friz, [2009](#)
 Caruana, Peter K. Friz, and Oberhauser, [2011](#)
 de Carvalho Bezerra and Samy Tindel, [2007](#)
 Cass, Hairer, Litterer, and Tindel, [2015](#)
 Catellier and Chouk, [2018](#)
 Çenesiz, Kurt, and Nane, [2017](#)
 S. Cerrai, [2002](#)
 Sandra Cerrai, [1994](#)
 Sandra Cerrai, [1995](#)
 Sandra Cerrai, [1996a](#)
 Sandra Cerrai, [1996b](#)
 Sandra Cerrai, [1998a](#)
 Sandra Cerrai, [1998b](#)
 Sandra Cerrai, [1998c](#)
 Sandra Cerrai, [1999a](#)
 Sandra Cerrai, [1999b](#)
 Sandra Cerrai, [1999c](#)
 Sandra Cerrai, [2000](#)
 Sandra Cerrai, [2001a](#)
 Sandra Cerrai, [2001b](#)
 Sandra Cerrai, [2001c](#)
 Sandra Cerrai, [2001d](#)
 Sandra Cerrai, [2003](#)
 Sandra Cerrai, [2005](#)
 Sandra Cerrai, [2006a](#)
 Sandra Cerrai, [2006b](#)
 Sandra Cerrai, [2009a](#)
 Sandra Cerrai, [2009b](#)

Sandra Cerrai, [2011](#)
 Sandra Cerrai and Clément, [2001](#)
 Sandra Cerrai and Clément, [2003](#)
 Sandra Cerrai and Clément, [2004](#)
 Sandra Cerrai and Clément, [2005](#)
 Sandra Cerrai and Clément, [2007](#)
 Sandra Cerrai and Giuseppe Da Prato, [2012](#)
 Sandra Cerrai and Giuseppe Da Prato, [2014](#)
 Sandra Cerrai, Giuseppe Da Prato, and Franco Flandoli, [2013](#)
 Sandra Cerrai and Debussche, [2019a](#)
 Sandra Cerrai and Debussche, [2019b](#)
 Sandra Cerrai and Mark Freidlin, [2006a](#)
 Sandra Cerrai and Mark Freidlin, [2006b](#)
 Sandra Cerrai and Mark Freidlin, [2009](#)
 Sandra Cerrai and Mark Freidlin, [2011a](#)
 Sandra Cerrai and Mark Freidlin, [2011b](#)
 Sandra Cerrai and Mark Freidlin, [2011c](#)
 Sandra Cerrai and Mark Freidlin, [2015](#)
 Sandra Cerrai and Mark Freidlin, [2017](#)
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erasimovics.hairer:19:hormanders

gerencser.hairer:19:solution

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gess.ouyang.ea:20:density

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gross.miljkovic:90:nonperturbative

gruter.widman:82:green

gu:16:central

gu:17:high

gu:19:1d

gu:20:gaussian

gu.bal:12:random

gu.bal:14:invariance

gu.bal:15:fluctuations

gu.bal:15:homogenization

gu.bal:16:weak

gu.henderson:21:pde

gu.huang:18:chaos

gu.komorowski:21:gaussian

gu.komorowski:21:high

gu.komorowski:21:kpz

gu.komorowski:22:another

gu.komorowski:22:gaussian

gu.komorowski.ea:18:fluctuations

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- hairer.mattingly:09:slow
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- hairer.pardoux.ea:13:random
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- hairer.stuart.ea:14:spectral
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hu.lu.ea:13:holder

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hu.lu.ea:14:convergence

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hu.nualart:09:stochastic*1

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- liu.zhang:14:large
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- liu.tian.ea:17:on
- liu.nualart.ea:19:lan
- liu.tindel:19:first-order
- liu.tindel:20:discrete
- liu.honnappa.ea:21:infinite
- loh.sun.ea:21:on
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- quez-carreras.rovira.ea:11:model
- quez-carreras.sanz-sole:97:small
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- marquez-carreras.tindel:03:on
- martinez.sanz-sole:06:lattice
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- mckean:94:limit
- mckean:63:brownian
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- meerschaert.nane.ea:09:fractional
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- meerschaert.nane.ea:13:transient
- meerschaert.nane.ea:08:large
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- mitrea.mitrea.ea:08:poisson
- mitrea.mitrea.ea:10:boundary
- mitrea:01:dirichlet
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nourdin.peccati:08:weighted	Nourdin, I. and G. Peccati (2008). “Weighted power variations of iterated Brownian motion”. In: <i>Electron. J. Probab.</i> 13, no. 43, 1229–1256 (cit. on p. 38).
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nourdin.peccati.ea:14:comparison

nourdin.peccati.ea:19:berry-esseen

nourdin.peccati.ea:20:restricted

nourdin.poly:12:convergence

nourdin.poly:12:erratum

nourdin.poly:13:convergence

nourdin.poly:15:invariance

nourdin.pu:22:gaussian

nourdin.reveillac:09:asymptotic

nourdin.reveillac.ea:10:weak

nourdin.rosinski:14:asymptotic

nourdin.simon:06:on

nourdin.simon:06:on*1

nourdin.simon:07:correcting

nourdin.taquu:14:central

nourdin.tran:19:statistical

nourdin.tudor:06:some

nourdin.viens:09:density

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- palmer.tracy:83:two-dimensional
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- peszat.zabczyk:95:strong
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- peszat.zabczyk:00:nonlinear
- peterson.seppalainen:10:current
- pipiras.taquu:00:integration
- pipiras.taquu:01:are
- piterbarg:86:structure
- pitt:71:markov
- pitt:73:some
- pitt:75:stationary
- pitt.robeva.ea:95:error
- pitt.tran:79:local
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- gha.seppalainen.ea:13:quenched
- gha.seppalainen.ea:17:averaged
- ha.seppalainen.ea:17:variational
- rempa-a.zabczyk:88:on
- rhodes.sohier.ea:14:levy
- rhodes.vargas:10:multidimensional
- rhodes.vargas:11:kpz
- rhodes.vargas:16:lecture
- riahi:13:estimates
- richey.tracy:86:zn
- richey.tracy:87:equation
- richey.tracy:87:symmetry
- richey.tracy:90:algorithms
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- rovira.tindell:00:sharp*1
- rovira.tindell:00:sharp
- rovira.tindell:01:sharp*1
- rovira.tindell:05:on
- russo.trutnau:07:some
- russo.vallois:93:forward
- rychkov:99:on
- said-houari:22:global
- saloff-coste:92:note
- sanz:88:local
- sanz:89:r-variations
- sanz-i-sole:92:combining
- sanz-sole:78:stochastic
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- sanx-sole.vuillermot:03:equivalence
- sasamoto:05:spatial
- sasamoto:16:1d
- sasamoto.spohn:09:superdiffusivity
- sasamoto.spohn:10:exact
- sasamoto.spohn:10:crossover
- sasorov.meerson.ea:17:large
- ferber.ferber.ea:92:renormalization
- schmidt.zabczyk:12:cdo
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- schneider.wyss:89:fractional
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- seppalainen:98:hydrodynamic
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tracy:88:universality

tracy:89:monodromy

tracy:91:asymptotics

tracy.grove.ea:87:modular

tracy.widom:93:level-spacing

tracy.widom:94:fredholm

tracy.widom:94:level

tracy.widom:94:level-spacing

tracy.widom:96:fredholm

tracy.widom:96:on

tracy.widom:97:on

tracy.widom:98:asymptotics

tracy.widom:98:correlation

tracy.widom:99:random

tracy.widom:01:on

tracy.widom:02:on*1

tracy.widom:03:system

tracy.widom:04:limit

tracy.widom:04:differential

tracy.widom:05:matrix

tracy.widom:06:pearcey

tracy.widom:07:nonintersecting

tracy.widom:08:fredholm

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viens.zhang:08:almost

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wang.yang.ea:21:reflected

wang.zhang:19:pathwise

wang.zhang:10:gradient

wang.zhang:20:talagrand

wang.zhang:14:log-harnack

wang.zhai.ea:15:moderate

wang.zhai.ea:16:exponential

wang.zhang:15:moderate

wen.zhang:09:rectangular

wen.zhang:11:improved

whittle:54:on

wild:51:on

wilson:85:on

winter.xu.ea:16:dynamics

wolfersdorf:94:on

wong.zhao:02:exponential

wright:40:asymptotic

wright:40:generalized

wright:33:on

wright:35:asymptotic

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xiang.zhang:05:small

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xu.zhang:09:large

xu.zhang:09:on

xu.zhang:09:white

xu.zhang:10:large

yang.yang:66:one-dimensional

yang.zhang:14:existence

yang.wang.ea:22:elliptic

yang.zhang:18:backward

yang.zhang:21:dirichlet

yang.zhai.ea:15:large

yang.zhang.ea:20:reflected

yang.zhang:13:estimates

yang.zhang:14:mixed

yau:04:t23

yi.hu.ea:21:positivity

yor:80:loi

yor:92:on

young:36:inequality

yu.wang.ea:18:large

yue.zhang:14:elliptic

yue.zhang:15:absolute

zabczyk:85:exit

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- zabczyk:21:controllable
- zaidi.nualart:99:burgers
- zhai.zhang:15:large
- zhai.zhang:17:large
- zhai.zhang:20:2d
- zhai.zhang.ea:18:moderate
- zhai.zhang.ea:20:large
- zhang.zhao:07:stationary
- zhang.zhang:21:quadratic
- zhang:07:large
- zhang:09:variational
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sagan:01:symmetric

samko.kilbas.ea:93:fractional

sanz-sole:05:malliavin

sato:99:levy

sato:13:levy

schilling.song.ea:10:bernstein

seppalainen:91:large

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3 In proceedings

In proceedings

sec:In proceedings

cordes:61:zero

corwin:14:macdonald

donsker.varadhan:75:asymptotic

duplantier:14:liouville

gross:67:abstract

hairer:14:singular

hairer:14:singular*1

hedberg:80:spectral

jolis.sanz:90:nonadaptive

nualart.sanz:80:random

nualart:77:on*1

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<code>driver.hu:96:on</code>	Driver, B. K. and Y. Hu (1996). “On heat kernel logarithmic Sobolev inequalities”. In: <i>Stochastic analysis and applications</i> (Powys, 1995). World Sci. Publ., River Edge, NJ, pp. 189–200 (cit. on p. 17).
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<code>on.mayboroda.ea:07:interpolation</code>	Kalton, N., S. Mayboroda, and M. Mitrea (2007). “Interpolation of Hardy-Sobolev-Besov-Triebel-Lizorkin spaces and applications to problems in partial differential equations”. In: <i>Interpolation theory and applications</i> . Vol. 445. Contemp. Math. Amer. Math. Soc., Providence, RI, pp. 121–177 (cit. on p. 29).
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<code>karczewska.zabczyk:00:stochastic</code>	Karczewska, A. and J. Zabczyk (2000b). “Stochastic PDE’s with function-valued solutions”. In: <i>Infinite dimensional stochastic analysis (Amsterdam, 1999)</i> . Vol. 52. Verh. Afd. Natuurkd. 1. Reeks. K. Ned. Akad. Wet. R. Neth. Acad. Arts Sci., Amsterdam, pp. 197–216 (cit. on p. 29).
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<code>uzhenko.sommers:11:non-hermitian</code>	Khoruzhenko, B. A. and H.-J. Sommers (2011). “Non-Hermitian ensembles”. In: <i>The Oxford handbook of random matrix theory</i> . Oxford Univ. Press, Oxford, pp. 376–397 (cit. on p. 30).
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