

In [1]:

```
from qiskit import IBMQ, Aer
from qiskit.providers.ibmq import least_busy
from qiskit import QuantumCircuit, transpile, assemble
from qiskit.visualization import plot_histogram
from qiskit_textbook.tools import simon_oracle

# The function simon_oracle (imported above) creates a Simon oracle for the bitstring b
```

## 1. Implement a general Simon oracle using Qiskit.

In [2]:

```
# Simon_Oracle

def simon_gen_oracle(b):
    # to create copies of first register to second register
    for i in range(n):
        circ.cx(i, n+i)                #change the name of variable 'circ' depending on what you name your circuit

    # applying cx based on b
    k=0
    for i in range(n-1, -1, -1):        #reading the character of b in reverse order
        if b[i] == '1':                #if there is a '1' in b, because if there is a '0' we leave it unchanged
            m = n                      #we assign the value of n to some variable m
            for j in range(n-1, -1, -1):
                if b[j] == '1':        #if we encounter '1' then we implement cx with respect to those b which are '1'
                    circ.cx(k, m)
                    m+=1
            break
        k+=1                           # when the bitstring is not '1', we increment k by 1 and go to next bit
```

## 2. Test your general Simon oracle with the secret bitstring $b=1001$ , on a simulator. Are the results what you expect? Explain why.

In [3]:

```

n = 4
b = '1001'
circ = QuantumCircuit(n*2, n)

circ.h(range(n))
circ.barrier()

simon_gen_oracle(b)

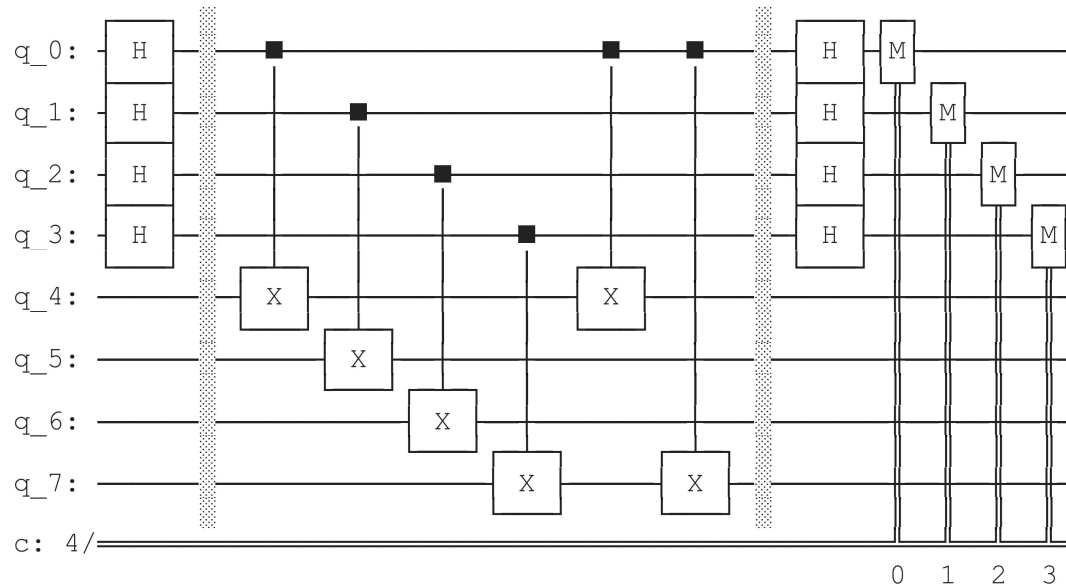
circ.barrier()

circ.h(range(n))
circ.measure(range(n), range(n))

circ.draw()

```

Out[3]:



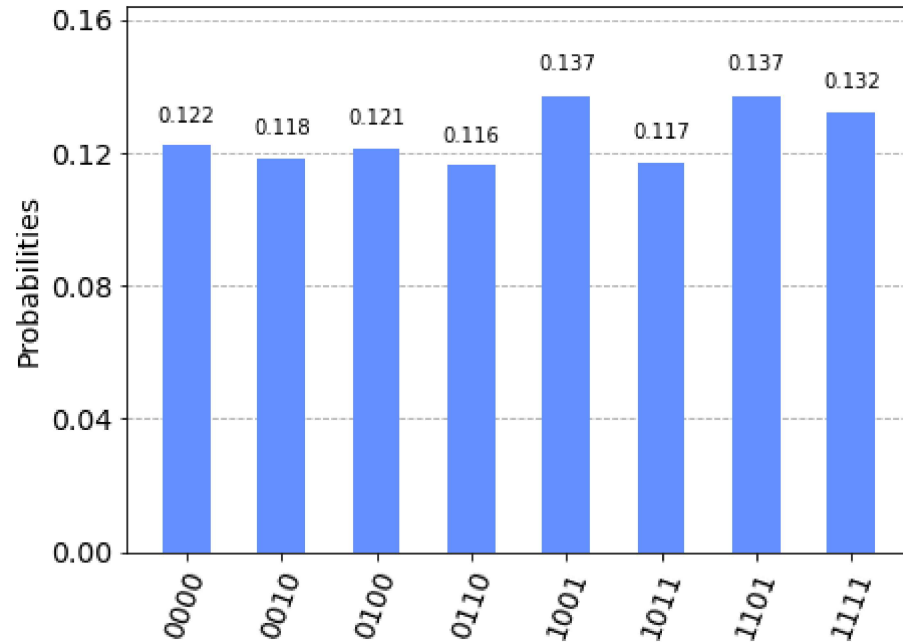
In [4]:

```

# use local simulator
aer_sim = Aer.get_backend('aer_simulator')
shots = 1024
qobj = assemble(circ, shots=shots)
results = aer_sim.run(qobj).result()
counts = results.get_counts()
plot_histogram(counts)

```

Out[4]:



In [5]:

```
# Calculate the dot product of the results
def bdotz(b, z):
    accum = 0
    for i in range(len(b)):
        accum += int(b[i]) * int(z[i])
    return (accum % 2)

for z in counts:
    print( '{}.{} = {} (mod 2)'.format(b, z, bdotz(b,z), ) )
```

```
1001.0010 = 0 (mod 2)
1001.1011 = 0 (mod 2)
1001.1001 = 0 (mod 2)
1001.1111 = 0 (mod 2)
1001.0110 = 0 (mod 2)
1001.1101 = 0 (mod 2)
1001.0100 = 0 (mod 2)
1001.0000 = 0 (mod 2)
```

## Verify Result (With Qiskit Oracle)

```

In [7]: b_1 = '1001'

n = len(b_1)
simon_circuit = QuantumCircuit(n*2, n)

# Apply Hadamard gates before querying the oracle
simon_circuit.h(range(n))

# Apply barrier for visual separation
simon_circuit.barrier()

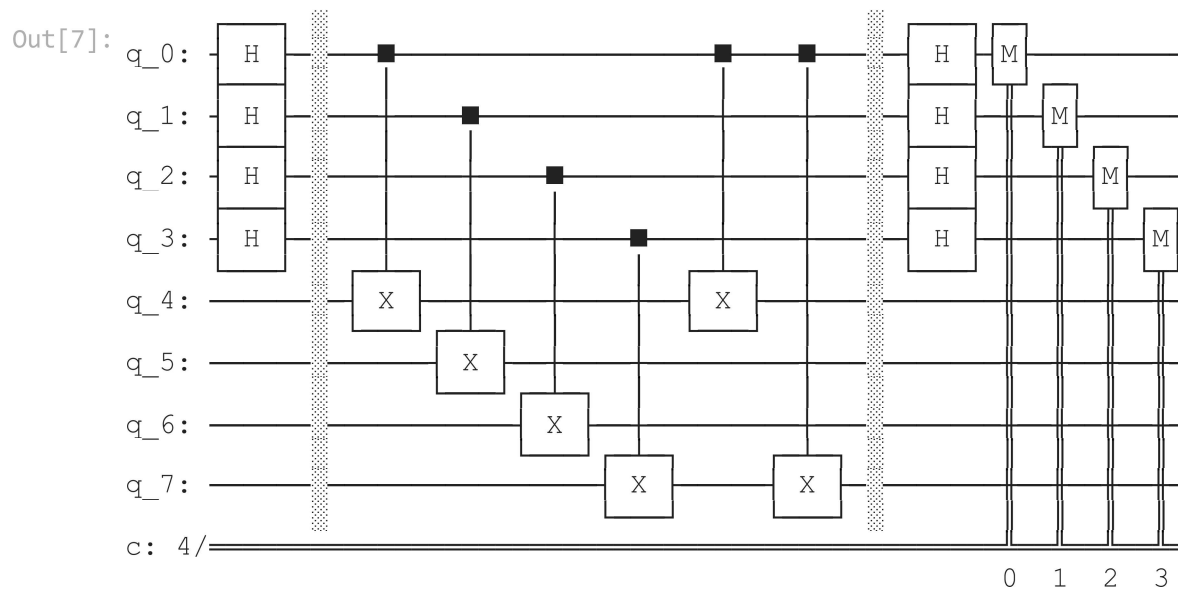
simon_circuit += simon_oracle(b_1)

# Apply barrier for visual separation
simon_circuit.barrier()

# Apply Hadamard gates to the input register
simon_circuit.h(range(n))

# Measure qubits
simon_circuit.measure(range(n), range(n))
simon_circuit.draw()

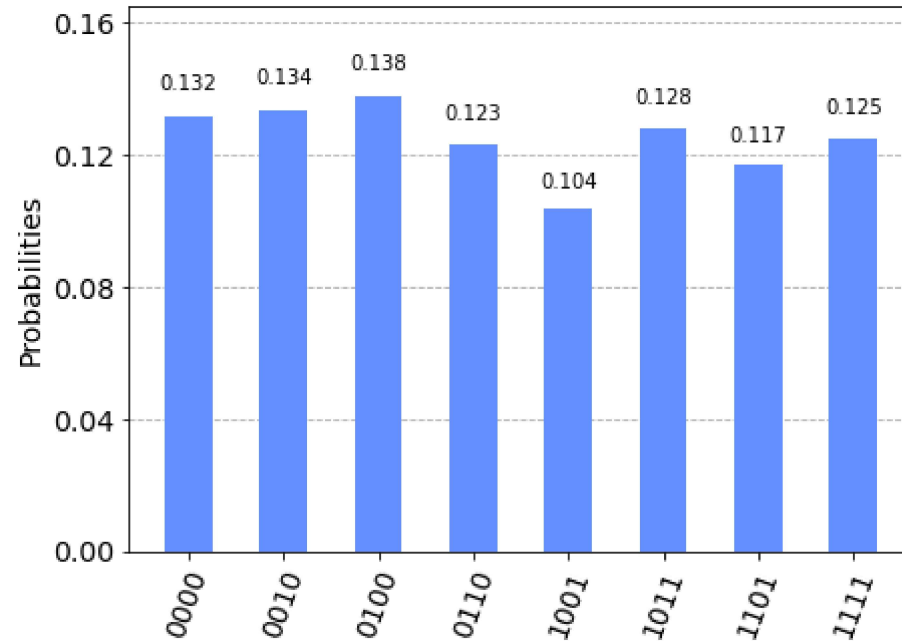
```



In [10]:

```
# use local simulator
aer_sim = Aer.get_backend('aer_simulator')
shots = 1024
qobj = assemble(simon_circuit, shots=shots)
results = aer_sim.run(qobj).result()
counts = results.get_counts()
plot_histogram(counts)
```

Out[10]:



In [11]:

```
# Calculate the dot product of the results
def bdotz(b_1, z):
    accum = 0
    for i in range(len(b_1)):
        accum += int(b_1[i]) * int(z[i])
    return (accum % 2)

for z in counts:
    print( '{}.{} = {} (mod 2)'.format(b_1, z, bdotz(b_1,z), ) )
```

```
1001.1101 = 0 (mod 2)
1001.0100 = 0 (mod 2)
1001.0010 = 0 (mod 2)
```

```
1001.1011 = 0 (mod 2)
1001.1001 = 0 (mod 2)
1001.0110 = 0 (mod 2)
1001.1111 = 0 (mod 2)
1001.0000 = 0 (mod 2)
```

As we can see both the results, from our oracle and qiskit oracle are almost same.

Reference: <https://www.youtube.com/watch?v=7hYQzIHhDXA>

In [ ]: