

# **Functional Programing**

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#### Abstract

This is just the product of me taking notes on the lecture. Nothing official. If you find mistakes or have got any questions, please feel free to contact me. Cheers!

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# Links

Site: http://db.inf.uni-tuebingen.de/teaching/FunctionalProgrammingSS2014.html

Ilias: http://goo.gl/rlqbkK

# Literature

• Lipovača:

Learn You a Haskell for Great Good No Starch Press 2011, http://learnyouahaskell.com

• O'Sullivan, Steward, Goerzen:

Real World Haskell O'Reilly 2010

http://book.realworldhaskell.org

• Haskell 2010 Report,

http://www.haskell.org/onlinereport/haskell2010

# 1 Introduction

Computational model in Functional Programming: **reduction** (replace expression to values) In Functional Programming, expressions are formed by applying functions to values.

- 1. Functions as in math:  $x = y \Rightarrow f(x) = f(y)$
- 2. Functions are values (just like numbers, text ...)

	Functional	Imperative	
program construction	function application and composition	statement sequencing	
execution	reduction (expression evaluation)	state changes	
semantics	lambda calculus	complex (denotational)	

### Example

 $n \in \mathbb{N}, n \ge 2$  is a prime number if the set of non-trivial factors is empty:

```
n \text{ is prime} \Leftrightarrow \{ m \mid m \in \{2, \dots, n-1\}, n \mod m = 0 \} = \emptyset
```

```
-- Is n a prime number?

isPrime :: Integer -> Bool

isPrime n = factors n == []

where

factors :: Integer -> [Integer]

factors n = [ m | m <- [2..n-1], mod n m == 0 ]

main :: IO ()

main = do

let n = 43

print (isPrime n)
```

# 2 Haskell Ramp-Up

(Read  $\equiv$  as "denotes the same value as")

- Apply f to value e: f e (juxtaposition, "apply", binary operator \_, Haskell speak: infixL 10 \_)
- $\Box$  has max precedence (10):  $\mathbf{f}$   $e_1$  +  $e_2$   $\equiv$  ( $\mathbf{f}$   $e_1$ ) +  $e_2$
- $\square$  associates to the left: g f e  $\equiv$  (g f) e  $\neg\neg(g f)$  is a function)
- Function composition:

```
- (g . f) e \equiv g (f e) - (. is something like mathematical | \circ | ''after'')
```

Alternative "apply"-operator \$ (lowest precedence, associates to the right, infixR 0 \$):

```
g  $ f $ e \equiv g $ (f $ e) \equiv g (f e)
```

- Prefix application of binary infix operator  $\otimes$ : ( $\otimes$ )  $e_1$   $e_2 \equiv e_1 \otimes e_2$
- Infix application of binary function f:  $e_1$  'f'  $e_2 \equiv f e_1 e_2$ :

```
* 1 'elem' [1,2,3] -- (1 \in {1,2,3})  
* n 'mod' m  
*
```

- User defined operators, built from symbols  $! \# \% \& * + / ; = ; ? ^ |\sim:.$