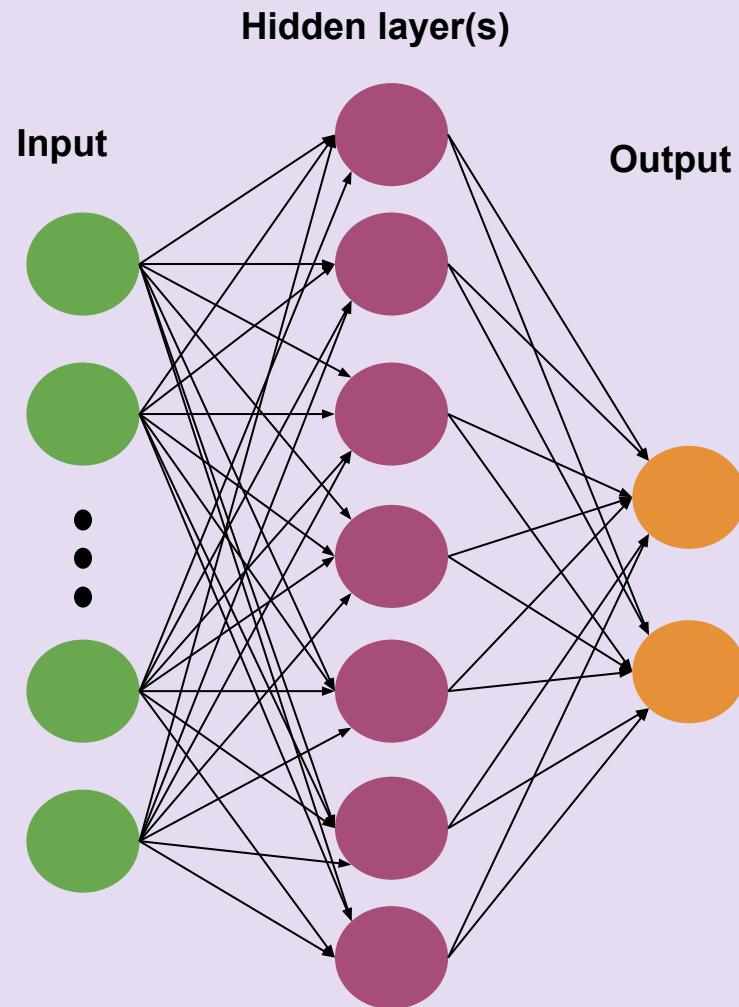
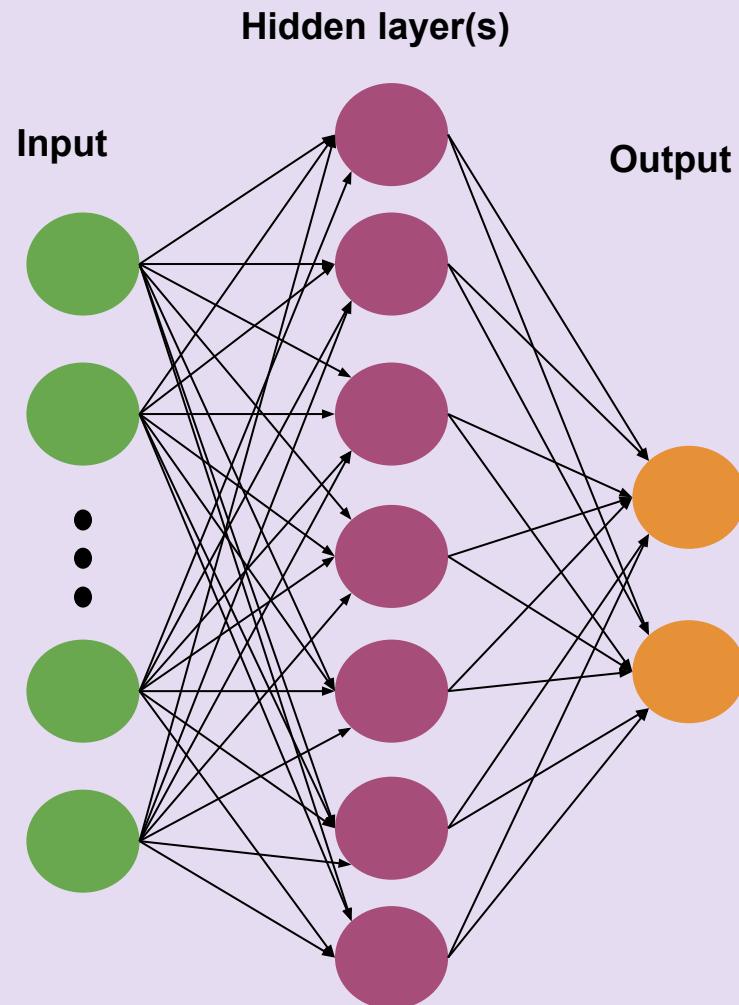


Introduction to Neural Networks

What is a Neural Network & how does it work?

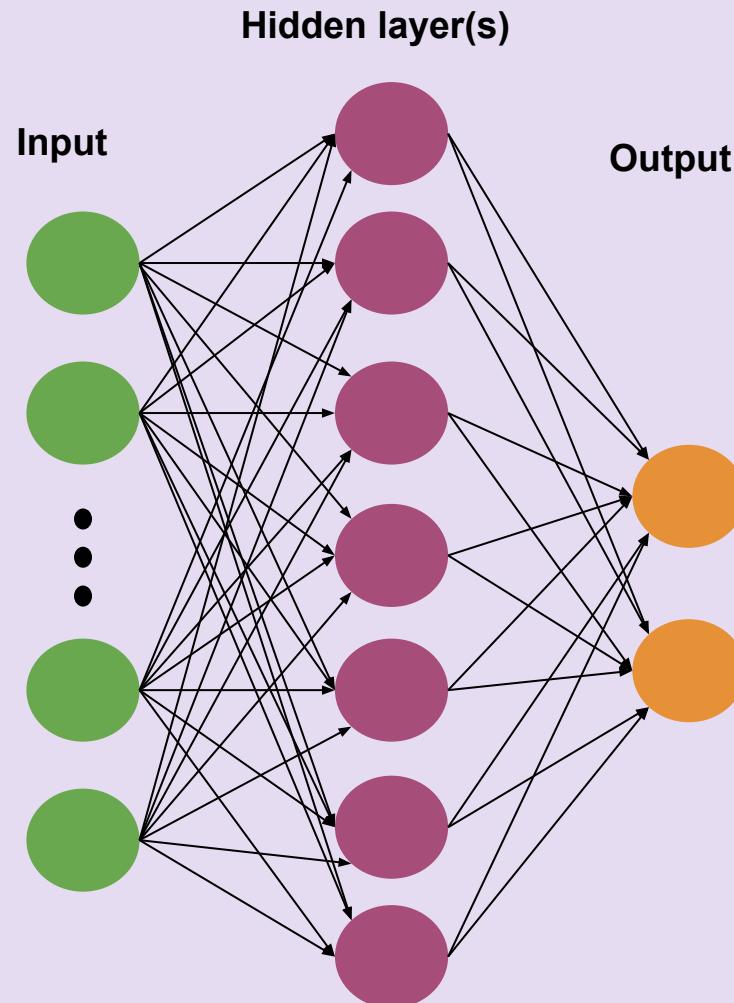


What is a Neural Network & how does it work?



This is how your brain works!

What is a neural network & how does it work?



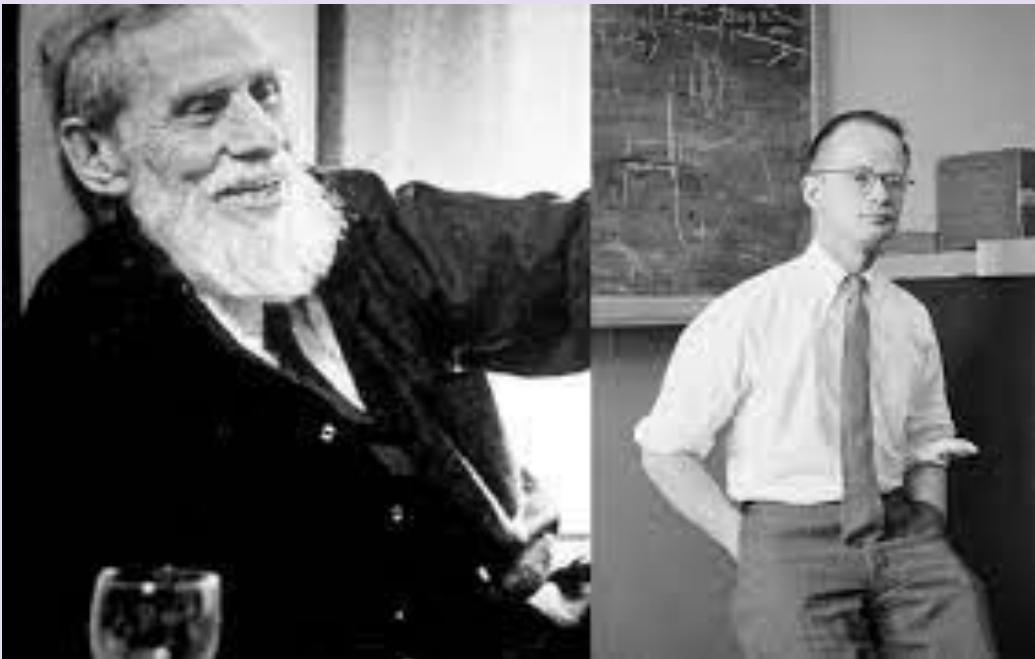
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Neural Network History

1943

Electronic Brain → neurophysiologist Warren McCulloch and mathematician Walter Pitts wrote a [paper](#) on how neurons might work. In order to describe how neurons in the brain might work, they modeled a simple neural network using electrical circuits **to simulate intelligent behaviour termed 'connectionism'.**



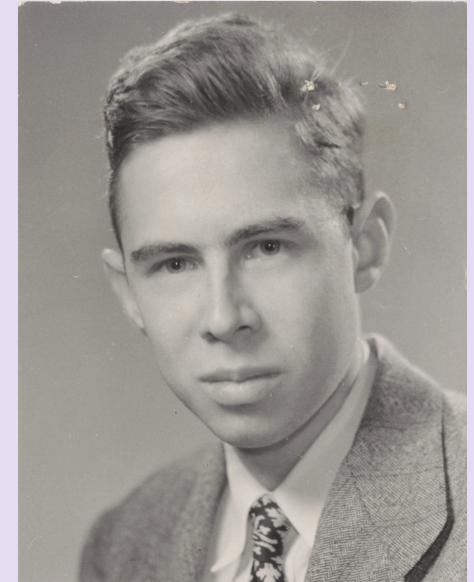
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1958



In 1958, Frank Rosenblatt inspired by their work invented the **perceptron model**.

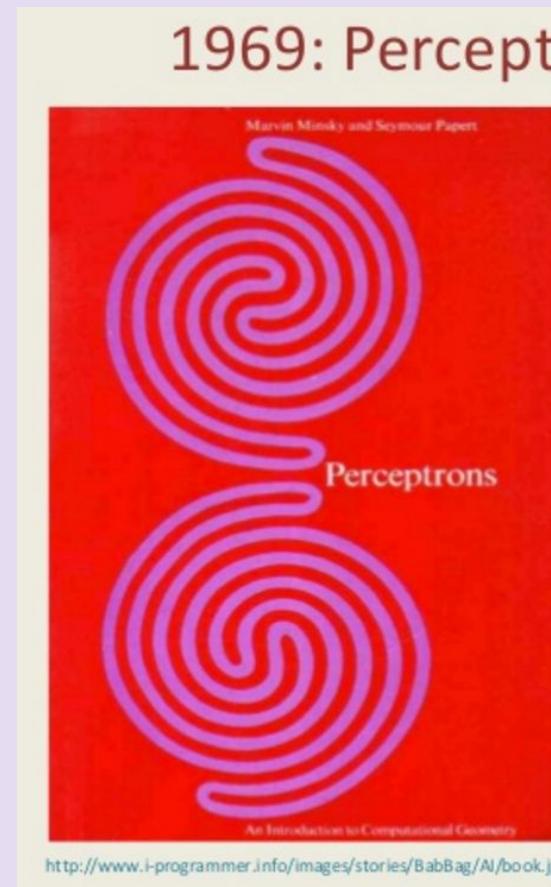
Amazingly, even back then he saw huge potential:
“a perceptron may eventually be able to learn, make decisions and translate languages.”

Neural Networks History

1969

This lead to 1969 Minsky and Papert to publish a book “Perceptrons” describing **the severe limitations to what perceptrons could do!!!**

1969: Perceptrons can't do XOR!



Marvin Minsky and Seymour Papert
Perceptrons
An Introduction to Computational Geometry

<http://www.i-programmer.info/images/stories/BabBag/AI/book.jpg>

$A \oplus B$

A	B	Out
0	0	0
0	1	1
1	0	1
1	1	0

<http://hyperphysics.phy-astr.gsu.edu/hbase/electronic/ietron/xor.gif>



Minsky & Papert

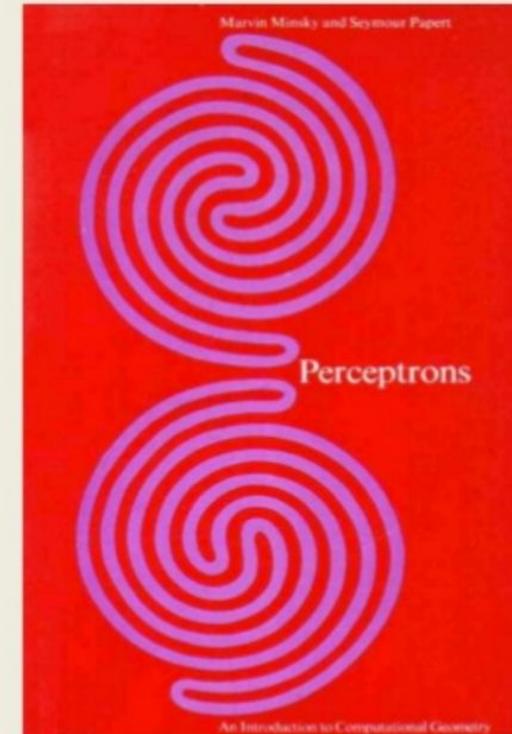
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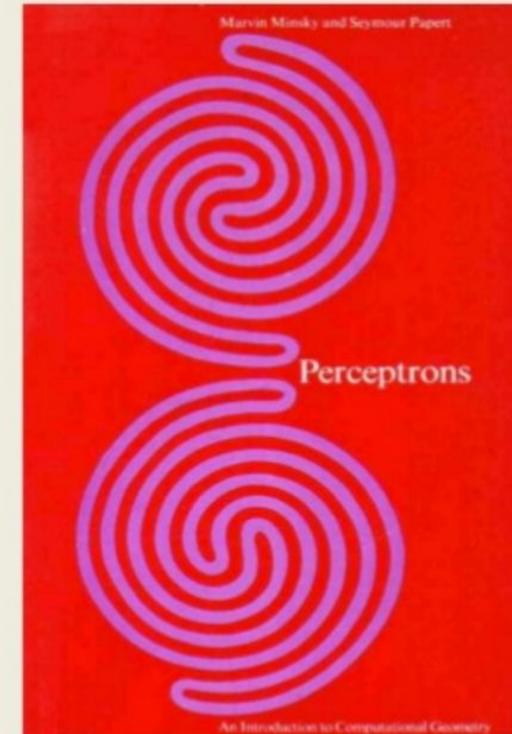
This marked the beginning of what is known as the **AI winter**.

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<http://www.i-programmer.info/images/stories/BabBag/AI/book.jpg>

A logic gate diagram for XOR:

```
graph LR; A((A)) --> XOR[XOR]; B((B)) --> XOR; XOR --> Out["A ⊕ B"];
```

A truth table for the XOR operation:

A	B	Out
0	0	0
0	1	1
1	0	1
1	1	0

<http://hyperphysics.phy-astr.gsu.edu/hbase/electronic/ietron/xor.gif>



Minsky & Papert

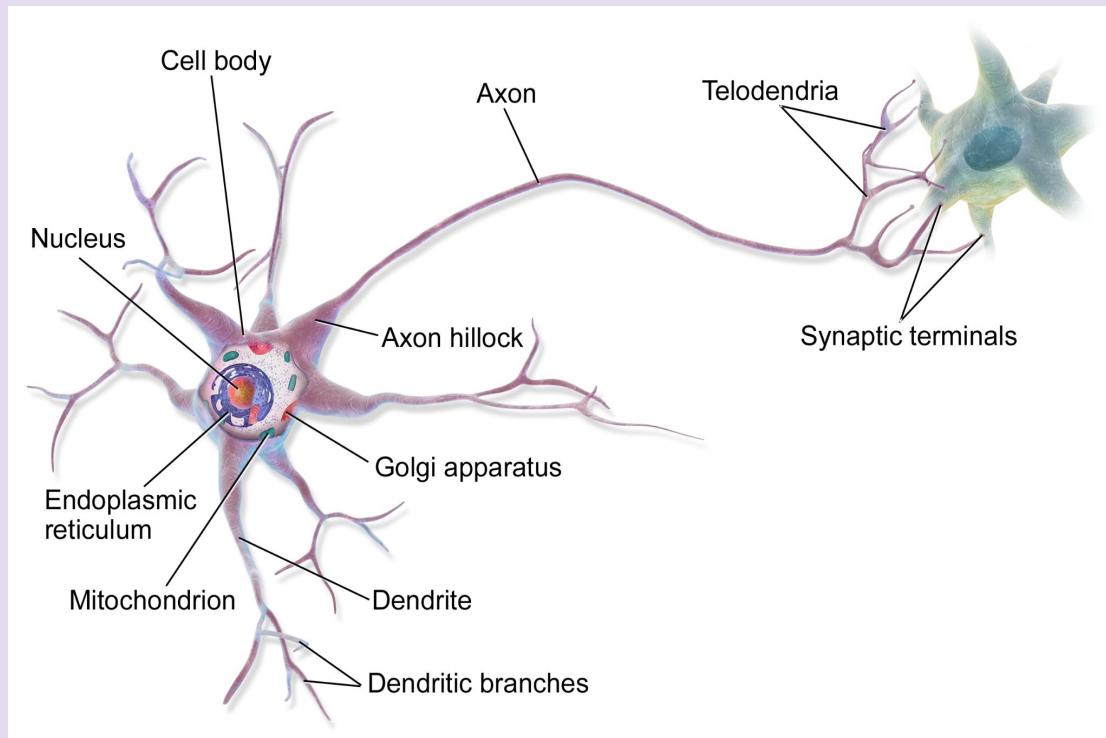
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Perceptron Model

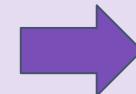
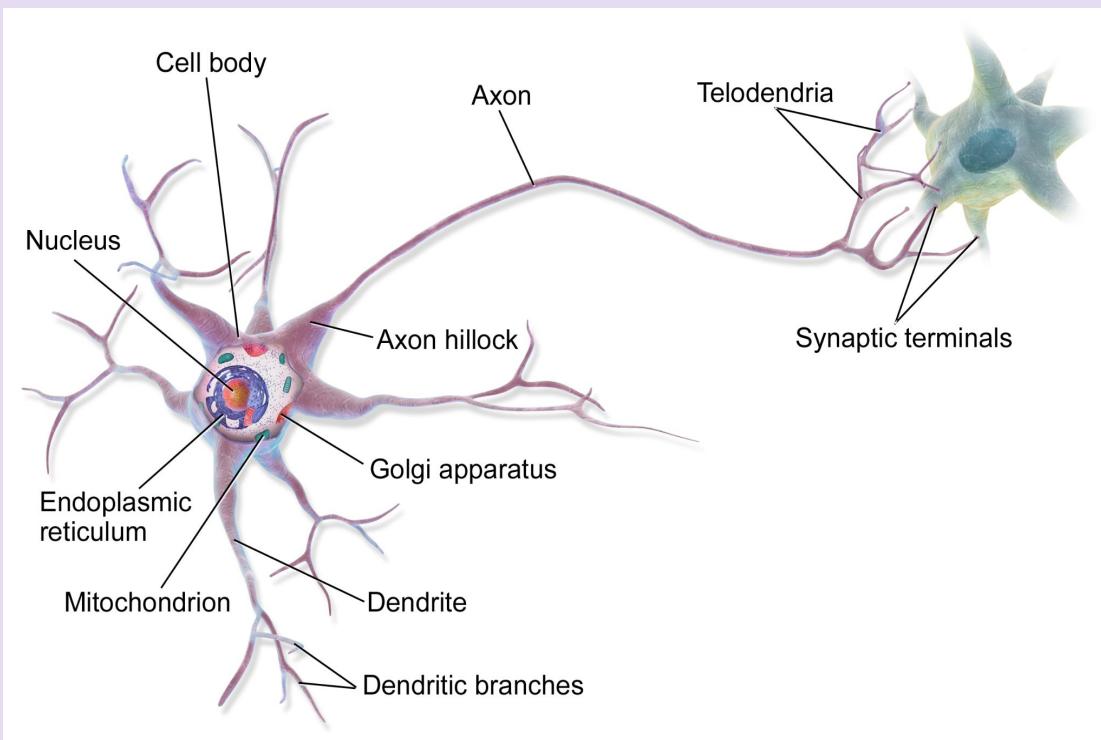
Perceptron Model

Illustration of biological neurons.

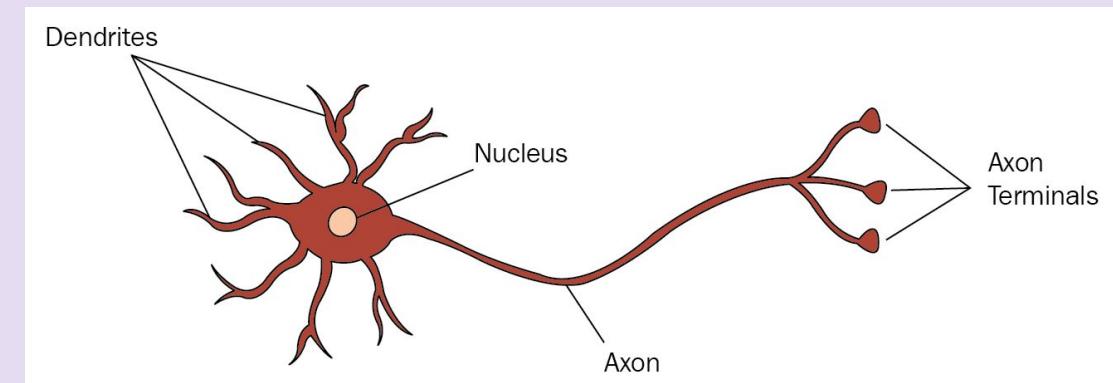


Perceptron Model

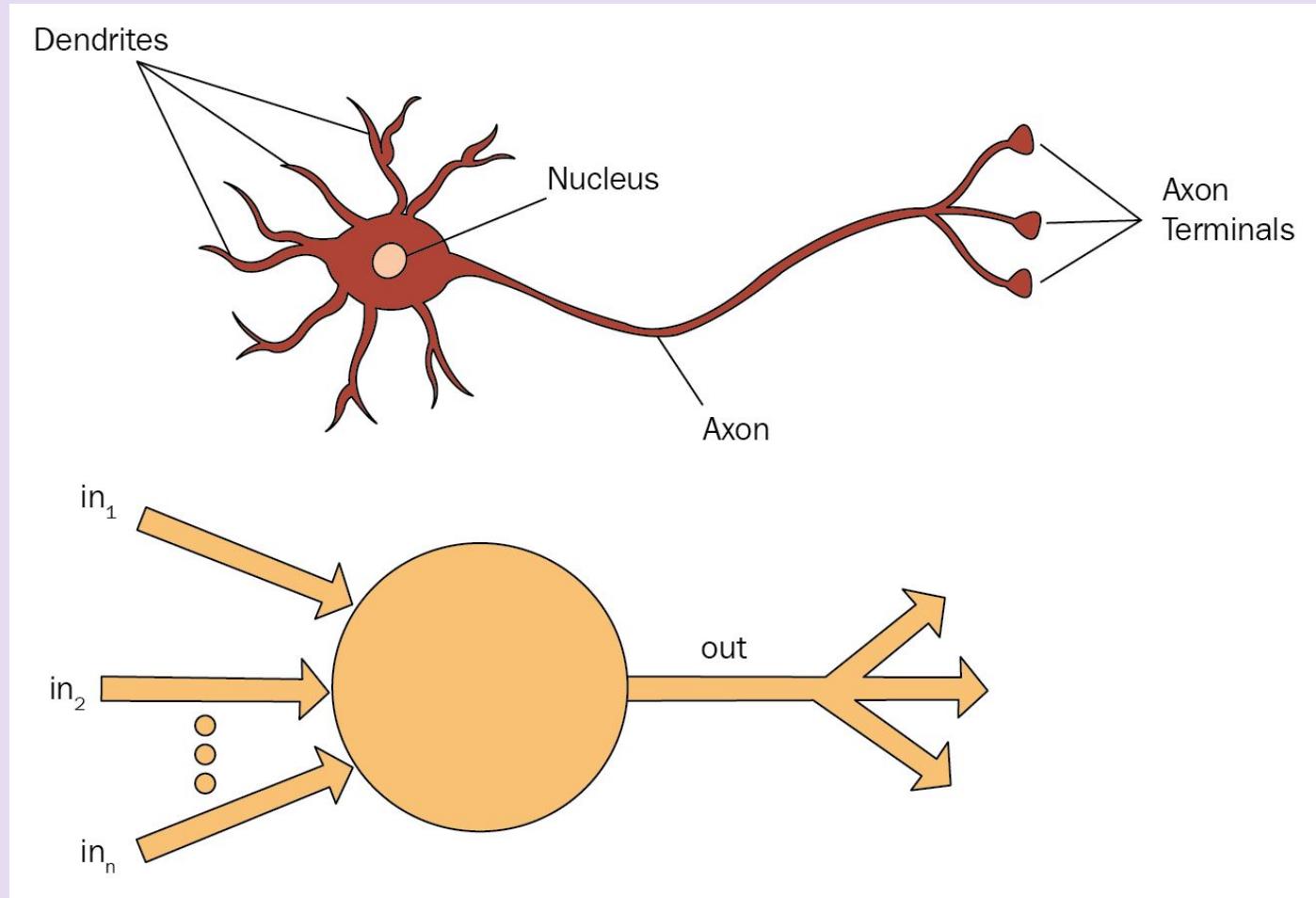
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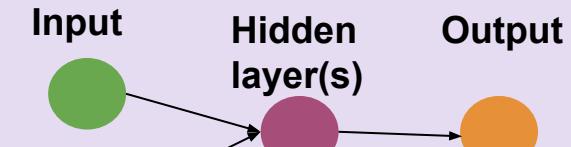
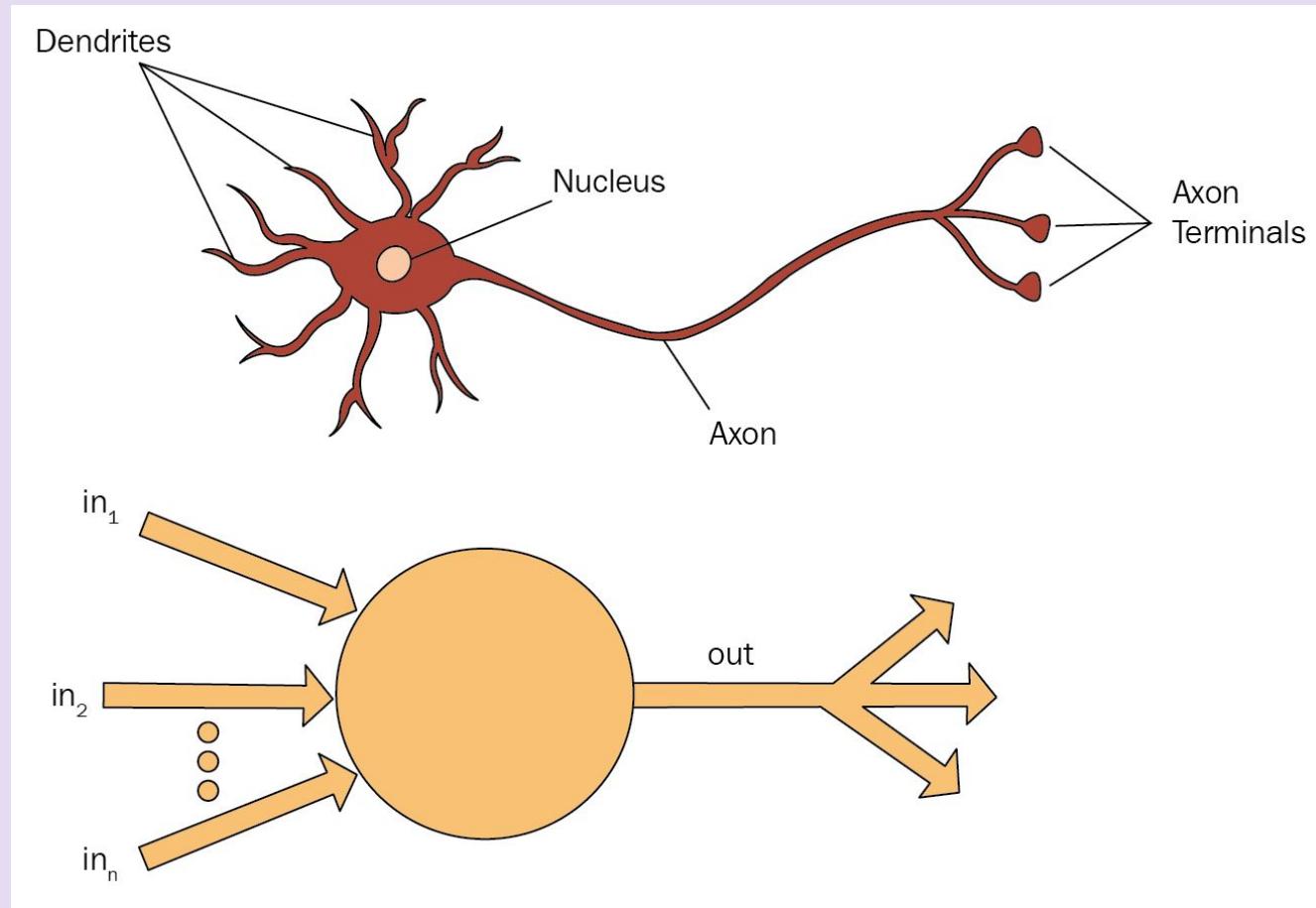
Simplified illustration of biological neurons.



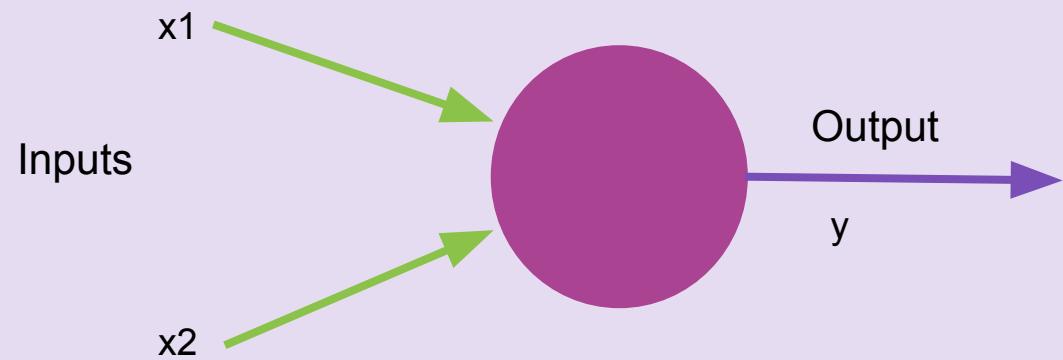
Perceptron Model



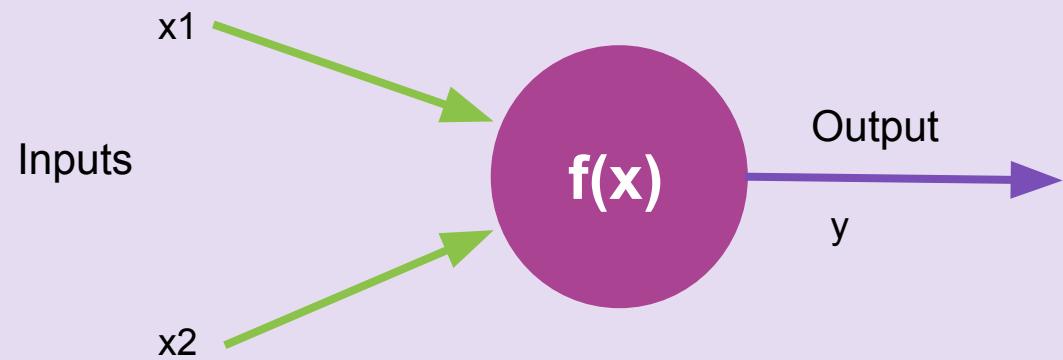
Perceptron Model



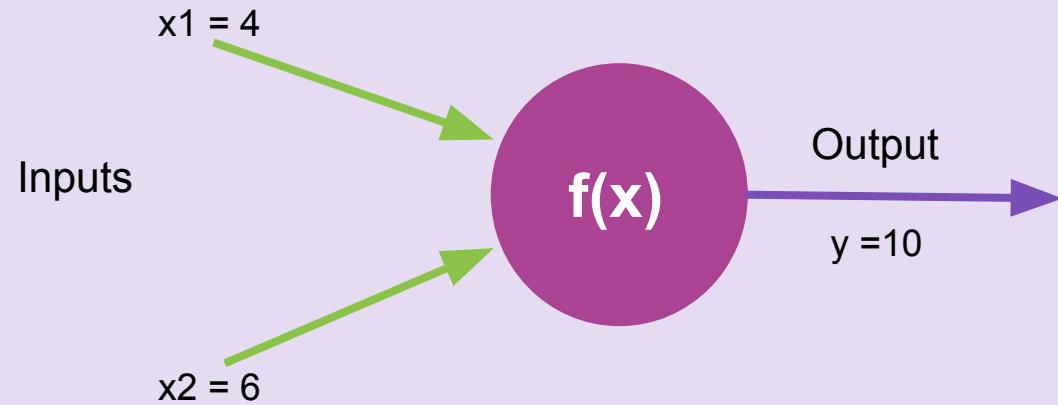
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Perceptron Model

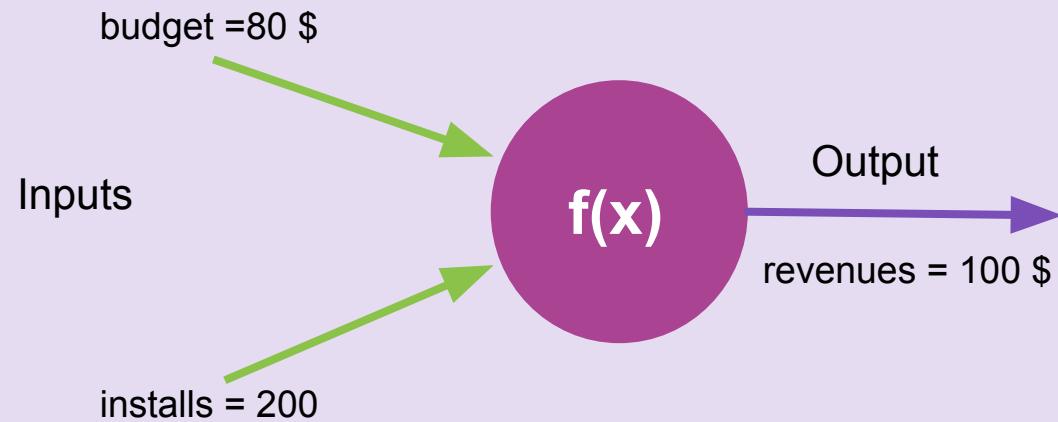


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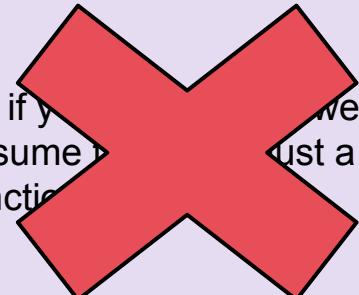


So if $y = x_1 + x_2$ then we will assume that $f(x)$ is just a sum function.

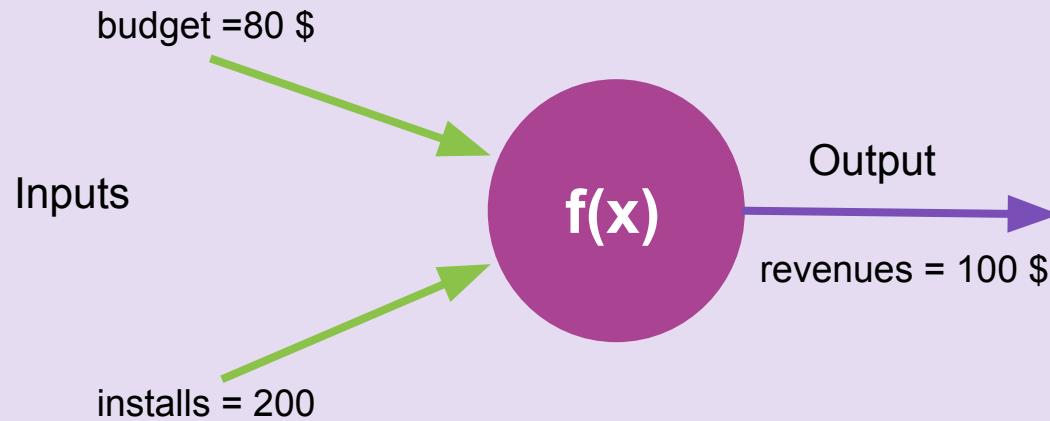
Perceptron Model



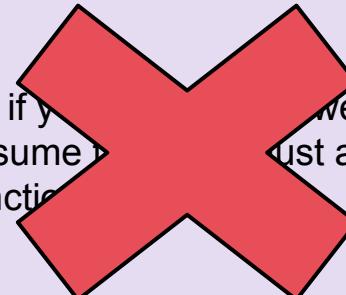
So if you assume we will just a sum function



Perceptron Model

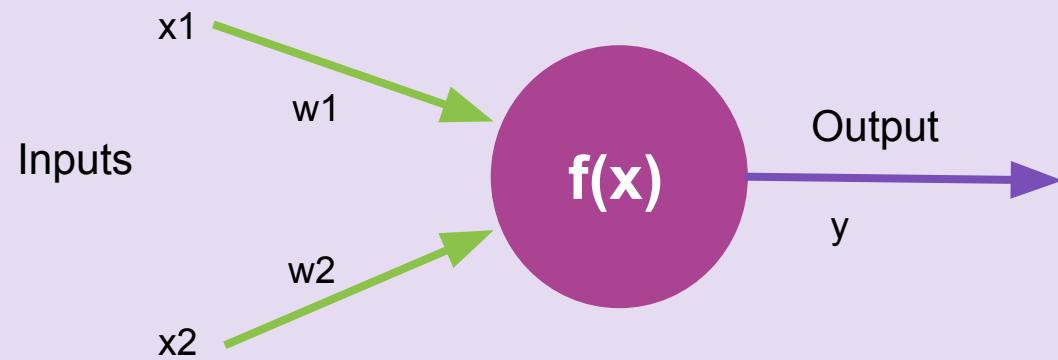


So if you assume we will just a sum function



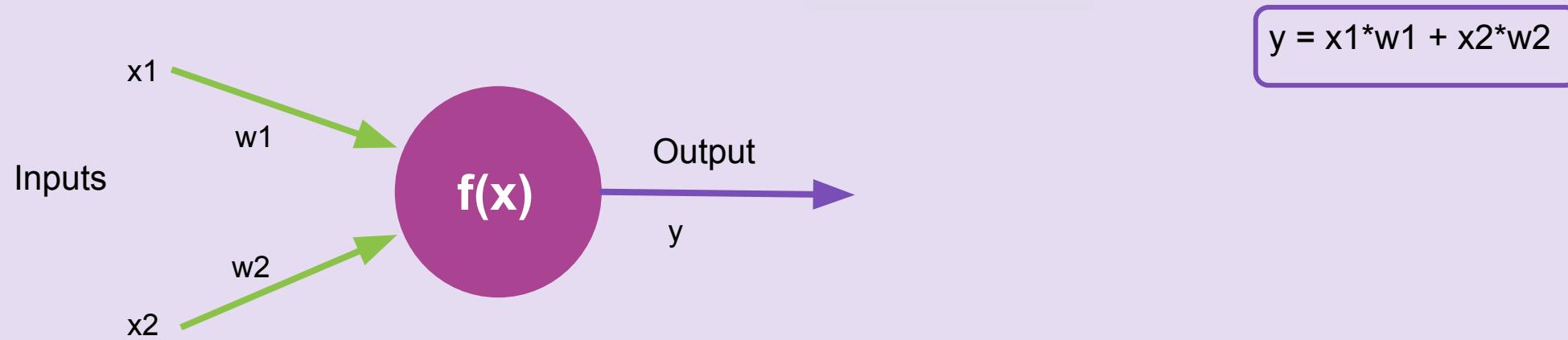
Realistically, we would want to be able to **adjust some parameters** in order for the perceptron to “**learn**” so that it can correct the output of y .

Perceptron Model



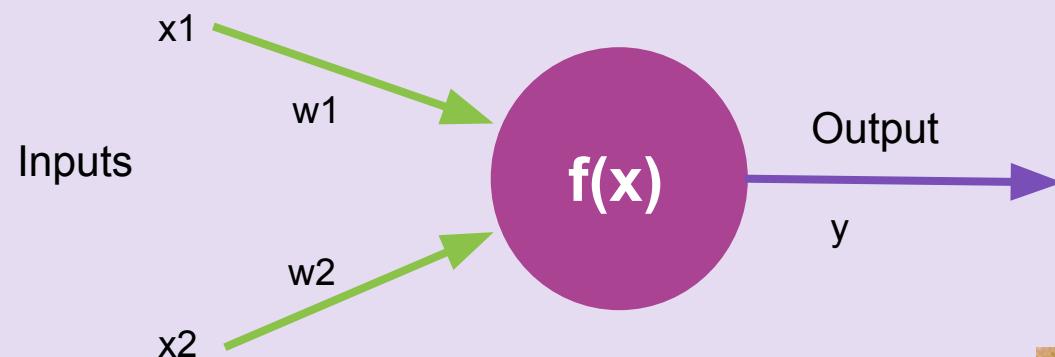
We can add an adjustable weight which we multiply to the input.

Perceptron Model



We can add an adjustable weight which we multiply to the input.

Perceptron Model

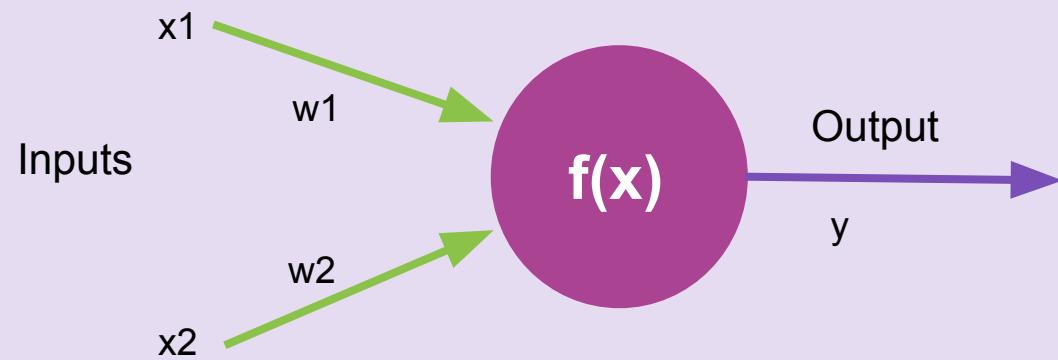


$$y = x_1 * w_1 + x_2 * w_2$$

And we will need to adjust it somehow (the weights) in order to get the correct value of y .



Perceptron Model

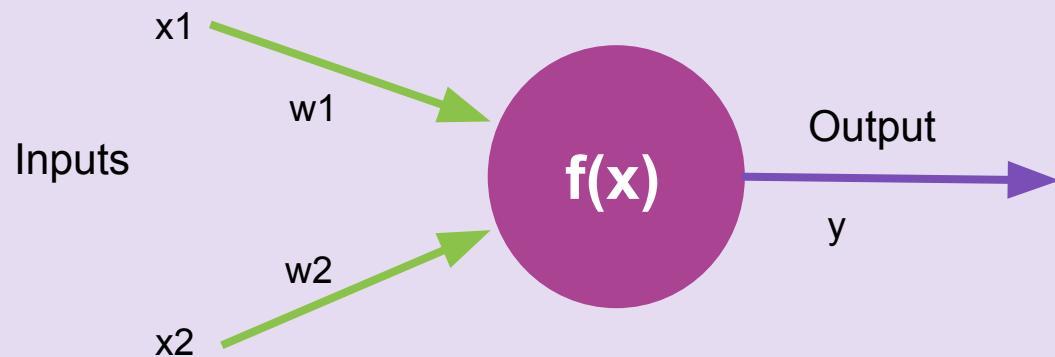


$$y = x_1 * w_1 + x_2 * w_2$$

And we will need to adjust it somehow (the weights) in order to get the correct value of y .

But what happens if an x is zero? \rightarrow w won't change anything!

Perceptron Model



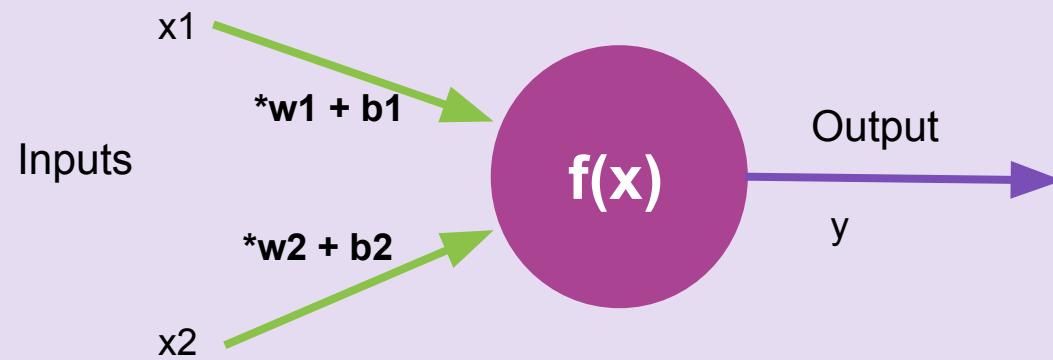
$$y = x_1 * w_1 + x_2 * w_2$$

And we will need to adjust it somehow (the weights) in order to get the correct value of y .

But what happens if an x is zero? \rightarrow w won't change anything!

To fix this problem let's add in a **bias** term b to the inputs.

Perceptron Model

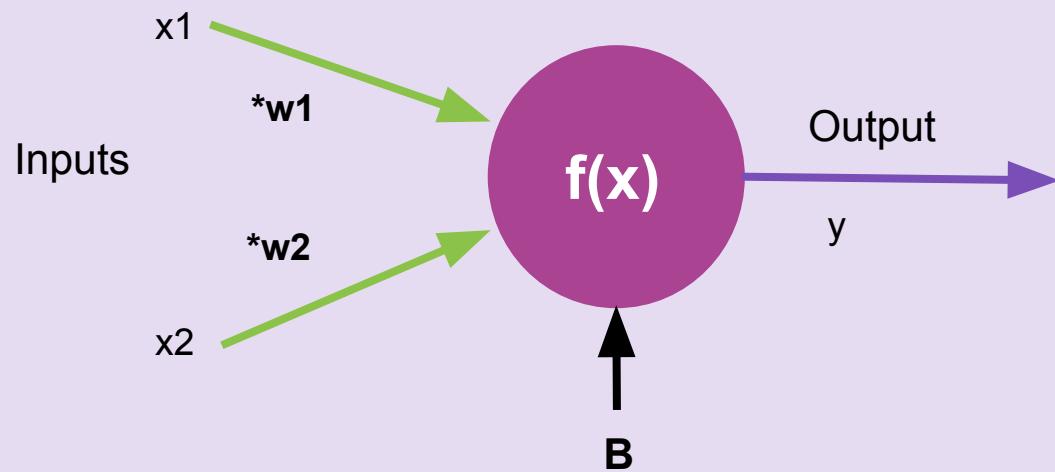


$$y = (x_1 * w_1 + b_1) + (x_2 * w_2 + b_2)$$

$$y = (x_1 * w_1 + x_2 * w_2) + (b_1 + b_2)$$

A way to think about bias is that the $x * w$ has to **overcome the bias value** in order to start having an effect on the output y .

Perceptron Model



$$y = (x_1 * w_1 + b_1) + (x_2 * w_2 + b_2)$$

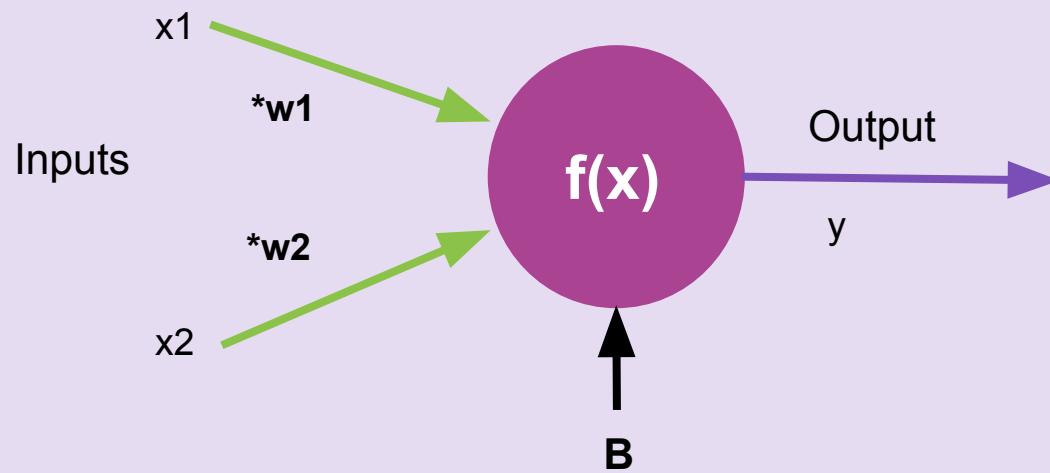
$$y = (x_1 * w_1 + x_2 * w_2) + (b_1 + b_2)$$

$$y = (x_1 * w_1 + x_2 * w_2) + B$$

W → weight tells us how important is each input

B → we can think of it as an offset value making $x * w$ have to reach a certain threshold before having an effect.

Perceptron Model



$$y = (x_1 * w_1 + b_1) + (x_2 * w_2 + b_2)$$

$$y = (x_1 * w_1 + x_2 * w_2) + (b_1 + b_2)$$

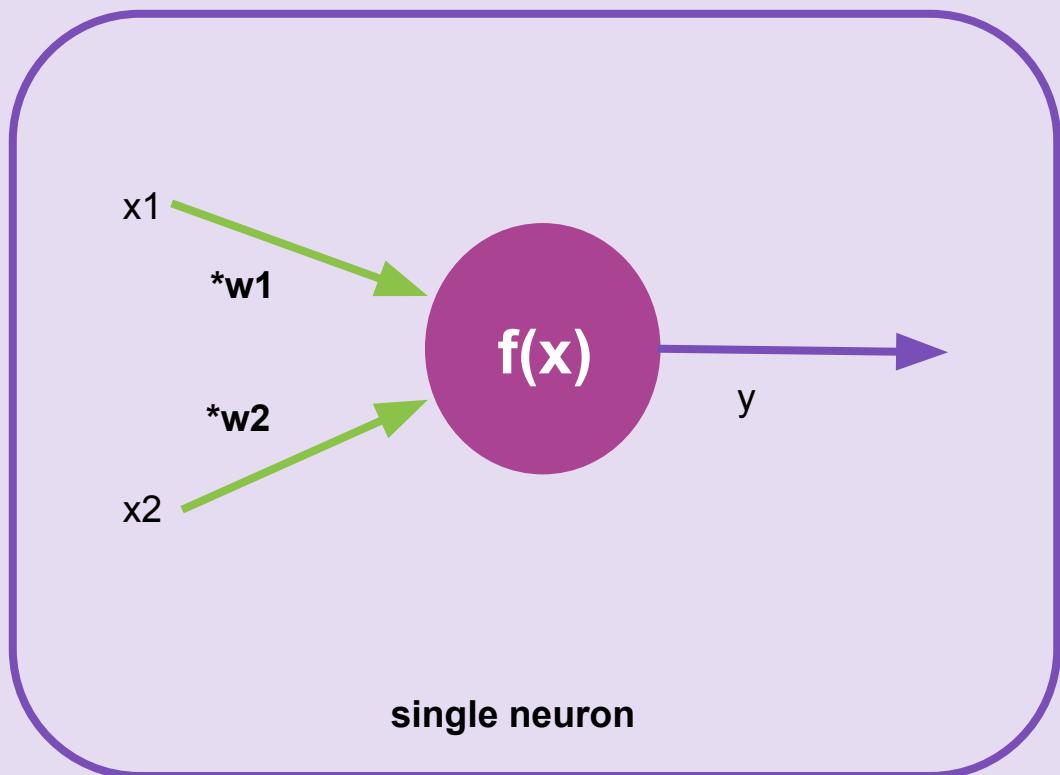
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We want to set boundaries for the overall output value y .
And then pass y through some **activation function** to limit its value.

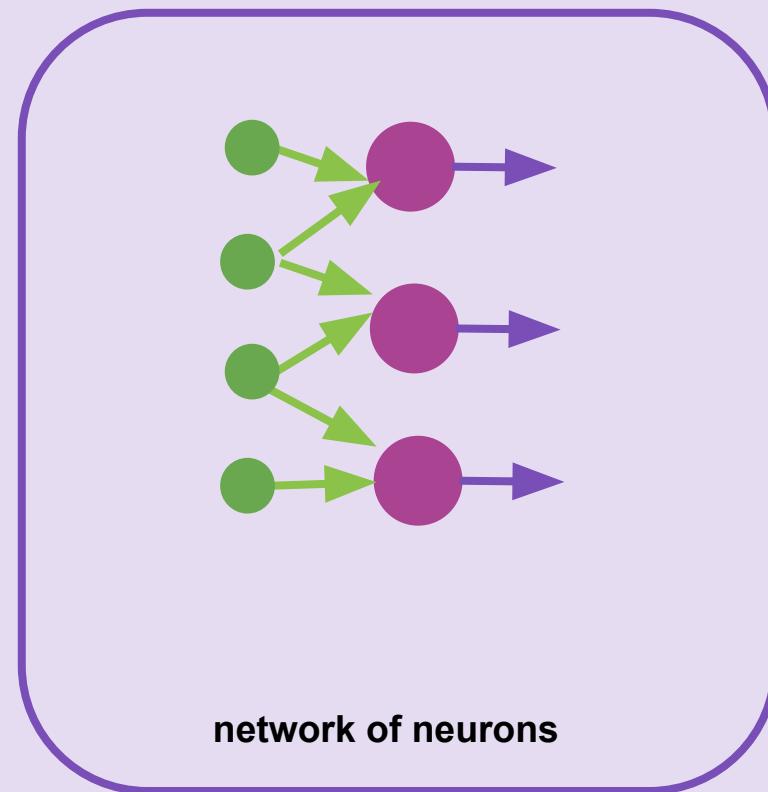
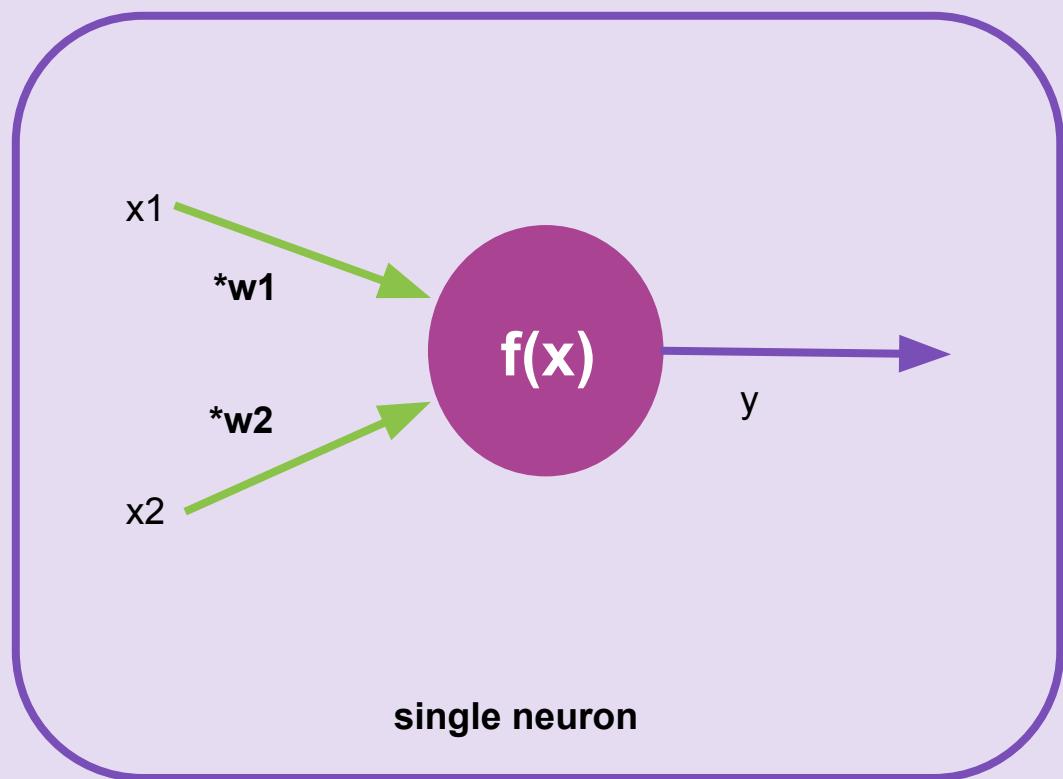
Activations function -> transforms the y into a value between (0 and 1).

Training/ Learning → finding the right setting of weights and biases of the model means we are tuning the model to predict the y as close to reality as possible.

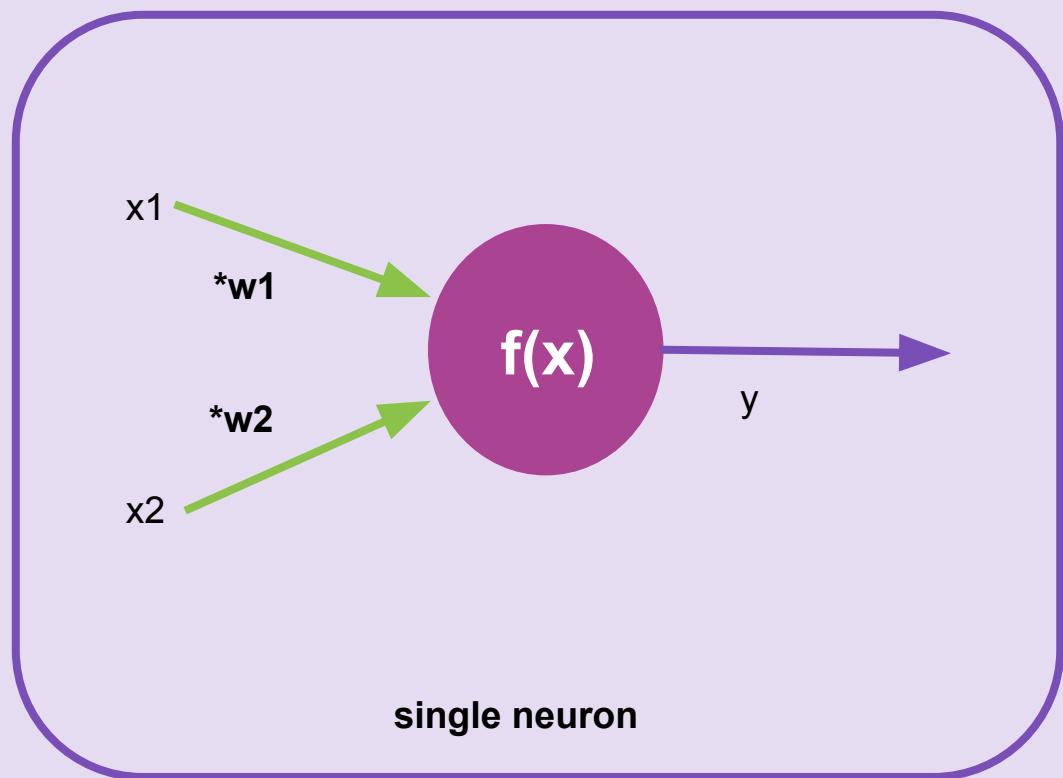
Multi-layer perceptron model / Basic ANN



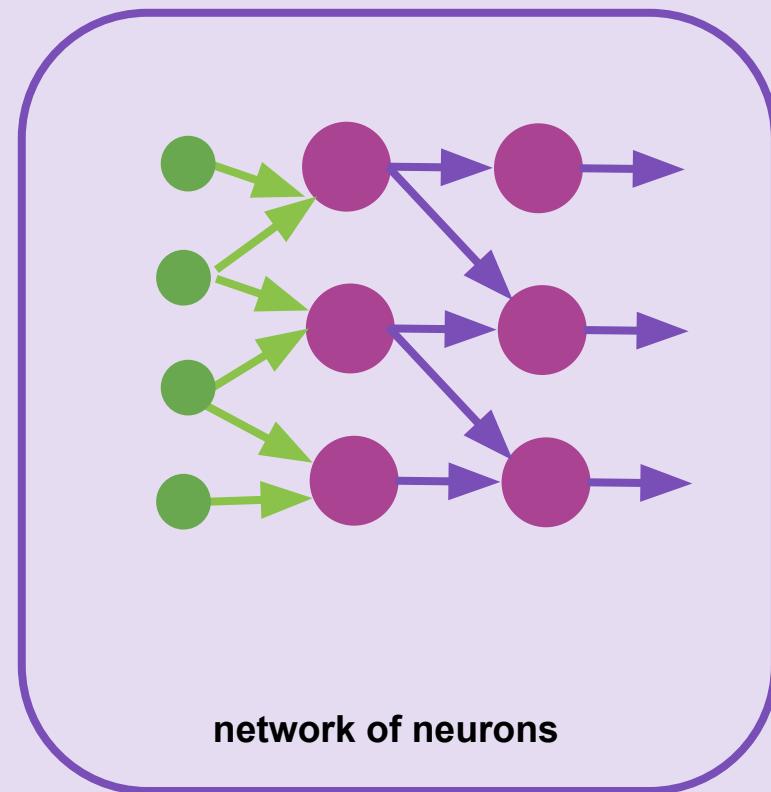
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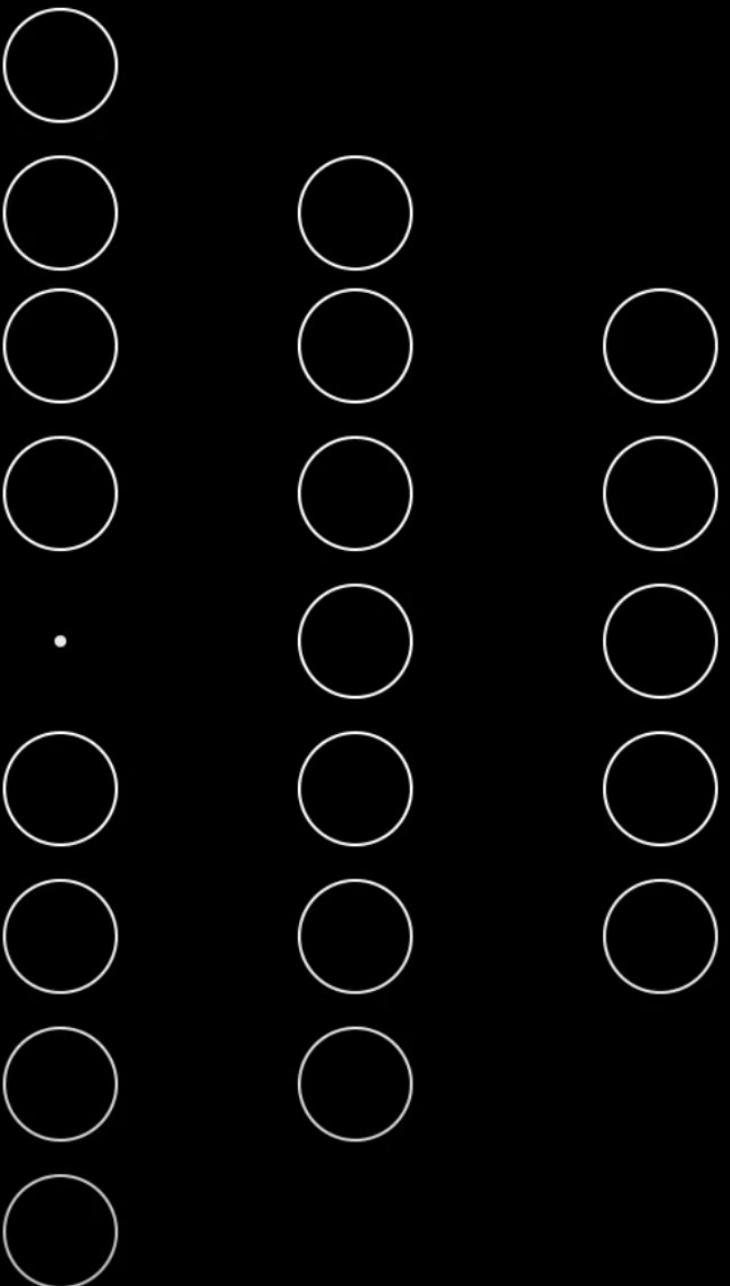
Multi-layer perceptron model / Basic ANN

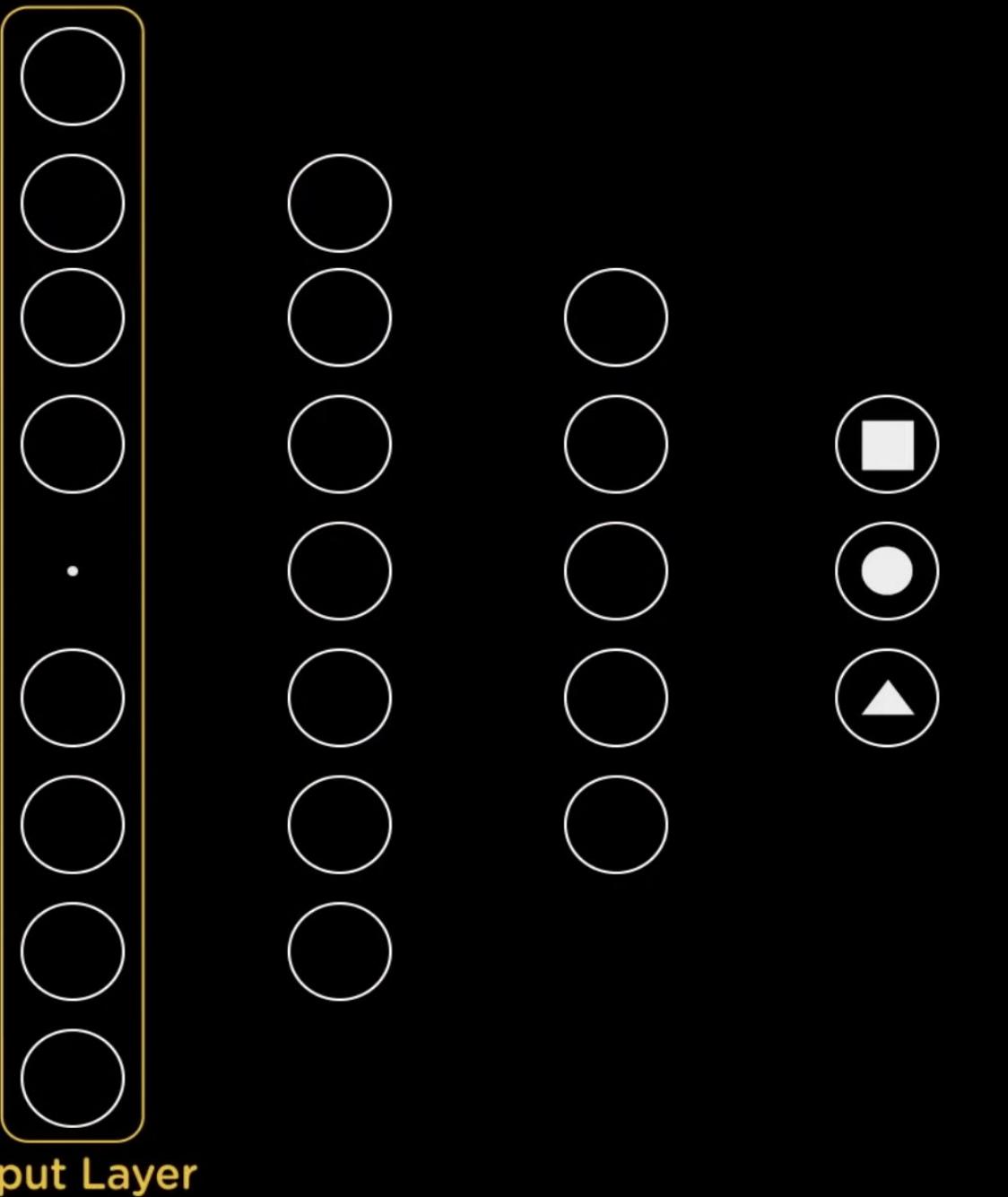


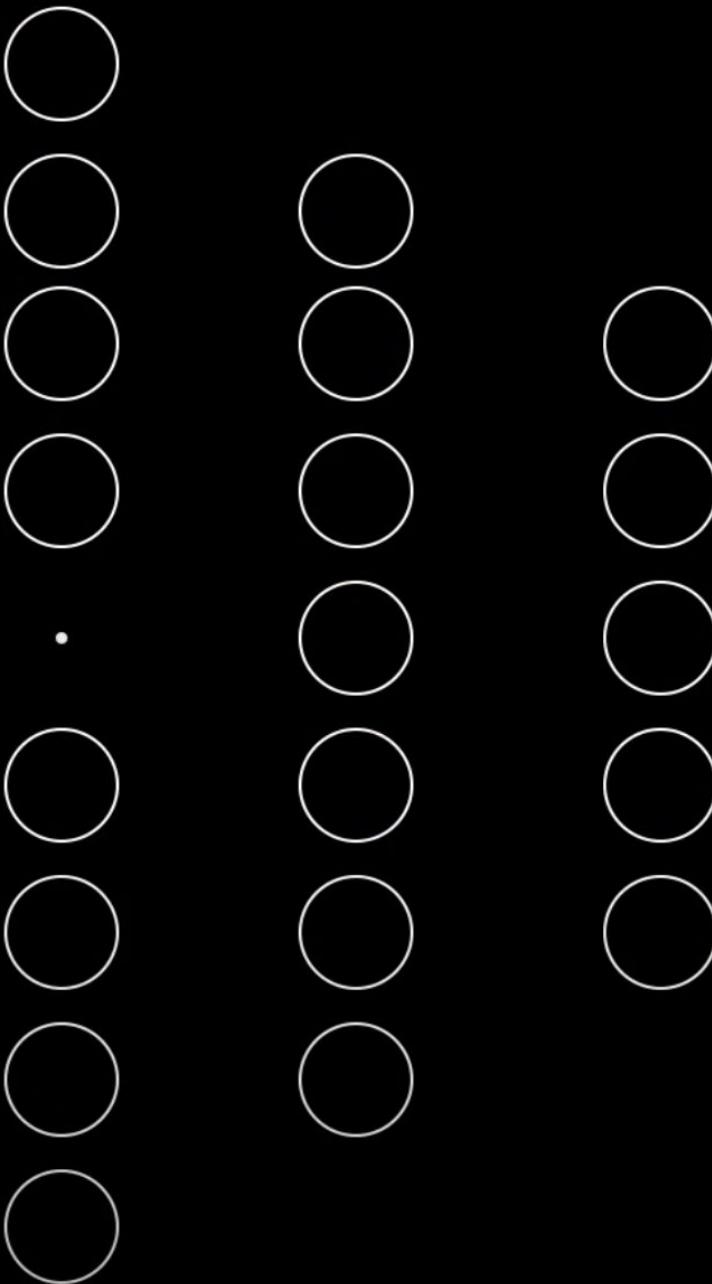
single neuron



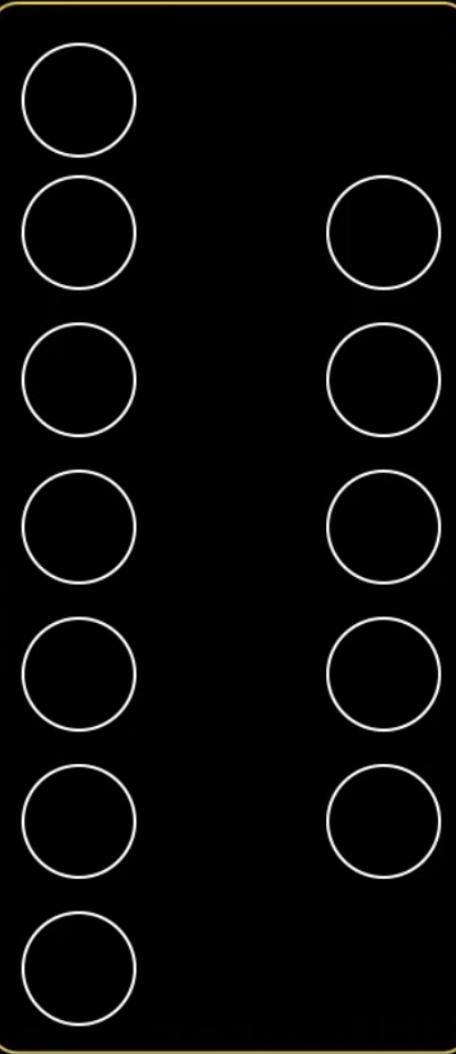
network of neurons





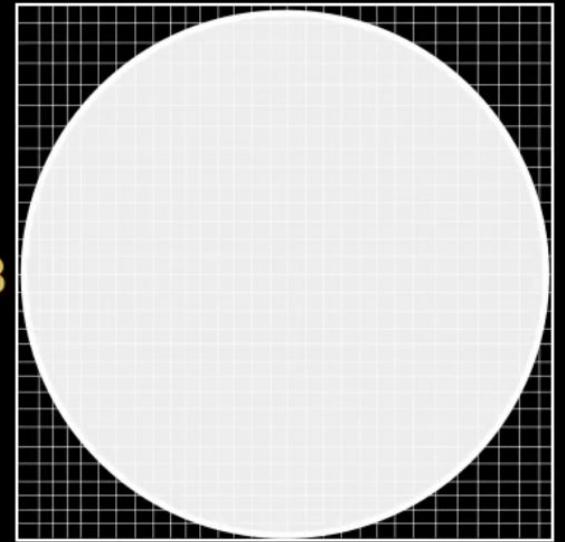


Output Layer



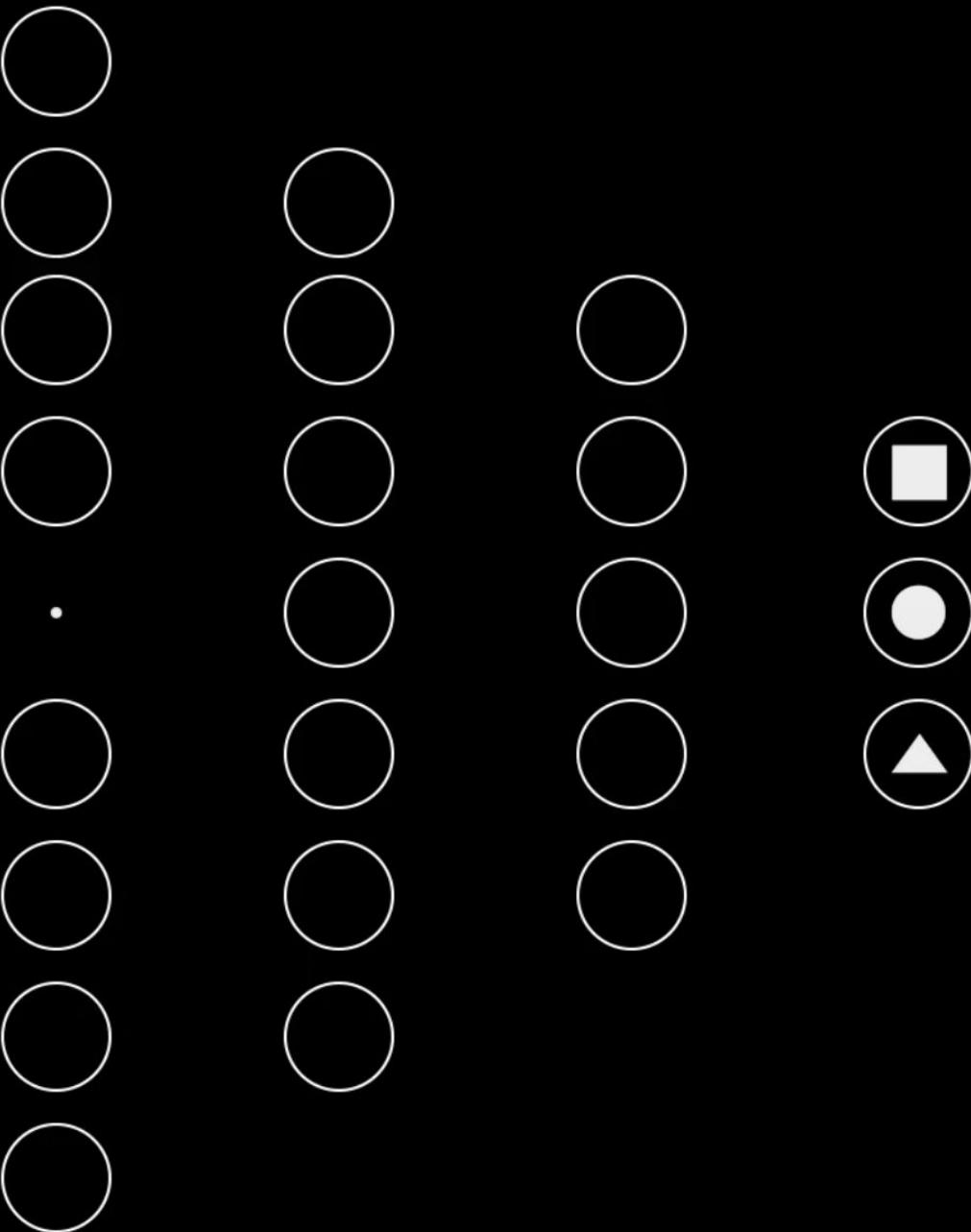
Hidden Layers



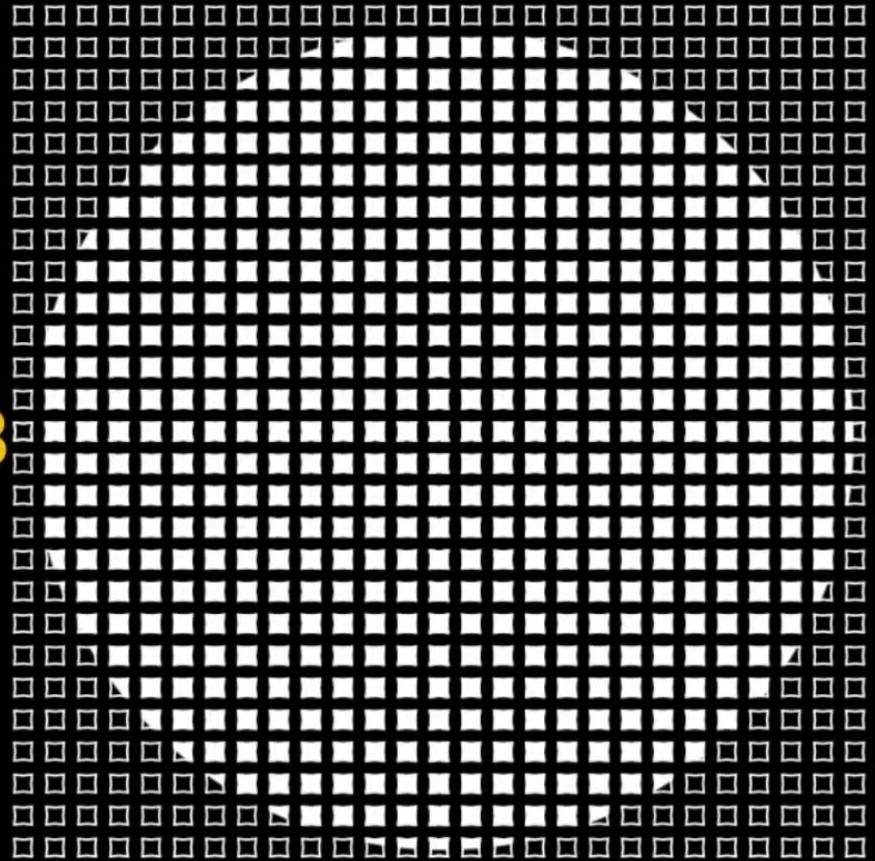


28

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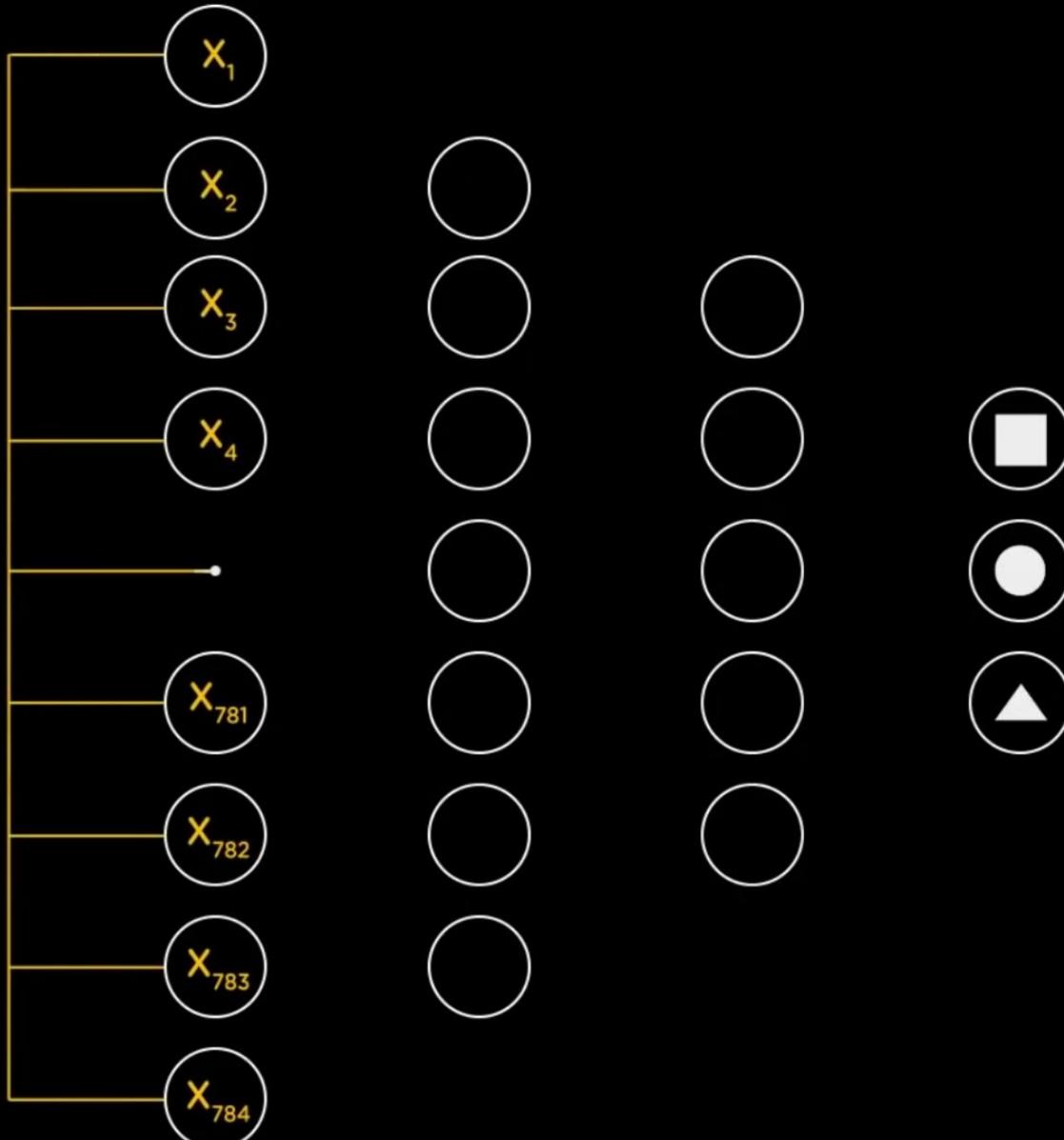


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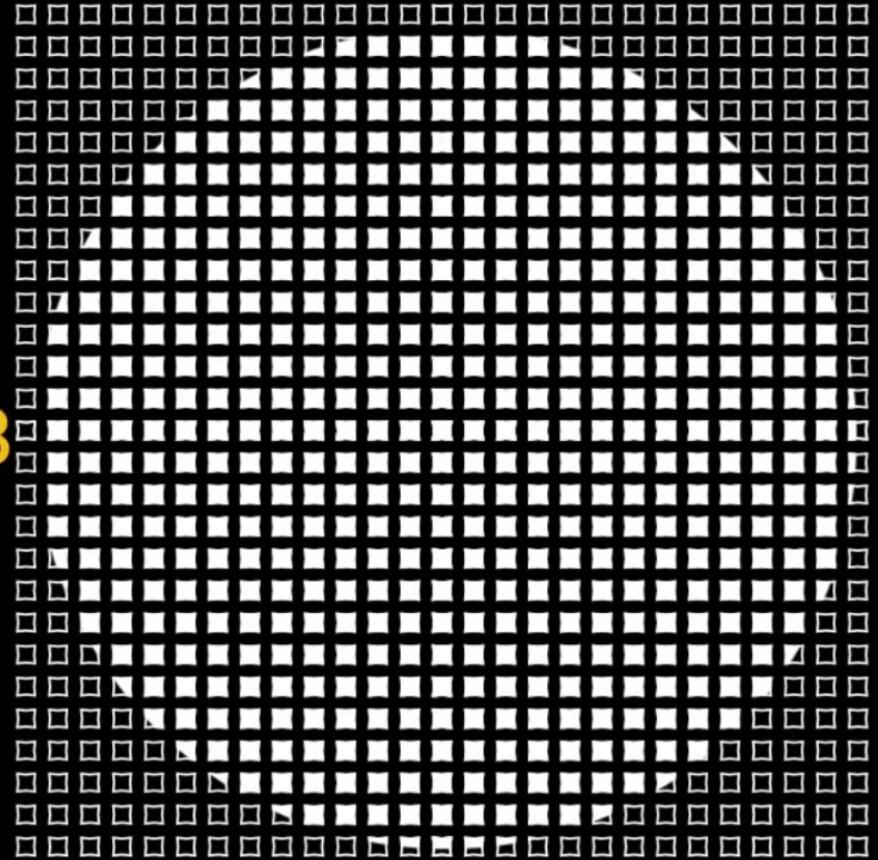


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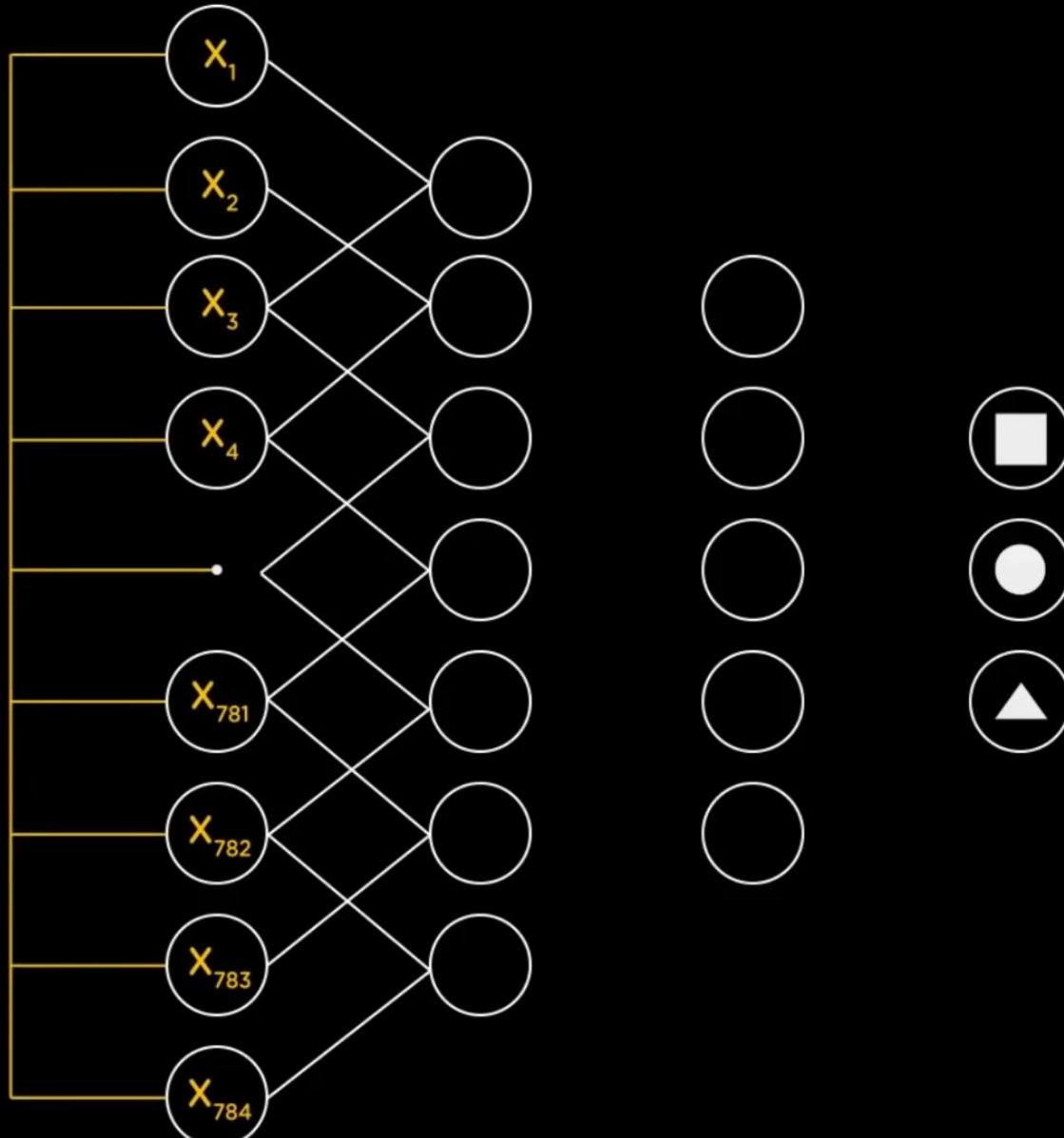


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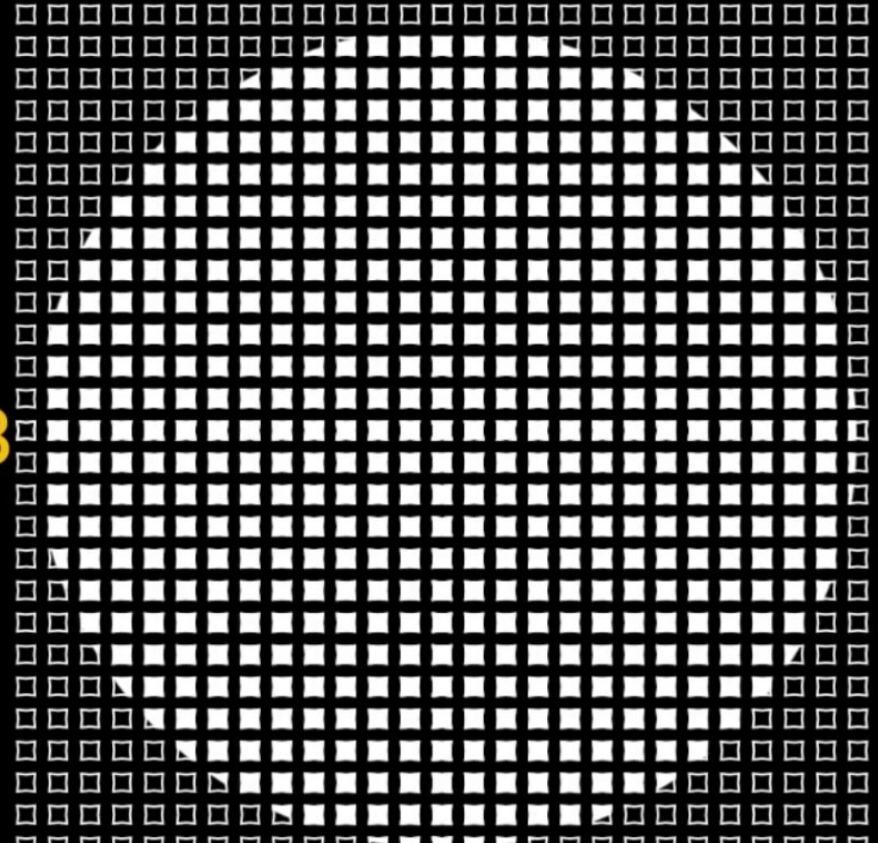


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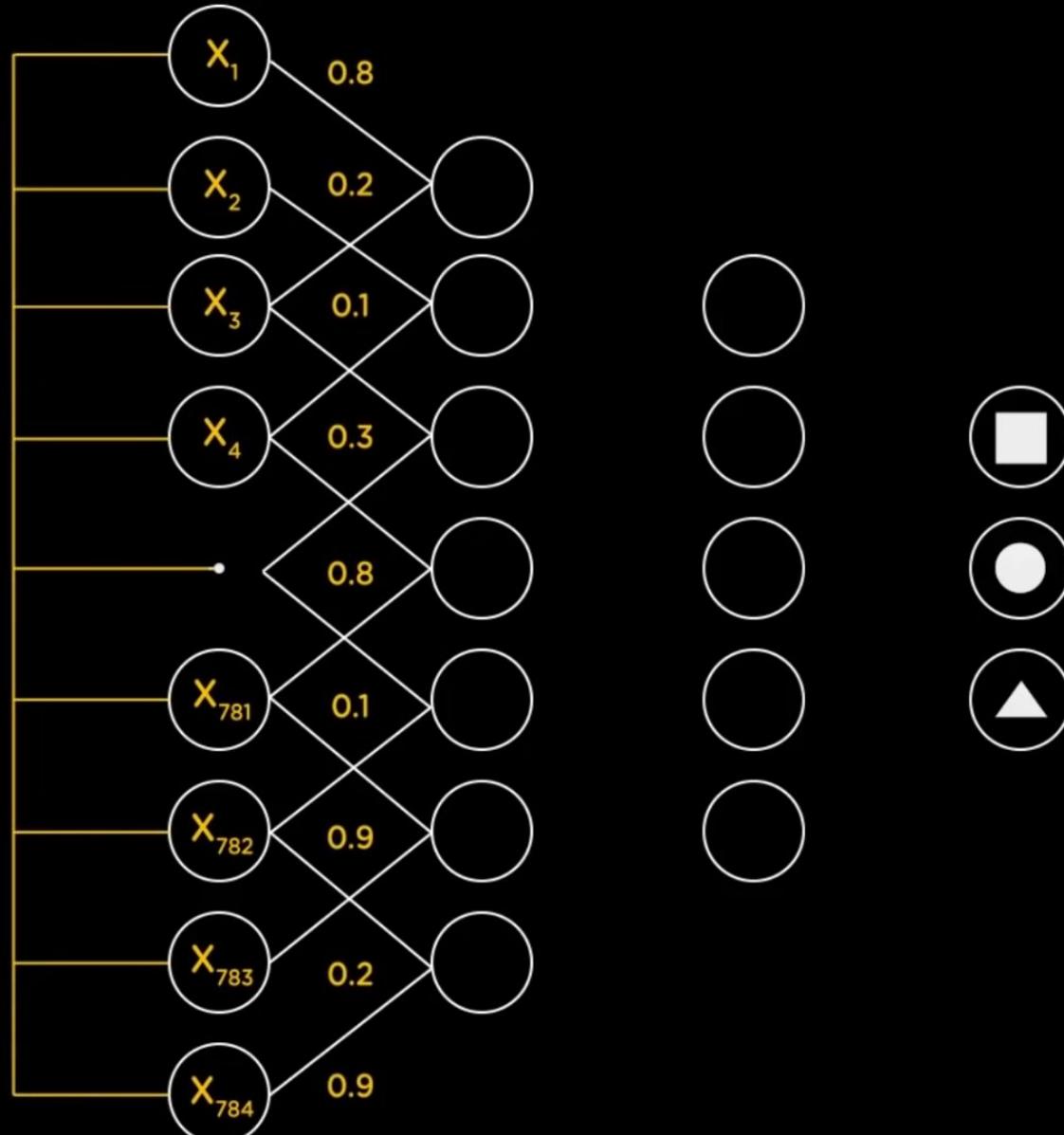


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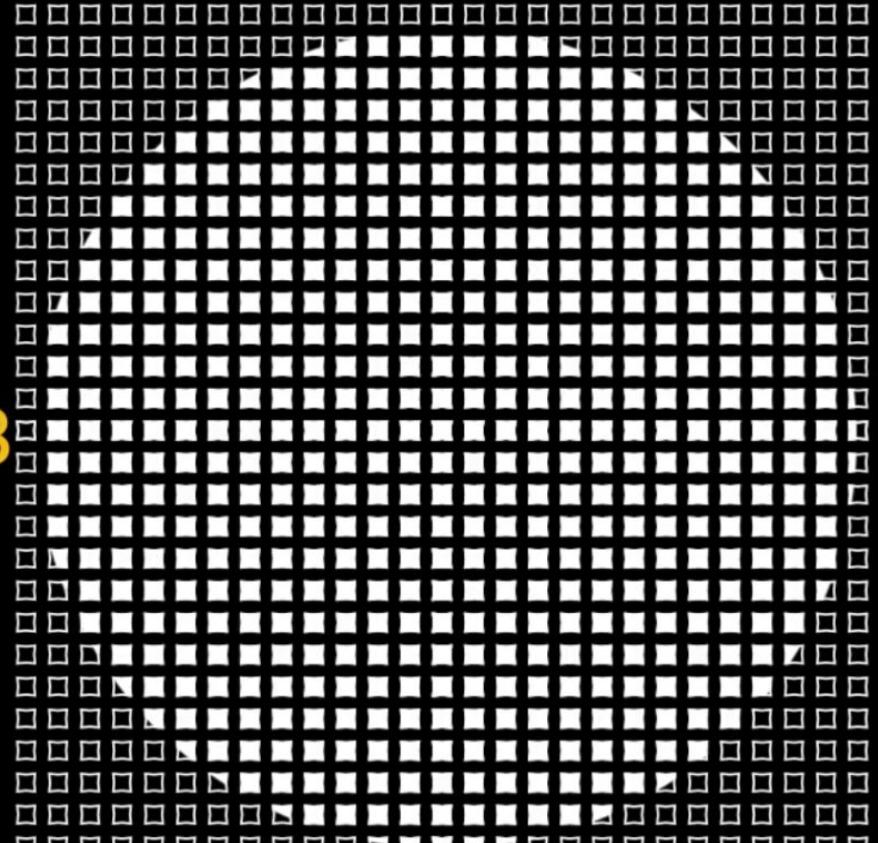


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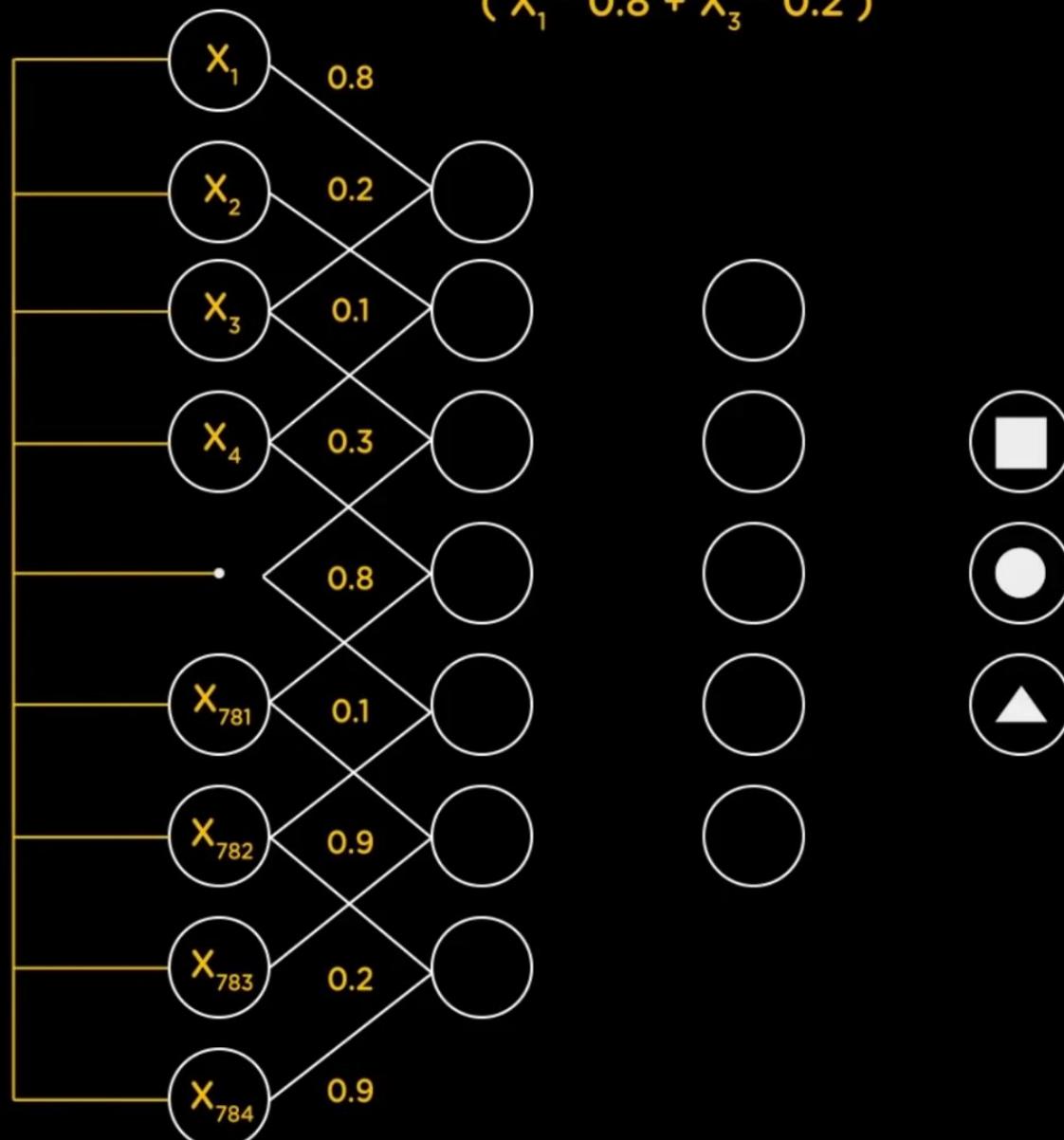
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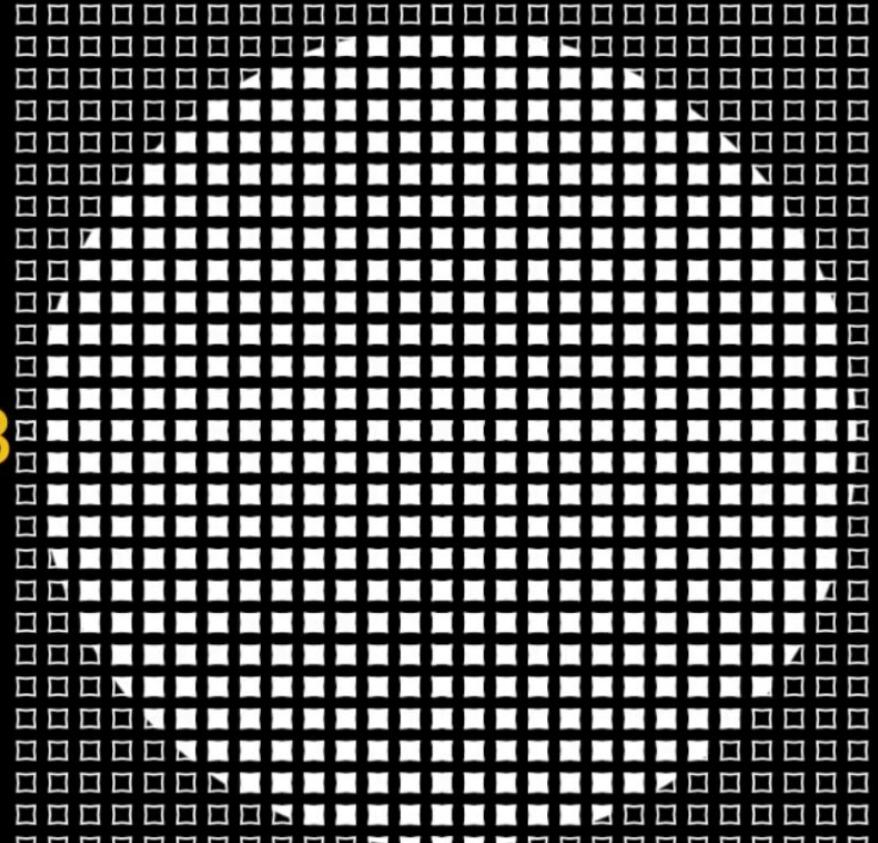
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$28 \times 28 = 784$ Pixels

$$(X_1 * 0.8 + X_3 * 0.2)$$



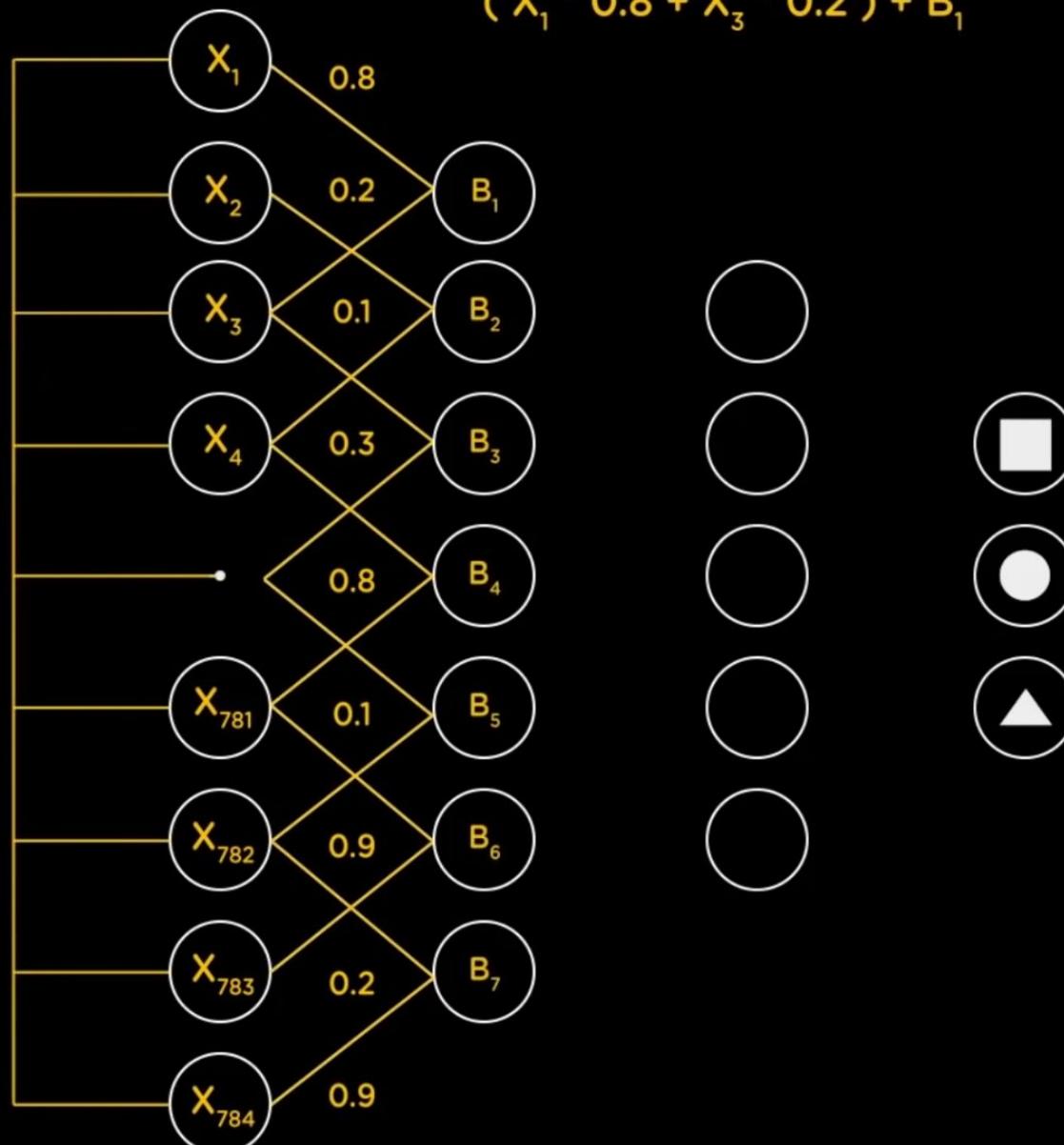
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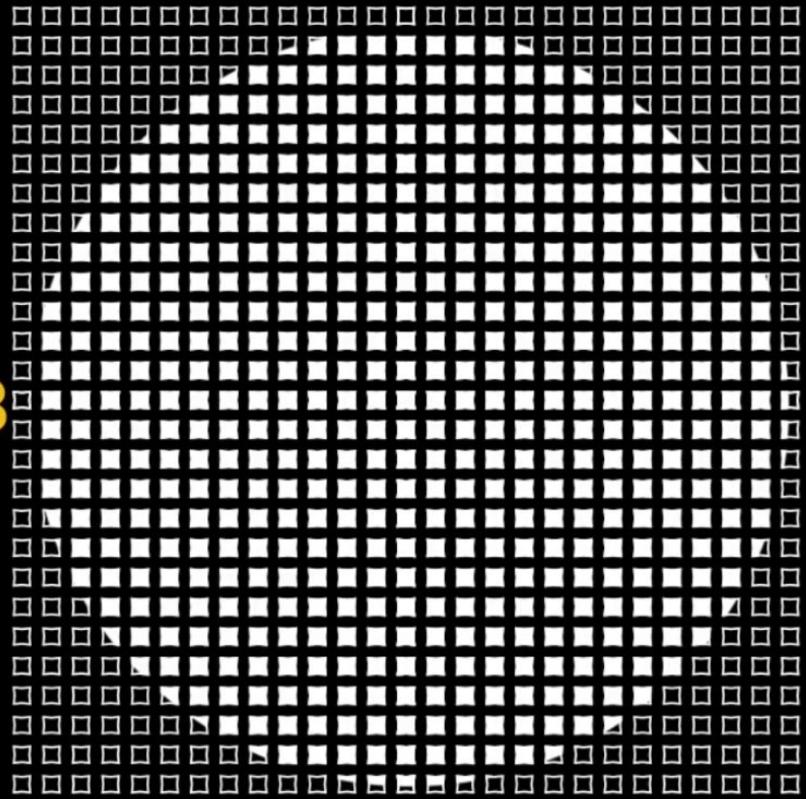
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$28 \times 28 = 784$ Pixels

$$(X_1 * 0.8 + X_3 * 0.2) + B_1$$

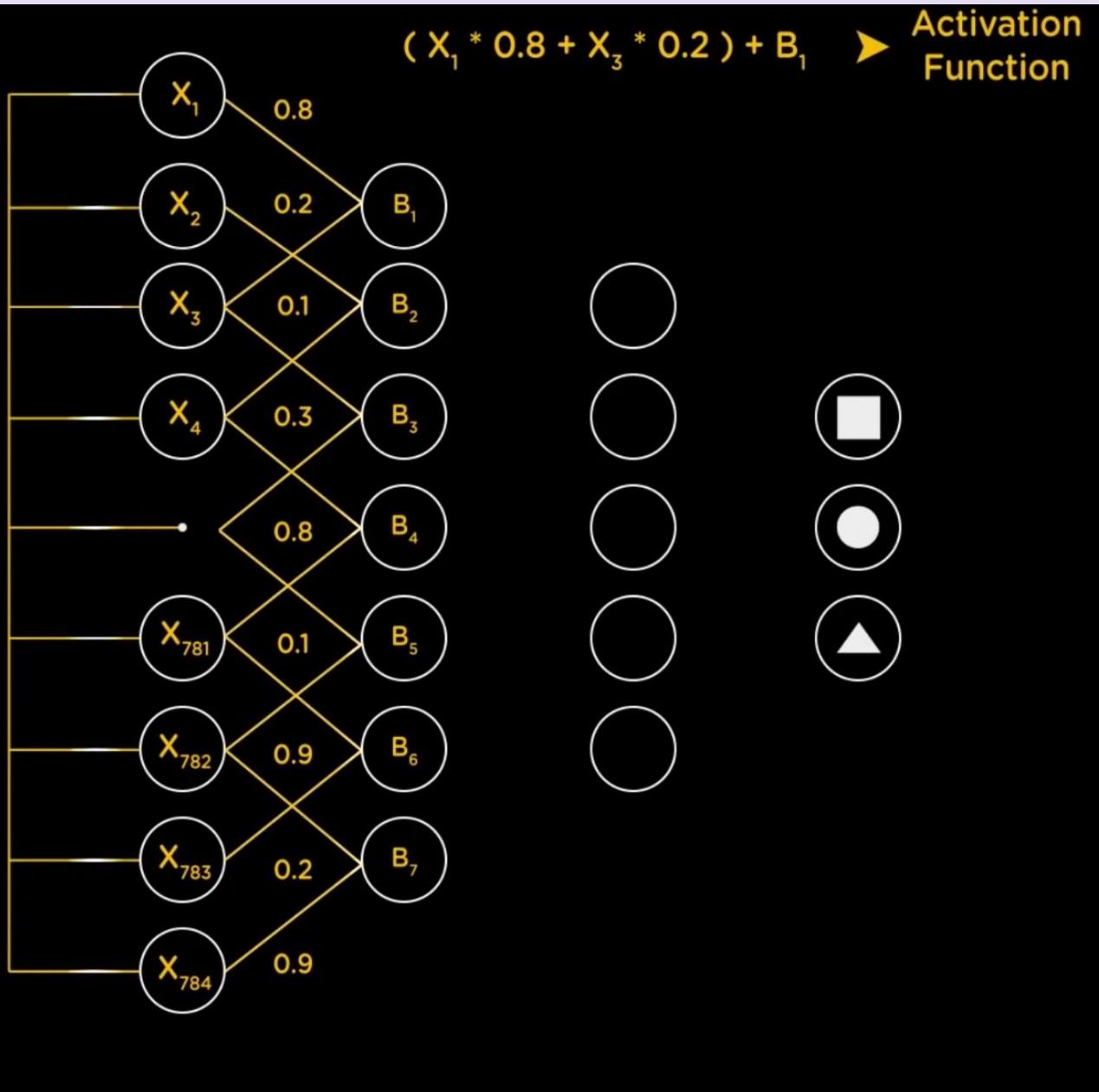


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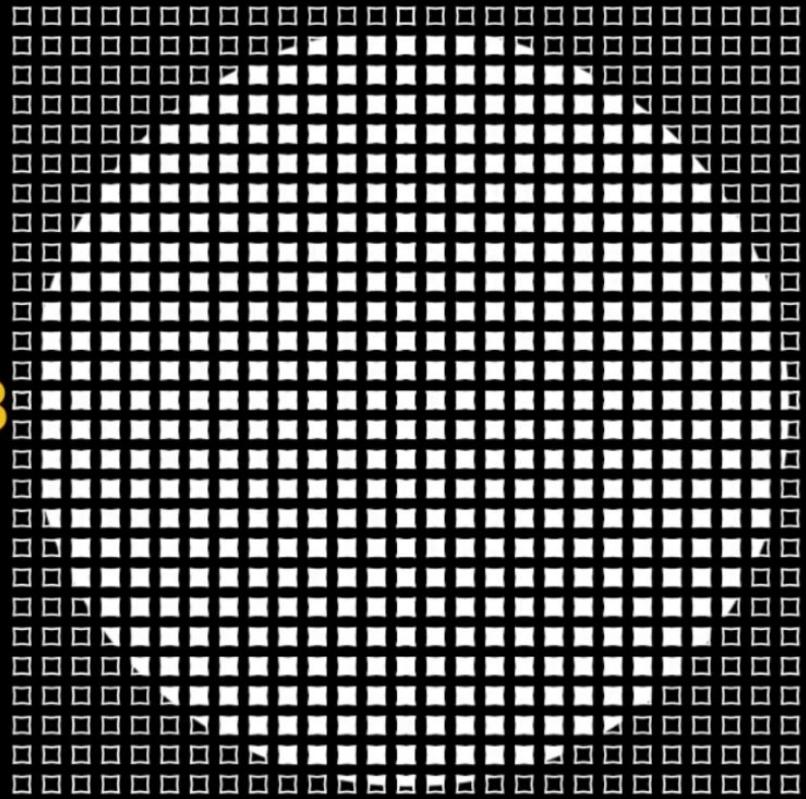


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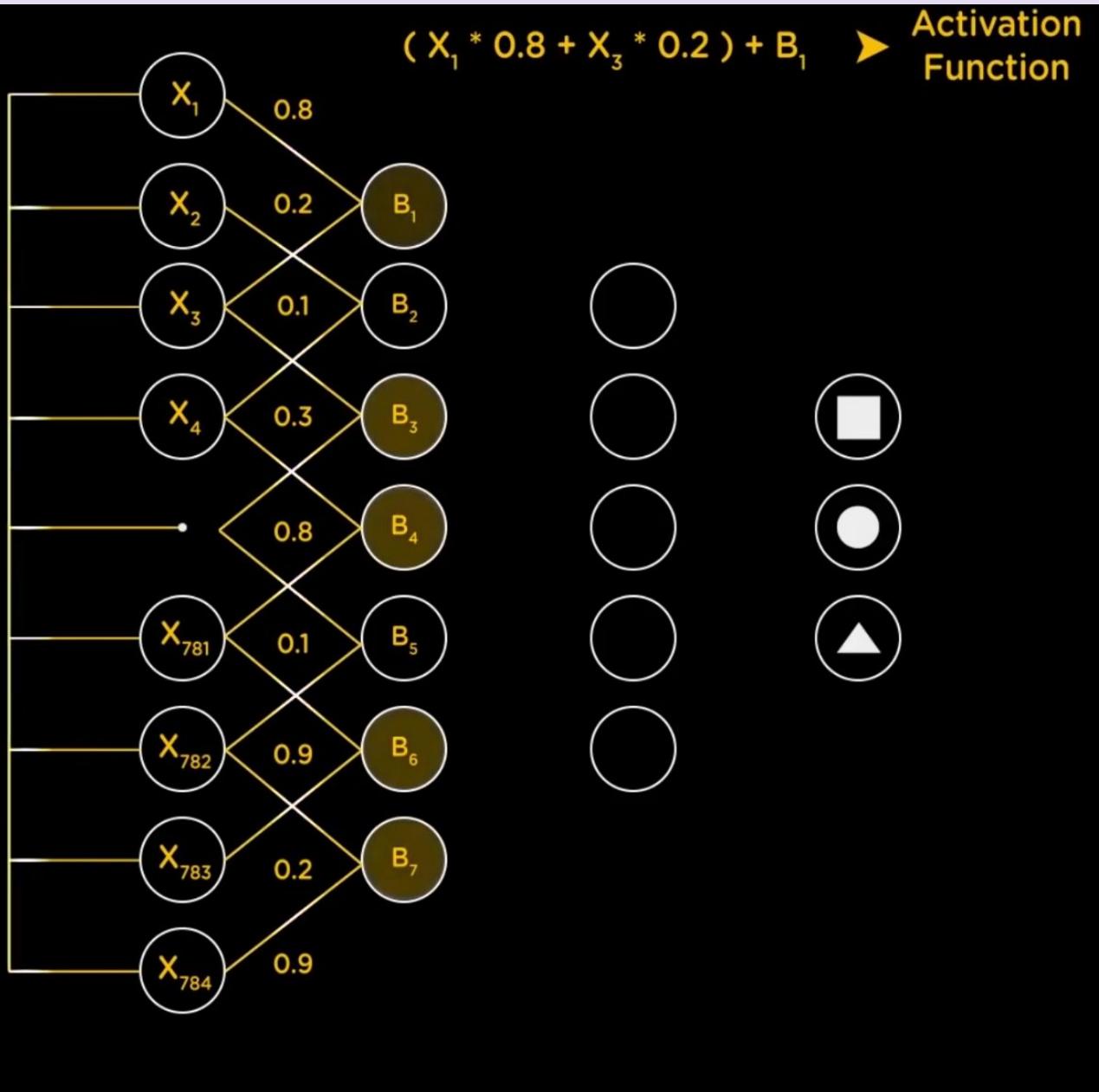


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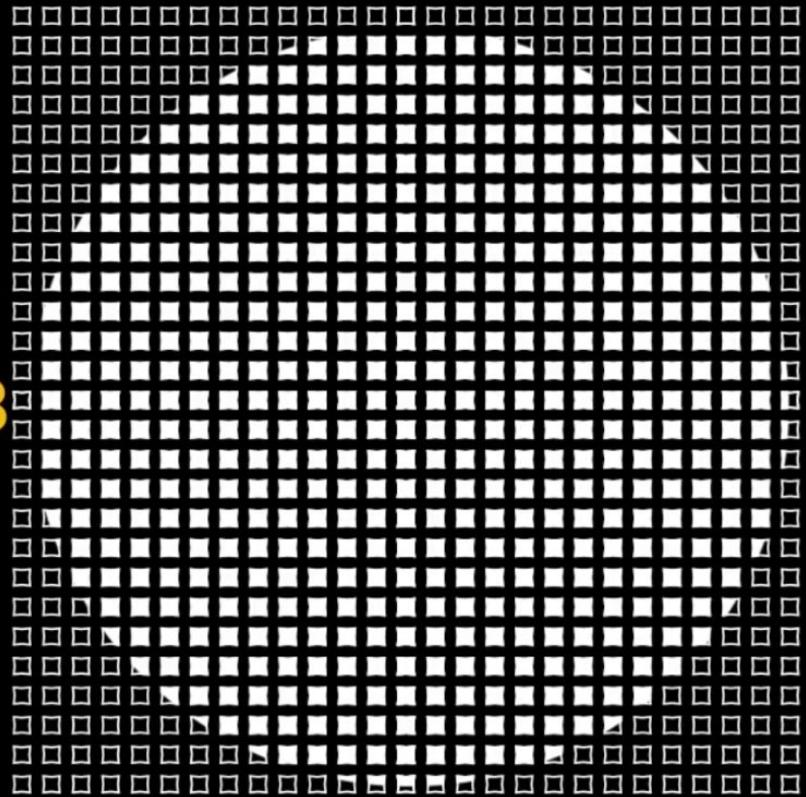


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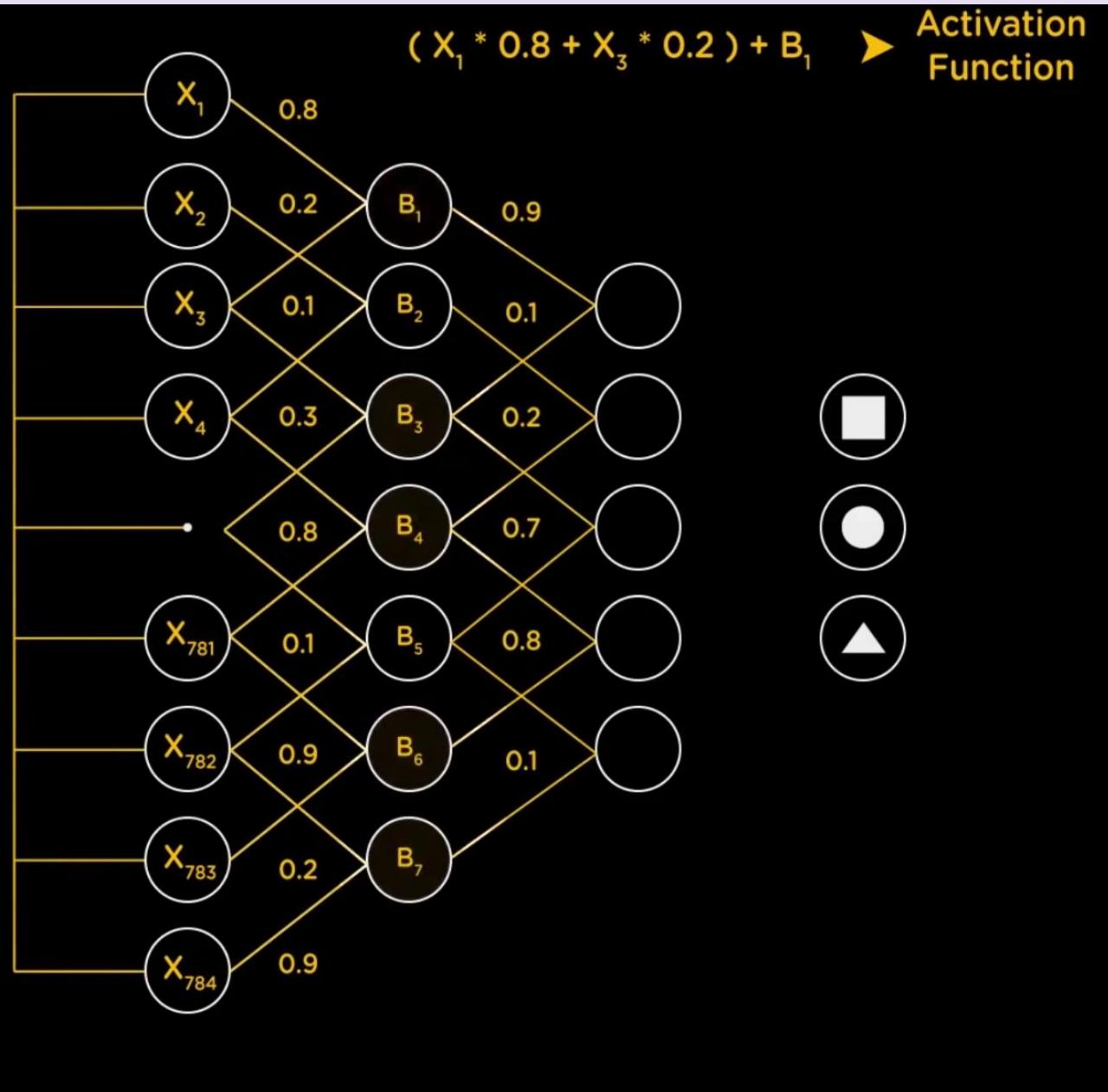
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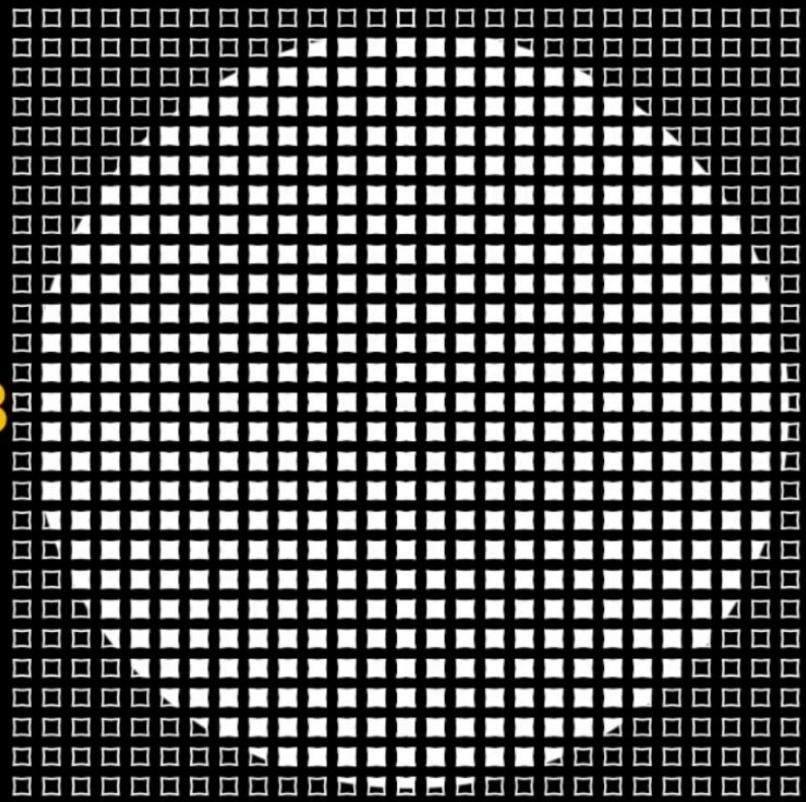
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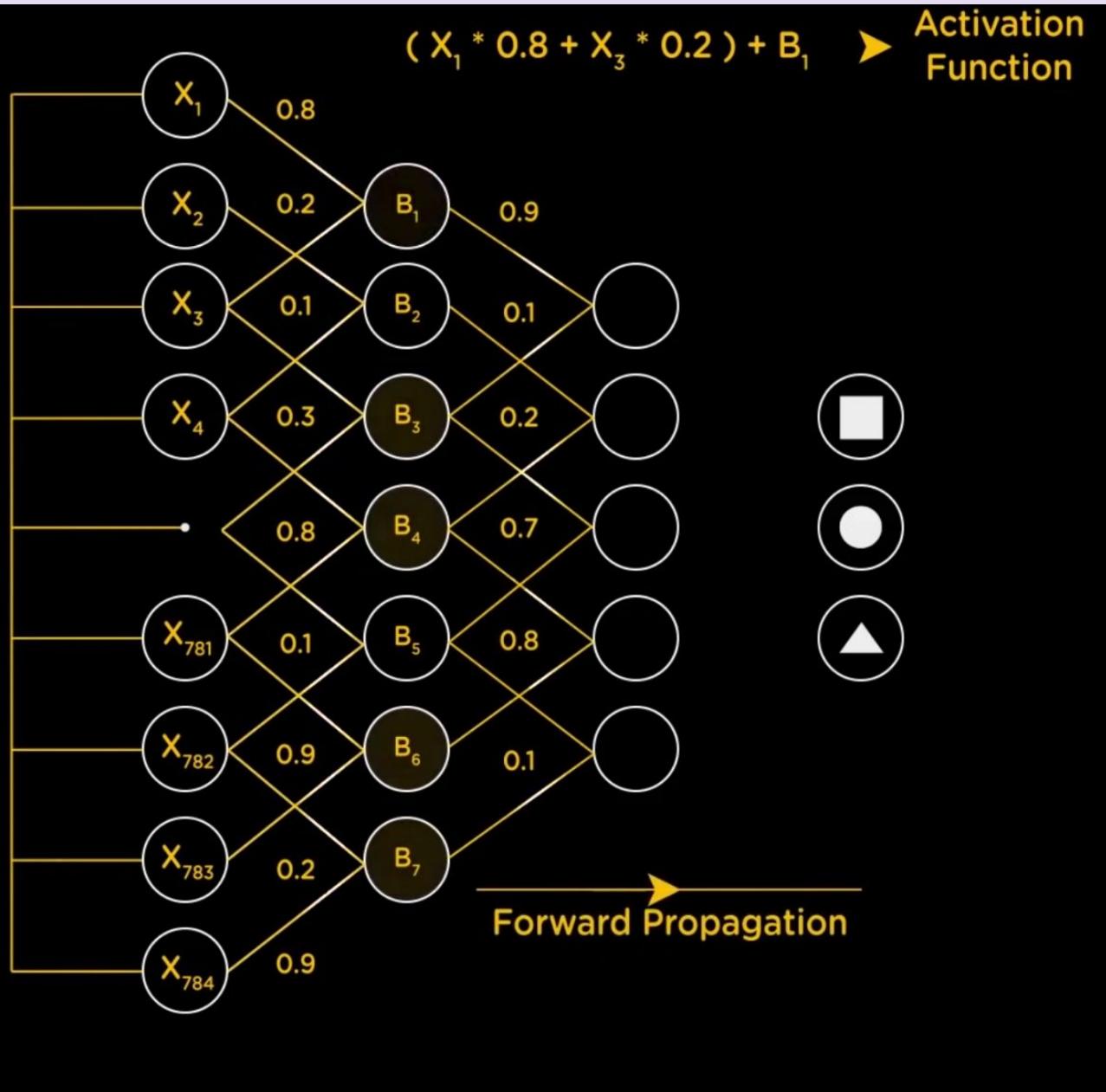
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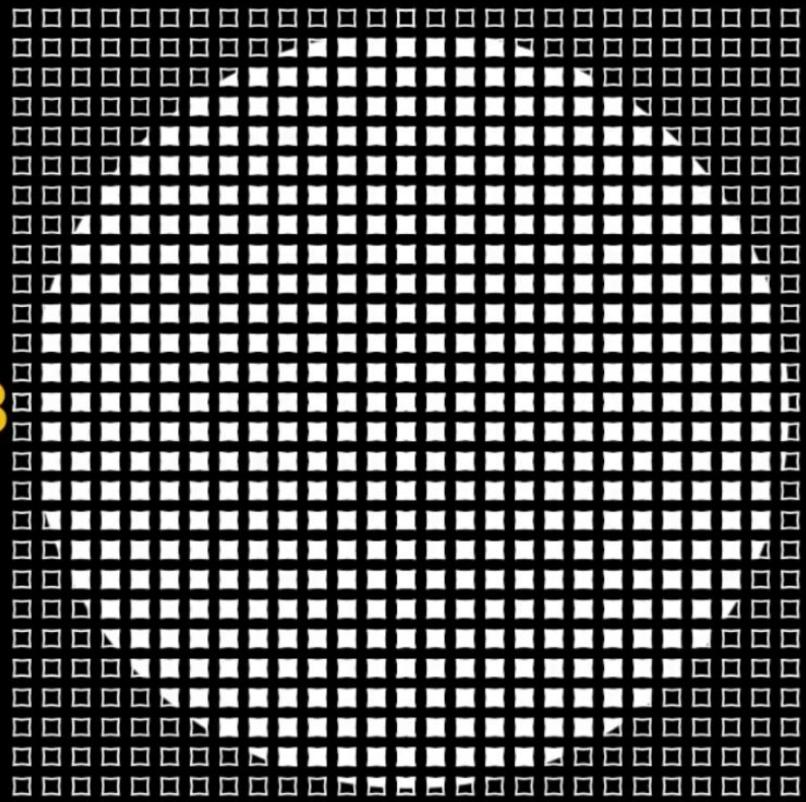
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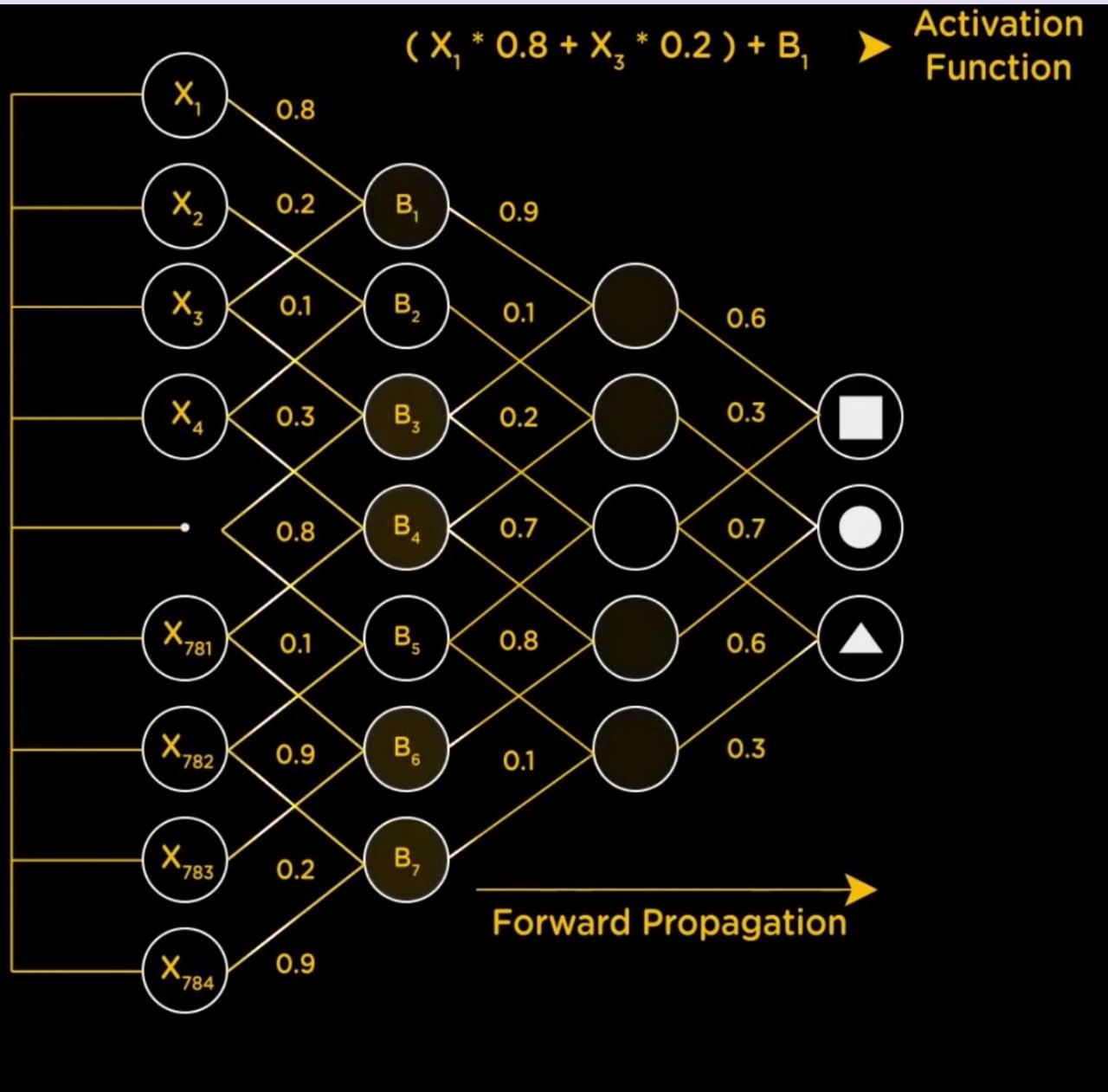
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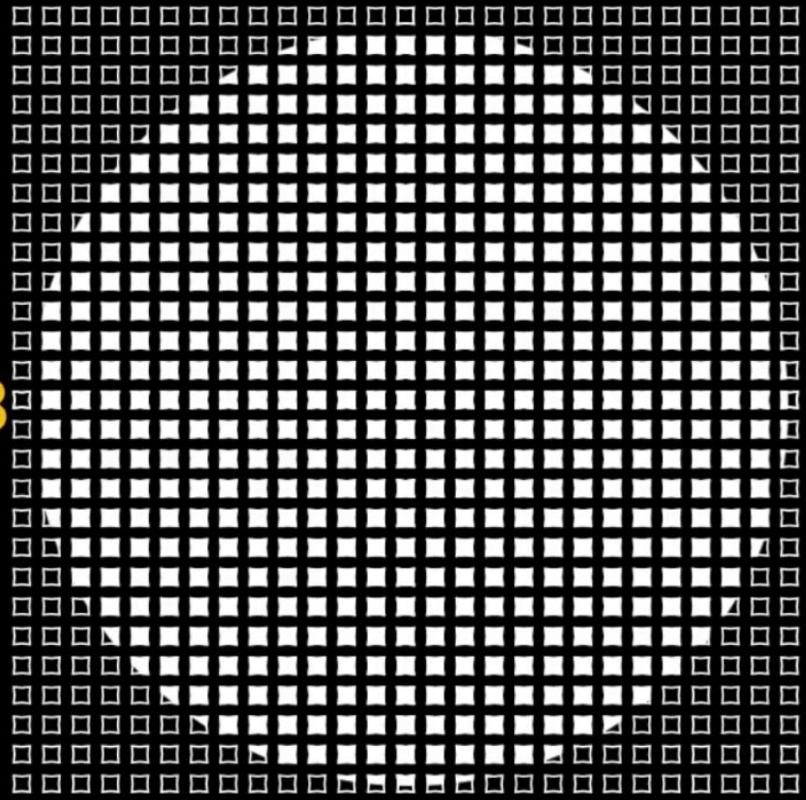
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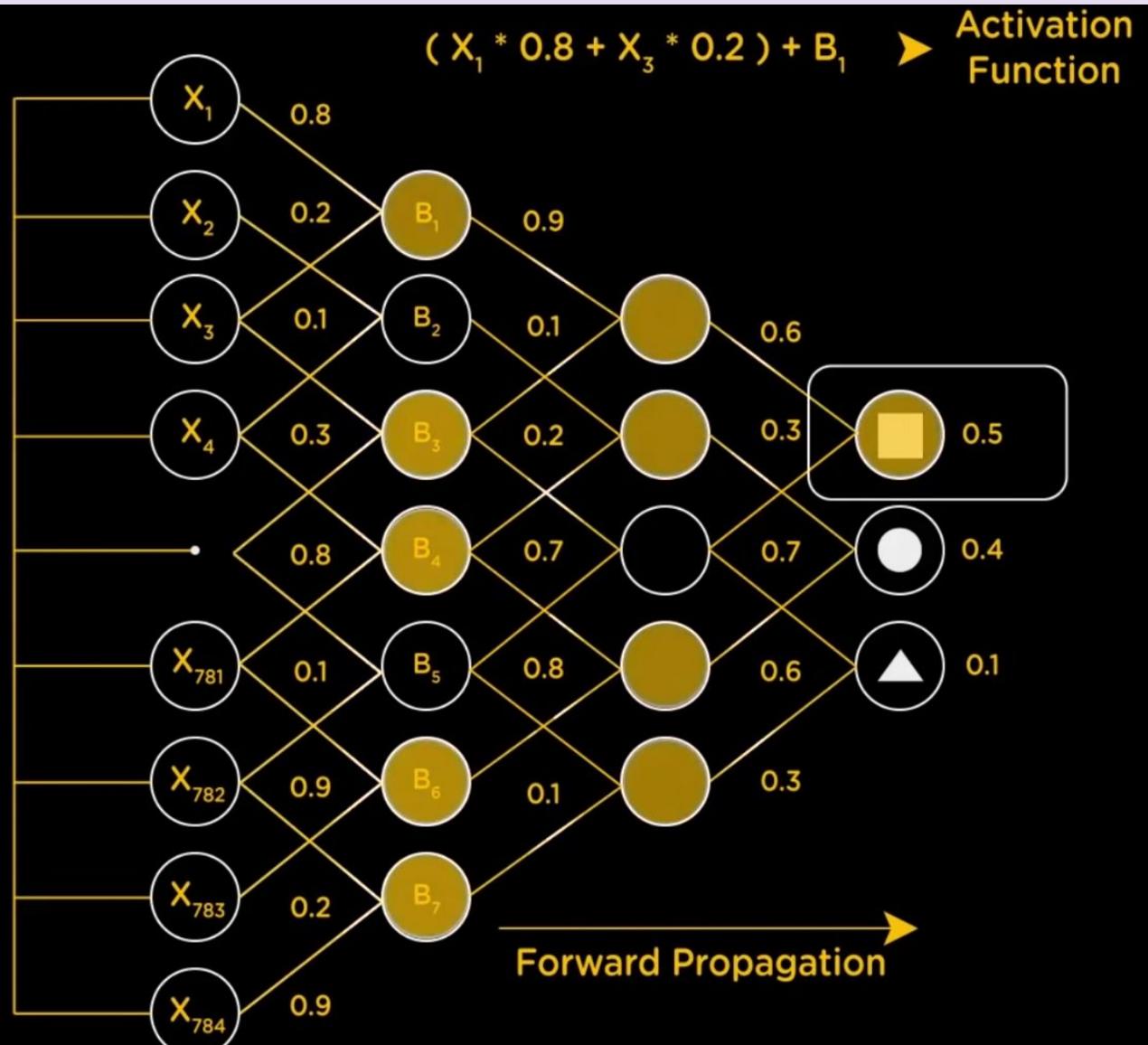


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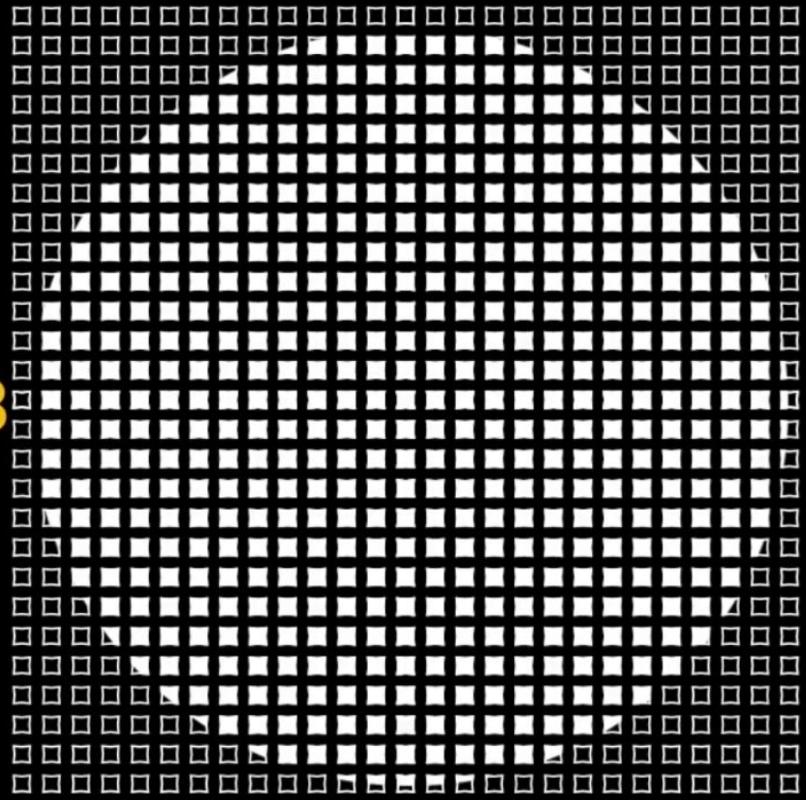


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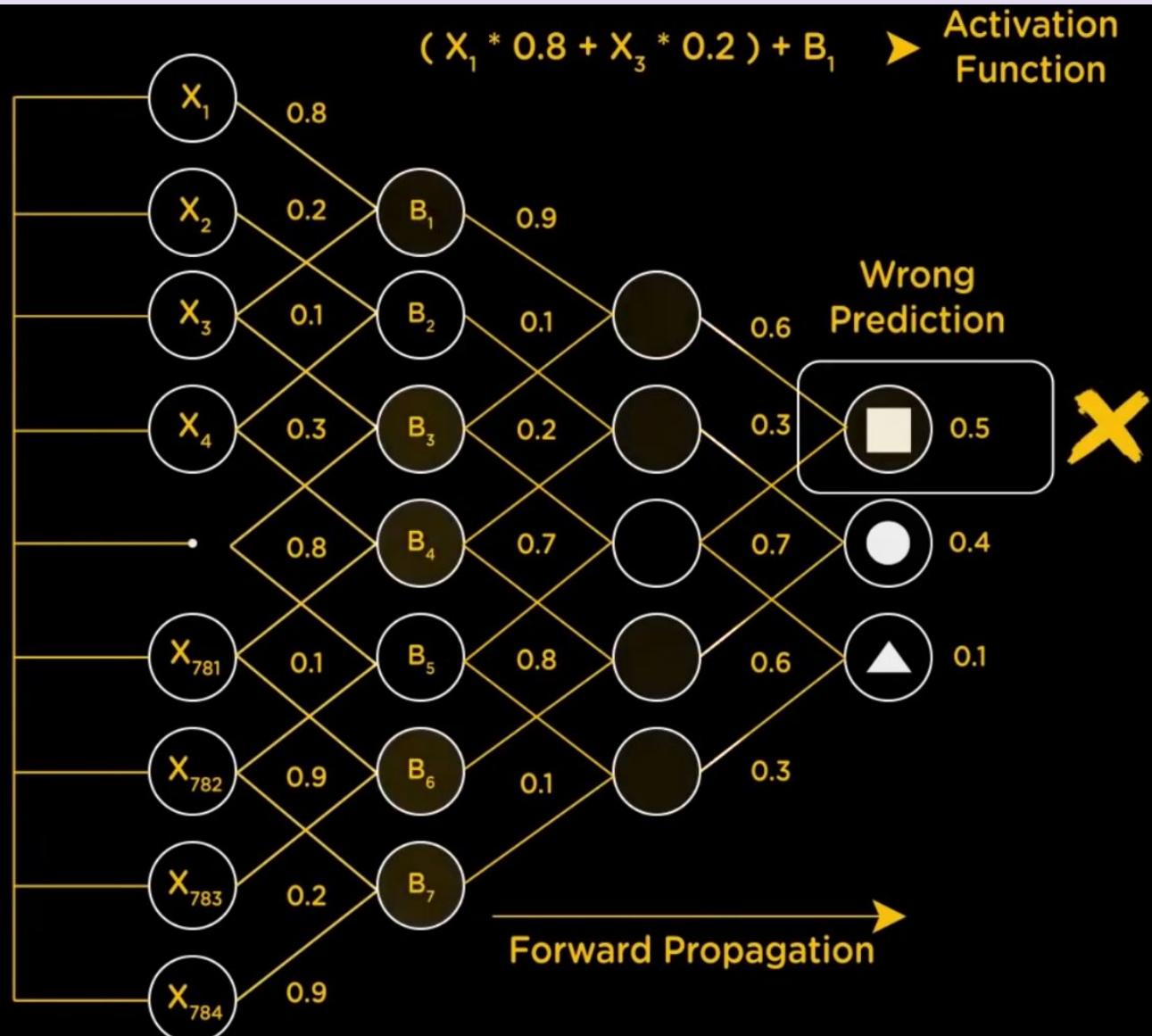
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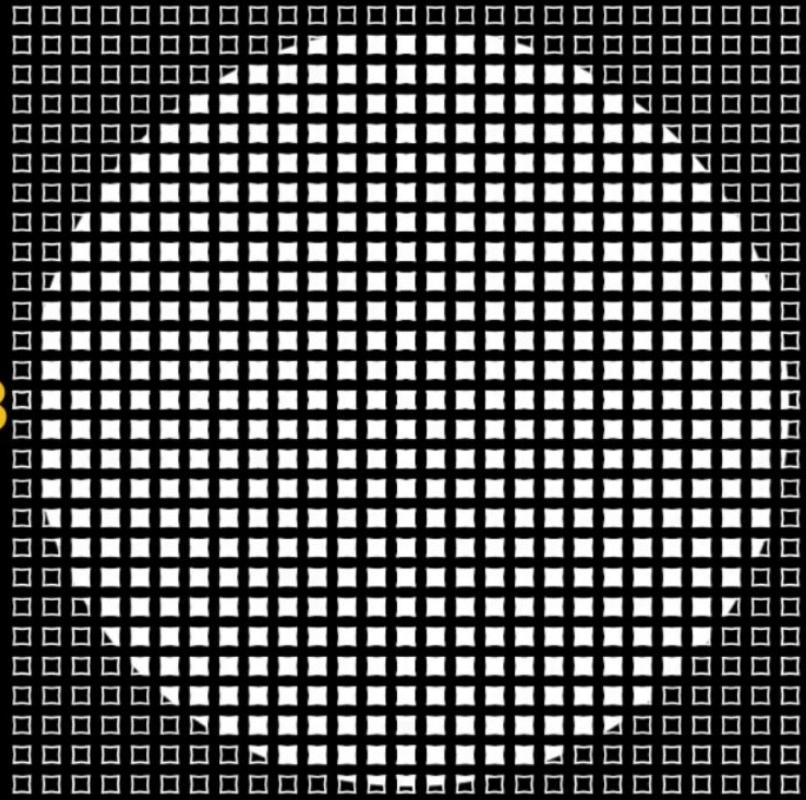
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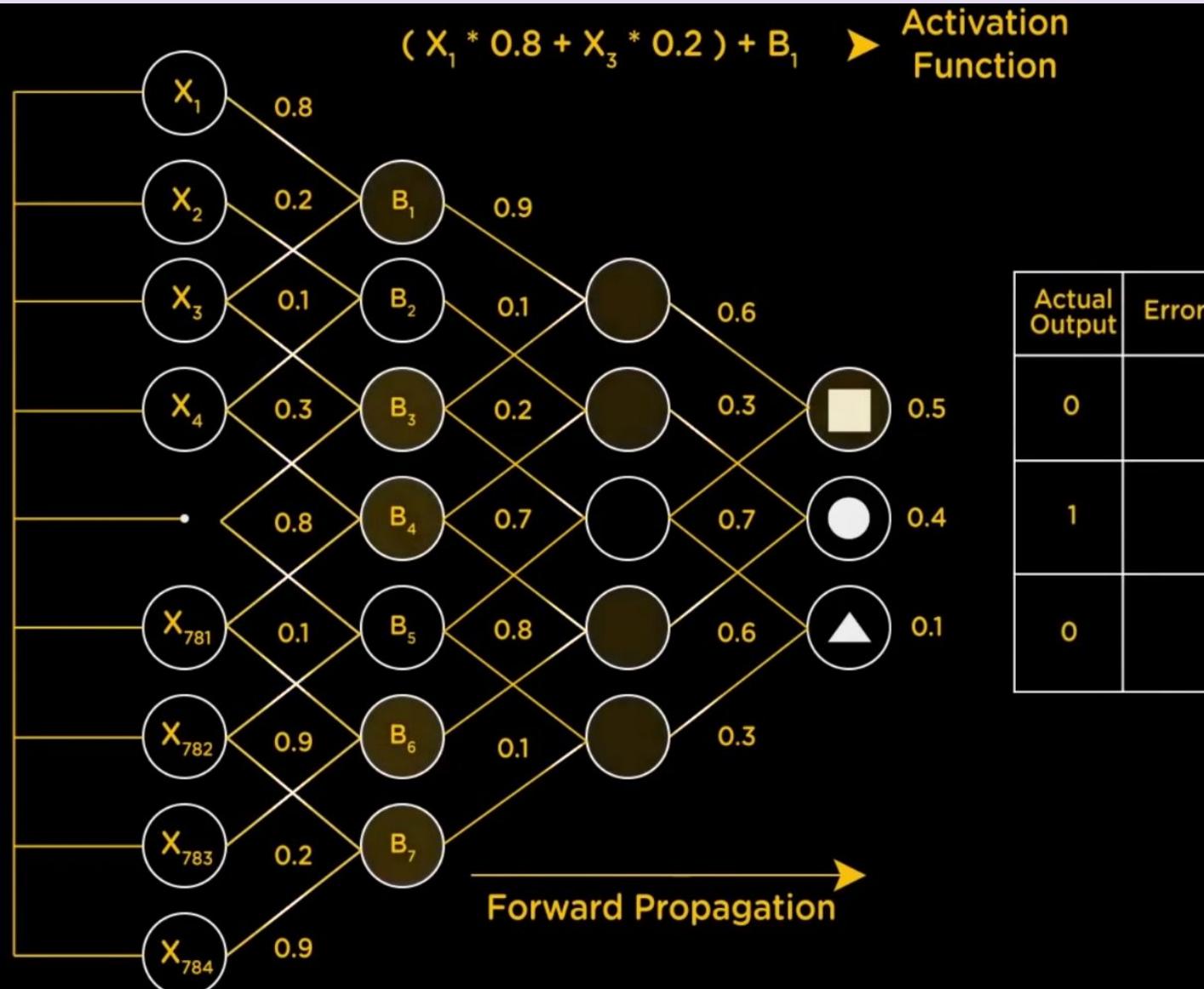
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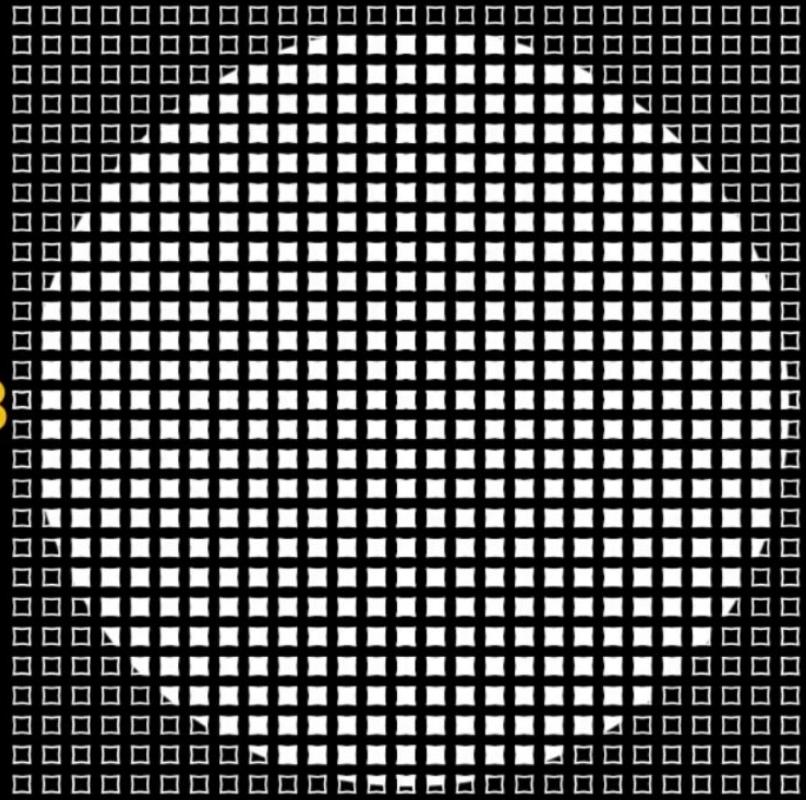
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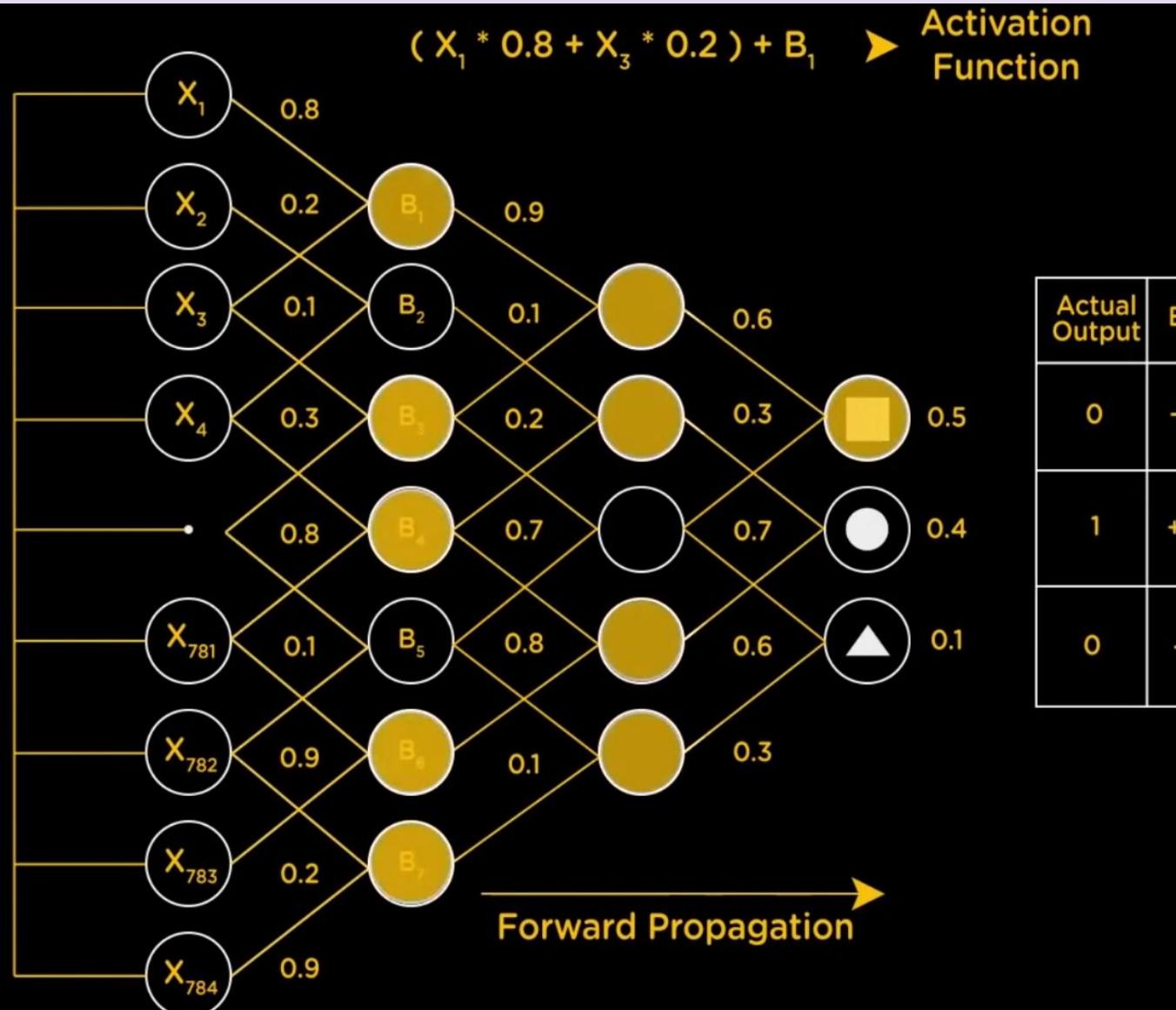
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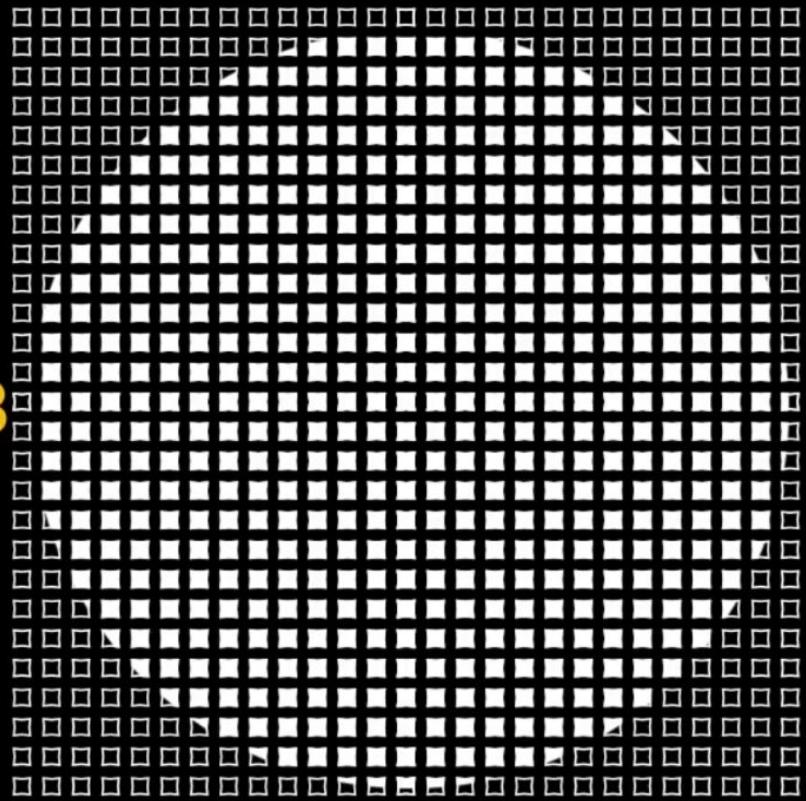
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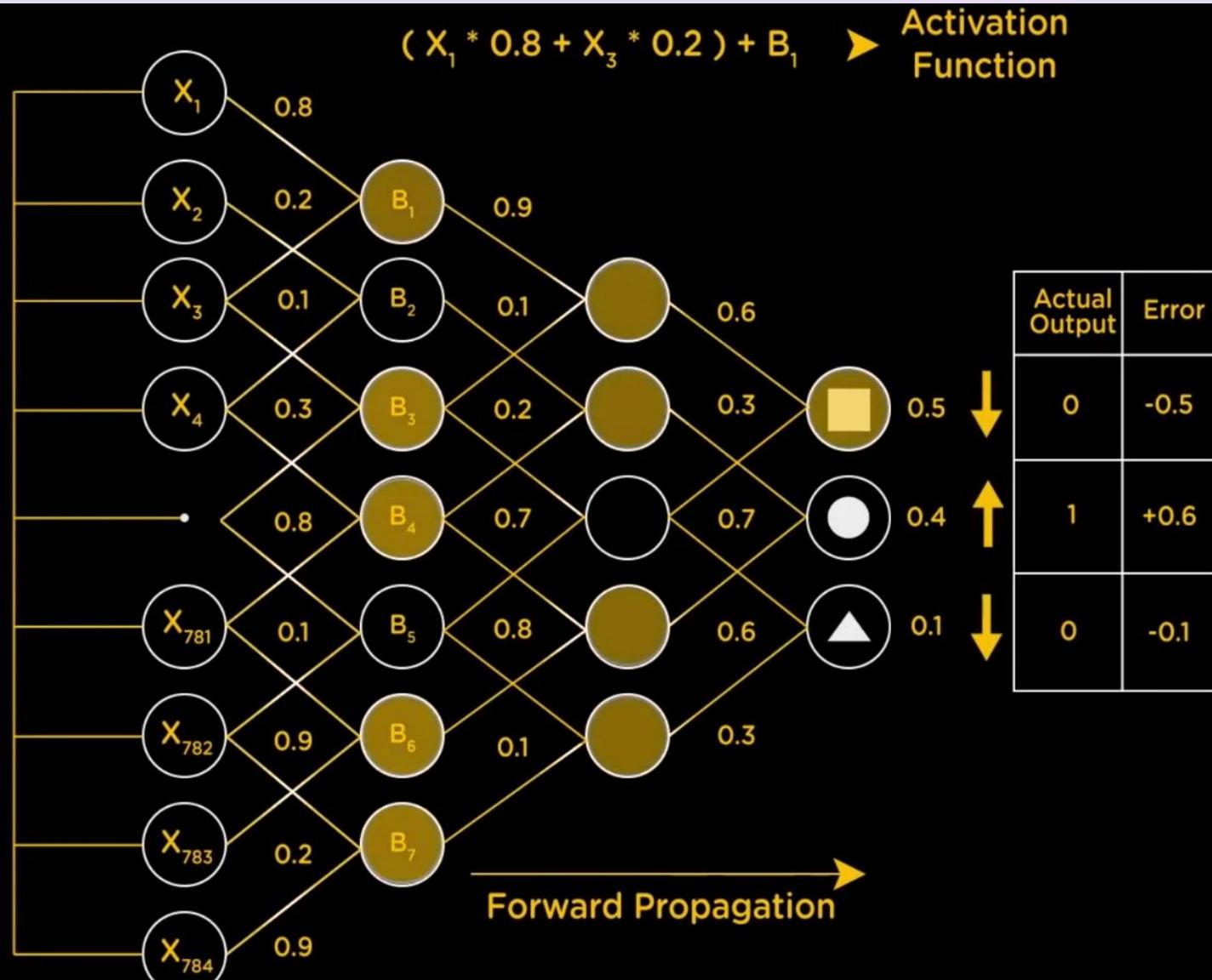
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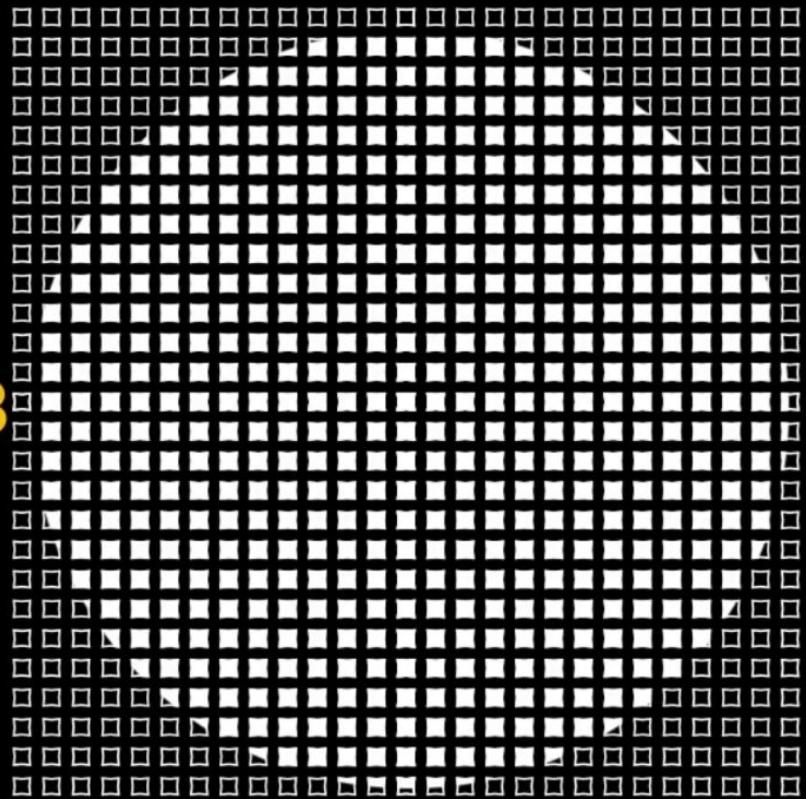
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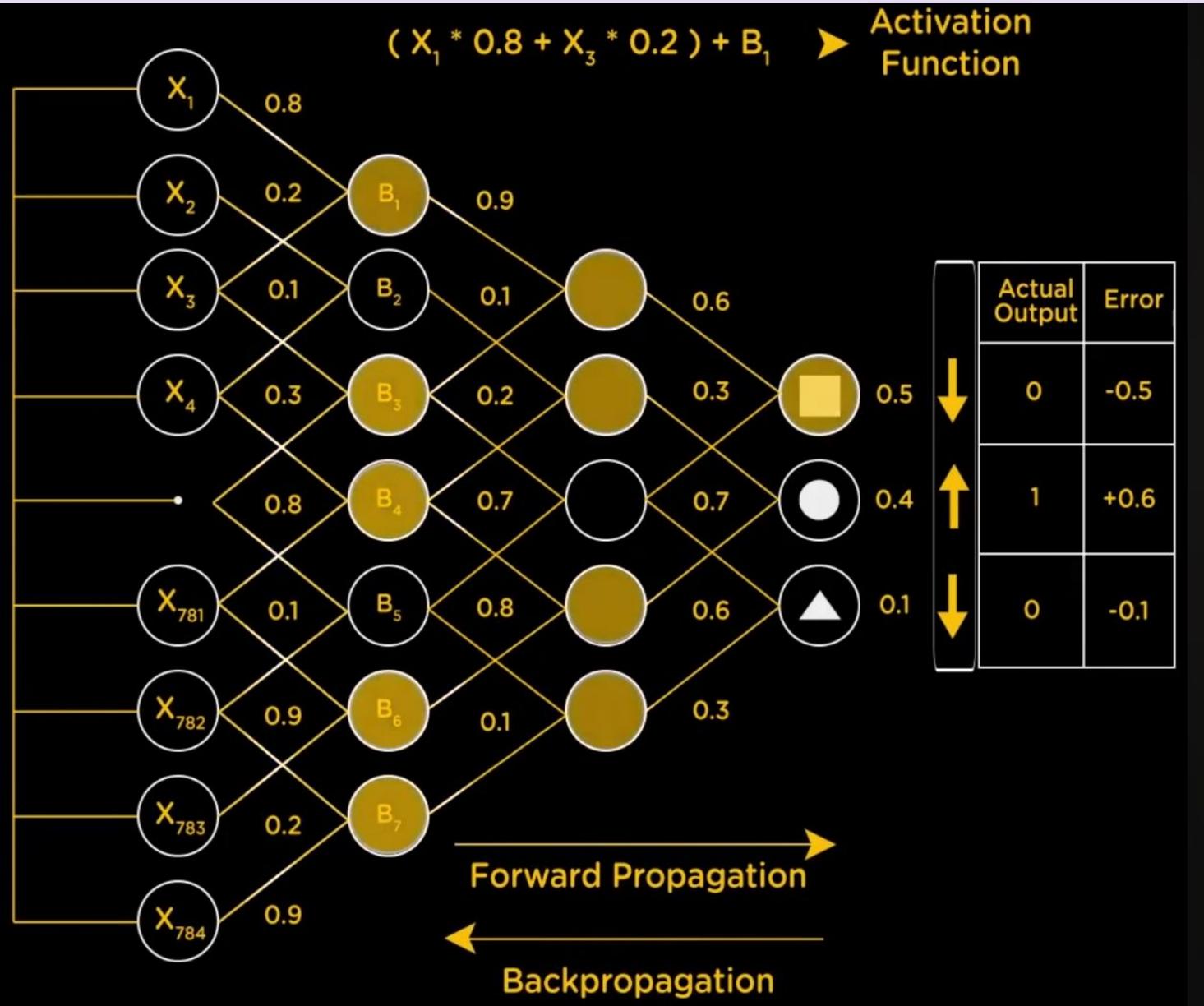


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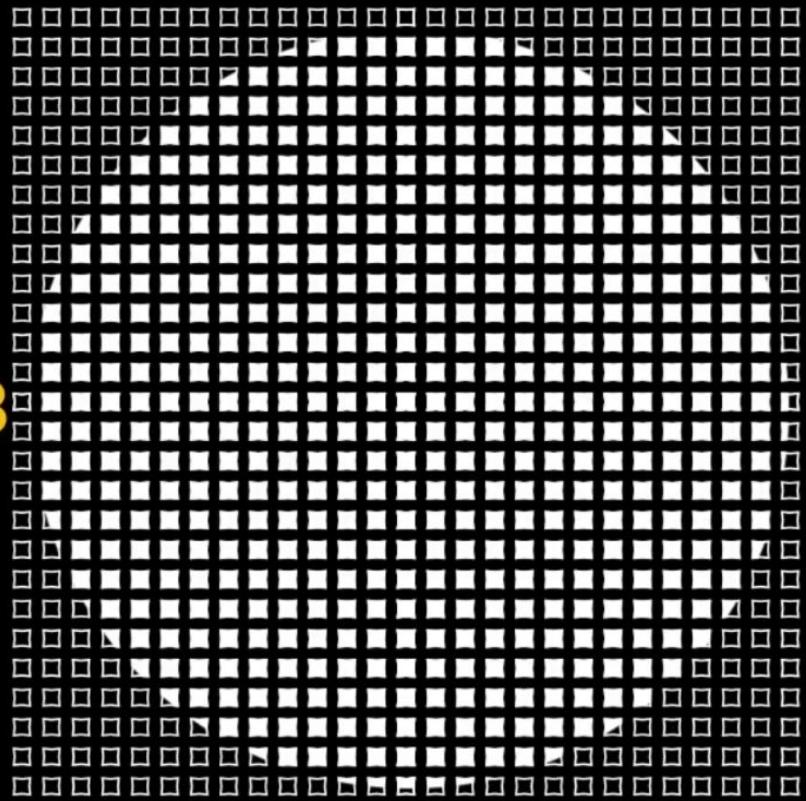


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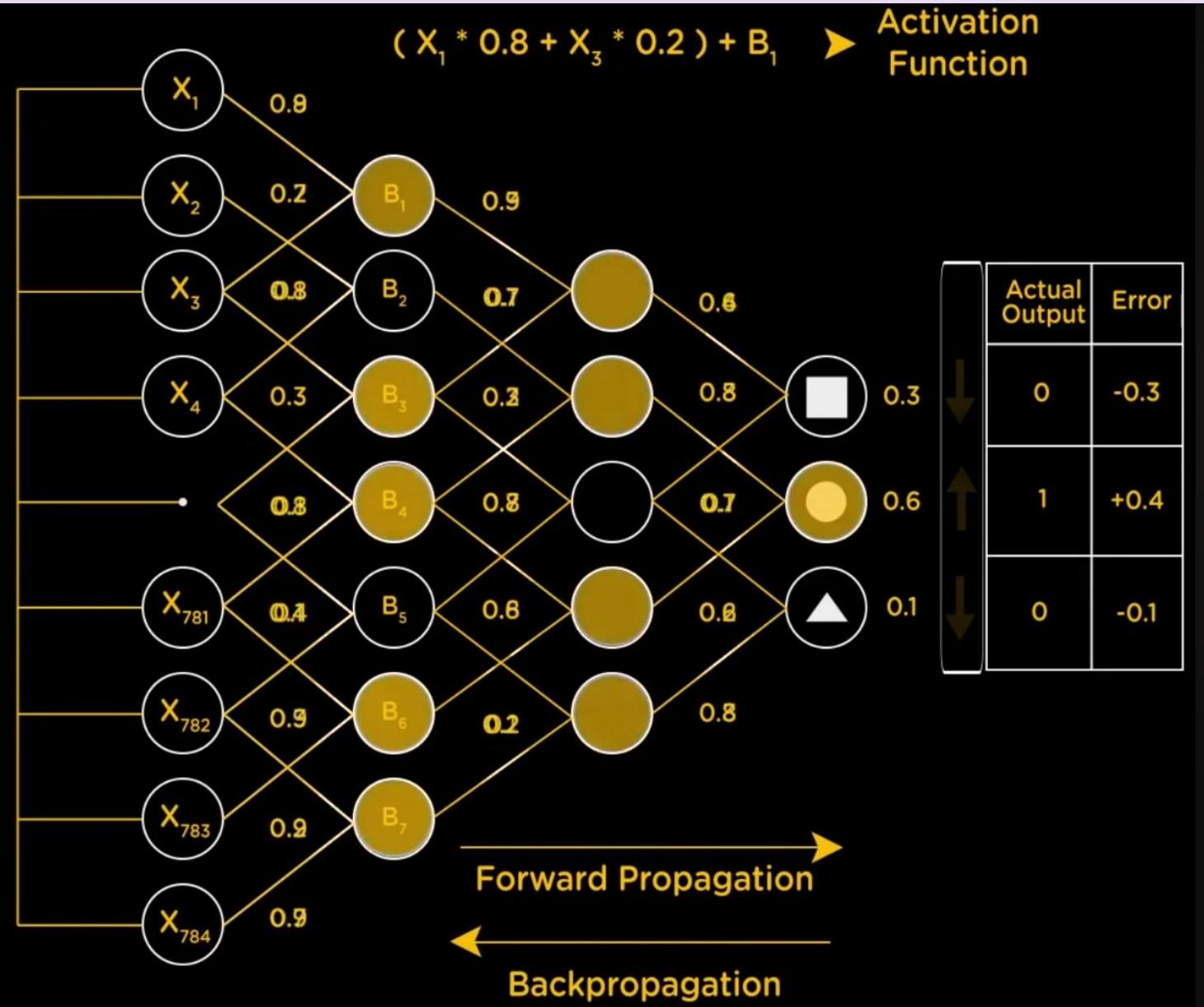
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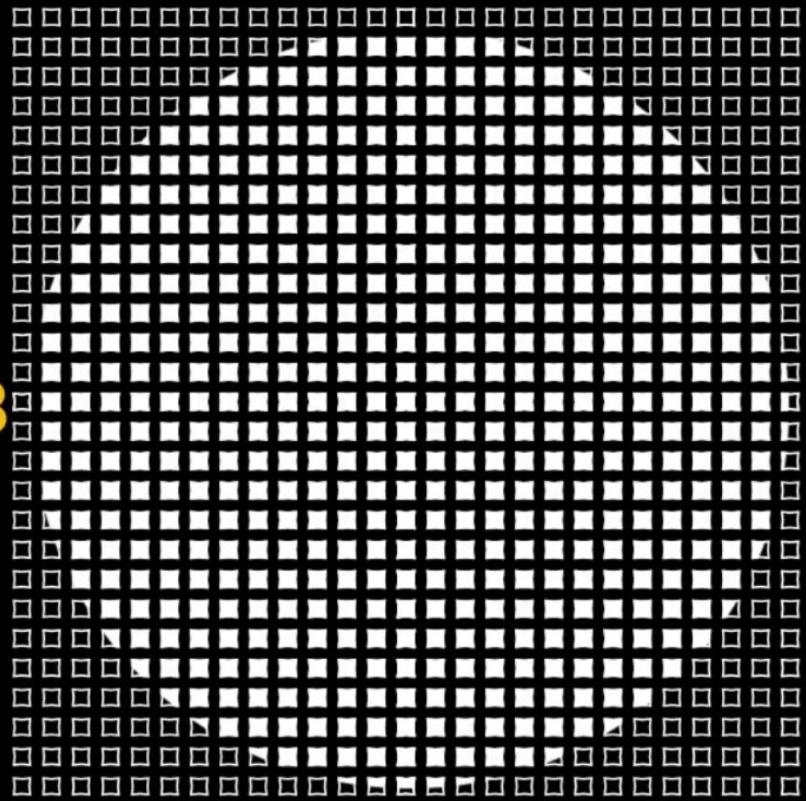
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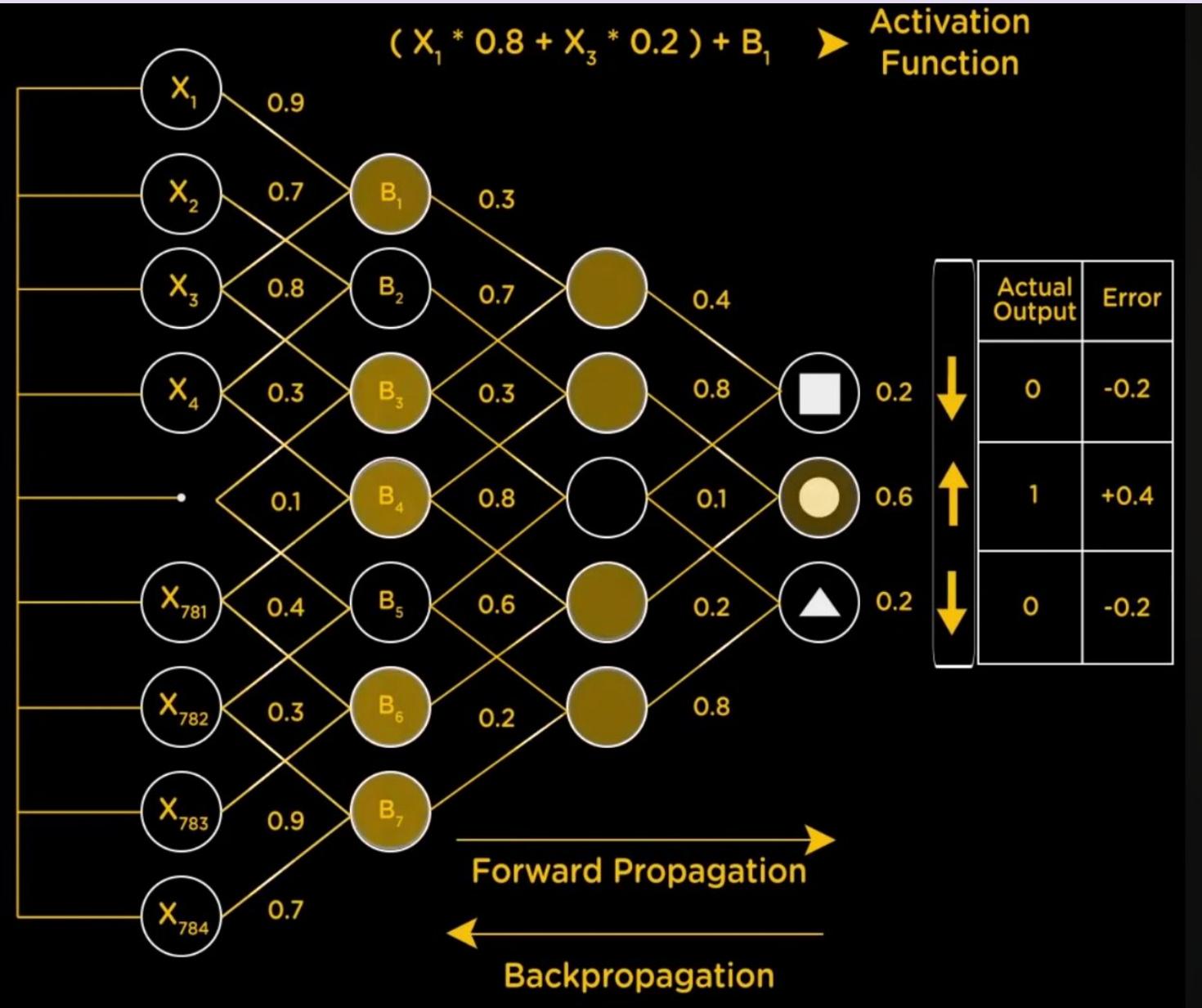


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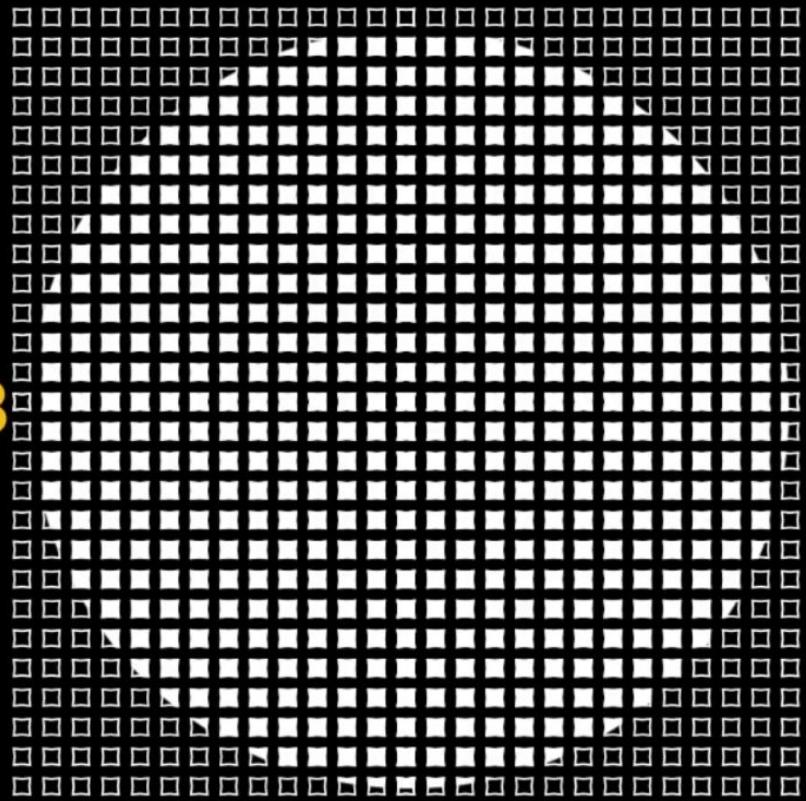


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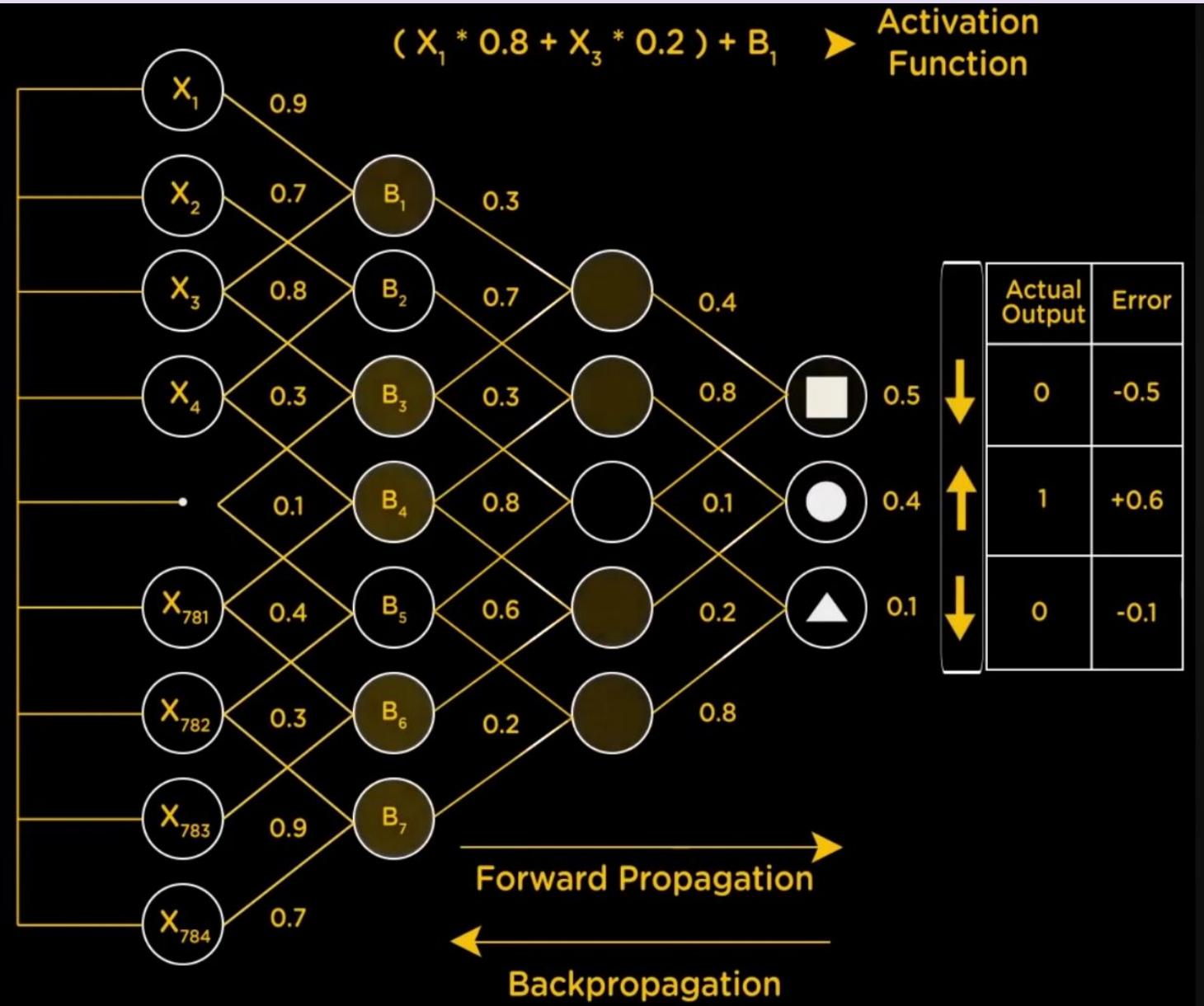
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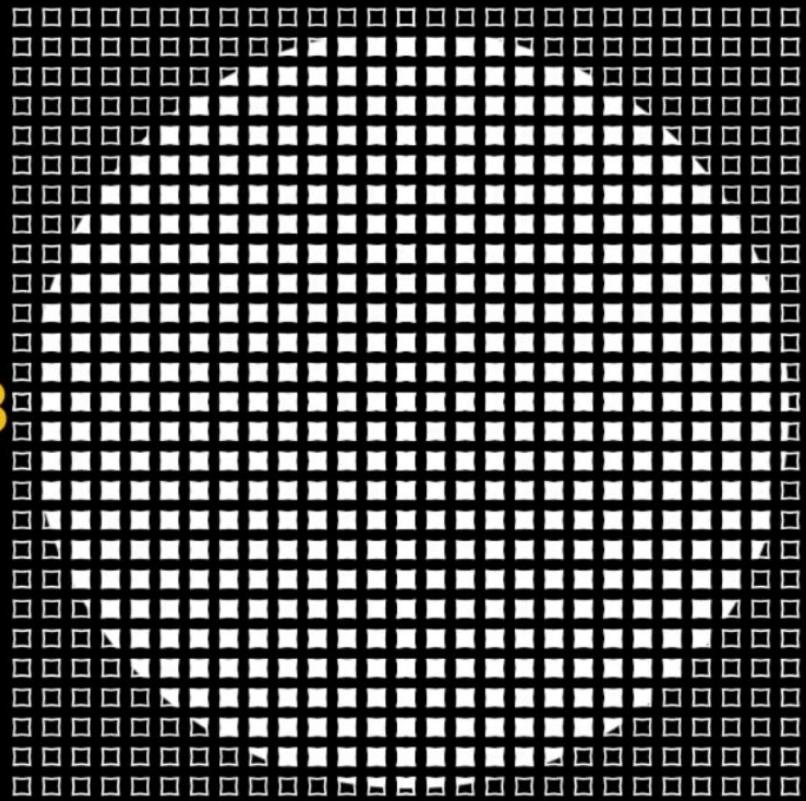
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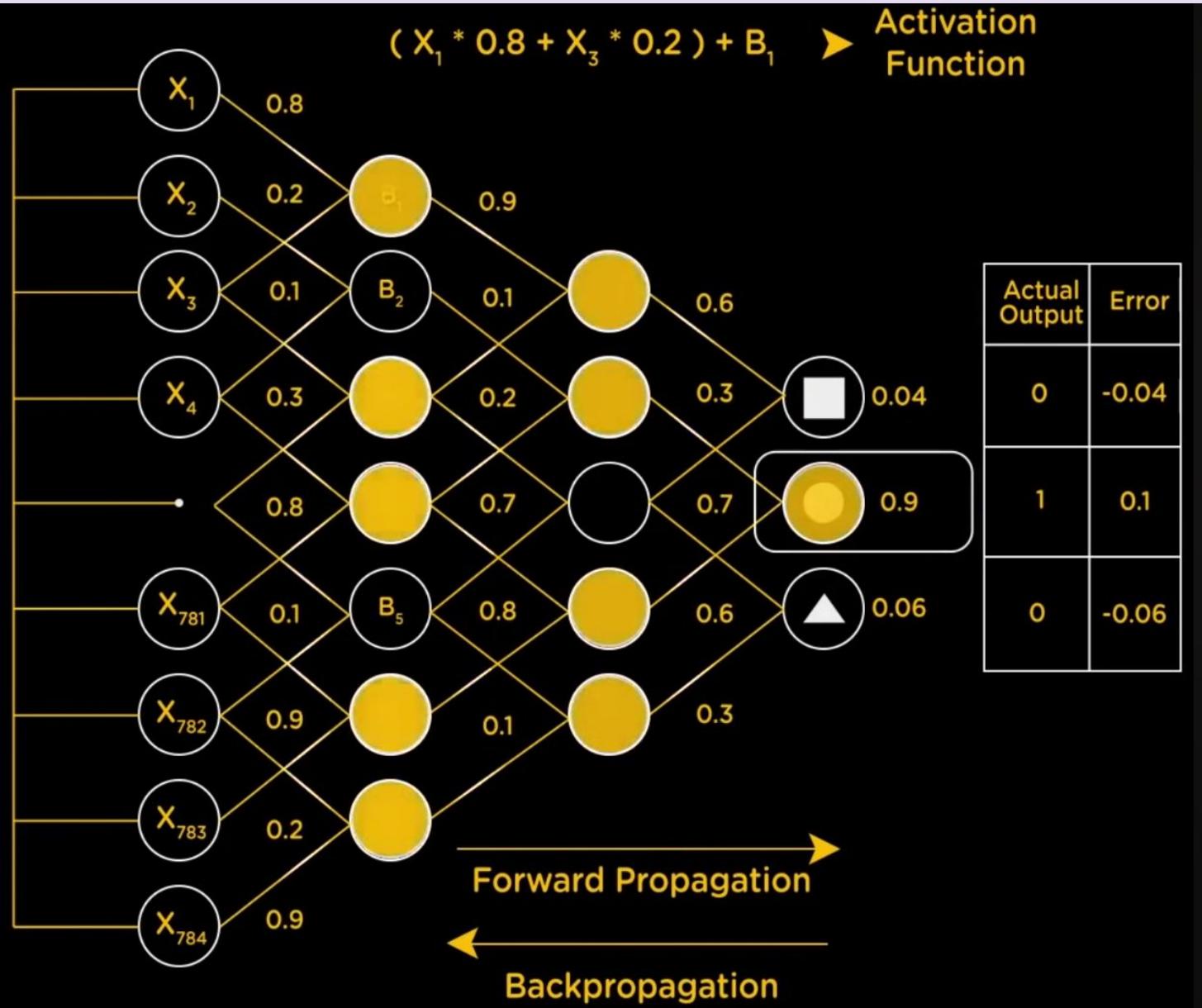


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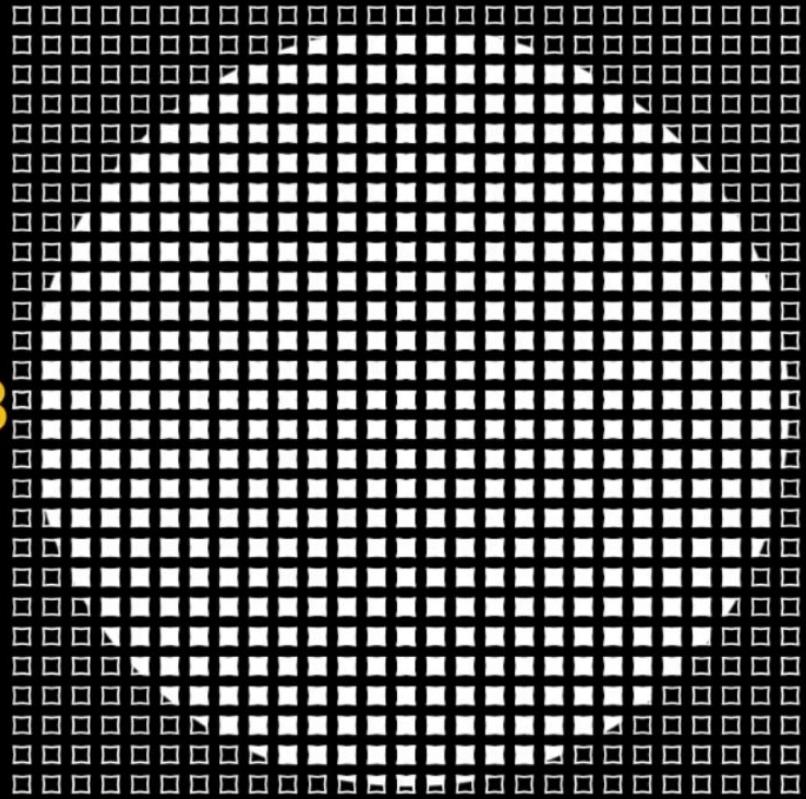


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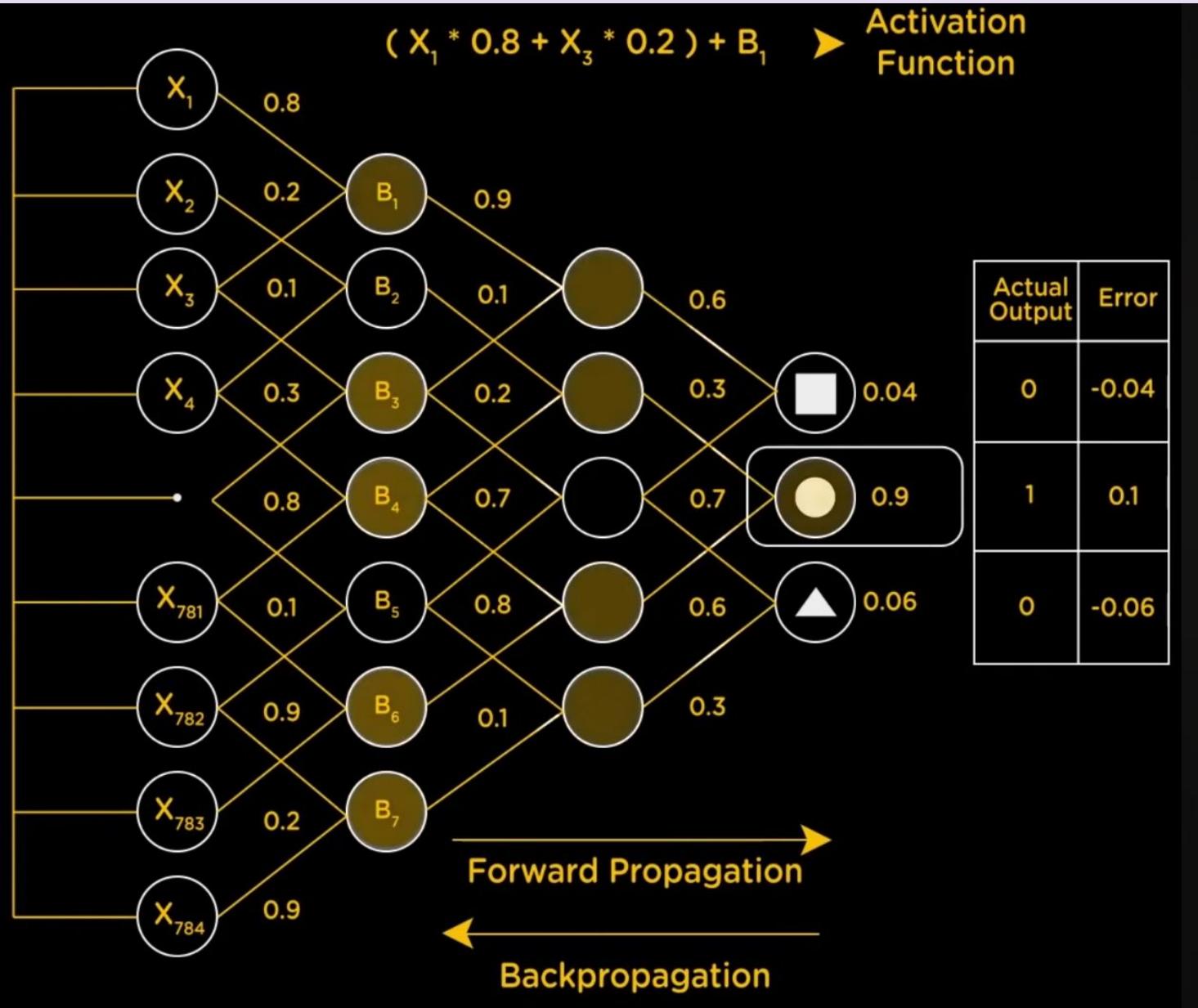
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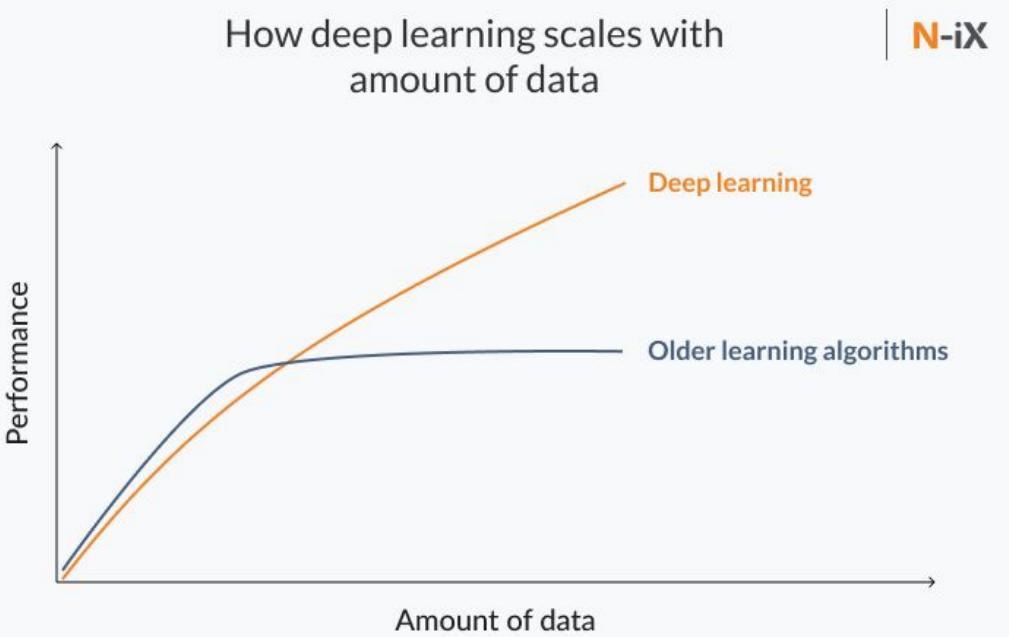
So how do actually NN work?

How Neural Networks work? Neurons:



I know a guy who knows a guy

Why Neural Networks?



- Often, traditional ML models are conceptually simpler
- The performance of NN increases with the amount of data
- NN models try to learn high-level features from data in an incremental manner.
- They can learn and model the relationships between inputs and outputs that are nonlinear and complex

"The analogy to deep learning is that the rocket engine is the deep learning models and the fuel is the huge amounts of data we can feed to these algorithms."

Let's play

Playground:

<https://playground.tensorflow.org/#activation=tanh&batchSize=10&dataset=circle®Dataset=reg-plane&learningRate=0.03®ularizationRate=0&noise=0&networkShape=4,2&seed=0.64300&showTestData=false&discretize=false&percTrainData=50&x=true&y=true&xTimesY=false&xSquared=false&ySquared=false&cosX=false&sinX=false&cosY=false&sinY=false&collectStats=false&problem=classification&initZero=false&hideText=false>

Description:

<https://developers.google.com/machine-learning/crash-course/introduction-to-neural-networks/playground-exercises>