

18.10. Деление на цели числа в ОЧК
2022 IV сем. м.у. ОЧК

заг 1

$$x = 90 \quad y = 12 \quad n = 8 \quad z = \frac{x}{y} = ? \quad \frac{90}{12} = 7,5$$

Дм Дм у

$$\text{Дм } x = 90 = 01011010 \quad \text{Дм } 12 = 1100001100$$

90:2=45=0 нормален вид

$$45:2=22(1)$$

$$22:2=11(0)$$

$$11:2=5(1)$$

$$5:2=2(1)$$

$$2:2=1(0)$$

$$1:2=0(1)$$

$$\text{Дм } 12 = 00001100 \quad \text{изместване } 3$$

позиция на дво 01100000

$$N = 3 - 0 + 1 = 4$$

$$Z = 00000 \underbrace{111}_N$$

$$\begin{array}{r} \text{Дм} = 01100000 \\ - \text{Дм} = 10100000 \\ \hline 10011111 \\ + \quad \quad \quad 1 \\ \hline 10100000 \end{array}$$

$$\text{rest (решетором)} = 01011010 \quad \text{нат. от} = \text{Дм.}$$

$$+ 10100000$$

$$\text{изваждане } \text{rest} < 0 \quad 11111010$$

$$z[i] = 0 \quad + 01000000$$

$$\text{изваждане } 01011010$$

$$10110100$$

след изместване на дво

$$\text{изваждане } + 10100000$$

+ (-Дм)

$$\text{rest} \geq 0 \quad 01010100$$

$$z[i] = 1 \quad 10101000$$

изместване на дво

извоис дане

10101000

+ 10100000

rest ≥ 0

00001000

z[i] = 1

10010000

издаване на дво

+

10100000

rest ≥ 0

00110000

z[i] = 1

остатки (запълнене
всички позиции)

Решение на задача със знак в ДЧ

зад 2

x = 80 y = -12 n = 8 Z = x = -75

Am = 01011010

y

първо нормализираме след това ДЧ

Am = 00001100 -11-3-11= 01100000

ДЧ Am = 10100000

Z = 00001000
1111

Am = 10100000

-Am = 01100000

rest = 01011010

наг с Am = Am

1 ≠ 0

*10100000

0 ← 0

01111010

1 = 1

*11110100

+ 01100000

след ≠ на дво
+ (-Am)

01010100

0 ← 1 ≠ 0

+ 10100000

след ≠

10100000

+ Am

01001000

0 ← 1 ≠ 0

сбавяне

10010000

след ≠

+ 10100000

+ Am

1 ≠ 0

00110000

остатки

$Z = \overset{1111}{\cancel{0000}}1000$ е неверен рез. $+1$, защото $Q_n > 0$
и $Q_m < 0 \Rightarrow$ несъстояща е корекция

$$\begin{array}{r}
 \overset{1111}{\cancel{0000}}1000 \\
 + 1 \\
 \hline
 \cancel{0000}1001 \text{ - верен} \\
 \cancel{1}0000110 \\
 \phantom{\cancel{1}}1 \\
 \hline
 10000111 \quad \text{---7}
 \end{array}$$

3ag 3 $x=90$ $y=-10$ $n=8$ $Z = \frac{x}{y} = -9$

$$\begin{array}{l}
 Q_n = 01011010 \\
 Q_m = 00001010 \quad \leftarrow 3 = 01010000 \\
 -Q_m = 10110000 \\
 N = 3 - 0 + 1 = 4 \\
 Z = 11110110 \\
 \underbrace{}_{\text{отр. 2}}
 \end{array}$$

$$\begin{array}{r}
 \text{rest} = 01011010 \\
 1 \neq 0 \quad + \quad 10110000 \\
 1 \neq 0 \quad + \quad 00001010 \\
 \text{убавяне} \quad 00010100 \\
 + \quad 10110000 \\
 \hline
 11000100 \quad + Q_m
 \end{array}$$

$$\begin{array}{r}
 1 = 1 \\
 \text{убавяне} \quad 11000100 \\
 10001000 \\
 + \quad 01010000 \\
 \hline
 01011000 \quad + (-Q_m)
 \end{array}$$

$$\begin{array}{r}
 1 = 1 \\
 \text{убавяне} \quad 01011000 \\
 10110000 \\
 + \quad 01010000 \\
 \hline
 00000000
 \end{array}$$

$1 \neq 0$ 00000000 успешно

18.10. Задача на тему в ДУК
2022 IV сем. Л.У. ОУБ

Заг 2

$$X=90 \quad Y=10 \quad Z=\frac{X}{Y}=9 \quad n=8[b]$$

$$X_n = 01011010$$

$$Y_m = 00001010 \quad 01010000$$

$$N = 01011010 - 00001010 + 1 = 4$$

$$Z = 00001001$$

Решение

$$\begin{array}{r} - X_m \quad 10101111 \\ + \quad \quad \quad 1 \\ \hline 10110000 \end{array}$$

$$\begin{array}{r} 01011010 \\ + 10110000 \\ \hline 00001010 \end{array}$$

$$\text{rest} \geq 0 \quad z[i] = 1$$

$$\begin{array}{r} 00010100 \\ + 10110000 \\ \hline 11000100 \end{array}$$

$$\text{rest} < 0 \quad z[i] = 0$$

$$\begin{array}{r} 01010000 \\ + 01010000 \\ \hline 00010100 \end{array}$$

$$\begin{array}{r} 00101000 \\ + 10110000 \\ \hline 11011000 \end{array}$$

$$\text{rest} < 0 \quad z[i] = 0$$

$$\begin{array}{r} 01010000 \\ + 01010000 \\ \hline 00101000 \end{array}$$

$$\begin{array}{r} 01010000 \\ + 10110000 \\ \hline 00000000 \end{array}$$

$$\text{окончательно} \quad \text{rest} \geq 0 \quad z[i] = 1$$

Проверка на равенство знаков в ДЧК

Заг 3

$$X = 117 \quad Y = -6 \quad Z = \frac{X}{Y} \quad n = 10 \text{ [b]}$$

Q_{uw}

$$117:2=58 \quad (1) \quad 000110101$$

$$58:2=29 \quad (0)$$

$$29:2=14 \quad (1)$$

$$14:2=7 \quad (0)$$

$$7:2=3 \quad (1)$$

$$3:2=1 \quad (1)$$

$$1:2=0 \quad (1)$$

Q_{uw}

$$0111010100$$

- Q_m

$$0000000110$$

$$0110000000$$

+ Q_m

$$1001111111$$

+

$$1$$

$$1010000000$$

$$N = 6 - 2 + 1 = 5$$

$$Z = 1111101100$$

$$1 \neq 0 \quad 0111010100$$

$$+ 1000000000$$

$$z[i] = 0$$

$$0001010100$$

$$1 \neq 0 \quad 0010101000$$

$$+ 1000000000$$

$$z[i] = 1$$

$$1100101000$$

$$1001010000$$

$$+ 0000000000$$

$$1 \neq 1 \quad 1001010000$$

$$z[i] = 1$$

$$1110100000$$

$$+ 0110000000$$

$$1 \neq 0 \quad 0100100000$$

$$z[i] = 0$$

$$\begin{array}{r}
 1001000000 \\
 + 1010000000 \\
 \hline
 110001000000
 \end{array}$$

неточно деление $Q_m \neq 0$

$$\begin{array}{r}
 Z = 1111101100 \\
 + 1 \\
 \hline
 1111101101 \quad 24\%
 \end{array}$$

$$\begin{array}{r}
 1000010010 \\
 + 1 \\
 \hline
 1000010011 = -19
 \end{array}$$

$$\begin{array}{r}
 10 \\
 \hline
 10
 \end{array}$$