

1.

a) The Turing Test is a test developed to test a machine's ability to imitate a human-like behaviour.

It involves 3 rooms containing a person, a computer and an interrogator. The interrogator can communicate with the other two by teletype. The interrogator tries to distinguish between the person and the machine. If the machine is successful in fooling the interrogator into believing that it is a person then the machine passes the test and is considered intelligent.

The Turing test is a one-sided test. Even if the machines are not actually "intelligent", they can still use some kind of trickery to pass the test.

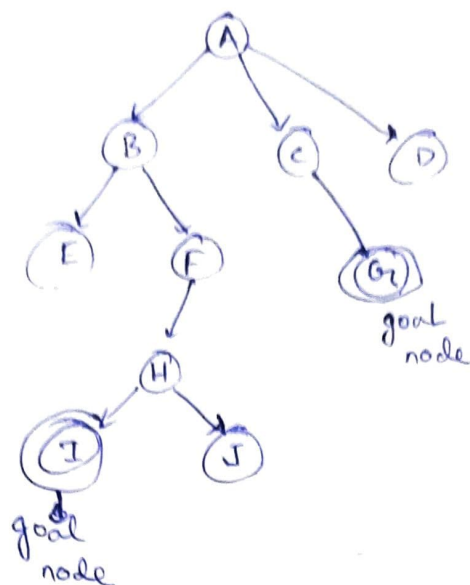
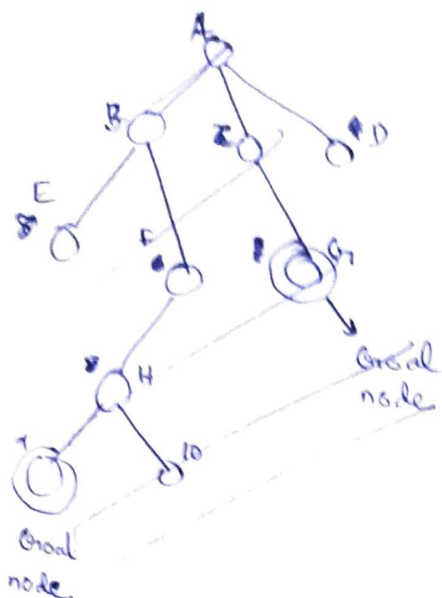
Most programs stress on simple syntactical analysis and generation of sentences using pattern matching with known sentences, vocabulary and key words.

Thus the Turing test is not a good way to judge a rational agent.

2.

a) Iterative Deepening search involves performing a depth limited search at ~~is~~ with increasing iteratively increasing depth until a solution is found.

Depth limited DFS itself is not optimal. The goal node encountered may not be the optimal solution, as shown in the diagram.



Here normal DFS  $\rightarrow A B E F H \textcircled{I} \rightarrow$  goal achieved is not optimal.  
(depth limit = 5)

But in case of IDS  $\rightarrow A$

ABC

ABEFC  $\textcircled{G} \rightarrow$  goal achieved is optimal.

Since IDS increases the depth limit by 1 at each iteration, ~~the~~ if a solution is found, it is guaranteed to be optimal (given all the paths have the same cost).

2.

b). If we consider the time complexity  $\bullet$   $O$ -notation of the ~~the~~ above, ~~and~~ BFS, DFS & IDS has ~~the~~  $O(b^d)$  time complexity, where

$b \rightarrow$  branching factor

$d \rightarrow$  depth.

2 (c) Iterative broadening search is preferred over iterative deepening in the case, when an average node of a tree has a large no. of child nodes. i.e. if branching factor is large. ~~if~~ On the contrary if branching factor is low & depth factor is high, Iterative deepening is preferred.

But if we consider the exact average case values for number of nodes examined:-

BFS  $\Rightarrow$

$$\text{BFS} \rightarrow \frac{b^{d+1} + b^d + b - 3}{2(b-1)}$$

$$\text{DFS} \rightarrow \frac{b^{d+1} + bd + b - d - 2}{2(b-1)}$$

$$\text{IDS} \rightarrow \frac{b^{d+2} + b^{d+1} + b^2 - 4bd - 5b + 3d + 2}{2(b-1)^2}$$

Comparing BFS & DFS

$$\frac{b^d}{2(b-1)} > \frac{bd}{2(b-1)} \Rightarrow \text{BFS} > \text{DFS}$$

$\therefore$  DFS makes lesser number of node ~~com~~ explorations.

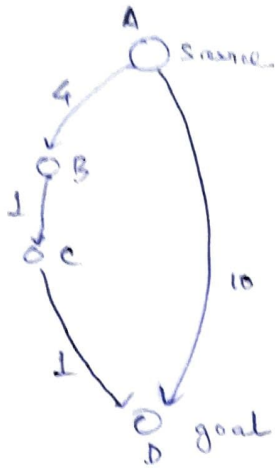
Comparing DFS & IDS

$$\text{IDS} = \frac{b+1}{b-1} \text{ BFS.}$$

$\therefore$  IDS makes more node exploration than BFS before goal node is achieved.

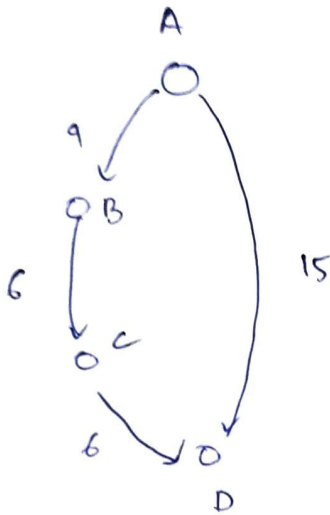
22/11

2 d). Consider the case:-



we see here that  
that the optimal  
path is  $A \rightarrow B \rightarrow C \rightarrow D$

Let's increase all the path costs by  $k=5$



Now the cost of the path

$$A \rightarrow B \rightarrow C \rightarrow D \text{ is } = 9 + 6 + 6 = 21$$

$$\text{where as } A \rightarrow D = 15$$

$\therefore$  the new optimal path is  $A \rightarrow D$ .

$\therefore$  The increasing the cost of each edge by a constant value can  
change the optimal solution.

3. a) (True)

3. General Graph Search Algorithm :-

1. ~~Create a~~ Initiate the search tree  $T_r$ , consisting solely of the start node ~~no~~  $n_0$  on an ordered list called OPEN.
2. Create an list called CLOSED that is empty.
3. If OPEN is empty exit with failure.
4. Select the first node in OPEN put in on CLOSED, call this node  $n_{cur}$ .
5. If  $n_{cur}$  is goal node, exit with success with the solution by the tracing a path backward along the arcs in  $T_r$  from  $n_{cur}$  to  $n_0$ . ~~Trace back~~
6. Expand node ~~node~~  $n_{cur}$ , generating a set of  $M$  of Successors.  
~~Install~~ Install  $M$  as successor of  $n$  in the tree.  
 Add  $n_{cur}$  to  $M$  to OPEN.
7. Reorder the list OPEN according to some scheme or heuristic ~~not~~ merit.
8. ~~Go to~~ Goto ~~step~~ step 3.

In step 7 ~~the~~ the reordering scheme or the heuristic scheme determines the ~~character~~ characteristics of the graph.

~~If~~ If the reordering scheme is LIFO ~~the~~ the ~~algorithm~~ algorithm becomes DFS ; if the reordering scheme is FIFO the ~~scheme~~ ~~algorithm~~ algorithm is BFS. If we use a priority queue with some sorting heuristic, we ~~will~~ will get informed search like Best-first search or A\* search.

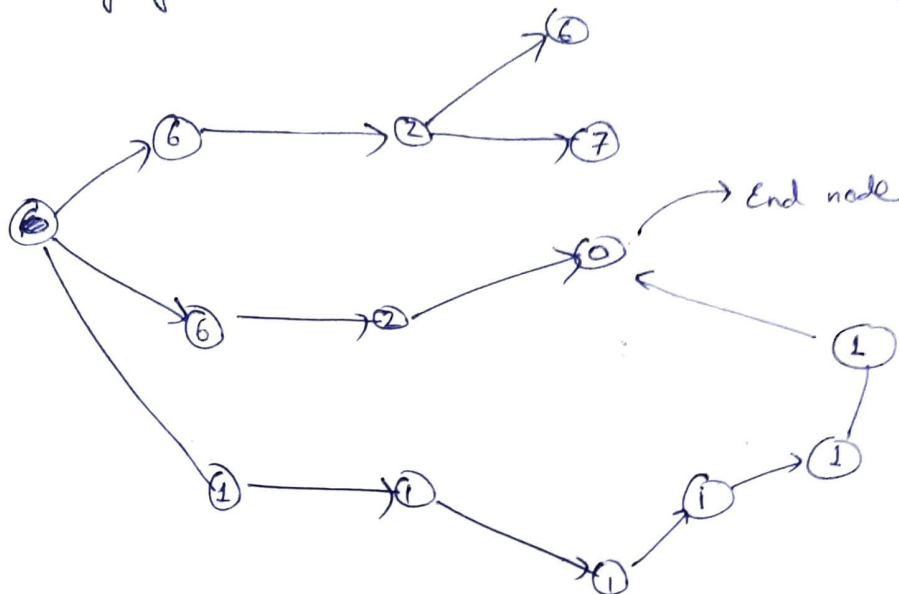


b). False -

If time complexity of a search algo is higher, it may provide optimal solution

Ex :-

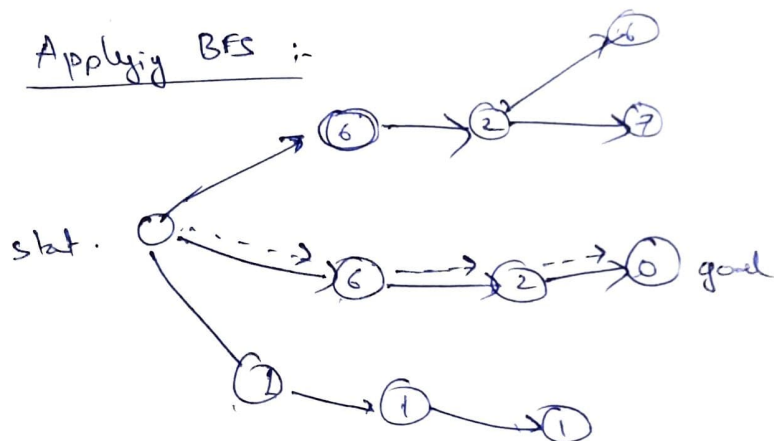
Start node



consider the ~~previ~~ graph depicting a state space graph.

The values in each node depicts the particular state's heuristic value.

Applying BFS :-

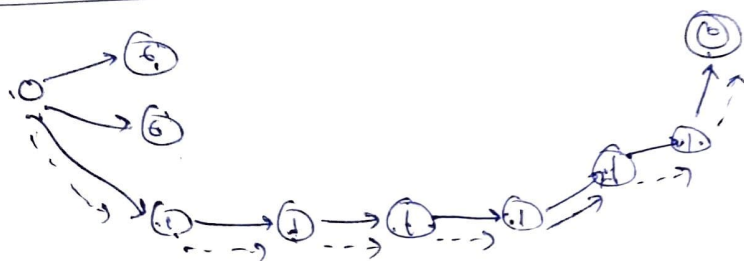


No. of nodes traversed = 11

No. of nodes in the resultant path = 4.

~~Goal node is not~~

Applying heuristic :-



No. of nodes traversed = 10

No. of nodes in ~~the~~ resultant path = 8

3. c) True

Heuristic search processes are better than blind search techniques.

Blind search :-

- Brute force in nature. → lengthy process
- longer ~~more~~ memory requirements as the process remembers ~~every~~ all the ~~ex~~ nodes & the unwanted nodes which are of no use at all.

Heuristic search :-

- uses some kind of information of the problem to reduce search space.
- less memory required.
- Heuristic functions are used for searching.
- Quicker process.

Ex → 15 - puzzle problem :-

If we apply blind search technique, total number of states to be explored  $\approx 10^{13}$ . (polynomial non-polynomial algorithm).

Applying heuristics such as manhattan distance or the number of misplaced tiles, the search space reduces drastically.

Hence heuristic approach are better.

5.

a) Normal hill climbing method suffers from problems like getting stuck at plateaus <sup>or ridges</sup> or getting stuck at local optima.

If the method is ~~conducted~~ only once the chance of facing these issues is considerable.

If the ~~prog~~ algorithm is ~~restarted~~ run multiple times ~~at~~ the chance of hitting local optima or plateau <sup>or ridges</sup> ~~area~~ regions, decreases considerably. ~~Thus~~ Thus the chance of attaining a ~~solution~~ good solution becomes high. ~~the~~ Hence ~~the~~ random restart hill climbing is better.

b). Simulated annealing algorithm:-

begin

$t = \text{max}$

select a random state  $s_c$  and compute its functional value  $f(s_c)$

while ( $t \geq \text{tau}$ )

for  $i = 1$  to  $n$

begin

pick an adjacent state  $s_n$  from  $s_c$  at random and compute  $f(s_n)$

if  $f(s_c) > f(s_n)$  set  $s_c = s_n$

else set  $s_c = s_n$  with probability  $p = \exp\left[\frac{-(f(s_n) - f(s_c))}{t}\right]$

~~end~~ end if

decay  $t$ .

end while

end.



If we look at the

probability function  $P(t) = \frac{\exp(-(f(s_c) - f(s_n)))}{t}$

When ~~temp~~ ~~value~~ ~~temp~~ temperature  $t$  is high, the value of the probability is high.

$\therefore$  The chances that ~~the~~  $s_n$  is set as  $s_c$  is ~~also~~ also high, ~~which~~ ~~is~~.

$\therefore$  At high temperatures the algorithm behaves like a random search algorithm.

At lower temperatures the probability becomes low. This only when  $f(s_n) > f(s_c)$   $s_n$  is set as  $s_c$ . ~~also~~

8 (C). In linear Normalization, we normalize the fitness values into a range of max to min ~~Pop~~, say (1 to 100)

In Roulette wheel selection, however, we select the new generation probabilistically with greater preference to higher fitness values.

As such it is possible to lose diversity via this probability selection process.

In linear normalization, we can control the degree of variety in the ~~pop~~ population as the selection is on  $w_i$ .

7. a).  $\mathcal{Q}\{g(x,y), h(x,y)\}, \mathcal{Q}\{g(z,u), h(w,u)\}, \mathcal{Q}\{g(t,t), h(v, f(v))\}$

Disagreement set:  $\{x, z, t\} \rightarrow z/x$

$$\mathcal{Q}\{g(x,y), h(x,y)\}, \mathcal{Q}\{g(z,u), h(w,u)\}, \mathcal{Q}\{g(t,t), h(v, f(v))\}$$

Disagreement set  $\{x, t\} \rightarrow z/t$

$$\mathcal{Q}\{g(x,y), h(x,y)\}, \mathcal{Q}\{g(z,u), h(w,u)\}, \mathcal{Q}\{g(z,z), h(v, f(v))\}$$

Disagreement set  $\{y, w, z\} \rightarrow y/u$

$$\mathcal{Q}\{g(z,y), h(z,y)\}, \mathcal{Q}\{g(z,y), h(w,y)\}, \mathcal{Q}\{g(z,z), h(v, f(v))\}$$

Disagreement set  $\{y, z\} \rightarrow y/z$

$$\mathcal{Q}\{g(y,y), h(y,y)\}, \mathcal{Q}\{g(y,y), h(w,y)\}, \mathcal{Q}\{g(y,y), h(v, f(v))\}$$

Disagreement set  $\{y, w, v\} \rightarrow y/w$

$$\mathcal{Q}\{g(y,y), h(y,y)\}, \mathcal{Q}\{g(y,y), h(y,y)\}, \mathcal{Q}\{g(y,y), h(v, f(v))\}$$

Disagreement set  $\{y, v\} \rightarrow y/v$

$$\mathcal{Q}\{g(y,y), h(y,y)\}, \mathcal{Q}\{g(y,y), h(y,y)\}, \mathcal{Q}\{g(y,y), h(y, f(y))\}$$

Disagreement set -  $\{y, f(y)\}$

Term  $f(y)$  includes variable  $y$ , hence not unifiable.

00171050102A (11)

7. (b)  $\neg(\forall x)\{P(x) \rightarrow \{(\forall y)[P(y) \rightarrow P(f(x,y))]\} \wedge (\forall y)[Q(x,y) \rightarrow P(y)]\}$

eliminate  $\rightarrow$

$$\neg(\forall x)\{\neg P(x) \vee \{(\forall y)[\neg P(y) \vee P(f(x,y))]\} \wedge \neg(\forall y)[\neg Q(x,y) \vee P(y)]\}$$

Reduce scope of  $\forall$

$$(\exists x)\{P(x) \wedge \{(\exists y)[P(y) \wedge \neg P(f(x,y))]\} \vee (\forall y)[\neg Q(x,y) \vee P(y)]\}$$

Rename variables.

$$(\exists x)\{P(x) \wedge \{(\exists u)[P(u) \wedge \neg P(f(x,u))]\} \vee (\forall z)[\neg Q(x,z) \vee P(z)]\}$$

Remove existential quantifier,  $g(x)$  is skolem function.

$A$  is skolem constant.

$$\{P(A) \wedge \{[P(g(x)) \wedge \neg P(f(A, g(x)))]\} \vee (\forall z)[\neg Q(A, z) \vee P(z)]\}$$

Prenex normal form.

$$(\forall z)\{P(A) \wedge \{[P(g(x)) \wedge \neg P(f(A, g(x)))]\} \vee [\neg Q(A, z) \vee P(z)]\}$$

Remove left portion, and distributive law, CNF.

$$P(A) \wedge (P(g(x)) \vee \neg Q(A, z) \vee P(z)) \wedge (\neg P(f(A, g(x))) \vee \neg Q(A, z) \vee P(z))$$

clauses:-

1.  $P(A)$
2.  $P(g(x_2)) \vee \neg Q(A, z_2) \vee P(z_2)$
3.  $\neg P(f(A, g(x_3))) \vee \neg Q(A, z_3) \vee P(z_3)$

Med. Sahil

$$\neg(c) (\forall x) (P(x) \Rightarrow q(x))$$

$$(\forall x) (\neg P(x) \vee q(x))$$

$$\neg P(x) \vee q(x)$$

∴ given clauses are:

1.  $\neg P(x_1) \vee q(x_1)$
2.  $\neg q(x_2) \vee r(x_2)$

To prove  $(\forall x) (P(x) \Rightarrow r(x))$

Negate  $\neg (\forall x) (P(x) \Rightarrow r(x))$

$$(\exists x) \neg (\neg P(x) \vee r(x))$$

$$(\exists x) P(x) \wedge \neg r(x)$$

$$P(A) \wedge \neg r(A)$$

clauses:

3.  $P(A)$
4.  $\neg r(A)$

$$\textcircled{1} + \textcircled{2} \xrightarrow{x_1/x_3} \neg P(x_1) \vee r(x_1) \quad \text{---} \textcircled{5}$$

$$\textcircled{5} + \textcircled{4} \xrightarrow{A/x_1} r(A) \quad \text{---} \textcircled{6}$$

$$\textcircled{6} + \textcircled{3} \longrightarrow \text{NIL here proved.}$$

7. d) Resolution Refutation is ~~sound~~ sound & complete.

Hence if a contradiction exists in the initial clause set we can definitely reach a ~~nil~~ NIL state via refutation.

∴ no such contradiction exists, we will get all possible information as the algorithm will ultimately terminate as the set of resolvents is finite.

q. Perception:- An artificial neurone is a system that tries to mimic a biological neurone. It takes input from its surroundings processes it in its body, and spits the output to many other ~~neurones~~ neurones that may request it.

A single neurone connected by weights to a set of inputs producing a single output is known as a perception.

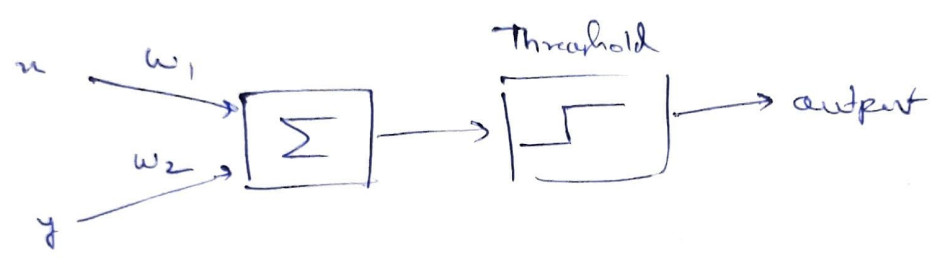


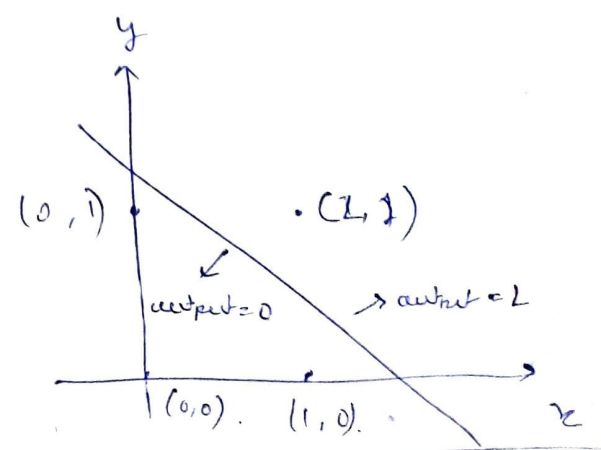
Fig. 9.1 - Two input perception

- let  $x$  &  $y$  be two input and  $w_1, w_2$  be the weights
- if  $w_1x + w_2y > \theta$ , then the output is 1 else 0, where  $\theta = \text{threshold}$ .
- $w_1x + w_2y = \theta$  is the separating line.

For an AND function we have

$x$	$y$	output
0	0	0
0	1	0
1	0	0
1	1	1

In order to use a perception as an AND function, we must select  $\theta$  such that the separating line comes as shown in the figure.





considering  $w_1 = 1$  &  $w_2 = 1$

we have

$$w_1x + w_2y = 0$$

$$x + y = 0$$

For AND function, we must have

$$1 + 1 > 0 \quad (\text{truth value})$$

$$\left. \begin{array}{l} 0 + 1 < 0 \\ 1 + 0 < 0 \\ 0 + 0 < 0 \end{array} \right\} \quad (\text{false values})$$

Here selecting  $1 < \theta < 2$  at  $w_1 = 1$ ,  $w_2 = 1$ ,

AND function is modelled, one possible solution  $\theta = 1.5$

The separating line  $\Rightarrow x + y = 1.5$

Limitations of a single layer perceptron:-

A single layer perceptron can only be used in cases where the resultant classes are linearly separable.

Hence, functions like XOR are not implementable by a single layer ~~per~~ perceptron.

