

* Generate Subarray : [any continuous segment of the array]

e.g.: [10, 20, 30, 40]

Op:

10	20
10, 20	20, 30
10, 20, 30	20, 30, 40
10, 20, 30, 40	

30	40
30, 40	

Q: How to generate all subarray starting with arr[0] \Rightarrow 10 ?

```
let subarr = " ";
for (let i = 0; i < n; i++) {
    subarr += arr[i] + " ";
    console.log(subarr);
}
```

Op:

10	10 20	10 20 30	10 20 30 40
<u>10</u>	<u>10 20</u>	<u>10 20 30</u>	<u>10 20 30 40</u>
<u>"10"</u>	<u>"10 20"</u>	<u>"10 20 30"</u>	<u>"10 20 30 40"</u>

```

871 const arr = [10, 20, 30, 40];
872 const n = arr.length;
873 let subarr = "";
874 for (let i = 0; i < n; i++) {
875   subarr += arr[i] + " ";
876   console.log(subarr);
877 }

```

Op: 10
 10 20
 10 20 30
 10 20 30 40

* You can use, nested for loops ans P.S.W like we did in pattern printing but that leads to n^2 iterations whereas using running stream we did it in n iterations.

Subarr = "

① i = 0,

Subarr += arr[0] + " ;
 Subarr = Subarr + arr[0] + " ;
 = " + 10 + " ;
 = "10 ";

② i = 1,

Subarr += arr[1] + " ;
 = "10 " + 20 + " ;
 = "10 20 "

③ i = 2,

Subarr += arr[2] + " ;
 = "10 20 " + 30 + " ;
 = "10 20 30 "

④ i = 3,

Subarr += arr[3] + " ;
 = "10 20 30 " + 40 + " ;
 = "10 20 30 40 "

Q: How to generate all the remaining subarrays using previous logic

```
let subarr = " ";
for (let i = 0; i < n; i++) {
    Subarr += arr[i] + " ";
    console.log(subarr);
}
```

$\text{arr}[0] = 10$
 $\text{arr}[1] = 20$
 $\text{arr}[2] = 30$
 $\text{arr}[3] = 40$

~~Subarr = "10 20 30 40"~~

```
let subarr = " ";
for (let i = 0; i < n; i++) {
    Subarr += arr[i] + " ";
    console.log(subarr);
}
```

$\text{arr}[0] = 20$
 $\text{arr}[1] = 30$
 $\text{arr}[2] = 40$

```
let subarr = " ";
for (let i = 0; i < n; i++) {
    Subarr += arr[i] + " ";
    console.log(subarr);
}
```

$\text{arr}[0] = 30$
 $\text{arr}[1] = 40$

```
let subarr = " ";
for (let i = 0; i < n; i++) {
    Subarr += arr[i] + " ";
    console.log(subarr);
}
```

$\text{arr}[0] = 40$

for (let start = 0; start < n; start++) { → Just to repeat task [10, 20, 30, 40]

let subarr = " ";

for (let end = start; end < n; end++) {

Subarr += arr[end] + " ";

console.log(subarr);

}

* $\approx n^2$ iterations $(4+3+2+1)$

$$= \frac{n(n+1)}{2} = \text{subarrays.}$$

② start = 1

\rightarrow end = 1 \rightarrow ~~10~~ "20"

\rightarrow end = 2 \rightarrow ~~20~~ "20 30"

\rightarrow end = 3 \rightarrow ~~20 30~~ "20 30 40"

③

① start = 0

\rightarrow end = 0 \rightarrow ~~10~~ "10"

\rightarrow end = 1 \rightarrow ~~10~~ "10 20"

\rightarrow end = 2 \rightarrow ~~10 20~~ "10 20 30"

\rightarrow end = 3 \rightarrow ~~10 20 30~~ "

④

"10 20 30 40"

③ start = 2

\rightarrow end = 2 \rightarrow ~~20~~ "30"

\rightarrow end = 3 \rightarrow ~~20~~ "30 40"

②

④ start = 3

\rightarrow end = 3 \rightarrow ~~30~~ "40"

①

* Subarray sum zero :

Q: how to get the sum of every subarray?

```
for (let start = 0; start < n; start++) {  
    let sum = 0;  
    for (let end = start; end < n; end++) {  
        sum += arr[end];  
        console.log(sum);  
    }  
}
```

* Can be optimized with advanced data structures like hash maps.

* earlier each element is collected in a string so that we can print subarray.

* Now we want subarray sum, hence collect each element in sum variable (running sum)

① start = 0

$$\rightarrow \text{end} = 0 \rightarrow 0 + 10 = 10$$

$$\rightarrow \text{end} = 1 \rightarrow 10 + 20 = 30$$

$$\rightarrow \text{end} = 2 \rightarrow 30 + 30 = 60$$

$$\rightarrow \text{end} = 3 \rightarrow 60 + 40 = 100$$

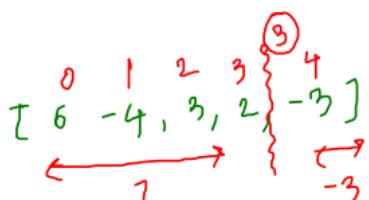
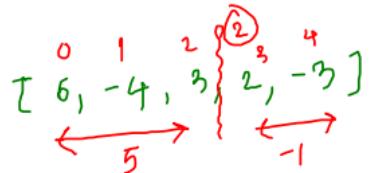
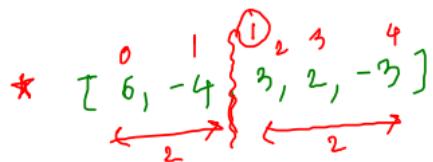
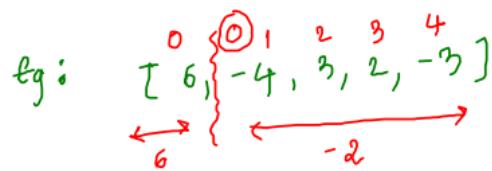
② start = 1

$$\rightarrow \text{end} = 1 \rightarrow 0 + 20 = 20$$

$$\rightarrow \text{end} = 2 \rightarrow 20 + 30 = 50$$

$$\rightarrow \text{end} = 3 \rightarrow 50 + 40 = 90$$

* Find split point :



op: 1

When split = 2, * In general, split = x

left part = [0, 2]

right part = [3, 4]

left part = [0, x]

right part = [x+1, n-1]

for(let split = 0; split < n-1; split++) {

let lsum = 0;

for(let i = 0; i <= split; i++) {

lsum += arr[i];

}

let rsum = 0;

for(let i = split + 1; i < n; i++) {

rsum += arr[i];

}

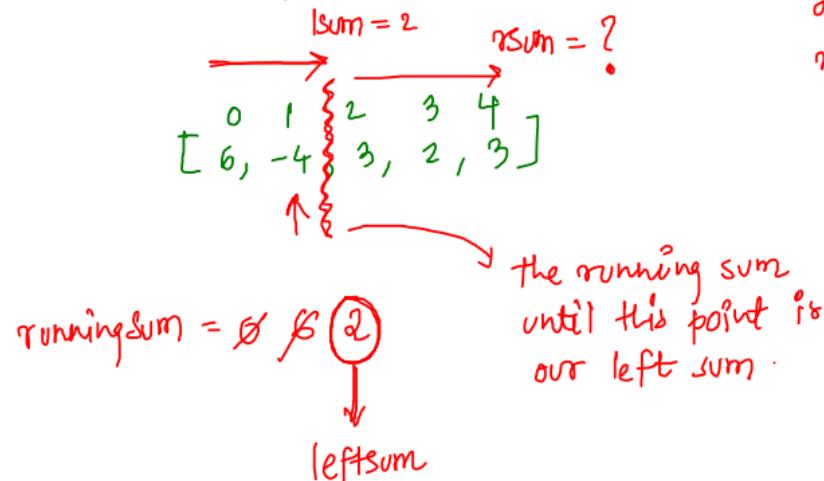
$\Rightarrow n^2$ iterations

if (lsum == rsum) {

} return split;

(you are iterating
on whole array
for every split)

Improve : [RunningSum]



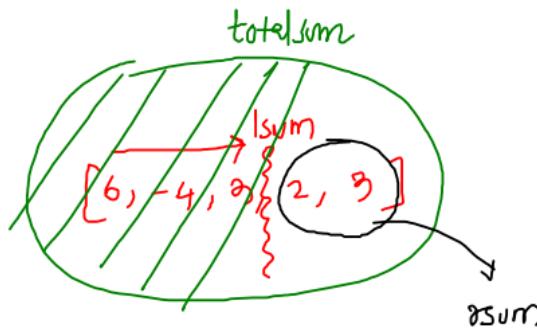
* Avoid iterating on left part, right part to get the sum.

How to avoid :

1. running will give us the lsum.
2. rsum is total - lsum

Q: Now how to get rsum?

$$\Rightarrow rsum = totalsum - lsum$$



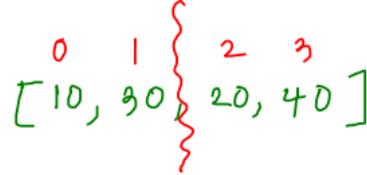
```

813 function findSplit(n, arr) {
814     // Write your code here
815     // 1. find total sum
816     let total = 0;
817     for (let i = 0; i < n; i++) {
818         total += arr[i];
819     }
820
821     // 2. use running sum technique
822     let lsum = 0;
823     for (let split = 0; split < n - 1; split++) {
824         lsum += arr[split];
825         const rsum = total - lsum;
826         if (lsum == rsum) {
827             return split;
828         }
829     }
830
831     return -1;
832 }
```

* n iterations

Indicates
you have no
split point

④ $\text{split} = 3$
 $\text{split} \leftarrow n - 1$
 $3 \leftarrow 4 - 1$
 $3 < 3(X)$
 $\Rightarrow \text{return } -1;$



$$1. \ total = 100$$

① $\text{split} = 0 \Rightarrow [{}^0_{10}, {}^1_{30}, {}^2_{20}, {}^3_{40}]$

$$\text{lsum} += \text{arr}[0] \Rightarrow \text{lsum} = 0 + 10 = 10$$

$$\text{rsum} = 100 - 10 = 90$$

② $\text{split} = 1 \Rightarrow [{}^0_{10}, {}^1_{30}, {}^1_{20}, {}^3_{40}]$

$$\text{lsum} += \text{arr}[1] \Rightarrow \text{lsum} = 10 + 30 = 40$$

$$\text{rsum} = 100 - 40 = 60$$

③ $\text{split} = 2 \Rightarrow [{}^0_{10}, {}^1_{30}, {}^2_{20}, {}^2_{40}]$

$$\text{lsum} += \text{arr}[2] \Rightarrow \text{lsum} = 40 + 20 = 60$$

$$\text{rsum} = 100 - 60 = 40$$

* Find all Geometric Triplets:

Q: What is G.P?

$$2, \underbrace{4}_{2^2}, \underbrace{8}_{2^2}, \underbrace{16}_{2^2}, \underbrace{32}_{2^2}, \underbrace{64}_{2^2}$$

→ Is this series in G.P?

$$a, \underbrace{b}_{r}, \underbrace{c}_{r}, \underbrace{d}_{r}, \underbrace{e}_{r}, \underbrace{f}_{r}$$

$$\Rightarrow \frac{b}{a} = \frac{c}{b} = \frac{d}{c} = \frac{e}{d} = \frac{f}{e} = r$$

= Common ratio

Ex: 3, $\underbrace{9}_{3}, \underbrace{27}_{3}, \underbrace{81}_{3}, \underbrace{243}_{3}$

0	1	2	3	4	5
[1, 2, 6, 10, 18, 54]					

$$\Rightarrow 1, 2, 6 \rightarrow \frac{2}{1} = \frac{6}{2} \times$$

$$1, 2, 10 \rightarrow \frac{2}{1} = \frac{10}{2} \times$$

$$1, 2, 18 \times$$

$$1, 2, 54 \times \quad a, b, c$$

$$1, 6, 10 \times \quad \Rightarrow \frac{b}{a} = \frac{6}{b}$$

$$1, 6, 18 \times \quad \Rightarrow b \times b = a \times c$$

$$1, 6, 54 \times \quad \Rightarrow b^2 = ac$$

$$1, 10, 18 \times$$

$$1, 10, 54 \times$$

$$1, 18, 54 \times$$

$$2, 6, 10 \times$$

$$2, 6, 18 \rightarrow \frac{6}{2} = \frac{18}{6} \checkmark$$

$$2, 6, 54 \times$$

Qs



1. Basic solution

→ Implement whatever
the Qs asks

2. Is there any optimization

→ If you
previous solved
a similar pattern
or concept

Too brilliant

→ they can solve even
if they haven't seen
that pattern before.

(Takes lot of time,
patience)