

* Sum of array except Self:

e.g.: $[4, 3, 2, 10]$

op: $[3+2+10, 4+2+10, 4+3+10, 4+3+2]$
 $\Rightarrow [15, 16, 17, 9]$

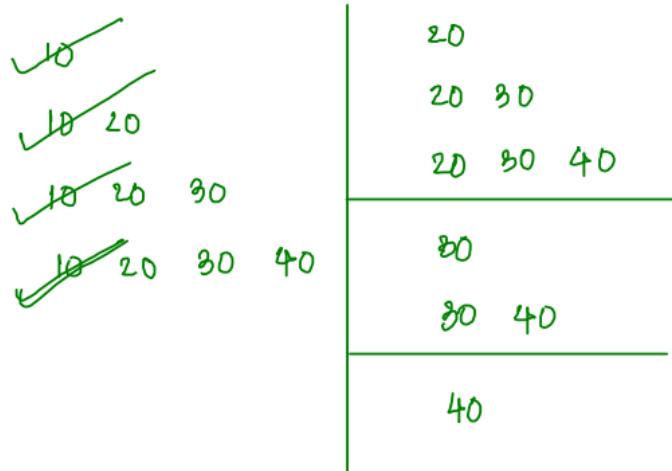
① find total sum = $4+3+2+10 = 19$

② go to every element and total - arr[i]

$[4, 3, 2, 10]$	$\text{res} = \boxed{19}$
$\begin{matrix} 0 & 1 & 2 & 3 \\ \uparrow & \uparrow & \uparrow & \uparrow \end{matrix}$	$\boxed{15}$
$(4+3+2+10) - 4$ $\Rightarrow 3+2+10$ $\Rightarrow 15$	$\begin{matrix} 19-4 & 19-2 & 19-10 \\ = 16 & = 17 & = 9 \end{matrix}$ $\boxed{[15, 16, 17]}$ $\boxed{[15, 16, 17, 9]}$

* Generate Subarrays : (any continuous segment of the arr)

eg: [10, 20, 30, 40]
 0 1 2 3



Q: How to generate all subarrays starting with arr[0] = 10 ?

```
let subarr = " ";
for(let i=0; i<n; i++) {
```

```
    subarr += arr[i] + " ";
```

```
    cl(subarr);
```

Subarr = ~~" "~~ ~~"10 "~~ ~~"10 20 "~~ ~~"10 20 30 "~~

[10, 20, 30, 40]

↑ ↑ ↑ ↑

~~"10 20 30 40 "~~

```

742 for (let start = 0; start < n; start++) {
743     let subarr = "";
744     for (let end = start; end < n; end++) {
745         subarr += arr[end] + " ";
746         console.log(start, end, subarr);
747     }
748 }

```

② start = 1 ~~(10 20 30 40)~~
 → subarr = ~~10 20 30 40~~

 → end = start = 1

 → end = 2

 → end = 3

 → end = 4 X

④ start = 3
 → subarr = ~~10 20 30 40~~
 → end = 5 ⇒ 3
 → end = 4 X

	Op:	0	0	10	
① start = 0	0	1	10	20	
→ subarr = 10 20 30 40	0	2	10	20	30
→ end = start = 0	0	3	10	20	30 40
→ end = 1	1	1	20		
→ end = 2	1	2	20	30	
→ end = 3	1	3	20	30	40
→ end = 4 X	2	2	30		
	2	3	30	40	
	3	3	40		

③ start = 2 ~~(30 40)~~
 → subarr = ~~30 40~~
 → end = start = 2
 → end = 3
 → end = 4 X

⑤ start = 4 X

* Subarray with zero sum:

Ex: ~~[3, 7, 0, 3, 4, 7]~~
[3, 9, -7, 3, 1, 3]
0 1 2 3 4 5

Op: Subarray from 0 to 2
Subarray from 1 to 3
Subarray from 2 to 5

3 4 -7 3 1 3
7 -3 -4 4 4
0 0 -3 7
3 1 0
4
7

We know generating subarrays,
here we need generating subarray sum.

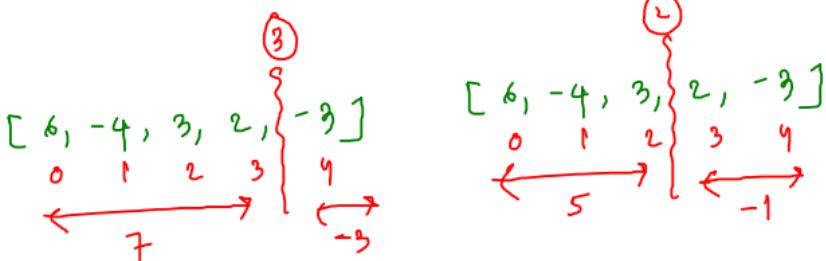
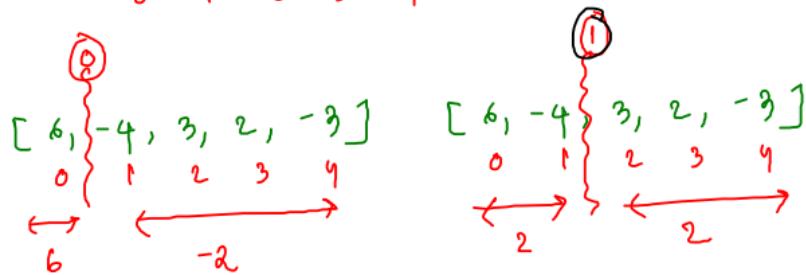
```
for(let start = 0; start < n; start++) {  
    let sum = 0;  
    for(let end = start; end < n; end++) {  
        sum += arr[end];  
        c1(sum);  
    }  
}
```

★ Find split point:

= = =

$n=5$

eg: $[6, -4, 3, 2, -3]$ op: 1

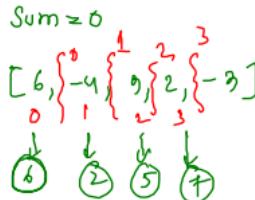


```
for(split = 0; split < n-1; split++) {  
    const lsum = sum(arr, 0, split);  
    const rsum = sum(arr, split+1, n-1);  
    if (lsum == rsum) {  
        return split;  
    }  
}  
return -1;
```

★ I don't need this
★ I can use prefix sum
as my leftsum.

optimal:

① lets run prefix sum, and observe



① sum += 6 → 6

② sum += (-4) → 2

③ sum += 3 → 5

④ sum += 2 → 7

sum = 0

for (int split = 0; split < N-1; split++) {

 sum += arr[split];

 cl(sum); ↗

 acting like your

 left sum ↗

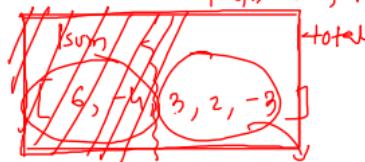
→
[6] -4, 3, 2, -3]

→
[6, -4] 3, 2, -3]

→
[6, -4, 3] 2, -3]

→
[6, -4, 3, 2] -3]

② Now lsum we know its the prefix sum, how to get the rsum?



rsum = total - lsum

⇒ (6 - 4 + 3 + 2 - 3)

- (6 - 4)

⇒ (3 + 2 - 3) rsum

(a, b, c, d, e, f)

prefix = a+b+c
suffix = c+d+e+f
total = a+b+c+d+e+f

★ Geometric triplets:

Q: What is G.P?

Ex: $2, 4, 8, 16, 32, \dots$
 $\frac{2}{2} = 2, \frac{4}{2} = 2, \frac{8}{2} = 2, \frac{16}{2} = 2 = R$

Ex: $3, 9, 27, 81, 243, \dots$
 $\frac{3}{3} = 3, \frac{9}{3} = 3, \frac{27}{3} = 3, \frac{81}{3} = 3 = R$

$a, b, c, d, e, \dots \dots \dots$

$\Rightarrow \frac{b}{a} = \frac{c}{b} = \frac{d}{c} = \frac{e}{d} = R$

$$\begin{array}{cccccc} 0 & 1 & 2 & 3 & 4 & 5 \\ (1, 2, 6, 10, 18, 54) & & & & & \\ 9, 6, 10 & & & & & \\ 2, 6, 12 & & & & & \\ 2, 6, 54 & & & & & \\ 6, 18, 54 & & & & & \text{so on} \end{array}$$

① generate triplets,

$$\begin{array}{l} (1, 2, 6) \rightarrow \frac{2}{1} = \frac{6}{1} \Rightarrow X \\ (1, 2, 10) \rightarrow \frac{2}{1} = \frac{10}{2} \Rightarrow X \end{array}$$

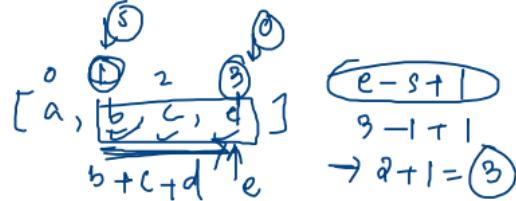
② check (a, b, c) are in G.P

$$\frac{b}{a} \cancel{\times} \frac{c}{b}$$

$$\Rightarrow b * b = a * c$$

$$\Rightarrow \underline{\underline{b^2 = ac}}$$

* Find subarrays with given sum and given length:



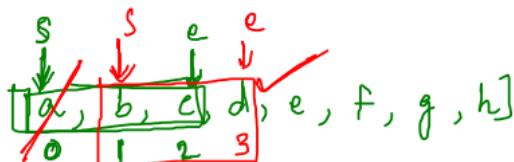
Ex: $[2, 2, 1, 3, 2]$

$$d = 4 \Rightarrow \text{sum} = 6^{\text{3rd day}}$$

$$m = 2 \Rightarrow \text{len} = 6^{\text{2nd month}}$$

Op: 2 $\quad [2, 2]$

ad $[1, 3]$



$$\text{len} = 3 \quad \checkmark$$

$$\text{sum} = a + b + c$$

$$\begin{aligned} \text{sum} &= g + b + c - a + d \\ &= b + c + d \end{aligned}$$

```
for (let start = 0; start < n; start++) {
```

```
    let sum = 0;
```

```
    for (let end = start; end < n; end++) {
```

```
        sum += arr(end);
```

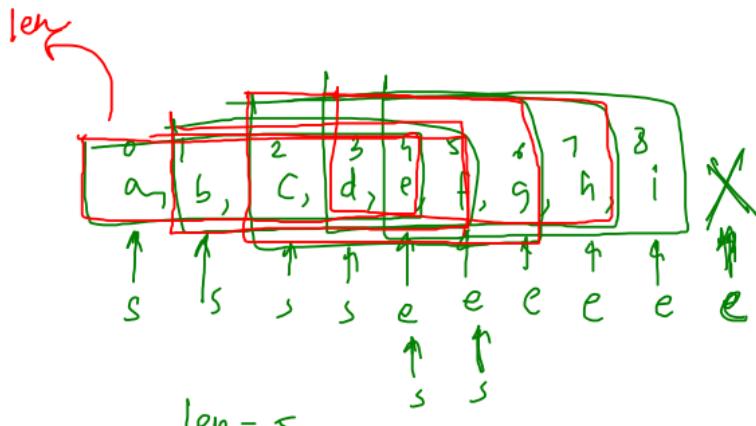
```
        if (sum == d && end - start + 1 == m) {
```

```
            count++;
```

```
}
```

```
}
```

→ Optimize using two pointer (HW)



$$\text{len} = 5$$

$$\text{Sum} = a + b + c + d + e$$

$$\Rightarrow (a+b+c+d+e) - a + f$$

$$\Rightarrow (b+c+d+e+f) - b + g$$

$$\Rightarrow c + d + e + f + g$$

★ Sliding
window
Technique

(helpful to focus on
the given length of
subarrays instead of
generating all subarrays
and then picking the
given length).