


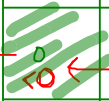



Q: Find the way:

	0	1	2
0	0 	0 	0
(1,-1) 		0 	1
2	0	0	0

\* always the mouse tries to move forward,  
If it sees a  
0 - forward  
1 - turn right, forward

\*  $facing = (facing + m[i][j]) \% 4$

$\rightarrow$  (right) = 0  $\leftarrow$  (left) = 2

$\downarrow$  (down) = 1  $\uparrow$  (top) = 3

if (facing == 0) {

j++;

}  
else if (facing == 1) {

i++;

}  
else if (facing == 2) {

j--;

}  
else {

i--;

}

$(i,j) \rightarrow (i,j+1)$   $\leftarrow (i,j)$   $\rightarrow$   $(i,j)$   
 $\leftarrow (i,j-1)$

0  $\rightarrow$   
1  $\downarrow$   
2  $\leftarrow$   
3  $\uparrow$

$(i,j) \downarrow (i+1,j)$   
 $\uparrow (i,j)$

$f = \overline{0 \times 1 \times 2 \times 3} \overline{0 \times 1 \times 2 \times 3} \overline{0 \times 1 \times 2 \times 3}$   
(cyclic pattern) (%)

Q: Maxima and Minima :

	0	1	2
0	1	2	3
1	4	5	6
2	7	8	9

$$\begin{aligned} \min C_0 &= 1 & \min R_0 &= 1 \\ \max C_0 &= 1 & \max R_1 &= 8 \end{aligned}$$

$$\begin{aligned} \min C_2 &= 1 \\ \max C_0 &= 1 \end{aligned}$$

\* goto every element and check whether it is the minimum ele of the Row and maximum ele of Col

$$\begin{aligned} \min R_0 &= 1 \\ \max C_2 &= 9 \end{aligned}$$

```

for (let i = 0; i < rows; i++) {
  for (let j = 0; j < cols; j++) {
    let minR = minRow(mat, i);
    let maxC = maxCol(mat, j);
    if (mat[i][j] == minR && mat[i][j] == maxC) {
      return mat[i][j];
    }
  }
}
return -1;

```

SC:  $O(1)$

$$TC: O(\text{rows} * \text{cols} * (\text{rows} + \text{cols}))$$

$$\text{If } \text{rows} == \text{cols} == n$$

$$\begin{aligned} &\Rightarrow O(n * n * 2n) \Rightarrow O(2n^3) \\ &\Rightarrow O(n^3) \end{aligned}$$

# Optimise / Improve : (pre computation technique)

	0	1	2
0	1	2	3
1	4	5	6
2	7	8	9

	0	1	2
(rows)	1	4	7
(cols)	7	8	9

$O(\text{rows} * \text{cols})$   
for pre computation

```

for (let i = 0; i < rows; i++) {
  for (let j = 0; j < cols; j++) {
    let minR = minEleRow[i];
    let maxC = maxEleCol[j];
    if (mat[i][j] == minR &&
        mat[i][j] == maxC) {
      return mat[i][j];
    }
  }
}

```

TC: pre computation + logic

$$O(\text{row} * \text{cols} + \text{rows} * \text{cols}) \Rightarrow O(n^2 + n^2) \Rightarrow O(2n^2)$$

if  $\text{rows} = \text{cols} = n \Rightarrow O(n^2) \downarrow$  SC:  $O(\text{rows} + \text{cols}) \Rightarrow O(2n) \Rightarrow O(n) \uparrow$

```

1596 function maximaMinima(mat) {
1597     const rows = mat.length;
1598     const cols = mat[0].length;
1599
1600     const minEleRow = [];
1601     for (let i = 0; i < rows; i++) {
1602         minEleRow[i] = Infinity;
1603     }
1604     const maxEleCol = [];
1605     for (let i = 0; i < cols; i++) {
1606         maxEleCol[i] = -Infinity;
1607     }
1608
1609     for (let i = 0; i < rows; i++) {
1610         for (let j = 0; j < cols; j++) {
1611             if (mat[i][j] < minEleRow[i]) {
1612                 minEleRow[i] = mat[i][j];
1613             }
1614             if (mat[i][j] > maxEleCol[j]) {
1615                 maxEleCol[j] = mat[i][j];
1616             }
1617         }
1618     }
1619
1620     for (let i = 0; i < rows; i++) {
1621         for (let j = 0; j < cols; j++) {
1622             const minR = minEleRow[i];
1623             const maxC = maxEleCol[j];
1624             if (mat[i][j] == minR && mat[i][j] == maxC) {
1625                 return mat[i][j];
1626             }
1627         }
1628     }

```

	0	1	2
0	1	2	3
1	4	5	6
2	7	8	9

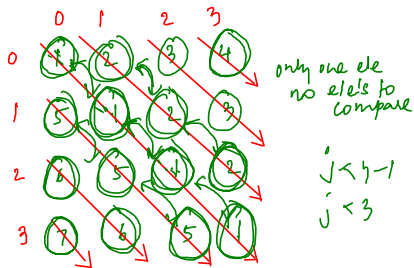
	0	1	2	
	<del>1</del>	<del>2</del>	<del>3</del>	min Ele Row
	1	4	7	
	0	1	2	
	<del>-1</del>	<del>-2</del>	<del>-3</del>	max Ele Col
	1	4	7	
	7	8	9	

minEleRow[0] → min val in 0<sup>th</sup> Row ①  $1 < \infty$   
 maxEleCol[1] → max val in 1<sup>st</sup> Col  $1 > -\infty$

③  $3 < 1$  ④  $4 < \infty$  ⑤  $9 < 7$  ②  $8 < 1$   
 $9 > -\infty$   $4 > 1$   $9 > 6$   $8 > -\infty$

⑥  $5 < 4$  ⑦  $6 < 4$  ⑧  $7 < \infty$  ⑨  $8 < 7$   
 $5 > 2$   $6 > 3$   $7 > 4$   $8 > 5$

Q: Toeplitz Matrix :



7: (3, 0)

6: (2, 0), (3, 1)

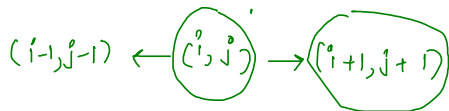
5: (1, 0), (2, 1), (3, 2)

1: (0, 0), (1, 1), (2, 2), (3, 3)

2: (0, 1), (1, 2), (2, 3)

3: (0, 2), (1, 3)

4: (0, 3)



for (let  $i = 0; i < \text{rows} - 1; i++$ ) {  
 for (let  $j = 0; j < \text{cols} - 1; j++$ ) {  
 if ( $\text{mat}[i][j] \neq \text{mat}[i+1][j+1]$ ) {  
 return false;  
 }  
 }  
}

corresponding  
diagonal  
element

3  
 }  
 return true;

①  $i = 0$   
 $j = 0 \rightarrow (0, 0) (1, 1)$   
 $j = 1 \rightarrow (0, 1) (1, 2)$   
 $j = 2 \rightarrow (0, 2) (1, 3)$   
 $j = 3 \times$

③  $i = 2$   
 $j = 0 \rightarrow (2, 0) (3, 1)$   
 $1 \rightarrow (2, 1) (3, 2)$   
 $2 \rightarrow (2, 2) (3, 3)$   
 $3 \times$

④  $i = 3 \times$   $j < i-1$   
 $i < 3$

②  $i = 1$   
 $j = 0 \rightarrow (1, 0) (2, 1)$   
 $1 \rightarrow (1, 1) (2, 2)$   
 $2 \rightarrow (1, 2) (2, 3)$   
 $3 \times$

- ① what did you like the most
- ② what did you hate the most
- ③ one/two word about the module

Imp Methods/Techniques {

running stream

pre computation

two pointers

rotation (cyclic  $\rightarrow$  %)

generating pairs, triplets, subarrays

}