

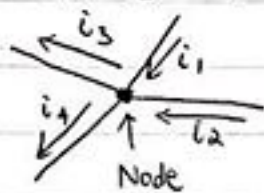
EE2005 Electronic Devices and Circuits

Review on Ch.1-3 (Part 1)

Ch.1

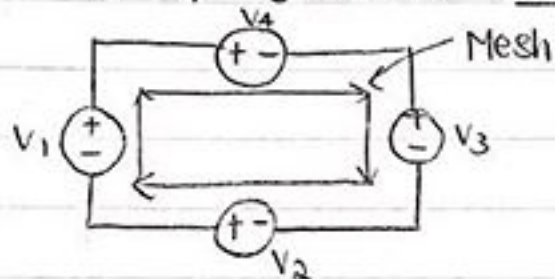
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- KCL $i_1 + i_2 = i_3 + i_4$



- Entering (+ve)
- Leaving (-ve)

- KVL $V_1 - V_4 - V_3 + V_2 = 0$ OR $-V_1 + V_4 + V_3 - V_2 = 0$



- Rise: (+ve) \rightarrow Generating Power
- Drop: (-ve) \rightarrow Consuming Power

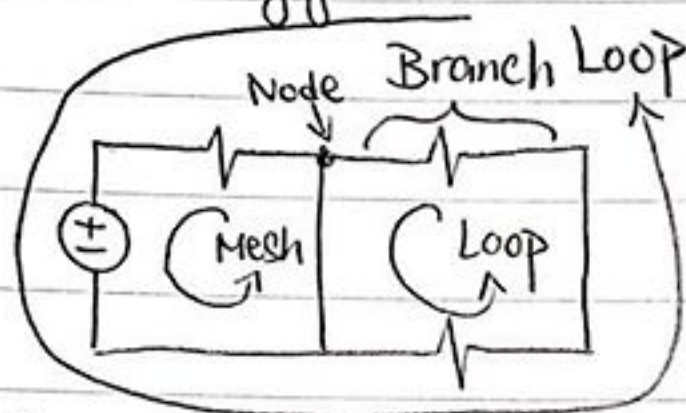
* Both sign and direction can be inter-changed. (I used to think in reverse)
Just keep your thought unchanged throughout calculation,
such that everything keeps in the same manner.

- Resistance (Ω)
- Ohm's Law $V = IR$
- Power $P = VI$
 - $P = I^2 R$
 - $P = \frac{V^2}{R}$

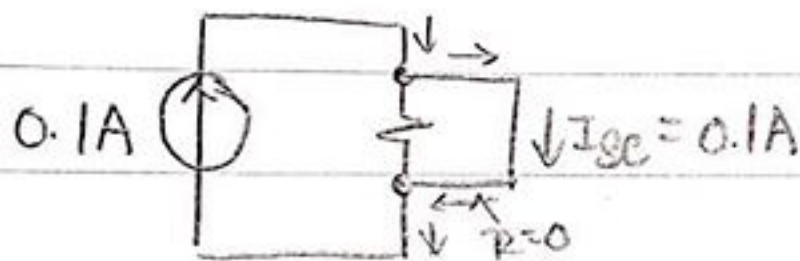
- Resistance (Ω)
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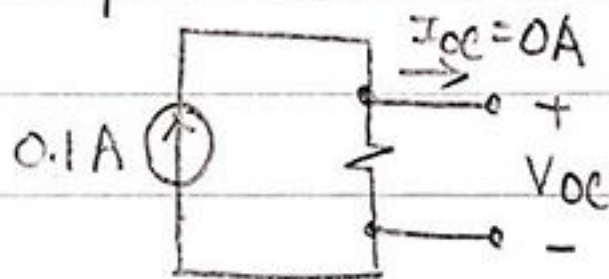
Terminology



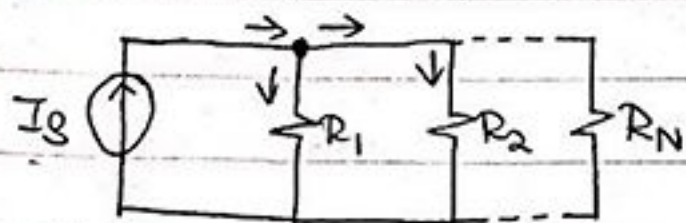
Short Circuit



Open Circuit



- Parallel Network \rightarrow Current Divider



- Equivalent Resistance R_p

$$\frac{1}{R_p} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \dots + \frac{1}{R_N}$$

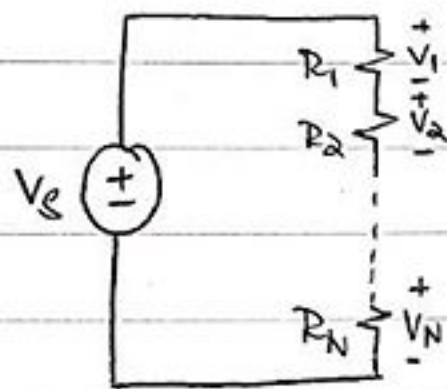
* Alternative Method :

✓ except R_k .

- Current Divider Rule

$$I_k = \frac{R_p}{R_k} I_S = \frac{R_1 + R_2 + \dots + R_{k-1} + R_{k+1} + \dots + R_N}{R_p} I_S$$

- Series Network \rightarrow Voltage Divider



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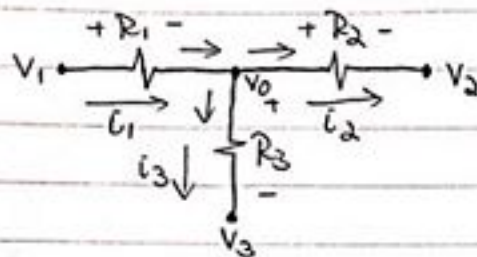
- Equivalent Resistance R_s

$$R_s = R_1 + R_2 + R_3 + \dots + R_N$$

- Voltage Divider Rule

$$V_k = \frac{R_k}{R_s} V_S$$

• Nodal Voltage Analysis (NVA) ← KCL



$$\frac{V_1 - V_0}{R_1} = \frac{V_0 - V_2}{R_2} + \frac{V_0 - V_3}{R_3}$$

$$\downarrow \qquad \qquad \downarrow \qquad \qquad \downarrow$$

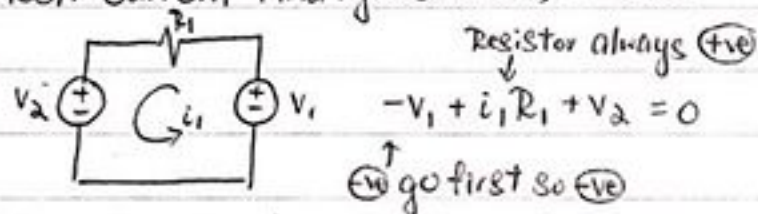
$$i_1 = i_2 + i_3$$

• For 2 nodes V_1 and V_2 ,

1. Apply KCL at V_1 - ①
2. Apply KCL at V_2 - ②
3. Solve equations ① and ②

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• Mesh Current Analysis (MCA) ← KVL



★ Direction can be interchanged.

But all meshes need to be kept in the same direction.

• For 2 meshes i_1 and i_2 ,

1. Apply KVL at mesh 1 - ① [if R_{12} in between, $+R_{12}(i_1 - i_2)$.]
2. Apply KVL at mesh 2 - ② [if R_{12} in between, $+R_{12}(i_2 - i_1)$.]
3. Solve equations ① and ②

- Superposition

- Voltage Source \rightarrow Short Circuit
- Current Source \rightarrow Open Circuit

- One port network #cityqueenotes@ig

- Thevenin equivalent circuit (Voltage)

1. Remove the load.

2. Find the equivalent resistance R_{Th} .

- a) Voltage Source \rightarrow Short Circuit

- b) Current Source \rightarrow Open Circuit

3. Find the Thevenin voltage source V_{Th} .

- Norton equivalent circuit (Current)

1. Remove the load.

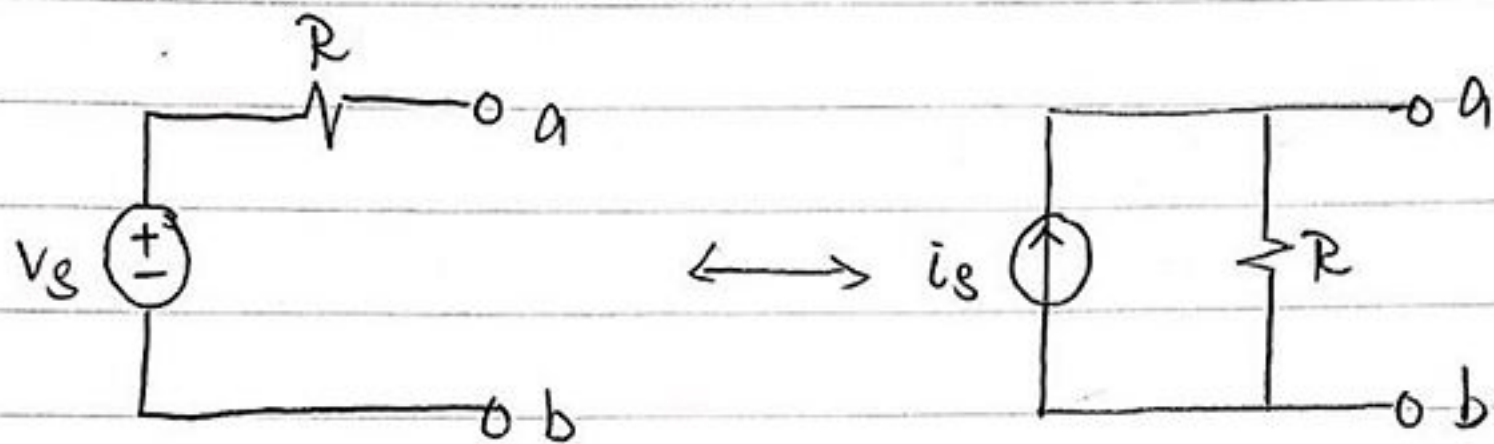
2. Find the equivalent resistance R_N .

- a) Voltage Source \rightarrow Short Circuit

- b) Current Source \rightarrow Open Circuit

3. Find the Norton current source I_N .

- Source Transformation



Voltage in series with $R \leftrightarrow$ Current in parallel with R

- Maximum Power Transfer

$$P_{\max} = \frac{V_{Th}^2}{4R_{Th}} = 4I_N^2 R_N$$

$$(R_{Load} = R_{Th} = R_N) \quad \#cityqueenotes@ig$$

Ch. 2

- Capacitors
 - Inductors
- } Please refer to Ch. 3. (Part 2)

• Transient

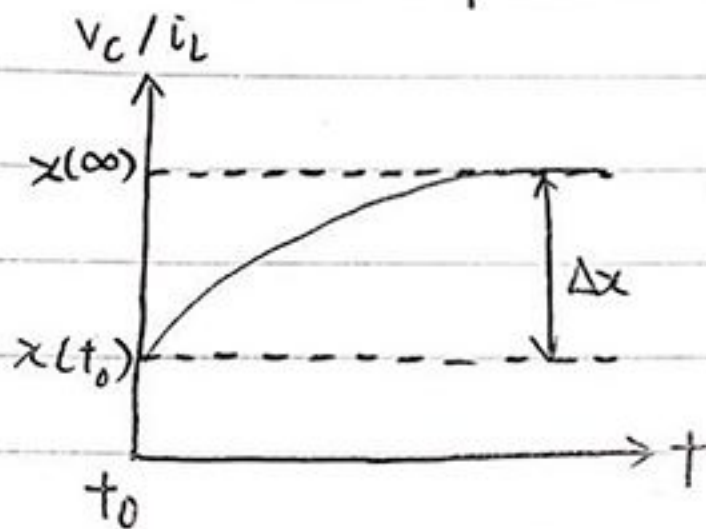
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• Time constant

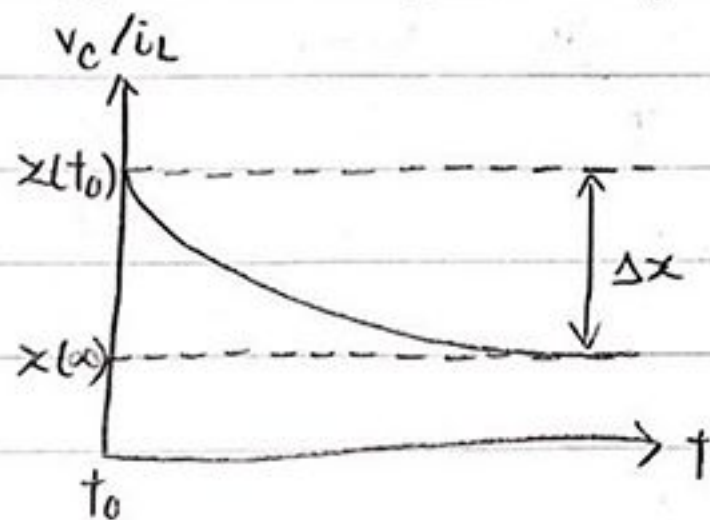
- RC circuit $\tau = CR$

- RL circuit $\tau = \frac{L}{R}$

- First order expression (suggest to use Case B only.)



Case A



Case B

$$x(t) = x(t_0) + \Delta x (1 - e^{-(t-t_0)/\tau}) \quad x(t) = x(\infty) + \Delta x e^{-(t-t_0)/\tau}$$

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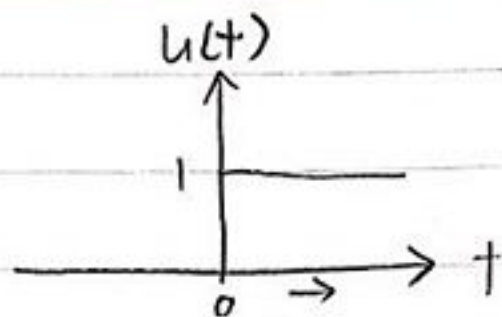
Review on Ch. 1-3 (Part 2)

Ch. 2 (Cont.)

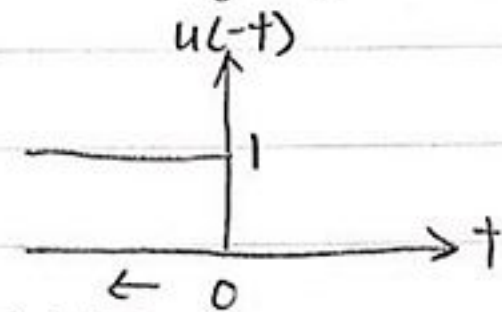
(Sth. not taught in lecture but must know)

• Unit-step function

$$u(t) = \begin{cases} 1 & t \geq 0 \\ 0 & t < 0 \end{cases}$$

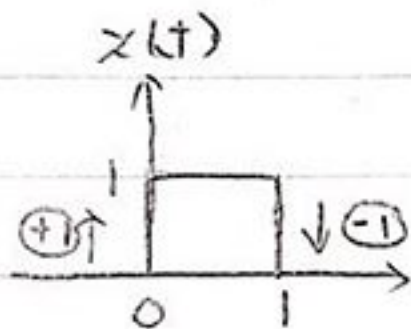


$$u(-t) = \begin{cases} 1 & t \leq 0 \\ 0 & t > 0 \end{cases}$$



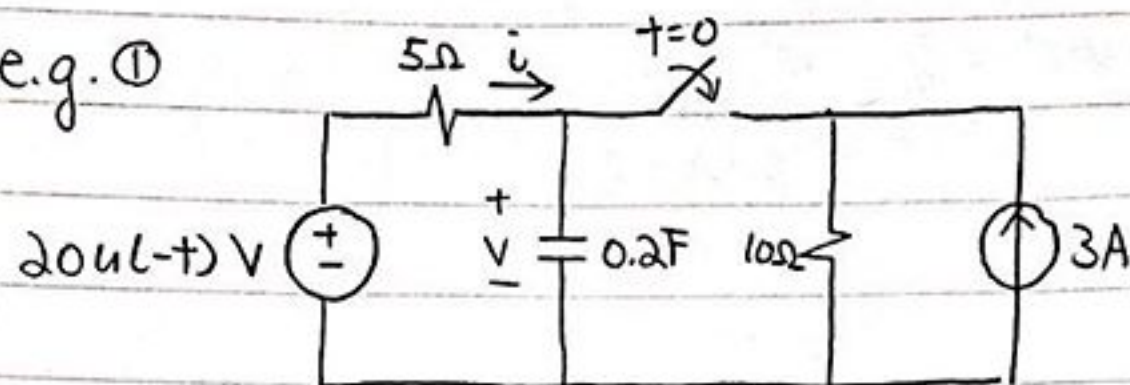
e.g. $z(t) = u(t) - u(t-1)$

$t=0$ $t-1=0 \rightarrow t=1$

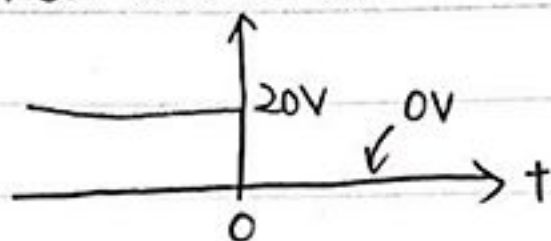


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e.g. ①



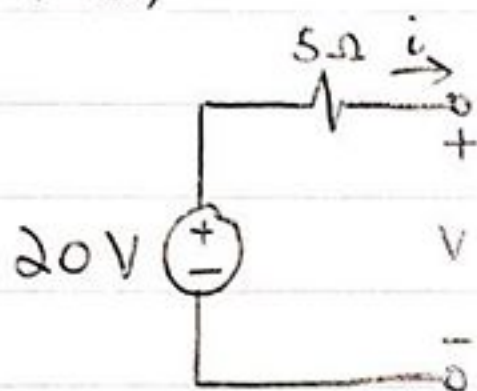
Unit Step Function $20u(-t)$



$$20u(-t) = \begin{cases} 20 & t \leq 0 \\ 0 & t > 0 \end{cases}$$

For $t < 0$,

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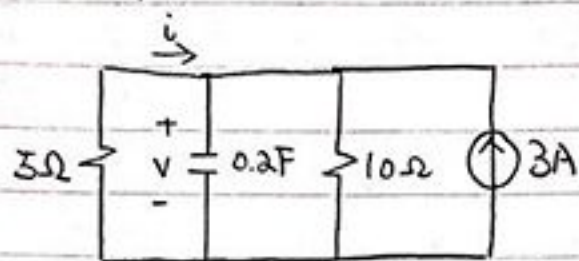


$$i(t) = 0 \text{ A}$$

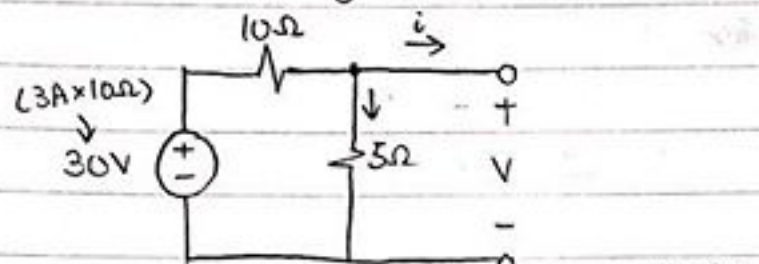
$$v(t) = 20 \text{ V.}$$

e.g. ① (Cont.)

For $t > 0$,



⇓ Source Transformation



$v(0) = 20V$

$v(\infty) = 30 \times \frac{5}{10+5}$

$= 10V$

$\tau = R_{Th}C$

$= (10\Omega || 5\Omega)(0.2)$

$= \frac{2}{3} s$

$v(t) = v(\infty) + [v(0) - v(\infty)]e^{-t/\tau}$

$= 10 + (20 - 10)e^{-t(\frac{3}{2})}$

$= 10 + 10e^{-1.5t}$

$= 10(1 + e^{-1.5t}) V$

$i(t) = \frac{-v(t)}{5\Omega}$ ← Note that v and i go in different direction.

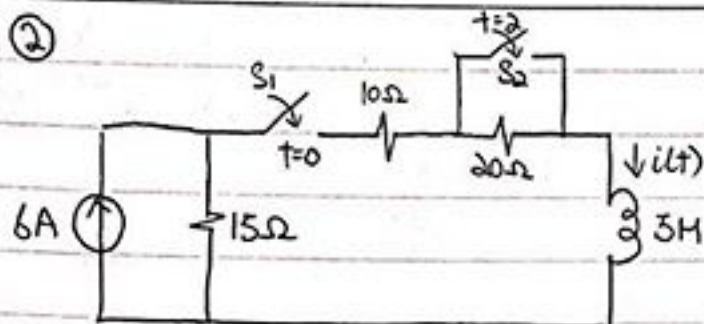
$= -2(1 + e^{-1.5t}) A$

$\therefore v(t) = \begin{cases} 20 & t < 0 \\ 10(1 + e^{-1.5t}) & t > 0 \end{cases}$

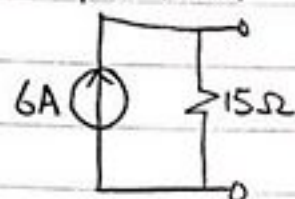
$i(t) = \begin{cases} 0 & t < 0 \\ -2(1 + e^{-1.5t}) & t > 0 \end{cases}$

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e.g. ②



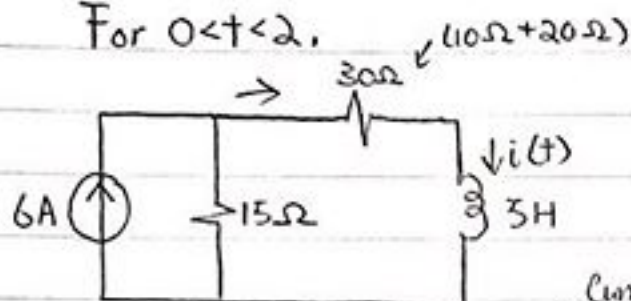
For $t < 0$,



$i(t) ??$

$$i(t) = 0 \text{ A}$$

For $0 < t < \infty$,



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$$i(\infty) = 6 \times \frac{15}{15+10+20}$$

Current Divider

$$= 2 \text{ A}$$

$$\tau = \frac{L}{R_{Th}}$$

$$= \frac{3}{15+10+20}$$

$$= \frac{3}{45}$$

$$= \frac{1}{15} \text{ s}$$

$$i(t) = i(\infty) + [i(0) - i(\infty)]e^{-t/\tau}$$

$$= 2 + (0 - 2)e^{-9t}$$

$$= 2 - 2e^{-9t}$$

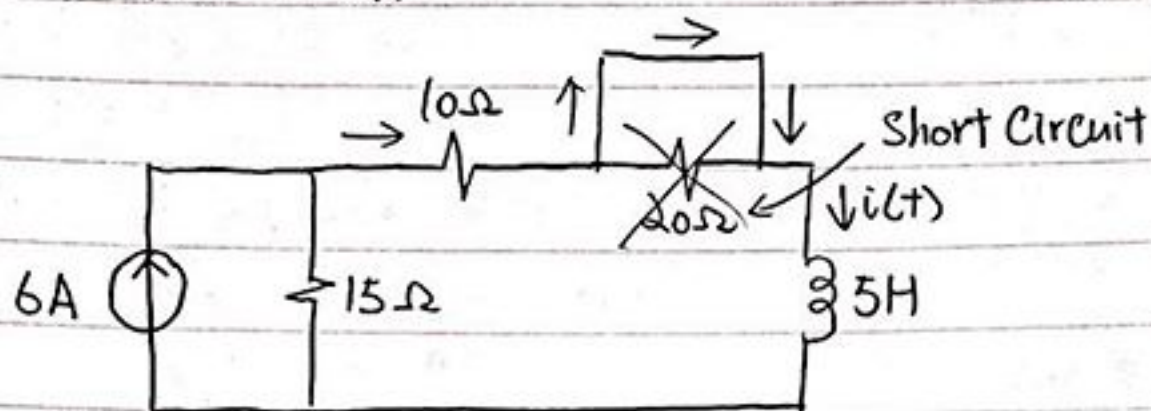
$$= 2(1 - e^{-9t}) \text{ A}$$

$$\therefore i(1) = 2(1 - e^{-9(1)})$$

$$= 1.9998 \text{ A}$$

e.g. ② (Cont.)

For $t > 2$,



$$i(\infty) = 6 \times \frac{15}{15+10} \leftarrow \text{Current Divider}$$

$$= 3.6 \text{ A}$$

$$\tau = \frac{L}{R_{Th}}$$

$$= \frac{5}{15+10}$$

$$= 0.2 \text{ s}$$

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Starting from 2

$$i(t) = i(\infty) + [i(2) - i(\infty)] e^{-\frac{(t-2)}{\tau}}$$

$$= 3.6 + (2 - 3.6) e^{-5(t-2)}$$

$$= 3.6 - 1.6 e^{-5(t-2)} \text{ A}$$


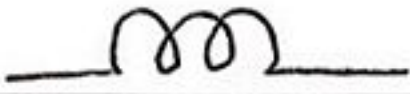
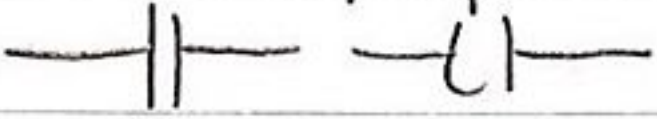
$$\therefore i(3) = 3.6 - 1.6 e^{-5(3-2)}$$

$$= 3.5892 \text{ A}$$

$$\therefore i(t) = \begin{cases} 0 & t < 0 \\ 2(1 - e^{-9t}) & 0 < t < 2 \\ 3.6 - 1.6 e^{-5(t-2)} & t > 2 \end{cases}$$

Ch. 3

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- AC Circuit ($V = IZ$)
 - Impedance $Z/X (\Omega)$
 - Resistor 
 $Z_R = R \leftarrow (\Omega)$
 - Inductor 
 $Z_L = j\omega L \leftarrow (H)$
→ Short circuit in Superposition
 - Capacitor 
 $Z_C = \frac{1}{j\omega C} \leftarrow (F)$
→ Open circuit in Superposition

- Sinusoid

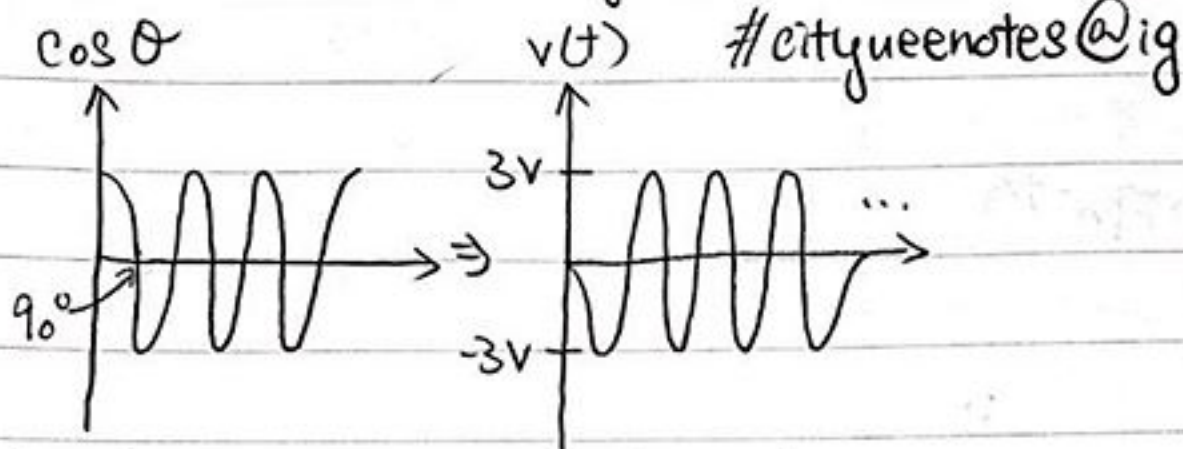
- Reading AC values. → angular frequency ω

$$v(t) = 3 \cos(6t + 90^\circ)$$

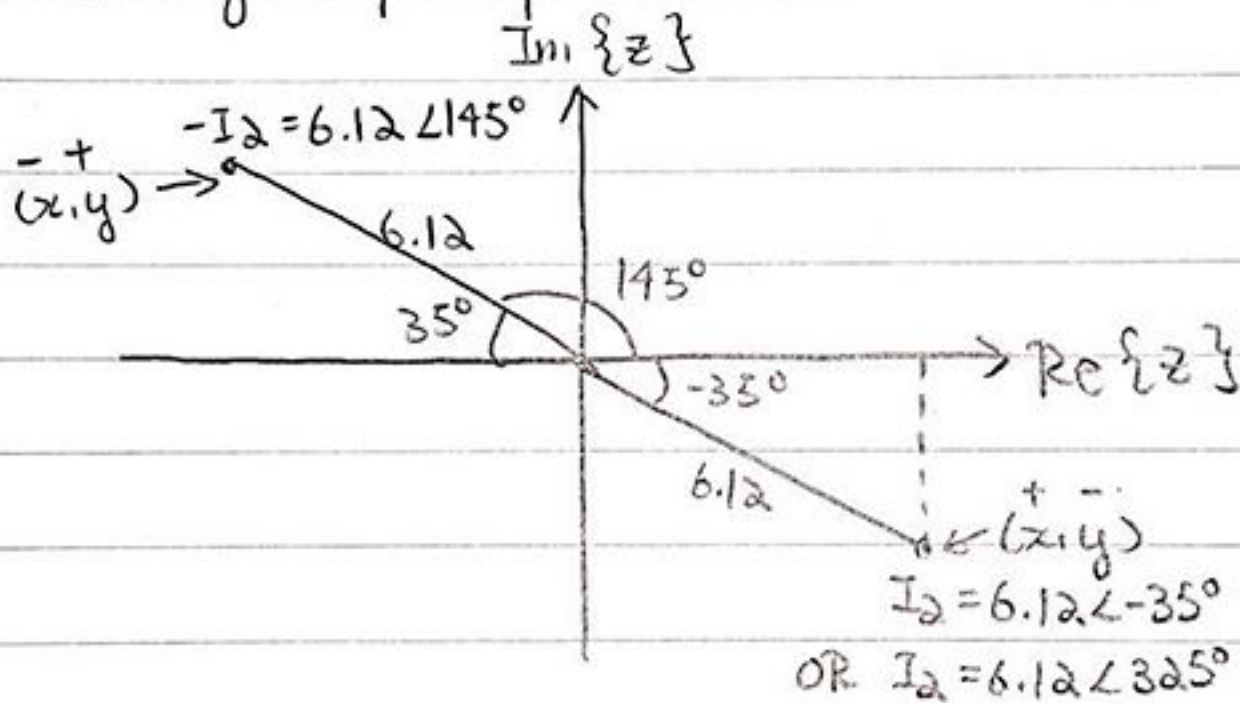
$$= 3 \angle 90^\circ$$

amplitude

shifted angle



- Reading complex polar coordinates




• AC Circuit Analysis



- KVL
- KCL
- Voltage Divider Rule
- Current Divider Rule
- Nodal Voltage Analysis
- Mesh Current Analysis

Please refer to Ch.1, (Part 1)

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- Superposition (apply respectively for DC/AC in different ω source)

Voltage Source  \rightarrow  Short Circuit

Current Source  \rightarrow  Open Circuit

• DC Source:

Inductor  \rightarrow  Short Circuit

Capacitor  \rightarrow  Open Circuit

- Average power / current / voltage = DC offset \leftarrow
(Note that average of $\sin \theta$ and $\cos \theta$ must be 0.)

! Use Calculator to do ALL calculations.

- COMPLEX Mode : MODE + 2 (all keys in PURPLE)
- Phasor \angle : SHIFT + (-)
- Imaginary $j = i$: ENG #cityueenotes@ig
- Degree : SHIFT + MODE + 1
- Radians : SHIFT + MODE + 2
- Cartesian Form \rightarrow Phasor Form : SHIFT + +
- Phasor Form \rightarrow Cartesian Form : SHIFT + -
- Displaying $Re \leftrightarrow Im$ / Magnitude \leftrightarrow Phasor : SHIFT + EXE