

(Min & Max) HEAPS BINARY

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AZ
low priority high priority
84 83 82 81

impl as list
insert = $O(n)$
sort = $O(n \log n)$
impl as b. heap
enq & deq = $O(\log n)$

- priority queue - acts like a queue (FIFO, dequeue by rem item from front) HOWEVER, the logical order of items in queue is determined by their PRIORITY (high priority = front, low priority = back)
 ▶ so enqueueing an item may move it to front

- Binary heap - Diagram - looks like tree
 Implementation - single list

To maintain the heap property b/w new item & parents, you must swap it down/up (percolate)

2 variations

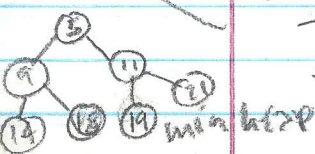
- ▶ min heap - smallest key is always @ front
- ▶ max heap - largest key val @ front

BASIC HEAP OPERATIONS

- BinaryHeap() - creates new, empty bin heap
- insert(k) - adds new item k to heap
- findMin() - returns item w/ min key value
- delMin() - " " and deletes min value
- isEmpty() - True = heap empty
- size() - returns # of items in heap
- buildHeap(list) - builds new heap from list of keys

about trees, but applies to heaps

The Structure Property - balanced tree / logarithmic nature of binary tree to make heap (left nodes = # of right nodes)
 ▶ complete binary tree
 - tree w/ each level having all of its nodes (except bottom level)



The HEAP ORDER PROPERTY - method to store items in a heap relies on this
 "In a heap, for every node x w/ parent p, the key in p is smaller than or equal to the key in x"

[0, 5, 9, 11, 14, 13, 18, 19, 21]

CONSTRUCTOR

```
class BinHeap:
    def __init__(self):
        self.heapList = [0]
        self.currentSize = 0
```