

# Pilot study: SIR with susceptibility

## Research questions:

1. Can sex-assortative mixing lead to male-bias by itself or is sex-specific susceptibility required to explain male-bias?
2. What are the effects of sex-assortative mixing on disease spread (peak size/time, variation in outbreak size/duration)?

## Pilot set-up

Table 1: Network parameters.

Variable	Value
Sex-assortativity, $r$	0, 0.2, 0.4, 0.6, 0.8, 0.9
Degree distribution, $p(K)$	$\frac{k^{-\alpha}}{\zeta(\alpha)}$
Mean degree, $\langle K \rangle$	10
Network size, $N$	500, $1 \cdot 10^3$ , $1.5 \cdot 10^3$
Tolerance, $\epsilon$	0.035
Rewiring proportion, $\alpha$	0.2
Replicates	10

Table 2: Disease parameters for SIR model.

Variable	Value
Initial susceptible, $S_0$	$N - 0.05 \cdot N$
Initial infected, $I_0$	$0.05 \cdot N$
Infection rate, $\tau$	0.05, 0.1, 0.2
Recovery rate, $\gamma$	1
M:F susceptibility ratio, $\alpha$	1, 1.5, 2
Estimated $R_0$	$[\tau \frac{\langle K^2 \rangle - K}{\langle K \rangle}]$

*How network assortativity and susceptibility affect male-bias:*

*How network assortativity and susceptibility affect epidemic dynamics:*

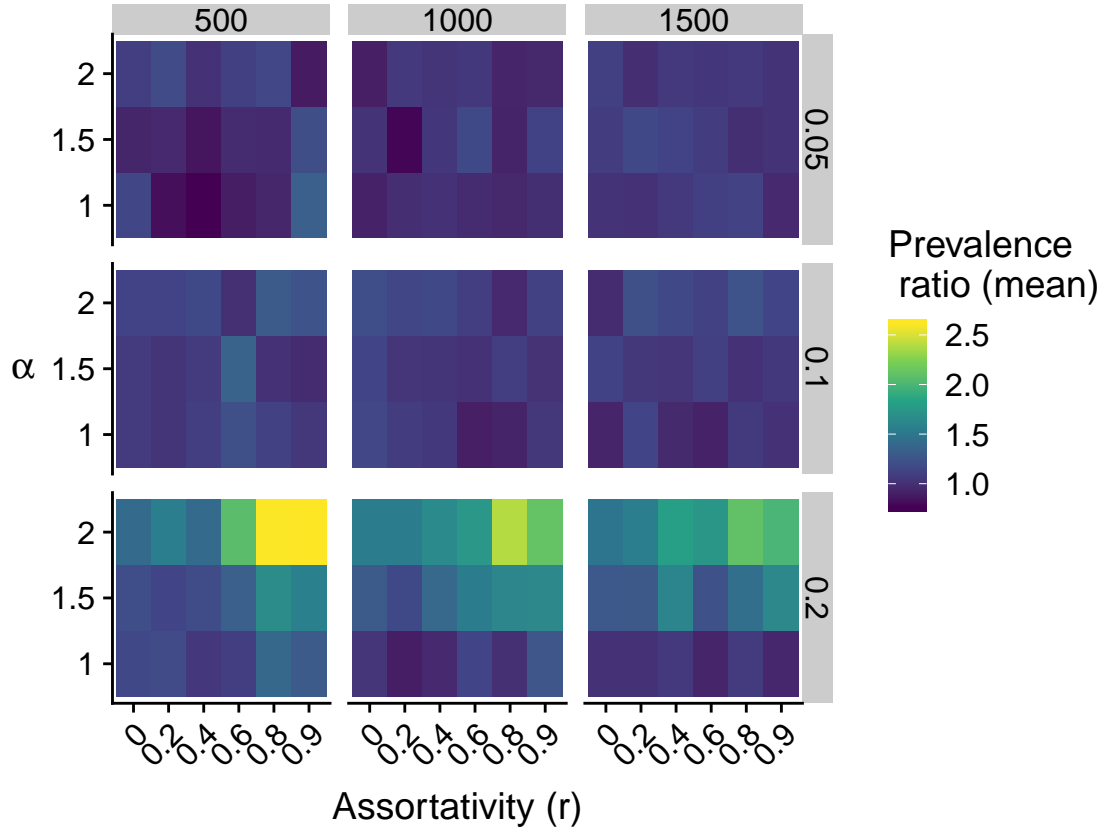


Figure 1: Prevalence ratio across assortativity values. Columns faceted by network size. Rows faceted by transmission rate ( $R_0=1, 2, 3$ ). Each block shows the mean of 10 simulations. Brighter colors show more male-bias.

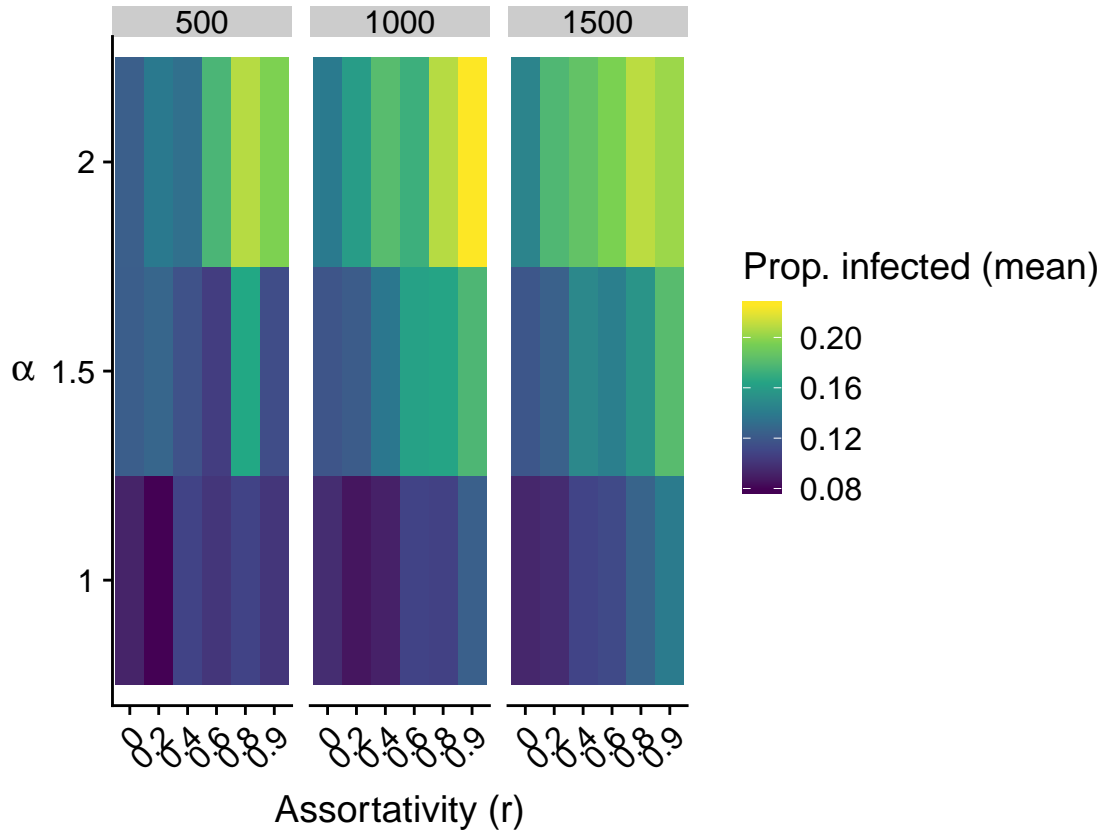


Figure 2: Outbreak size across assortativity values. Columns faceted by network size. Results shown for  $R_0=3$ . Brighter colors show higher proportions of infected.

## Notes

- Generated using rewiring algorithm
- Pilot study shows results for 10 network replicates
- One epidemic simulated per network