PROTOCOL FOR:

Sex-assortativity and the spread of TB in contact networks $Spring\ 2019$

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Background:

- The global male: female TB case ratio is 1.9 and this pattern is strikingly consistent across countries
- This male-bias in TB case reports could be due to sex-specific differences in exposure to Mtb or susceptibility to disease following exposure, or a combination thereof
- Behavioral characteristics due to different societal gender roles may contribute to sex-specific rates of exposure to Mtb: differences in number (no evidence from Miller et al. *in prep* or other studies Mossong et al. 2008, etc.) or types of contacts
- Types of contacts could be mediated by assortative mixing which is where individuals tend to associate with others similar to them, creating sub-groups within a social network.
- In addition to exposure, behavioral and biological differences may contribute to sex-specific susceptibility to disease following exposure: smoking, immune responses, hormones
- We wondered whether the types of contacts that men have, specifically their preferential social mixing
 with other men, could contribute to male-bias in TB case reports per se or if previously described
 differences in susceptibility between the sexes are necessary to explain male-bias

Research questions:

- 1. Can sex-assortative mixing lead to observed levels of overall TB prevalence and sex-specific TB prevalence?
- 2. Are sex-specific differences in susceptibility required to explain male-bias in TB cases?

Study design:

We will examine the effects of sex-assortativity and sex-specific susceptibility on the ratio of male to female cases using models of disease spread on simulated social networks.

Table 1: Design of pilot study.

Variable	Values tested
Assortativity, r Size, N	$\begin{array}{c} -0.4, -0.2, 0, 0.2, 0.4 \\ 500, 1 \cdot 10^3 \end{array}$

Network simulation option 1: de Almeida et al. (2013)

We will generate scale-free networks that vary sex-assortativity using the algorithm of de Almeida et al. (2013). Their algorithm generates assorted networks with power-law degree distributions. The algorithm is as follows:

- 1. Start with m_0 nodes which are characterized by some intrinsic characteristic $\eta \in (0,1)$ which represents a node's hypothetical placement along a gender axis. Let $A_{ij} = |\eta_i \eta_j|$ be the difference in intrinsic characteristics of nodes i and j.
- 2. At every time step, a new node j, with η_j attributed randomly, attaches to other m ($m \leq m_0$) preexisting nodes i (note: unweighted, undirected, non-repeat edges) by considering jointly the connections
 between new sites and those having high number of nearest neighbors (k_i) and high similitude (A_{ij})
 with probability

$$\pi_i = \frac{(1 - A_{ij})k_i}{\sum_i (1 - A_{ij})k_i}$$

3. This process is used to add the $(m_0 + 1)$ site, $(m_0 + 2)$, and so on until the network reaches the desired size, $N = m_0 + t$ where t is the time variable.

This process of connecting nodes based on similarity in η has not yet introduced "groups" or in our case, node sex. Following de Almeida et al. (2013), we assign nodes to be male (0) or female (1) nodes before the onset of adding nodes and before drawing edges based on η . Females are composed of all nodes have η in the interval $\Delta \eta = \eta_{max} - \eta_{min}$ and males are composed of all nodes not in this interval (i.e. **FILL IN EXPLANATION**).

Here, we will try **INSERT VALUES FROM PAPER THAT MAKE SENSE** to get a feel for how values of these variables correspond to desired values for pilot study and then edit protocol accordingly.

Network simulation option 2: re-wire edges of basic SF networks

We will generate scale-free networks that vary sex-assortativity using the classic BA-algorithm with the following adjustments:

- 1. Assign nodes randomly as male (0) or female (1).
- 2. Calculate network assortativity coefficient, r, from Newman (2003) where $\sum_{ij} e_{ij} = 1$ is the sum of proportion of edges between nodes of each type (0 and 1), $\sum_{ij} e_{ij} = a_i$ is the proportion of

Simulate outbreaks on networks with and without differences in susceptibility by sex:

- Gillespie like simulation on networks
- Markov chain with exponential waiting times
- Doesn't need to have analytical solution

Analysis:

Measure overall prevalence:

Measure ratio of male:female infections:

Checklist:

- literature review on assortativity in social networks
- decide on how to model assorted networks
- decide on how to model epidemics on networks
- pilot study on small number or size of networks

CHANGE-LOG:

• [bullet list of changes to protocols with reasons for each change]