

Dummy title

Authors omitted for double-bind review.

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Abstract

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2012 ACM Subject Classification Dummy classification

Keywords and phrases Dummy keyword

Digital Object Identifier 10.4230/LIPIcs.CVIT.2016.23

1 Formal

$id ::= t \mid C$

$T ::= \text{This}n. Cs$

$CD ::= C = E$

class declaration

$CV ::= C = LV$

evaluated class declaration

$D ::= id = E$

declaration

$DL ::= id = L$

partially-evaluated-declaration

$DV ::= id = LV$

evaluated-declaration

$L ::= \text{interface} \{Tz; amtz ; \} \mid \{Tz; Ms ; K?\}$

literal

$LV ::= \text{interface} \{Tz; amtz ; \} \mid \{Tz; MVs ; K?\}$

literal value

$amt ::= T \ m(Txs)$

abstract method

$mt ::= T \ m(Txs) \ e?$

method

$Tx ::= T \ x$

parameter-declaration

$M ::= CD \mid mt$

member

$MV ::= CV \mid mt$

$Mid ::= C \mid m$

member-id

$K ::= \text{constructor}(TxS)$

constructor

$e ::= x \mid e.m(es) \mid e.x \mid \text{new } T(es)$

expression

$E ::= L \mid t \mid E \leftarrow E \mid E(Cs = T)$

library-expression

$\mathcal{E}_V ::= \square \mid \mathcal{E}_V \leftarrow E \mid LV \leftarrow \mathcal{E}_V \mid \mathcal{E}_V(Cs = T)$

context of library-evaluation

$\mathcal{E}_v ::= \square \mid \mathcal{E}_v.m(es) \mid v.m(vs \ \mathcal{E}_v \ es) \mid \mathcal{E}_v.x \mid \text{new } T(vs \ \mathcal{E}_v \ es)$

$v ::= \text{new } T(vs)$

$p ::= DLs; DVs$

program

$S ::= Ds \ e$

source code

We use t and C to syntactically distinguish between trait and class names. A type (T) has an interesting syntax, see below for what it means. An E is a top-level class expression, which can contain class-literals, references to traits, and operations on them, namely our sum $E \leftarrow +E$ and redirect $e(Cs = T)$. A declaration D is just an $id = E$, representing that id is



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42nd Conference on Very Important Topics (CVIT 2016).

Editors: John Q. Open and Joan R. Access; Article No. 23; pp. 23:1–23:6

Leibniz International Proceedings in Informatics



LIPICs Schloss Dagstuhl – Leibniz-Zentrum für Informatik, Dagstuhl Publishing, Germany

declared to be the value of E , we also have CD, CV, DL , and DV that constrain the forms of the LHS and RHS of the declaration. A literal L has 4 components, an optional interface keyword, a list of implemented interfaces, a list of members, and an optional constructor. For simplicity, interfaces can only contain abstract-methods (amt) as members, and cannot have constructors. A member M , is either an (potentially abstract) method mt or a nested class declaration (CD). A member value MV , is a member that has been fully compiled. An mid is an identifier, identifying a member. Constructors, K , contain a Txs indicating the type and names of fields. An e is normal featherweight-java style expression, it has variables x , method calls $e.m(es)$, field accesses $e.x$ and object creation $newes$. $CtxV$ is the evaluation context for class-expressions E , and $ctxv$ is the usual one for e 's.

An S represents what the top-level source-code form of our language is, it's just a sequence of declarations and a main expression. The most interesting form of the grammar is a p , it is a 'program', used as the context for many reductions and typing rules, on the LHS of the $;$ is a stack representing which (nested) declaration is currently being processed, the bottom (rightmost) DL represents the D of the source-program that is currently being processed. The RHS of the $;$ represents the top-level declarations that have already been compiled, this is necessary to look up top-level classes and traits.

To look up the value of a type in the program we will use the notation $p(T)$, which is defined by the following, but only if the RHS denotes an LV :

$$\begin{aligned} (; _, C=L, _)(\text{This}0.C.Cs) &:= L(Cs) \\ (id=L, p)(\text{This}0.Cs) &:= L(Cs) \\ (id=L, p)(\text{This}n+1.Cs) &:= p(\text{This}n.Cs) \end{aligned}$$

To get the relative value of a trait, we define $p[t]$:

$$(DLs; _, t=LV, _)[t] := LV[\text{This}\#DLs]$$

To get the value of a literal, in a way that can be understood from the current location ($\text{This}0$), we define:

$$p[T] := p(T)[T]$$

And a few simple auxiliary definitions:

$$\begin{aligned} Ts \in p &:= \forall T \in Ts \bullet p(T) \text{ is defined} \\ L(\emptyset) &:= L \\ L(C.Cs) &:= L(Cs) \text{ where } L = \text{interface? } \{ _, _, C=L, _, _ \} \\ L[C=E'] &:= \text{interface? } \{ Tz; MVs C=E' Ms; K? \} \\ \text{where } L &= \text{interface? } \{ Tz; MVs C=_ Ms; K? \} \end{aligned}$$

We have two top level reduction rules defining our language, of the form $Dse^{\sim\sim} > Ds'e$ which simply reduces the source-code. The first rule (*compile*) ‘compiles’ each top-level declaration (using a well-typed subset of already compiled top-level declarations), this reduces the defining expression. The second rule, (*main*) is executed once all the top-level declarations have compiled (i.e. are now fully evaluated class literals), it typechecks the top-level declarations and the main expression, and then proceeds to reduce it. In principle only one-typechecking is needed, but we repeat it to avoid declaring more rules.

```

55 Define Ds e --> Ds' e'
56 =====
57 DVs' |- Ok
58 empty; DVs'; id | E --> E'
59 (compile)----- DVs' subsetof DVs
60 DVs id = E Ds e --> DVs id = E' Ds e
61
62 DVs |- Ok
63 DVs |- e : T
64 DVs |- e --> e'
65 (main)----- for some type T
66 DVs e --> DVs e'

```

2 Compilation

Aside from the redirect operation itself, compilation is the most interesting part, it is defined by a reduction arrow $p; id | E \rightarrow E'$, the *id* represents the id of the type/trait that we are currently compiling, it is needed since it will be the name of *This0*, and we use that fact that that is equal to *This1.id* to compare types for equality. The (*CtxV*) rule is the standard context, the (*L*) rule propagates compilation inside of nested-classes, (*trait*) merely evaluates a trait reference to its defined body, (*sum*) and (*redirect*) perform our two meta-operations.

```

74 Define p; id | E --> E'
75 =====
76 p; id | E --> E'
77 (CtxV) -----
78 p; id | CtxV[E] --> CtxV[E']
79
80 id = L[C = E], p; C | E --> E'
81 (L) ----- // TODO use fresh C?
82 p; id | L[C = E] --> L[C = E']
83
84 (trait) -----
85 p; id | t -> p[t]
86
87 LV1 <+p' LV2 = LV3                                p' = C' = LV3, p
88 (sum) ----- for fresh C'
89 p; id | LV1 <+ LV2 --> LV3
90
91 // TODO: Inline and de-42 redirect formalism
92 (redirect) -----LV'=redirect(p, LV, Cs, P)
93 p; id | LV(Cs=P) -> LV'

```

94 3 The Sum operation

95 The sum operation is defined by the rule $L1 < +p L2 = L3$, it is unconventional as it assumes
 96 we already have the result ($L3$), and simply checks that it is indeed correct. We believe (but
 97 have not proved) that this rule is unambiguous, if $L1 < +p L2 = L3$ and $L1 < +p L2 = L3'$,
 98 then $L3 = L3'$ (since the order of members does not matter for Ls).

99 The main rule for summing of non-interfaces, sums the members, unions the implemented
 100 interfaces (and uses *minimize* to remove any duplicates), it also ensures that at most one of
 101 them has a constructor. For summing an interface with a interface/class we require that an
 102 interface cannot 'gain' members due to a sum. The actual L42 implementation is far less
 103 restrictive, but requires complicated rules to ensure soundness, due to problems that could
 104 arise if a summed nested-interface is implemented. Summing of traits/classes with state is
 105 a non-trivial problem and not the focus of our paper, there are many prior works on this
 106 topic, and our full L42 language simply uses ordinary methods to represent state, however
 107 this would take too much effort to explain here.

```
108 Define L1 <+p L2 = L3
109 =====
110 {Tz1; Mz1; K?1} <+p {Tz2; Mz2; K?2} = {Tz; Mz; K?}
111 Tz = p.minimize(Tz1 U Tz2)
112 Mz1 <+p Mz2 = Mz
113 {empty, K?1, K?2} = {empty, K?} //may be too sophisticated?
114
115 interface{Tz1; amtz,amtz';} <+p interface?{Tz2;amtz;} = interface {Tz;amtz,amtz';}
116 Tz = p.minimize(Tz1 U Tz2)
117 if interface? = interface then amtz'=empty
```

118 The rules for summing member are simple, we take two sets of members collect all the
 119 ones with unique names, and sum those with duplicates. To sum nested classes we merely
 120 sum their bodies, to sum two methods we require their signatures to be identical, if they
 121 both have bodies, the result has the body of the RHS, otherwise the result has the body (if
 122 present) of the LHS.

```
123 Define Mz <+p Mz' = Mz"
124 -----
125 M, Mz <+p M', Mz' = M <+p M', Mz <+p Mz
126 //note: only defined when M.Mid = M'.Mid
127
128 Mz <+p Mz' = Mz, Mz':
129 dom(Mz) disjoint dom(Mz')
130
131 Define M <+p M' = M"
132 -----
133 T' m(Txs') e? <+p T m(Txs) e = T m(Txs) e
134 T', Txs'.Ts =p Ts, Txs
135
136 T' m(Txs') e? <+p T m(Txs) = T m(Txs) e?
137 T', Txs'.Ts =p Ts, Txs
138
139 (C = L) <+p (C = L') = L <+p.push(C) L'
```

4 Type System

The type system is split into two parts: type checking programs and class literals, and the typechecking of expressions. The latter part is mostly conventional, it involves typing judgments of the form $p; Txs \vdash e : T$, with the usual program p and variable environment Txs (often called Γ in the literature). rule $(Dsok)$ type checks a sequence of top-level declarations by simply push each declaration onto a program and typecheck the resulting program. Rule pok typechecks a program by check the topmost class literal: we type check each of it's members (including all nested classes), check that it properly implements each interface it claims to, does something weird, and finanly check check that it's constructor only referenced existing types,

Define $p \vdash Ok$

=====

$D1; Ds \vdash Ok \dots Dn; Ds \vdash Ok$

$(Ds \text{ ok}) \text{ ----- } Ds = D1 \dots Dn$

$Ds \vdash Ok$

$p \vdash M1 : Ok \dots p \vdash Mn : Ok$

$p \vdash P1 : Implemented \dots p \vdash Pn : Implemented$

$p \vdash \text{implements}(Pz; Ms) \text{ /*WTF?*/} \quad \text{if } K? = K: p.\text{exists}(K.Txs.Ts)$

$(p \text{ ok}) \text{ ----- } p.\text{top}() = \text{interface? } \{P1 \dots Pn; M1, \dots, Mn; K?$

$p \vdash Ok$

$p.\text{minimize}(Pz) \text{ subse } p.\text{minimize}(p.\text{top}().Pz)$

$\text{amt1 } _ \text{ in } p.\text{top}().Ms \dots \text{amtn } _ \text{ in } p.\text{top}().Ms$

$(P \text{ implemented}) \text{ ----- } p[P] = \text{interface } \{Pz; \text{amt1 } \dots \text{am}$

$p \vdash P : Implemented$

$(\text{amt-ok}) \text{ ----- } p.\text{exists}(T, Txs.Ts)$

$p \vdash T \text{ m}(Tcs) : Ok$

$p; \text{This0 this}, Txs \vdash e : T$

$(\text{mt-ok}) \text{ ----- } p.\text{exists}(T, Txs.Ts)$

$p \vdash T \text{ m}(Tcs) e : Ok$

$C = L, p \vdash Ok$

$(\text{cd-ok}) \text{ -----}$

$p \vdash C = L : OK$

Rule $(Pimplemented)$ checks that an interface is properly implemented by the program-top, we simply check that it declares that it implements every one of the interfaces super-interfaces and methods. Rules $(\text{amt} - \text{ok})$ and $(\text{mt} - \text{ok})$ are straightforward, they both check that types mensioned in the method signature exist, and ofcourse for the latter case, that the body respects this signature.

186 To typecheck a nested class declaration, we simply push it onto the program and typecheck
 187 the top-of the program as before.

188 The expression typesystem is mostly straightforward and similar to feartherwieght Java,
 189 notable we we use $p[T]$ to look up information about types, as it properly ‘from’s paths, and
 190 use a classes constructor definitions to determine the types of fields.

```

191 Define p; Txs |- e : T
192 =====
193 (var)
194 ----- T x in Txs
195 p; Txs |- x : T
196
197 (call)
198 p; Txs |- e0 : T0
199 ...
200 p; Txs |- en : Tn
201 ----- T' m(T1 x1 ... Tn xn) _ in p[T0].Ms
202 p; Txs |- e0.m(e1 ... en) : T'
203
204 (field)
205 p; Txs |- e : T
206 ----- p[T].K = constructor(_ T' x _)
207 p; Txs |- e.x : T'
208
209
210 (new)
211 p; Txs |- e1 : T1 ... p; Txs |- en : Tn
212 ----- p[T].K = constructor(T1 x1 ... Tn xn)
213 p; Txs |- new T(e1 ... en)
214
215
216 (sub)
217 p; Txs |- e : T
218 ----- T' in p[T].Pz
219 p; Txs |- e : T'
220
221
222 (equiv)
223 p; Txs |- e : T
224 ----- T =p T'
225 p; Txs |- e : T'
226
227 - towel1:.. //Map: towel2:.. //Map: lib: T:towel1 f1 ... fn
228 MyProgram: T:towel2 Lib:lib[T=This0.T] ... -

```