Technische Universität München

BGCE Project: CAD – Integrated Topology Optimization

BGCE Final Milestone Meeting

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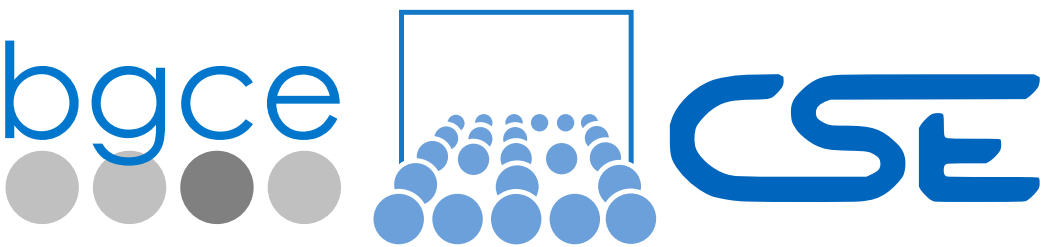
March 1, 2016



Contents

CAD issues

Problem:

- The Engineer designer pendulum

Desired:

$\Rightarrow$ One click optimization

CAD issues

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- The Engineer designer pendulum
- Top-Opt algorithms are a one way street

Desired:

⇒ One click optimization

⇒ A full circle optimization process

CAD issues

Problem:	Desired:
• The Engineer designer pendulum	⇒ One click optimization
• Top-Opt algorithms are a one way street	⇒ A full circle optimization process
• Exotic input file types	⇒ Standardized input files

What they get

- One-step solution process
- Full 3-D optimization via Finite Elements
- Production-ready output geometry

DEMO

Scalability and Performance

Features

Fully integrated design process

- CAD to CAD
- Turnkey
- Standardized I/O

Features

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Control to the user

- Resolution
- Smoothness
- Localized Optimization

Features

Fully integrated design process

- CAD to CAD
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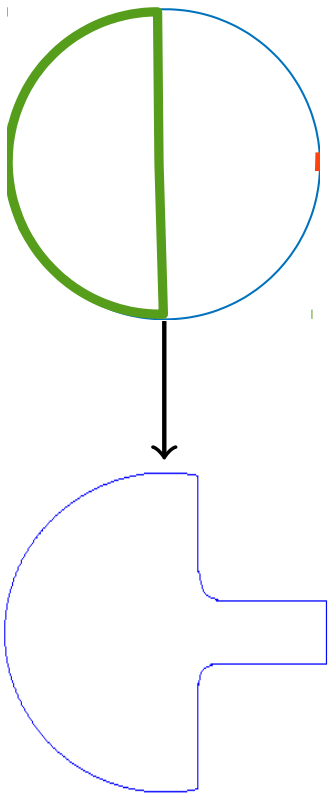
Control to the user

- Resolution
- Smoothness
- Localized Optimization

100% open source

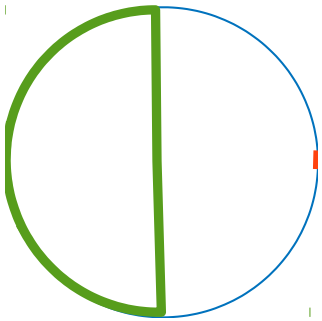
Overview: Workflow

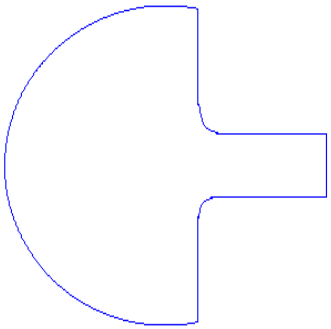
What the user sees:



Overview: Workflow

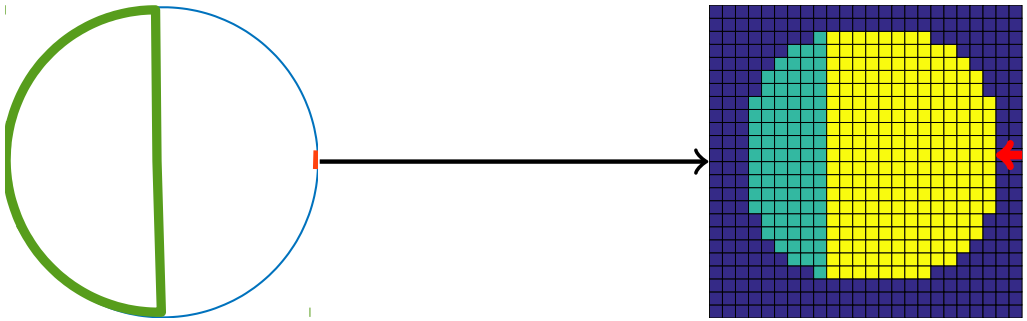
CAD design including specification of loads and fixtures

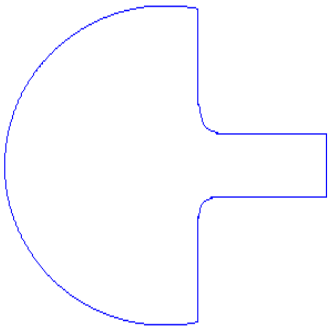




Overview: Workflow

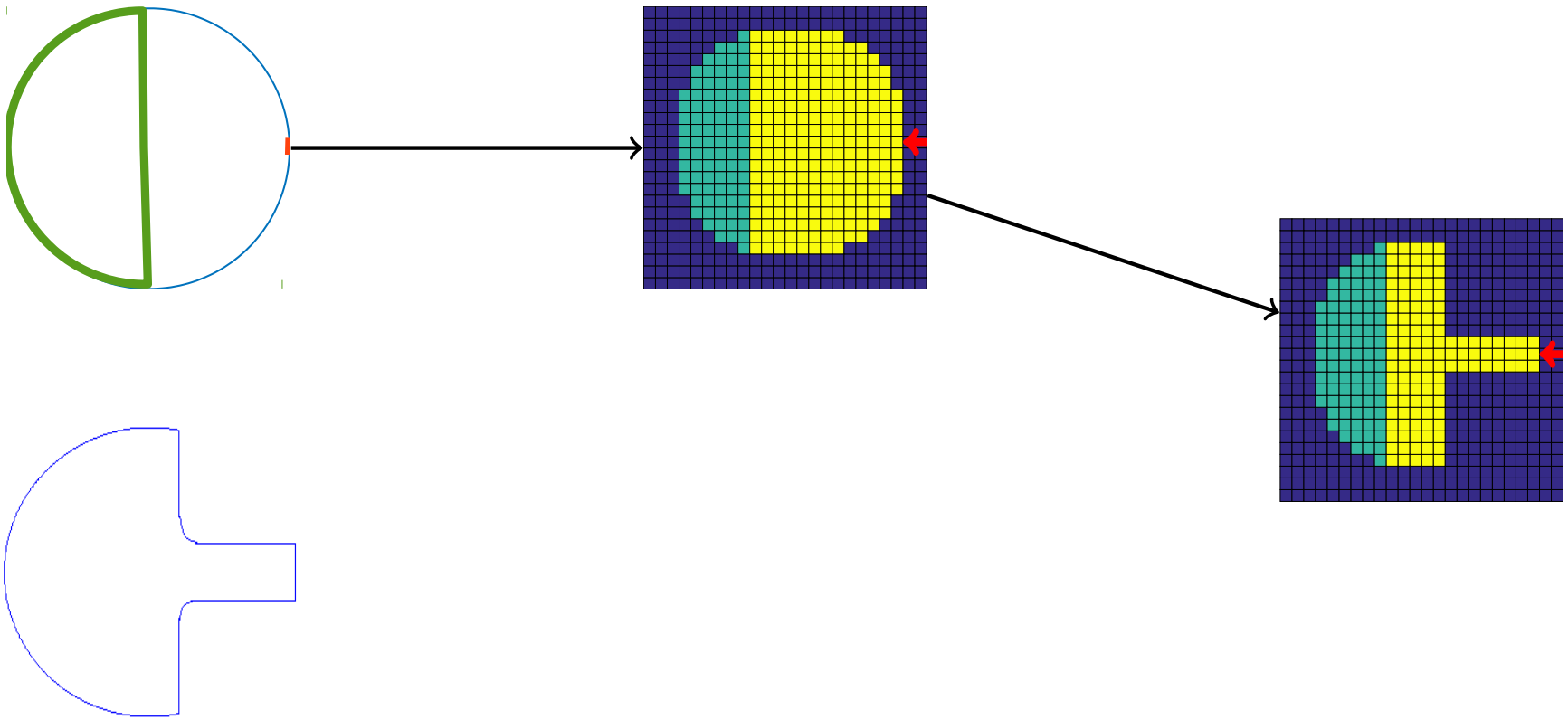
Voxelized topology





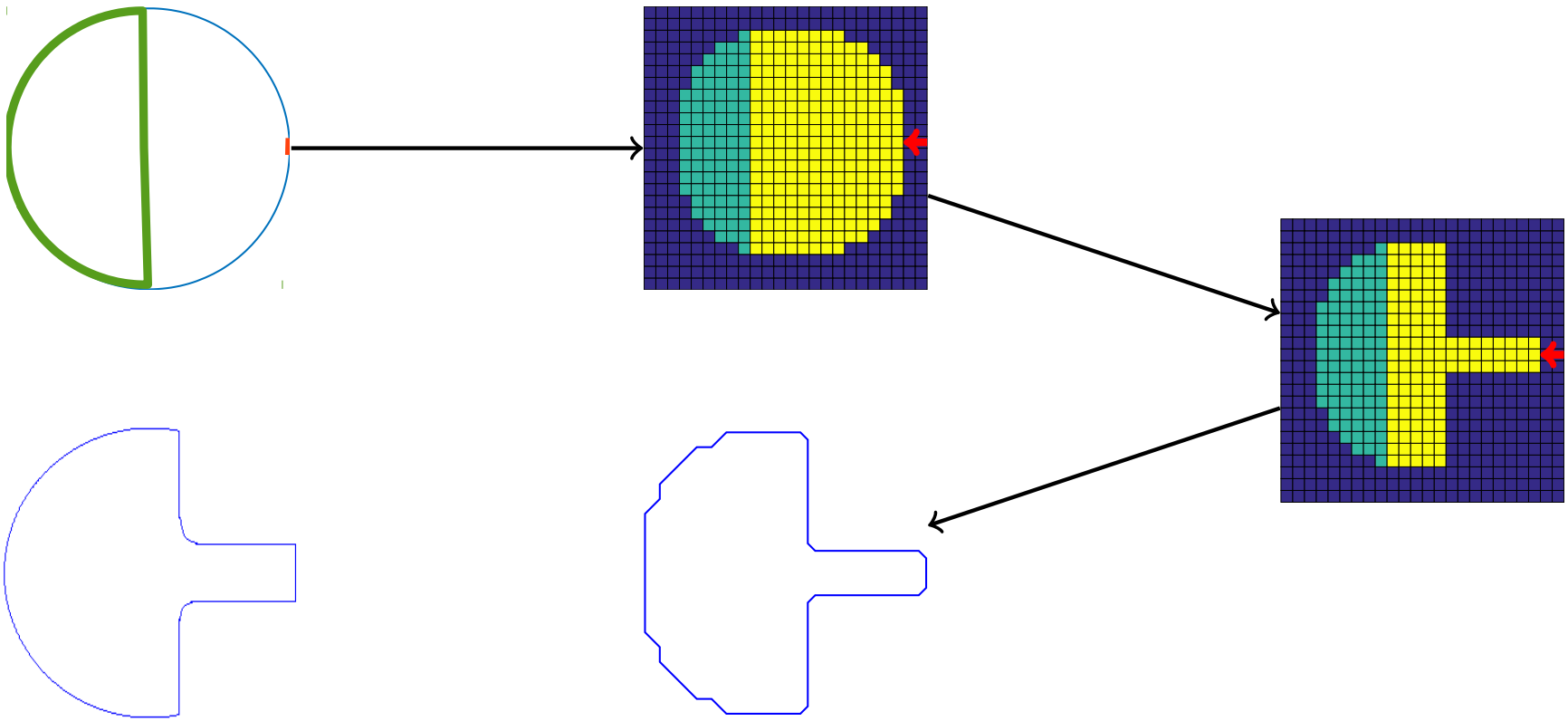
Overview: Workflow

Optimized topology



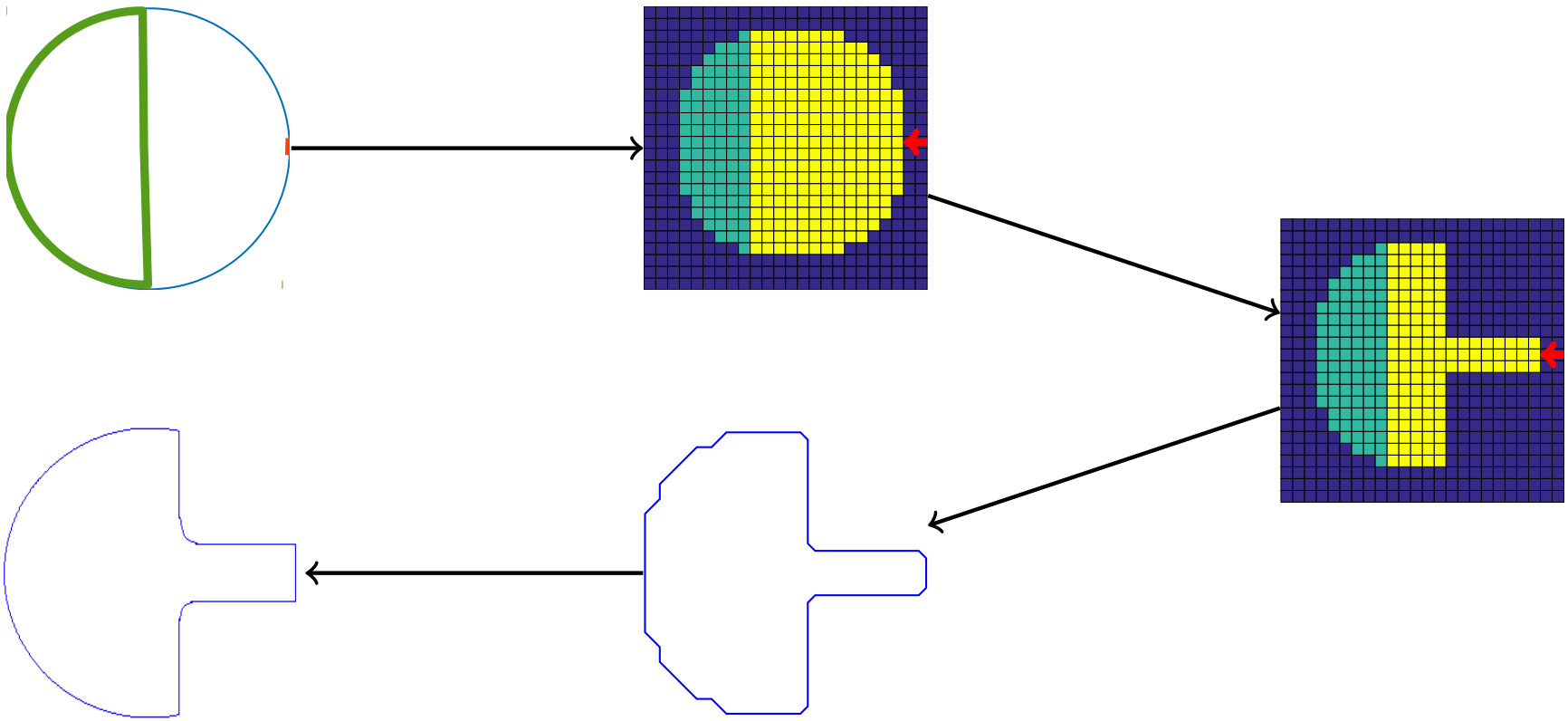
Overview: Workflow

Surface extraction



Overview: Workflow

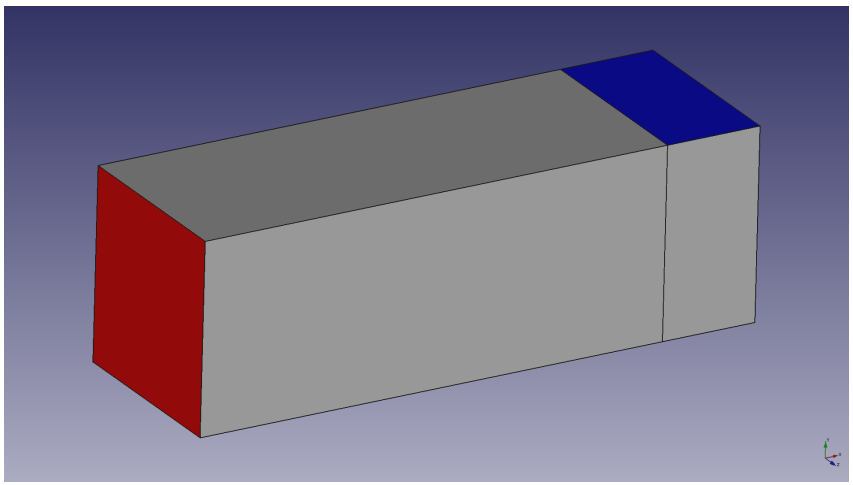
Fit B-Spline surface



Contents

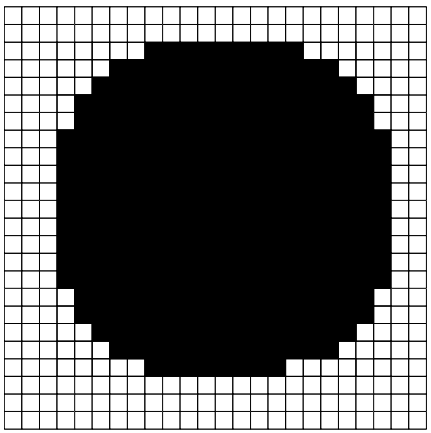
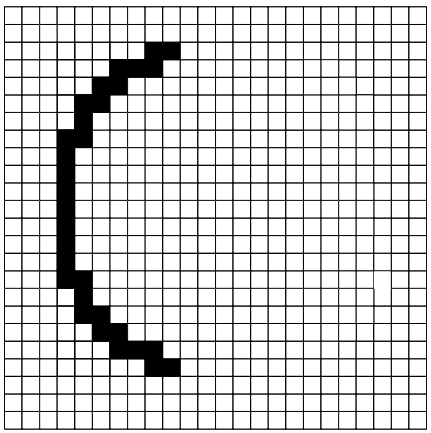
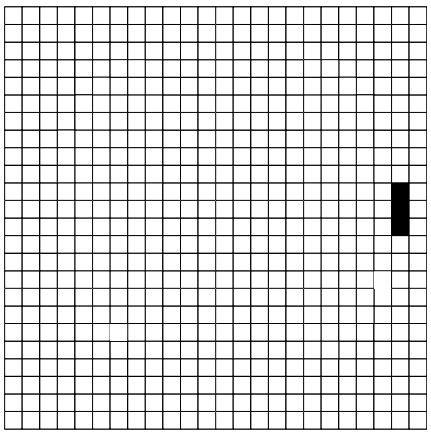
CAD files: Color code

- Red faces (RGB=[255,0,0]): Fixture
- Green faces (RGB=[0,255,0]): Non-changing region
- Colored (RGB=[0-254,0-254,0-254]): 3D loading vector
- Linear force scaling (according to user-specified parameter)
  One Byte: 0-126 negative, 127 zero, 128-255 positive direction



Voxelized geometry

- OpenCascade STEP/IGES CAF reader
- Voxelize faces/geometry seperately: Boolean (0/1) grid for
  1. Active voxels (geometry)
  2. Fixture voxels
  3. Non-changing voxels
  4. Load voxels

Topology Optimization

Contents

Status

Last milestone

- 🕐 Surface reconstruction with the VTK Toolbox

Today

- ✓ Extraction of voxel data from Topy
- ✓ 3D Dual Contouring implementation
- ✓ Coarsening and non-manifold edge treatment
- ✓ Projection of datapoints onto quads and respective parametrization
- 🕐 Interface to NURBS

From Voxel to Mesh Geometry

- Extract isosurface from voxel information
- Algorithms: Marching Cubes, Dual Contouring, Extended Models
- Problems with VTK's Marching Cube implementation

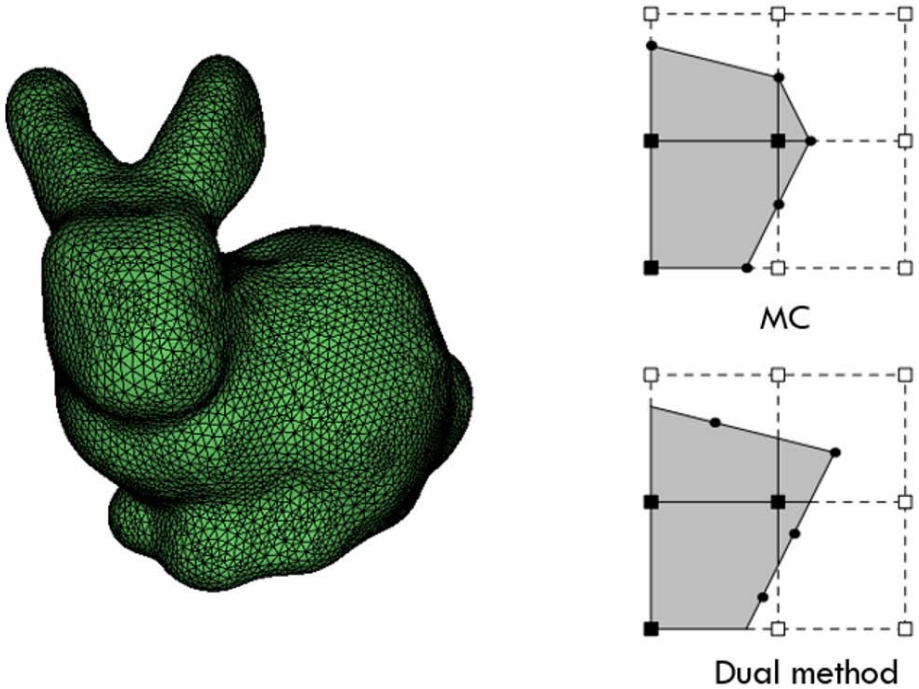
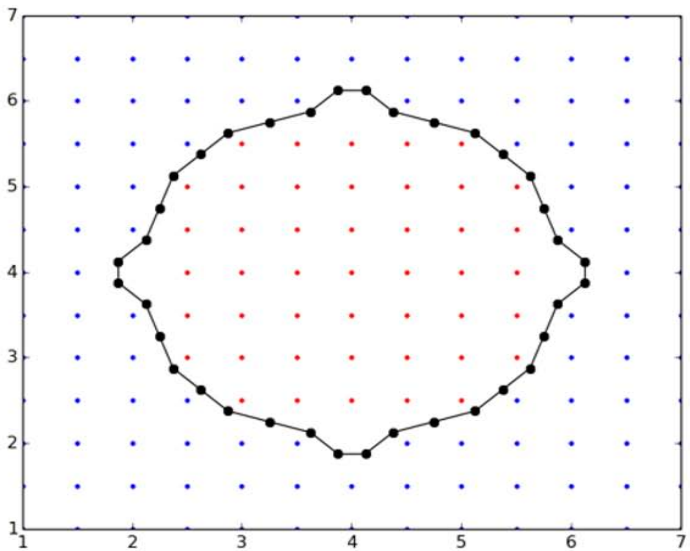
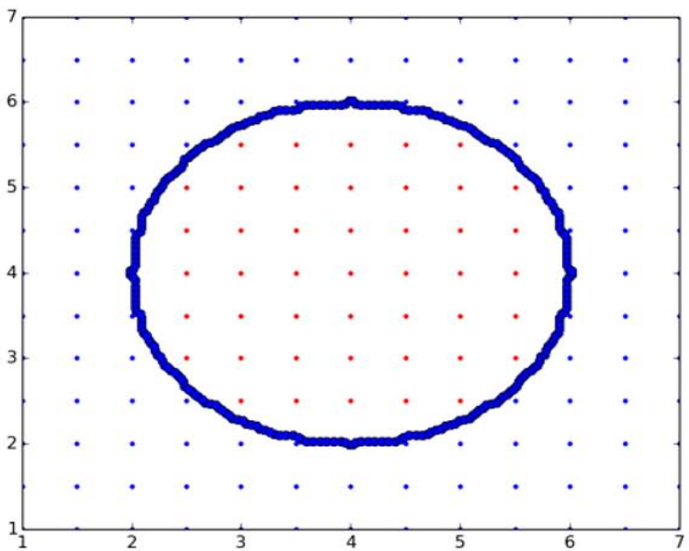


Figure : From [4],[5]

Dual Contouring

- Python implementation — Use of powerful libraries, including VTK
- Output: Closed surface made out of *quads*
- Coarsening is needed for surface fitting algorithms





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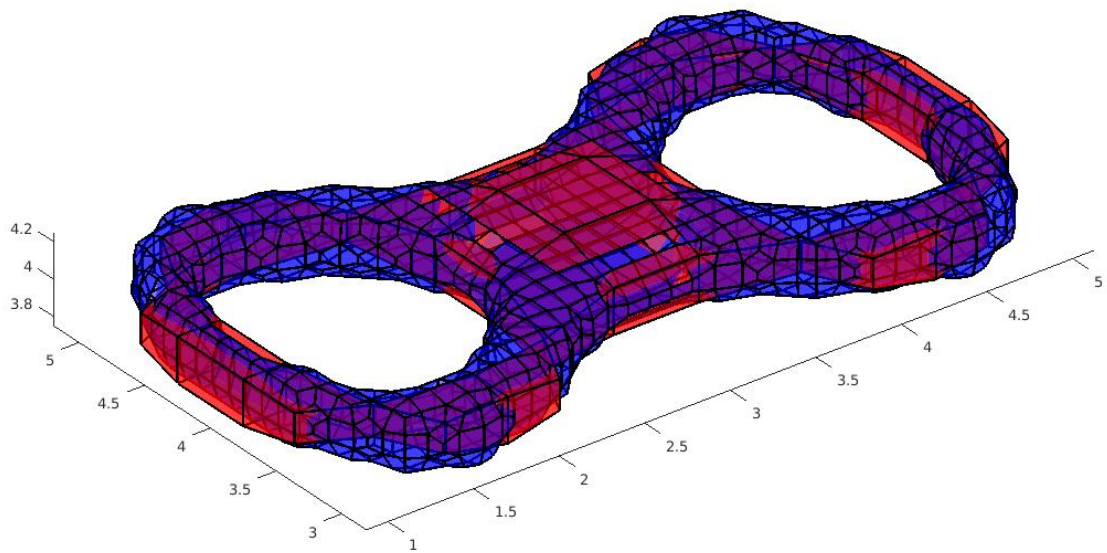
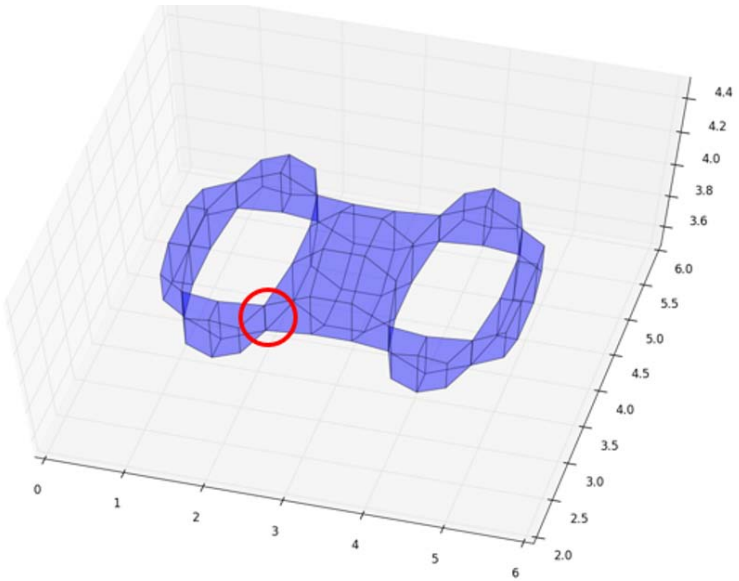


Dual Contouring — Problems

- **Non–manifold edges** appear
- One edge can only belong to two quads for the surface to be closed
- Special treatments in the implementation to avoid them



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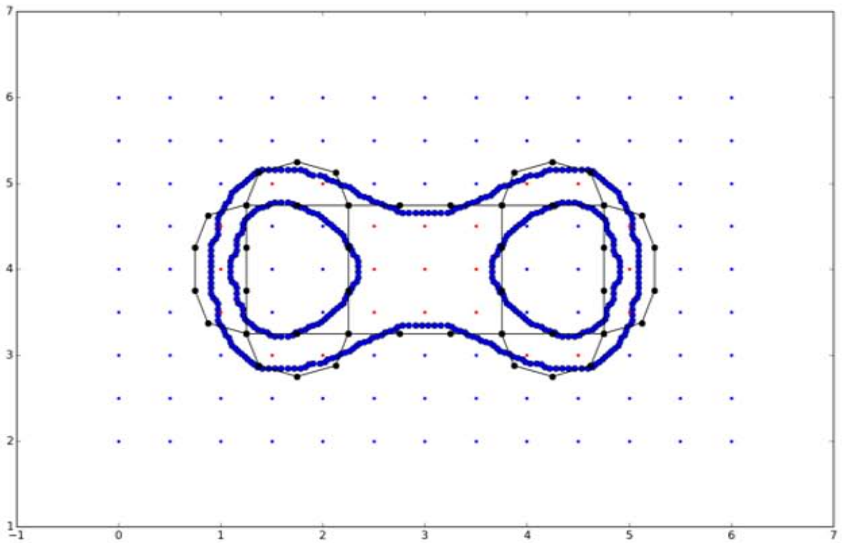
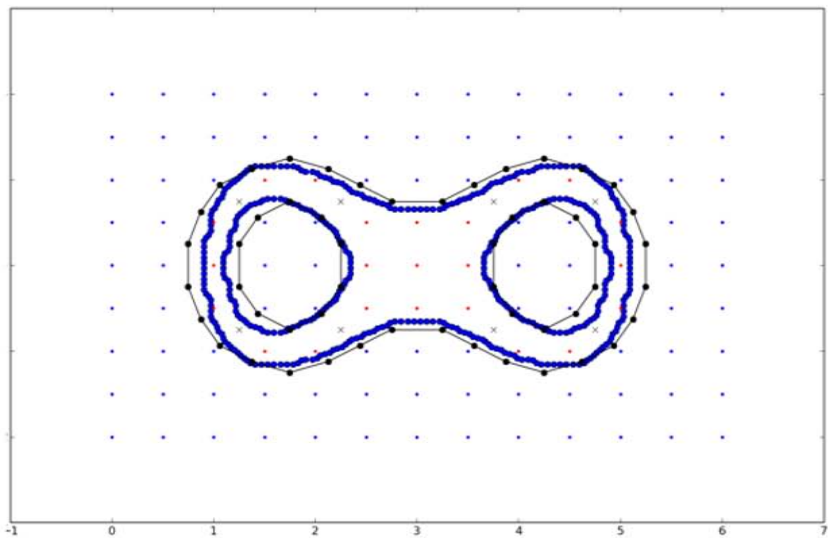
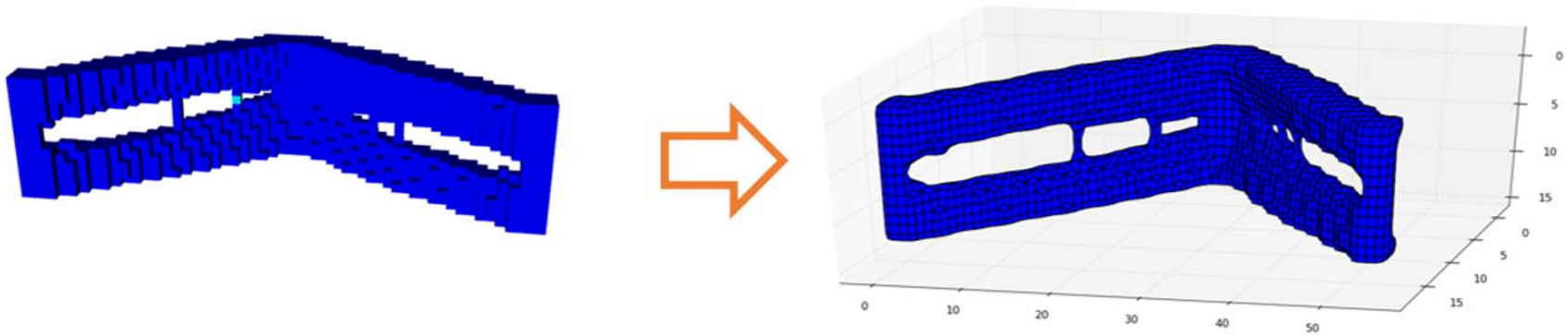




Dual Contouring — Input

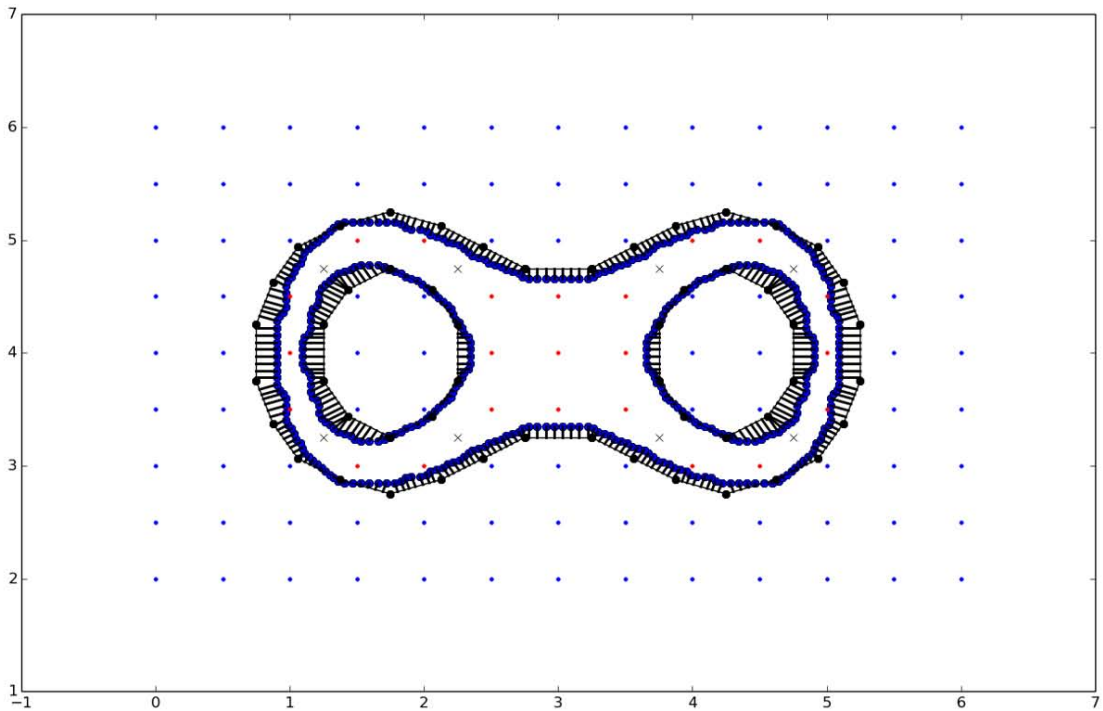
- Interface between Topology Optimization and Surface Extraction
- Special implementation to use voxel data from ToPy as input



Demo

Projection and Parametrization

- Points from finer grid are projected to quads of the coarser grid
- Parameters *u* and *v* are found for each quad
- This information is needed for the algorithms in the last part of the pipeline



Contents

B–Spline

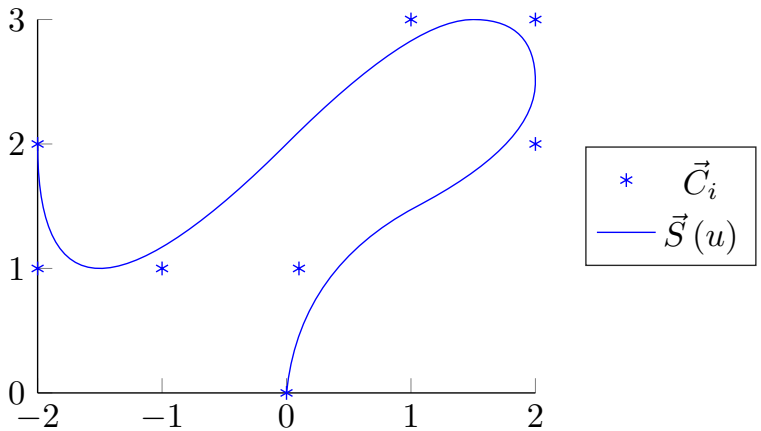
$$\vec{S}(u,v) = \sum_{i,j=1}^{n,m} \vec{C}_{i,j} N_i^p(u) N_j^p(v),$$

where p – degree of the B–Spline surface and n, m – number of control points in each direction.

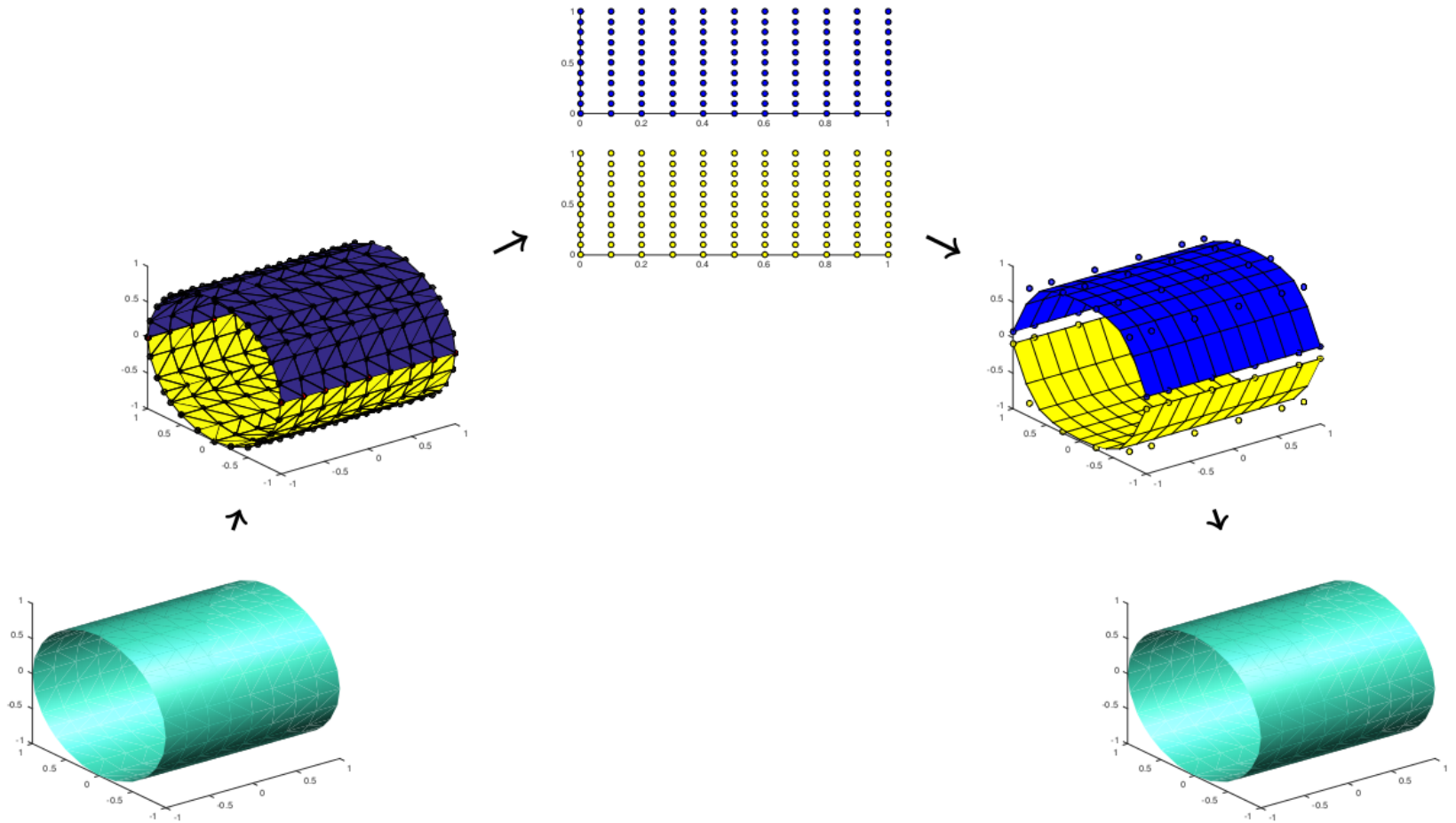
B–Splines

- offer great flexibility for handling arbitrary shapes
- are CAD–standard

Engineers are working with CAD



B–Spline Fitting Pipeline [2]



Status

Last milestone

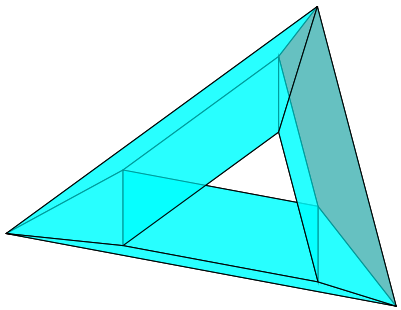
- ✗ Automatic patch selection
- ✗ Parametrization of obtained patches
- ✓ B–spline fitting using least squares
- 🕐 Smooth connection of patches
- ✗ Conversion back to CAD

Today

- ✓ Automatic patch selection – moved to the surface extraction part
- ✓ Parametrization of obtained patches – moved to the surface extraction part
- ✓ B–spline fitting using least squares – modified
- ✓ Smooth connection of patches
- ✗ Conversion back to CAD

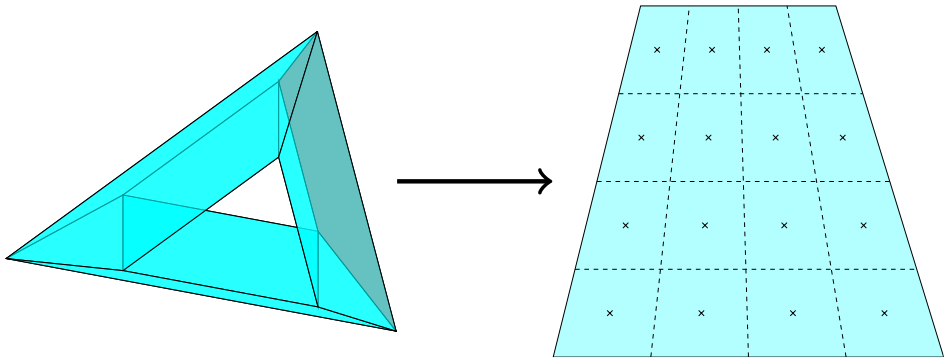
Long way to smoothness – Peter's scheme

Control mesh



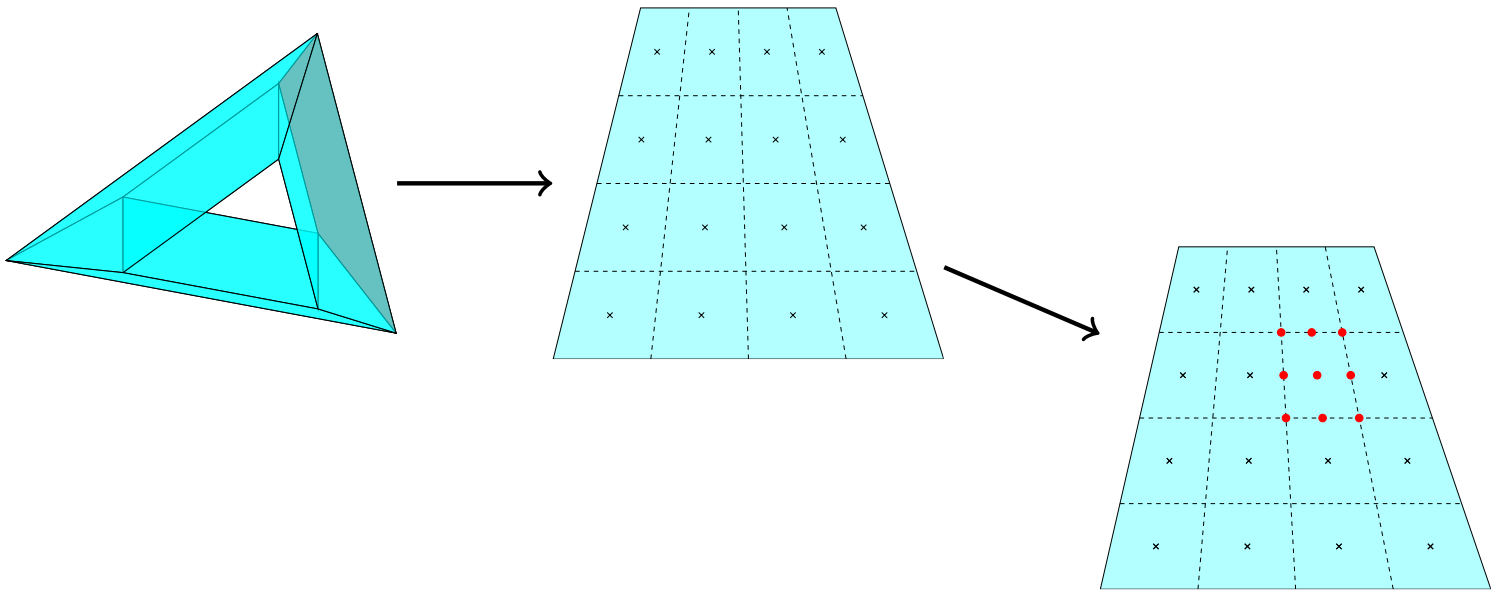
Long way to smoothness – Peter's scheme

Refined control mesh



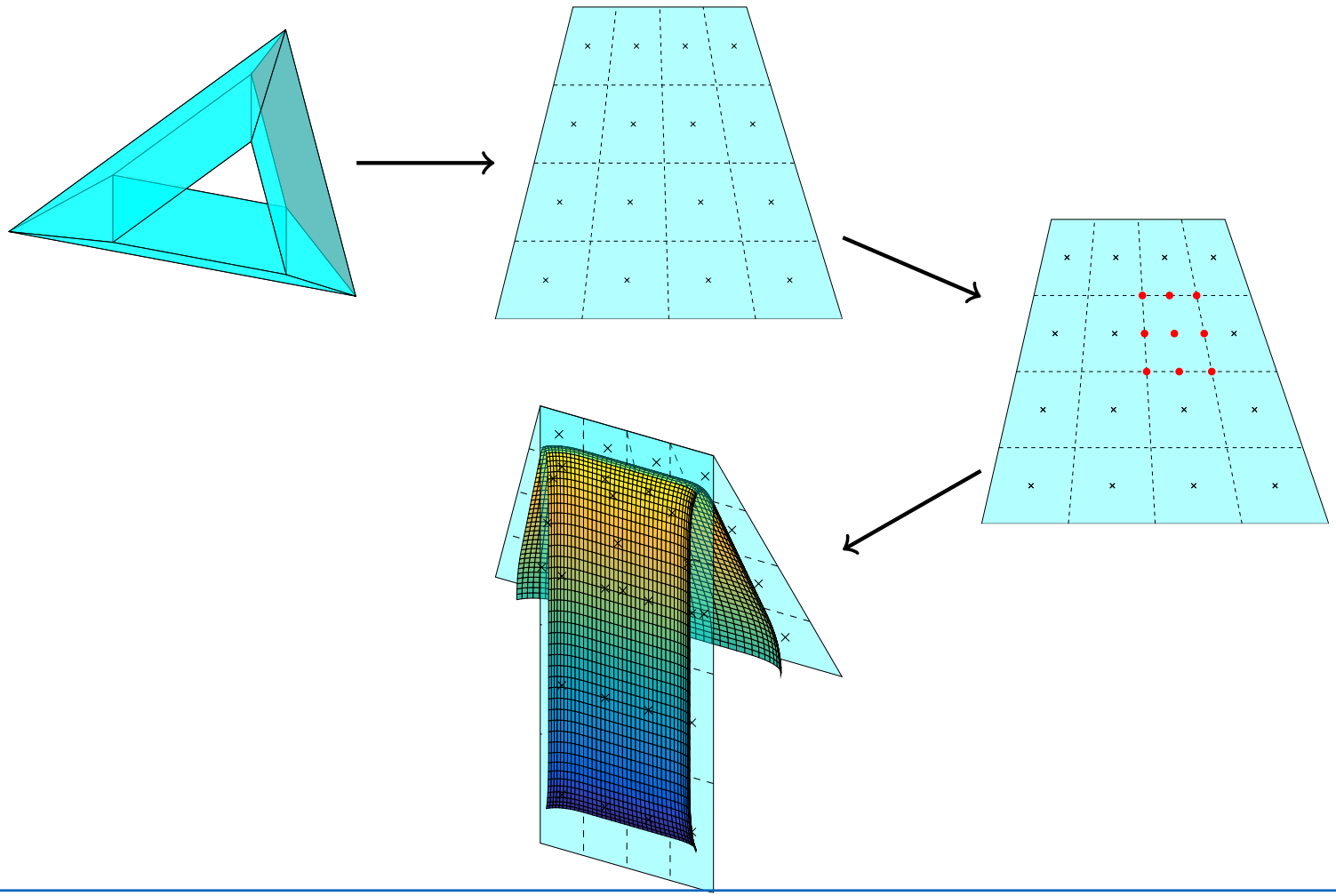
Long way to smoothness – Peter's scheme

Bezier control points



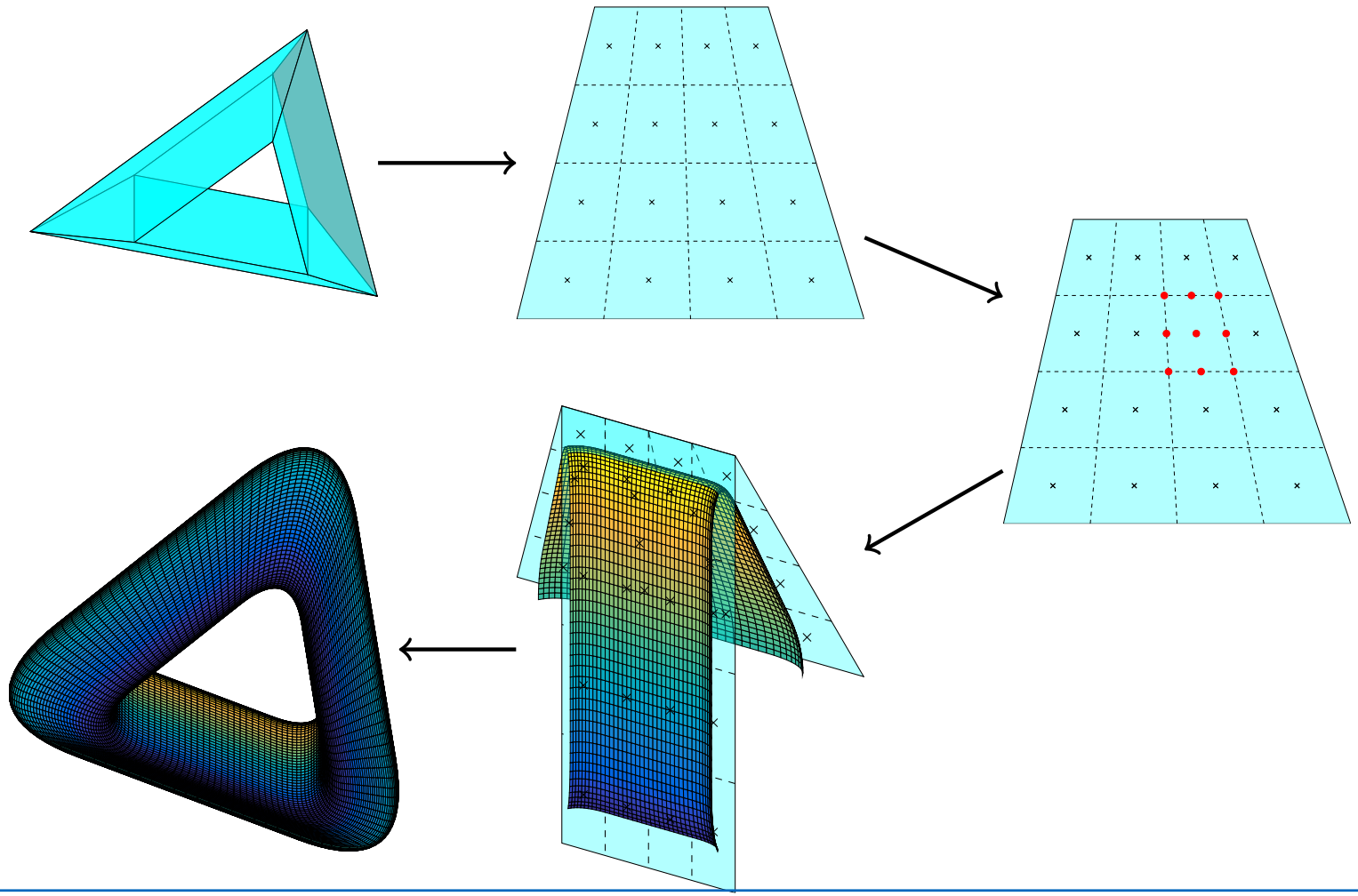
Long way to smoothness – Peter's scheme

B-Spline patch



Long way to smoothness – Peter's scheme

Peters' surface



Long way to smoothness

Main ideas

- Use the mesh obtained from Dual Contouring as a *control mesh*
- Modify the fitting step to take advantage of the **Peters' scheme**

$$\downarrow$$

$$E_{dist}(V_x) = \sum_{i=1}^{N} \| P_i - y_i V_x \|_2^2 \rightarrow min,$$

y_i - coefficients obtained from the Peters' scheme theory.

Long way to smoothness

Main ideas

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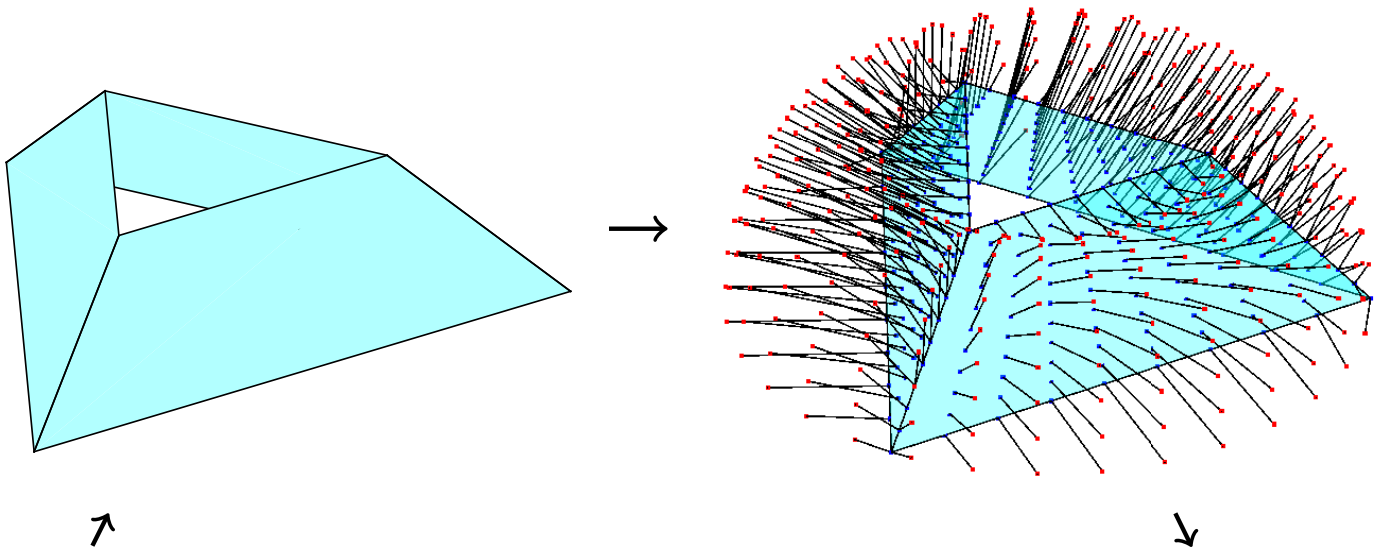
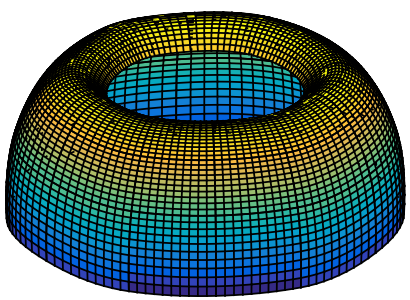
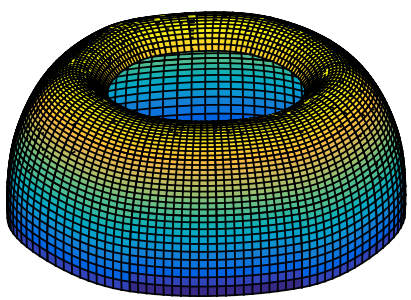
What is achieved?

- Smoothness of the fitted surface is now guaranteed by construction
- Fitting of more complex shapes achieved

Improved pipeline[3]

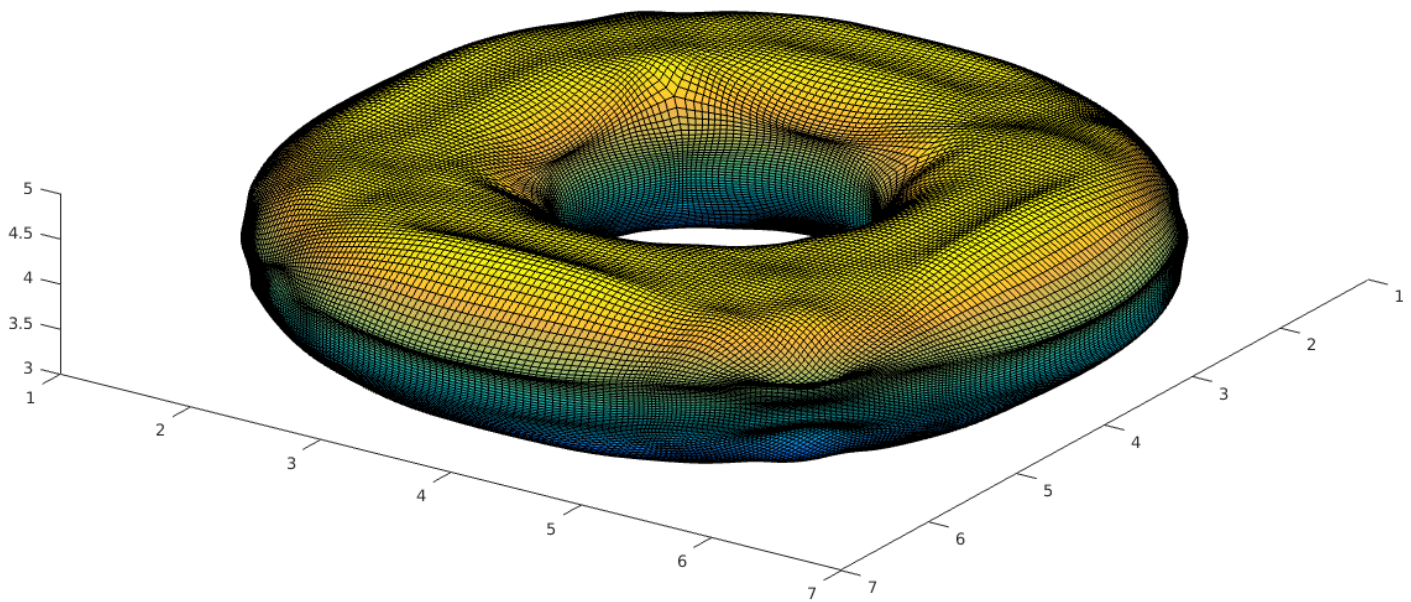






Possible optimizations

- Introduction of the *fairness functional* in order to deal with more complex shapes
- Implementation of the *adaptive refinement* in order to control a maximum error tolerance
- Implementation of the *parameter correction* for the improved pipeline



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What is done? What is next?

- Topology Optimization
  - ✓ Pipeline from CAD model to optimized voxel model
  - ✓ User input of boundary conditions
  - 🕒 Support for complex geometries
  - ✗ GUI for user interaction

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  - ✓ Dual Contouring for simple geometries
  - ✓ Provide necessary data for Surface Fitting
  - 🕐 Interfaces
  - ✗ Adaptive and topology safe Dual Contouring

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- Surface Fitting
  - ✓ B–spline fitting using least squares
  - ✓ Smooth connection of patches using Peters' scheme
  - ✗ Conversion back to CAD

Remaining questions

Python

- ⊖ First part of the pipeline is in C++
- ⊕ Second part of the pipeline is now in Python
- ⊕ Easy to port from the original MATLAB prototypes

C++

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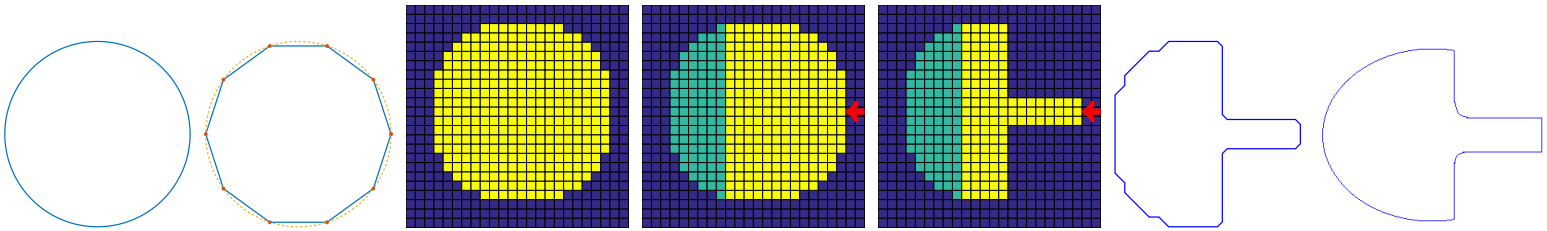
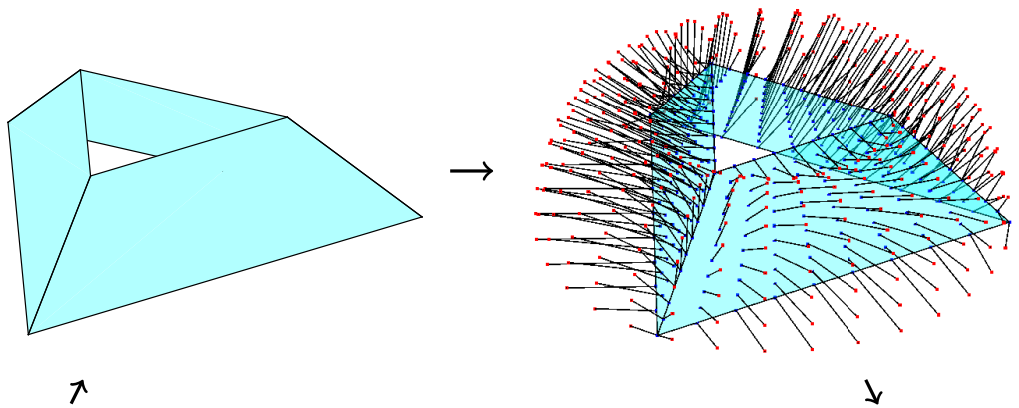
ToPy Problem

- ⊕ Current implementation is using ToPy
- ⊖ ToPy is not available any more!

Thank you for your attention!





Literature

1. **William Hunter.** ”Predominantly solid-void three-dimensional topology optimisation using open source software”
2. **Gerrit Becker, Michael Schäfer, Antony Jameson.** ”An advanced NURBS fitting procedure for post-processing of grid-based shape optimizations”
3. **Matthias Eck, Hugues Hoppe.** ”Automatic Reconstruction of B-Spline Surfaces of Arbitrary Topological Type”
4. **Greg Turk, Marc Levoy** ”Stanford Bunny”
5. **Tao Ju, Frank Losasso, Scott Schaefer, Joe Warren.** ”Dual contouring of hermite data”

Projection and Parametrization on arbitrary quads

1. find least squares plane approximating quad

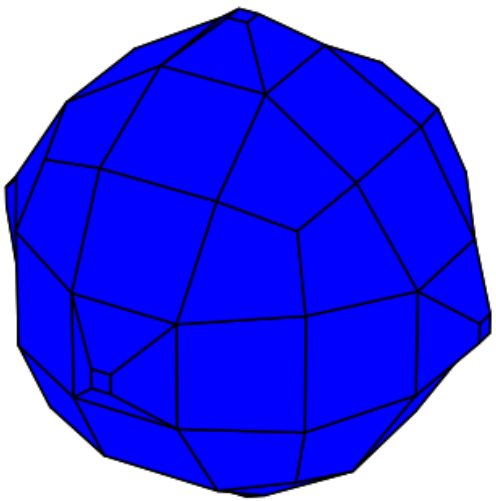


Figure : DC sphere

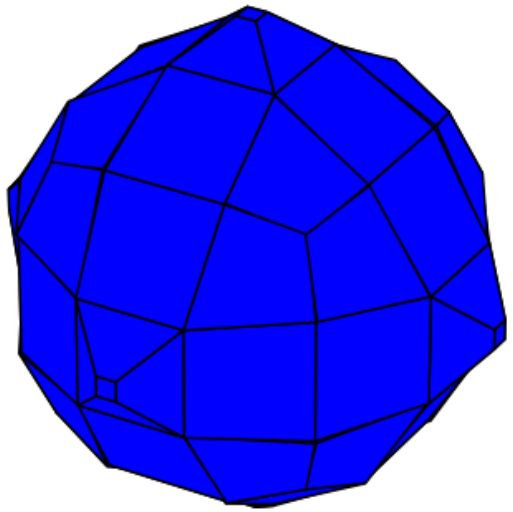
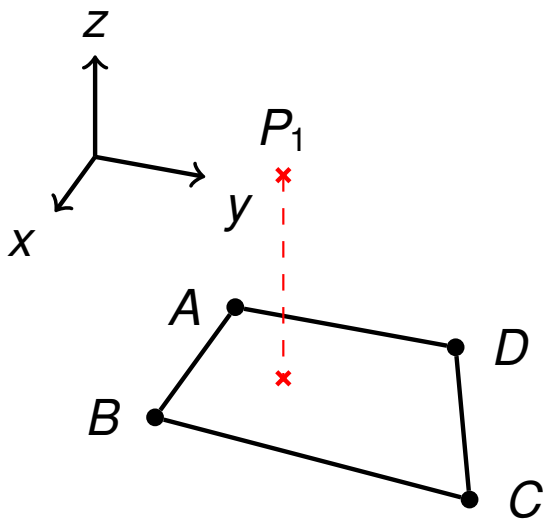


Figure : with plane quads

Projection and Parametrization on arbitrary quads

1. find least squares plane approximating quad
2. projection of datapoint onto plane



Coordinate transformation

system with basis

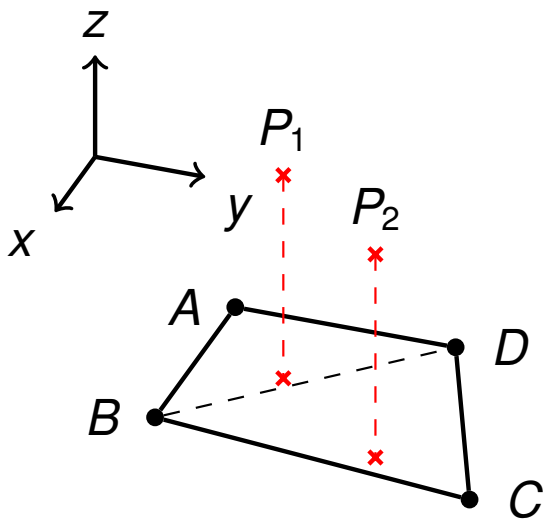
$$B_{BAD} = \begin{pmatrix} \vec{n} & \vec{AB} & \vec{AD} \end{pmatrix}$$

yields

$$(B_{BAD})^{-1} P_1 = \begin{pmatrix} d & u & v \end{pmatrix}^T$$

Projection and Parametrization on arbitrary quads

1. find least squares plane approximating quad
2. projection of datapoint onto plane
3. find corresponding parameters $[u, v] \in [0, 1]^2$



Problem:

- ✓ for P_1: $(u, v) = (0.5, 0.4)$
- ✗ for P_2: $(u, v) = (1, 1)$

Solution:

1. if we get $u + v > 1$
2. use B_{BCD} instead of B_{BAD}
3. set $u = 1 - u$, $v = 1 - v$