Count digits in a factorial - Using

Kamenetsky's formula

$$egin{aligned} d(n!) &= log 10 ((n/e)^n * \sqrt{2*pi*n} \;) \ \\ d(n!) &= log 10 ((n/e)^n) + log 10 (\sqrt{2*pi*n} \;) \ \\ d(n!) &= log 10 ((n/e)^n) + (1/2) * log 10 (2*pi*n) \ \\ d(n!) &= log 10 ((n/e)^n) + (log 10 (2*pi*n))/2 \end{aligned}$$

It approximates the number of digits in a factorial by : $f(x) = log10(((n/e)^n) * sqrt(2*pi*n))$

Thus, we can pretty easily use the property of logarithms to, $f(x) = n^* \log 10((n/e)) + \log 10(2*pi*n)/2$