

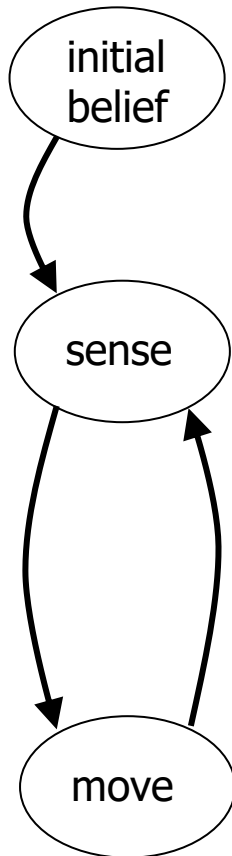
Lecture 03

SmartPhone Sensing

First assignment

- Confusion matrices
- Picture of App
- 2 page, please!
 - Don't explain things that were already explained in class.
- Code must be on phone!

Recap

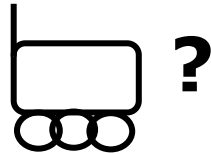
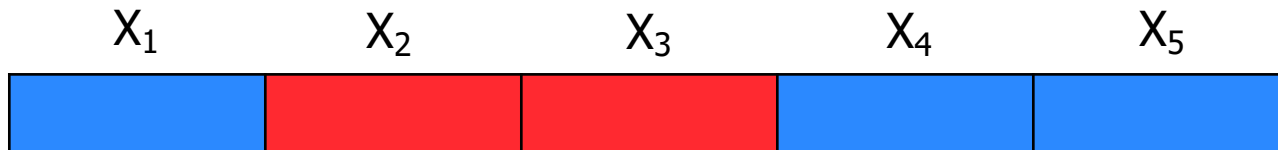


$$\begin{array}{lcl} \text{current pdf} & & \text{perception model} \quad \text{pdf from last time step} \\ \text{(\textbf{posterior})} & & \text{(sense)} \quad \text{(prior)} \\ p(X_k | Z_{1:k}) = & \frac{p(Z_k | X_k) \quad p(X_k | Z_{1:k-1})}{p(Z_k | Z_{1:k-1})} \\ & \text{normalization} \end{array}$$

$$\begin{array}{lcl} \text{current pdf} & & \text{motion model} \quad \text{pdf from last time step} \\ \text{(\textbf{posterior})} & & \text{(move)} \quad \text{(prior)} \\ p(X_k | Z_{1:k-1}) = & \int p(X_k | X_{k-1}) \quad p(X_{k-1} | Z_{1:k-1}) dX_{k-1} \end{array}$$

Initial belief

a robot *has a map* of the grid below, but it doesn't know where it is, what is its initial belief?



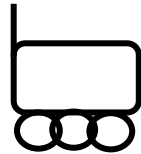
Sense

perception model

$$p(z=\text{"red"} \mid X_i \text{ is "red"}) = 0.6 \quad p(z=\text{"blue"} \mid X_i \text{ is "blue"}) = 0.8$$

$$p(z=\text{"blue"} \mid X_i \text{ is "red"}) = 0.4 \quad p(z=\text{"red"} \mid X_i \text{ is "blue"}) = 0.2$$

X_1	X_2	X_3	X_4	X_5
0.2	0.2	0.2	0.2	0.2



Exercise: 'Xi' represents cell i.
'z' is the sensing measurement

Question: the observation z is "red",
what is the new belief?

Sense

perception model

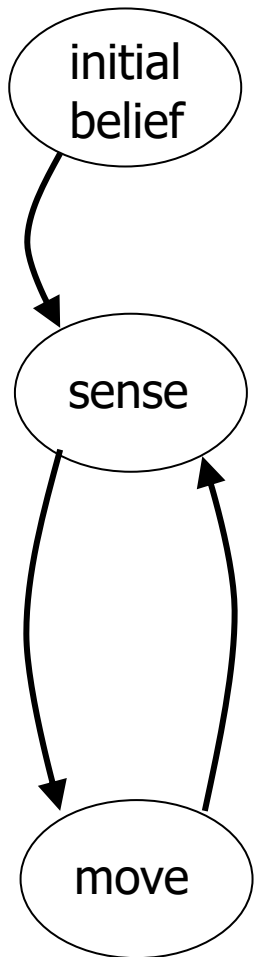
$$\begin{aligned} p(z=\text{"red"} \mid X_i \text{ is "red"}) &= 0.6 & p(z=\text{"blue"} \mid X_i \text{ is "blue"}) &= 0.8 \\ p(z=\text{"blue"} \mid X_i \text{ is "red"}) &= 0.4 & p(z=\text{"red"} \mid X_i \text{ is "blue"}) &= 0.2 \end{aligned}$$

0.2	0.2	0.2	0.2	0.2	$p(x)$ [prior]
0.2	0.6	0.6	0.2	0.2	$p(z x)$
0.04	0.12	0.12	0.04	0.04	$p(z x)*p(x)$
0.04/0.36	0.12/0.36	0.12/0.36	0.04/0.36	0.04/0.36	normalize
1/9	1/3	1/3	1/9	1/9	$p(x)$ [posterior]

$$\begin{aligned} \text{current pdf} & & \text{perception model} & & \text{pdf from last time step} \\ \text{(posterior)} & & \text{(sense)} & & \text{(prior)} \\ p(X_k \mid Z_{1:k}) &= & \frac{p(Z_k \mid X_k) \quad p(X_k \mid Z_{1:k-1})}{p(Z_k \mid Z_{1:k-1})} \\ & & \text{normalization} & & \end{aligned}$$

You need a good training phase to build your "perception model"
This is key!

Now let's look at the movement part



$$\begin{array}{lll} \text{current pdf} & \text{motion model} & \text{pdf from last time step} \\ \text{(\textbf{posterior})} & \text{(move)} & \text{(prior)} \\ p(\mathcal{X}_i^t \mid \mathcal{X}_j^{t-1}) = & \Sigma & p(\mathcal{X}_i \mid \mathcal{X}_j) \quad p(\mathcal{X}_j^{t-1}) \end{array}$$

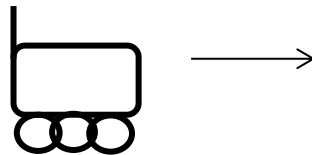
Movement Model

movement model

$$p(X_i \mid X_i) = 0.1$$

$$p(X_{i+1} \mid X_i) = 0.8$$

$$p(X_{i+2} \mid X_i) = 0.1$$



Exercise: the robot is moving right, what is the new distribution?

Move

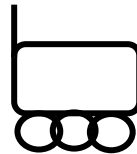
movement model

$$p(X_i \mid X_i) = 0.1$$

$$p(X_{i+1} \mid X_i) = 0.8$$

$$p(X_{i+2} \mid X_i) = 0.1$$

X1	X2	X3	X4	X5
0	0.5	0.5	0	0
0	0.05	0.45	0.45	0.05



When using RF, you don't want to see people teletransporting in your localization app. Movements models (any model) help a ton!

Congratulations

you can now do discrete localization!!!

let's see how this can be used with phones

Paper 1: The Horus WLAN Location Determination System

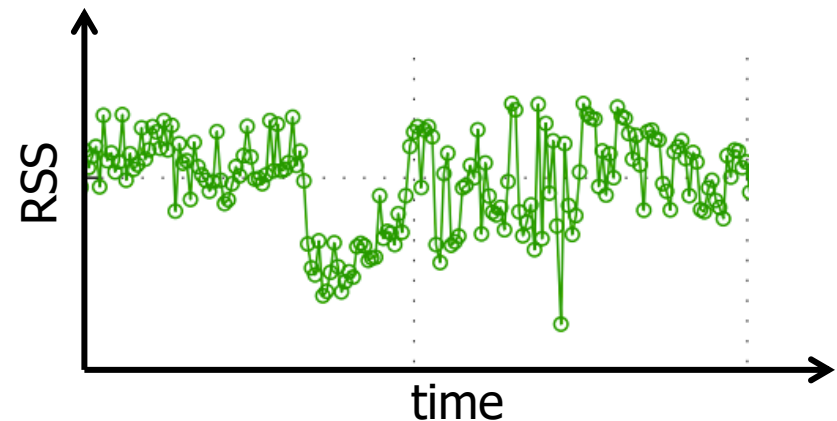
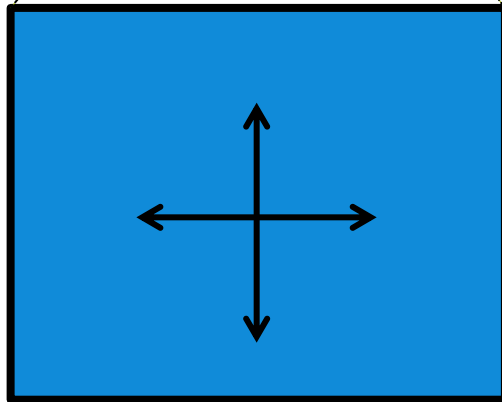
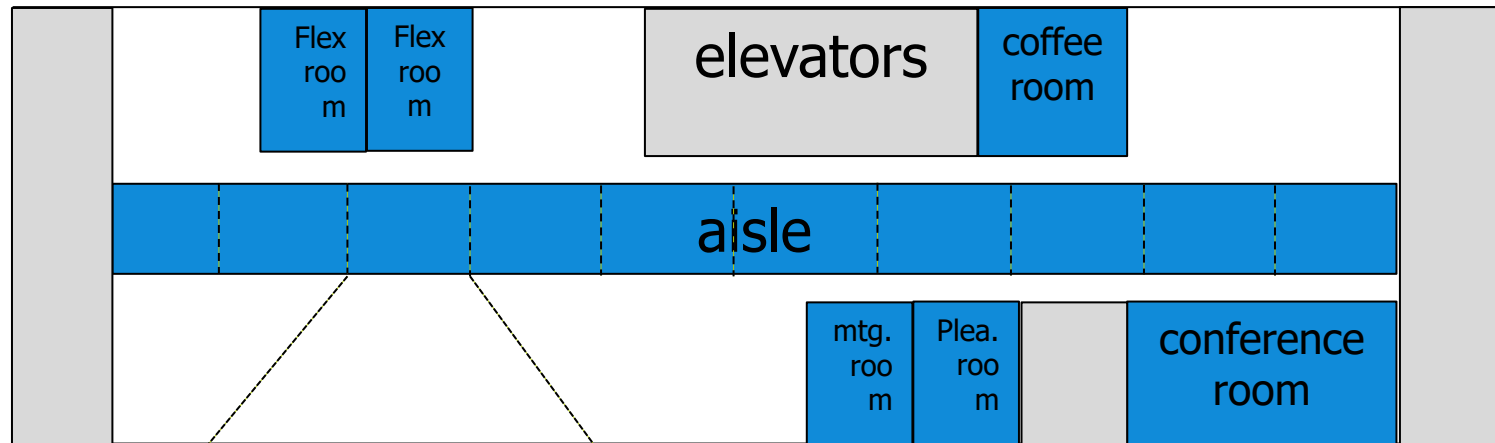
http://www.cs.umd.edu/~moustafa/papers/horus_usenix.pdf

**Paper2: Practical Robust Localization over Large-Scale 802.11
Wireless Networks**

<http://www.kavrakilab.rice.edu/sites/default/files/mobicom2004.pdf>

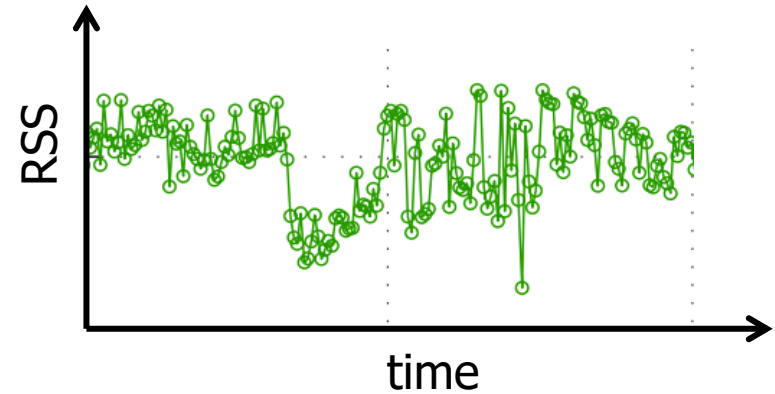
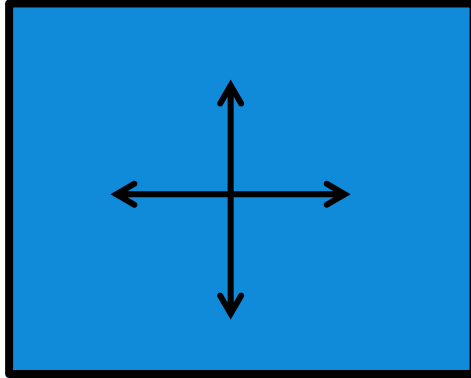
STEP BY STEP: BAYESIAN LOCALIZATION

Step 1) Get RSS signals for each cell



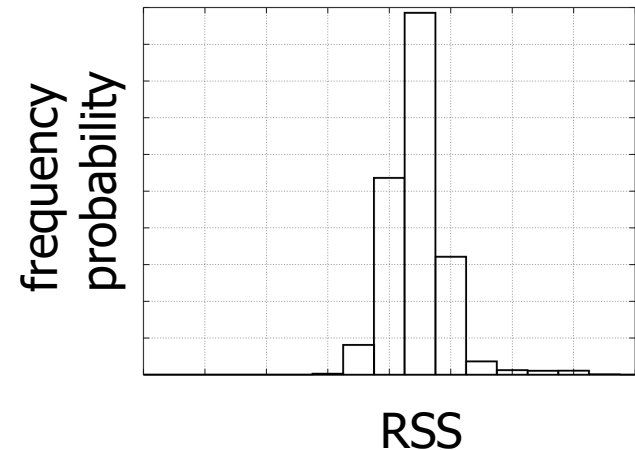
position yourself in the center of each cell to gather RSS data

Step 2) Process signal & get histogram

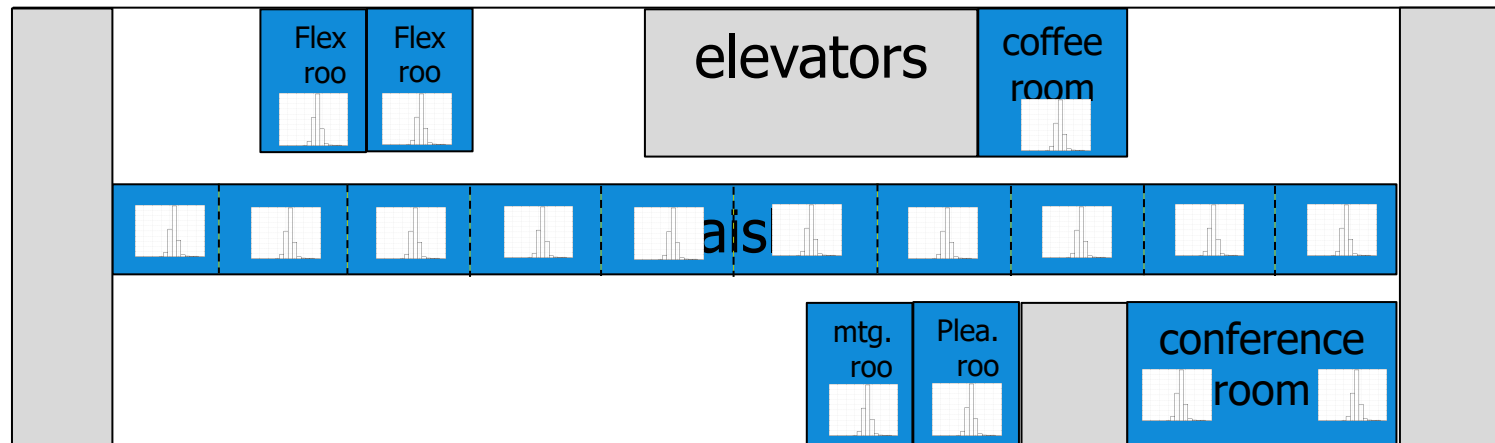


Sub-steps:

- 2.1) filter signal
- 2.2) get features (**RSS or avg RSS**)
- 2.3) get histogram
- 2.4) get pmf

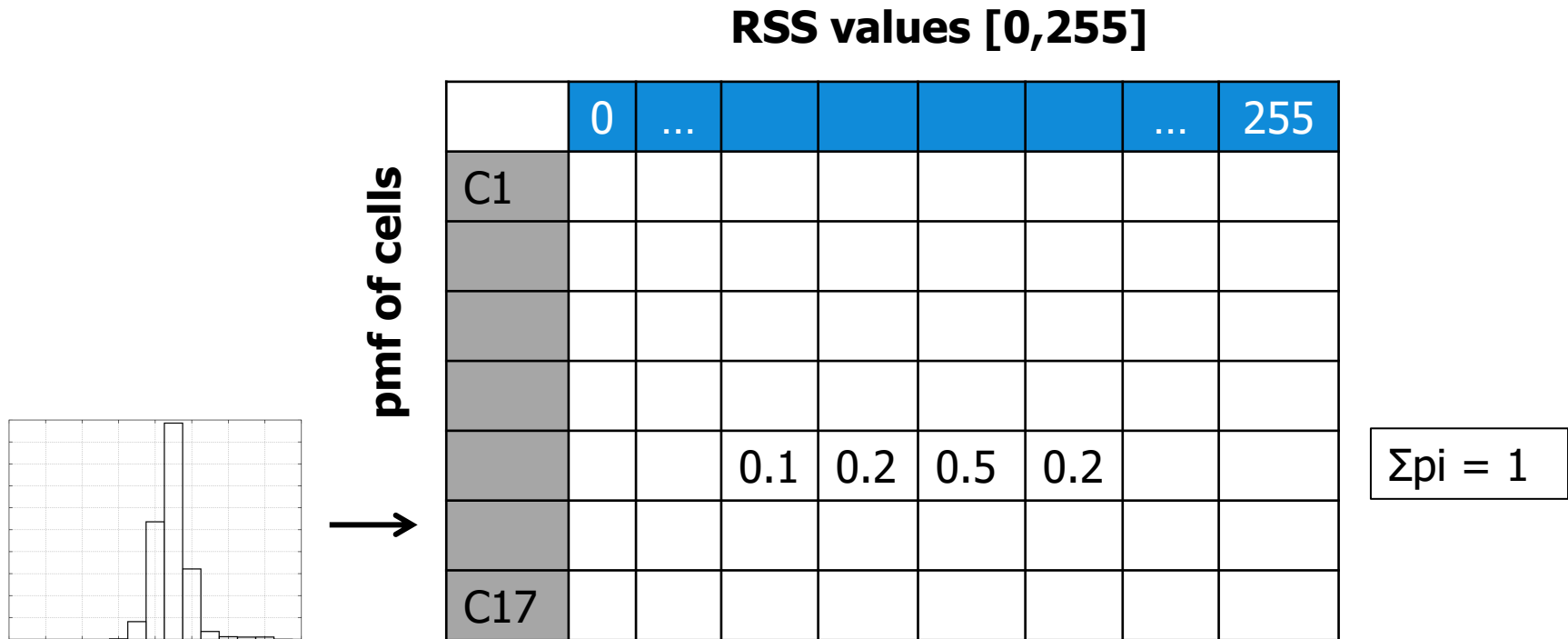


Radio Map



- Each cell has now a probability mass function (pmf)
- The higher the difference among pmf's the better
- Notice that the big room has two cells.

Step 3) Store data in phone



one table per access point

localization won't be trained on the spot

Considering the table below and given that a user measures an rss value of r , where is the user more likely to be?

RSS values [0,255]

	...	r-2	r-1	r	r+1	r+2	r+3	...
pmf of cells								
C1		0.3	0.4	0.2	0.1			
C2		0.1	0.2	0.4	0.2	0.1		
C3			0.5		0.5			
C4			0.2	0.6	0.2			
C5			0.1	0.2	0.5	0.2		
C6				0.3	0.4	0.3		
C7			1.0					

one table per access point

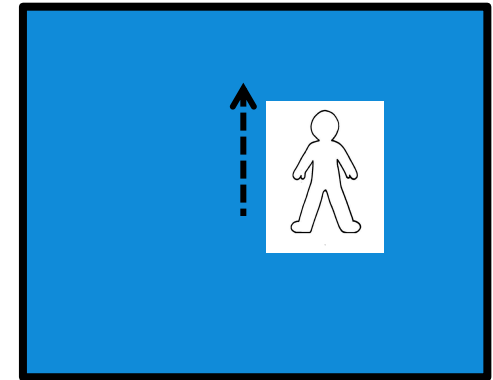
$\sum p_i = 1$

localization won't be trained on the spot

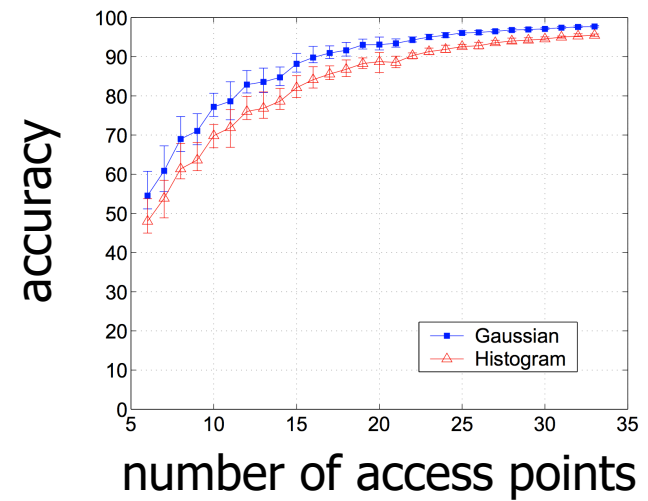
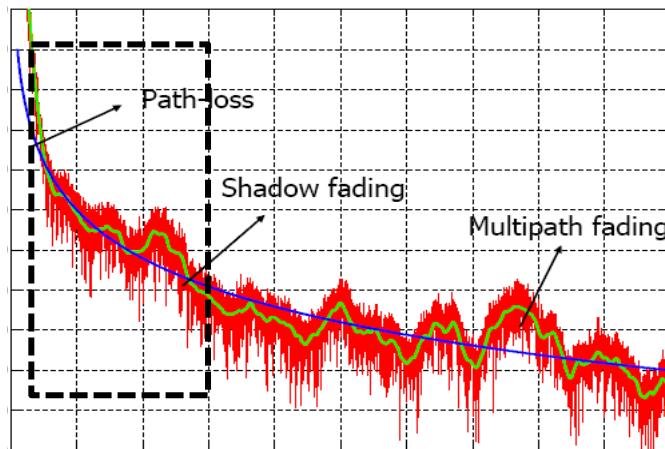
We have the radio map in the phone ...
now, let's localize

Step 4) Get testing data

- Start with initial belief
- Do WiFi scan
- Sort Access Points in decreasing order based on RSS
- Choose highest RSS, then second, etc



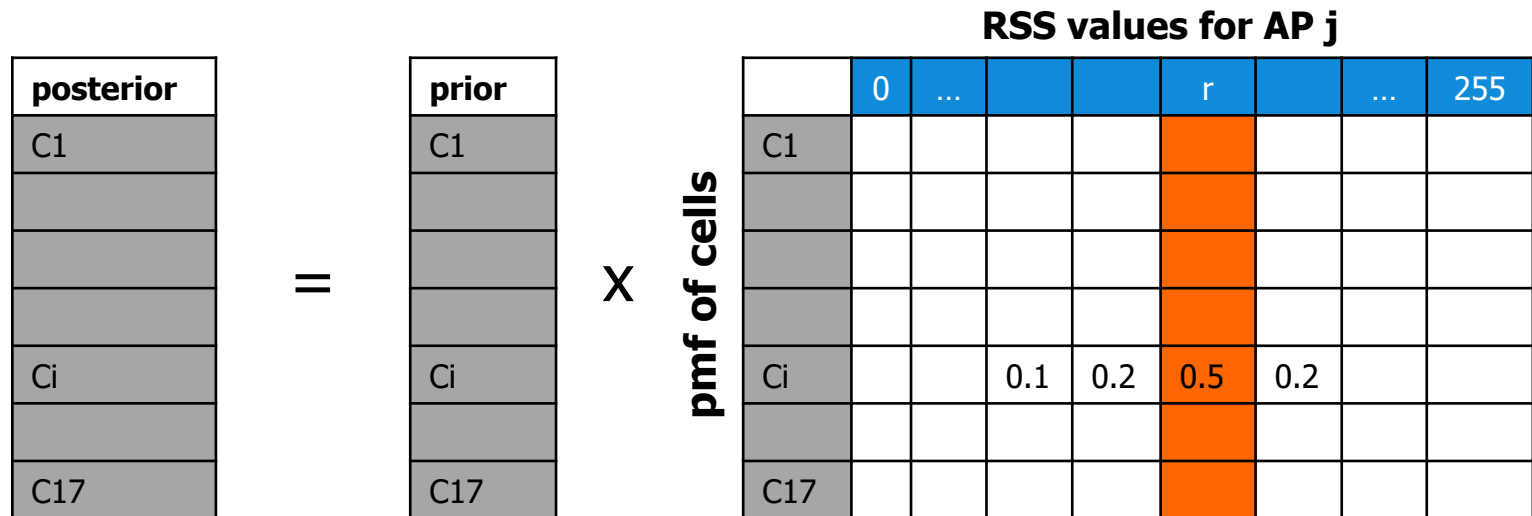
We will test only one direction



Step 5) Apply Bayes

probability I am in cell i given that I got an RSS measurement r from access point j :

$$p(\text{cell}_i / \text{rss}_j^r) = p(\text{cell}_i) p(\text{rss}_j^r / \text{cell}_i) / p(\text{rss}_j^r)$$



don't forget to normalize!

Step 6) When to stop iterations?

Step 6) When to stop iterations?

- No clear answer
- At every step you can update *prior* with
 - data from other access points
 - new scans
- Stop when you
 - pass a threshold: say 0.95
 - reach 'steady state': oscillation around a max p