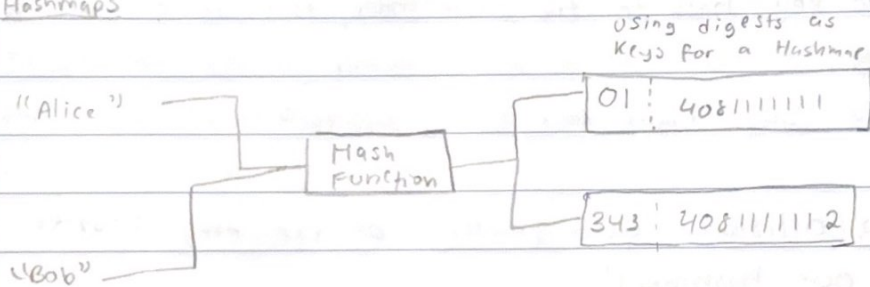


Hashing

Hashing is the process of converting data into a [usually] fixed-length output.

Data is converted into these fixed-length values, or hash values, by using a special function called a hash function.

Hashmaps



01: "408111111" - Alice phone

343: "408111112" - Bob phone

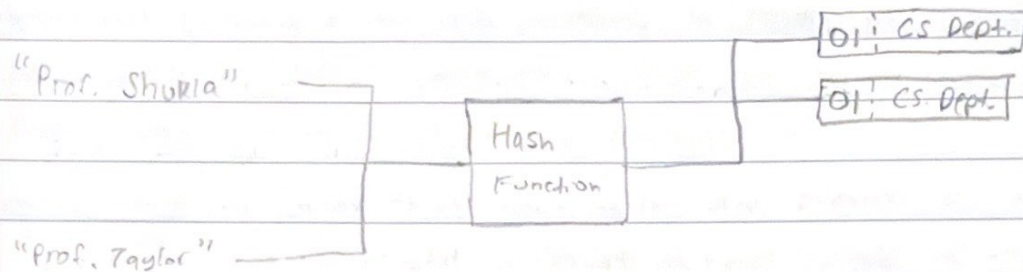
Hash Functions

Hash Functions are not all made equal.

An ideal function should be:

- Be efficiently computable
- Uniformly distribute the keys
- Should MINIMIZE collisions!

Hashmap Collisions



When two keys hash to the same index, this is called a COLLISION!

- but why would this be a problem?

→ Collisions cause problems because they clutter our hashmaps!

ex: ID # vs. People with Name like Sam

We definitely want to avoid collisions, but sometimes they are unavoidable

Ways to deal with Collisions:

- Linear Probing
- Quadratic probing
- Separate chaining
- Double Hashing

$$x \bmod y \equiv \frac{x}{y} \equiv \text{Remainder}$$

$$y \overline{)x}$$

Linear probing

Strategy: ① Use a Hash function to find the index for a key.

② If that spot contains a value, use the next available spot "a higher index"

If you reach the end of the array, go back to the front.

Ex: Insert the following numbers into a hash table of size 5 using the hash functions $H(\text{key}) = \text{key} \bmod 5$. Show the result when collisions are resolved.

Numbers: 10, 11, 12, 15

10	11	12	15	
0	1	2	3	4

Index

$$H(10) = 10 \bmod 5 = 0$$

$$H(11) = 11 \bmod 5 = 1$$

$$H(12) = 12 \bmod 5 = 2$$

$$H(15) = 15 \bmod 5 = 0$$

So since $H(15)$ is also at a index of 0, like $H(10)$ previously done before, So, we will go to the next available index, which in our case is @ index 3.