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Constraint → | y; - wTxi | ≤ € + &i

Means data points should be under marginal planes.
But in neal world scenario data points can be outside of marginal points.

Find plane and bFT

Sum

Sistence of a

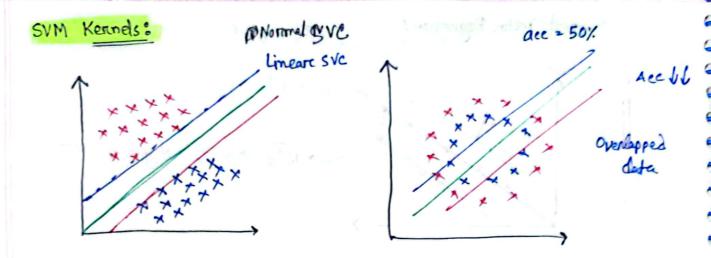
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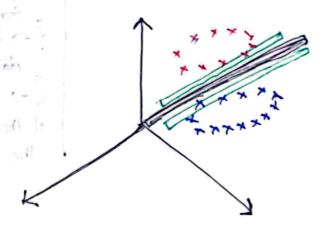
Sum of the distance of the data points with the marginal plane.



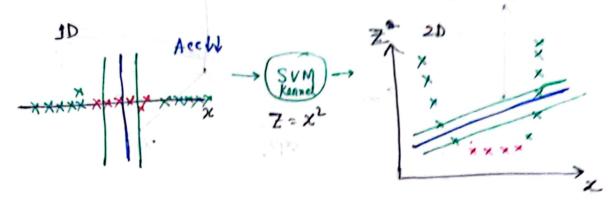
If obta orientation is like right chant, the linear SVC won't be able make the best fit model. It would eneate low accuracy model. So we have to use svM Kennels to solve this problem.

What SVM Kennel do?

-> SVM Kormel take the 2D Data, and by applying mathematical formular it changes the 2D teatures into 3D teatures where we can actually seperate the overlapped data by marginal hyperplane



Another example: Suppose ap Data ovarlapped in a single axis



So, we can see that 8VM kennels help data to separate from each others by creating new dimensions.

There are three types of SVM Konnels:

- 1 Polynomial Kannel
 - 2 RBF Kennel
 - 3 Sigmoid Kennel

Polynomial Kernel : 1 this land all about it said williams

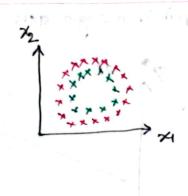
Transfortmation is happening through this mouth formula ->

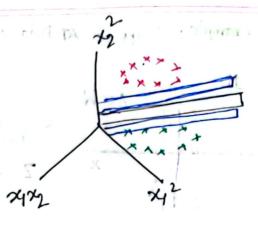
$$f(xy) = (xy + e)^{d} \qquad x = [x_1,x_2] \text{ (one data point)}$$

$$\begin{bmatrix} x_1 \\ x_2 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} \qquad 0 = \text{constant } (1,2,3,...)$$

$$d = \text{degrae of polynomial}$$

$$= \begin{bmatrix} x_1^2 & x_1x_2 \\ x_1x_2 & x_2^2 \end{bmatrix} \qquad (3 \text{ units e values})$$





RBF Kennel: (Radial Basis Function Rennel)

$$K(x,x') = \exp\left(-\frac{||x-x'||^2}{2\sigma^2}\right)$$
 squared Eu

Squared Eucledian stenes mus propped one there if som Kennels

T: free parameter

Sigmoid Kennels
$$S(x) = \frac{1}{1+e^{-x}} = \frac{e^{x}}{e^{x}+1}$$

He actually have to train the model with three of the Kennels. Then we have to check for which kennel, model provides the best accuracy. Then we can choose that kennel.