

Boosting Techniques:

Boosting Algorithms

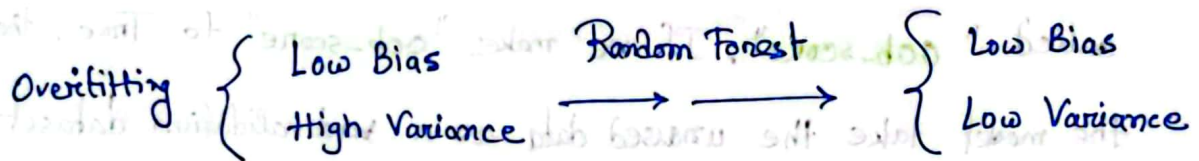
ADABOOST

Gradient Boost

Xgboost

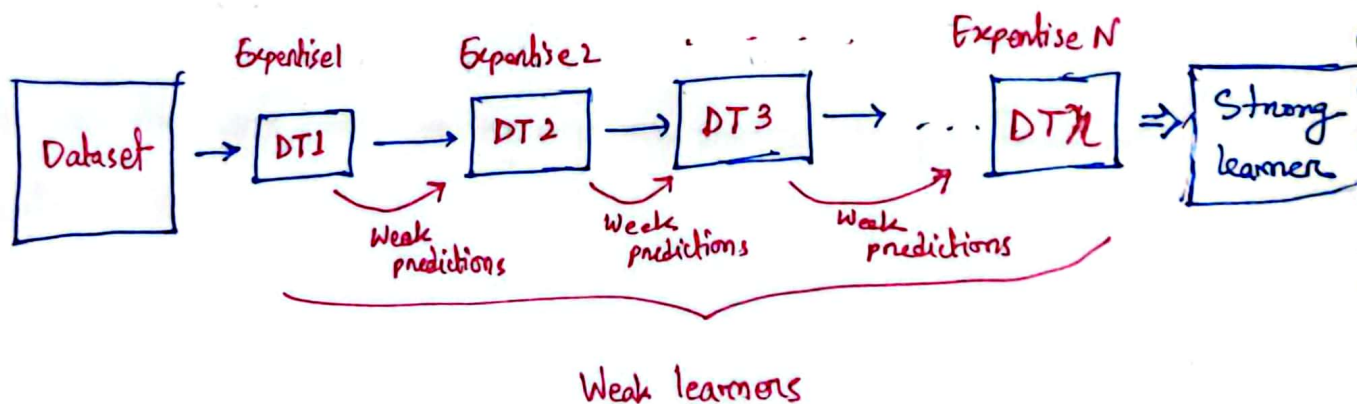
We already discussed about the overfitting issue of Decision Tree in ~~every~~ previous Bagging technique.

We saw that →



In Bagging technique, all of our decision trees were trained parallelly with sample rows and sample features.

But in "Boosting technique", decision trees are connected sequentially



In Boosting technique, training dataset goes to first decision tree model. It gets trained. Then it sends all the wrong prediction it does to the next Decision tree model (DT2). It is the weakest learner. Then DT2 get trained and it also does wrong predictions besides doing right predictions. Then it sends its wrong predicted data to the next decision tree to get trained on. This goes on and on till the n th decision tree (DT $_n$). Then combining all the models we get a final model which is called "Strong learner".

Weak learners: Haven't learned much from the training dataset.

In boosting technique, every model will provide a confidence value of how well it can predict, which is called "weight".

Boosting

$$f = \alpha_1(M_1) + \alpha_2(M_2) + \dots + \alpha_n(M_n)$$

→ Classification
→ Regression

$\{\alpha_1, \alpha_2, \alpha_3, \alpha_4, \dots, \alpha_n\} \rightarrow \text{weights (confidence)}$

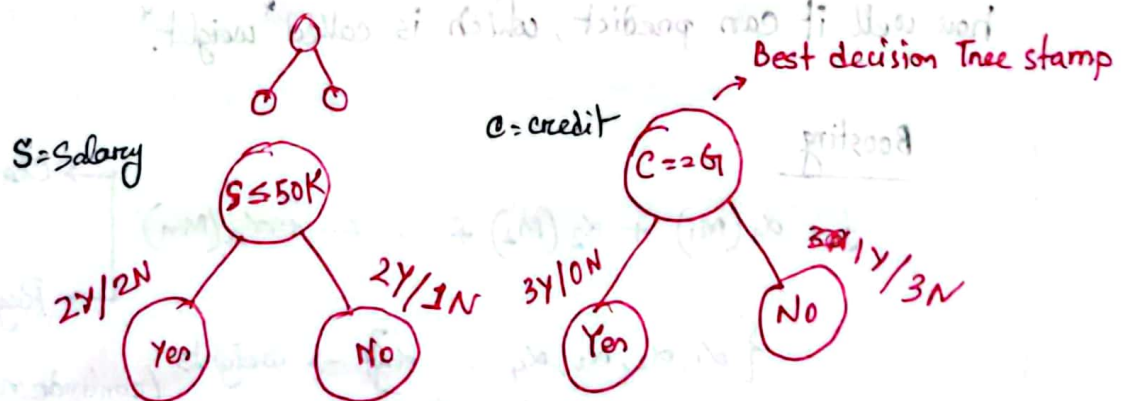
AdaBoost Classifier

Dataset

<u>Salary</u>	<u>Credit</u>	<u>Approval</u> → target
$\leq 50K$	B	No
$\leq 50K$	G	Yes
$\leq 50K$	G	Yes
$> 50K$	B	No
$> 50K$	G	Yes
$> 50K$	N	Yes
$\leq 50K$	N	No

Procedure: We create decision tree stamp and we select the best stamp.

Decision Tree stamp → 1 level of depth in the decision Tree



Select the best dt using Entropy or Gini Impurity and Info gain.

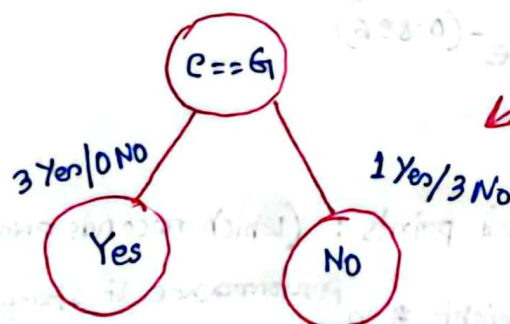
2nd step: We will assign each record a sample weight.

Salary	Credit	Approval	Sample Weight
≤ 50	B	No	$1/7$
≤ 50	G	Yes	$1/7$
≤ 50	G	Yes	$1/7$
> 50	B	No	$1/7$
> 50	G	Yes	$1/7$
> 50	N	Yes	$1/7$
≤ 50	N	No	$1/7$

(Because we have 7 records)

3rd Step: Sum of total errors and performance of stamp.

Best DT stamp



row 6 above predicting "Yes" which is wrong

(TE)

As, here 1 record is false, sum of total error_A = $1 \times 1/7$

For, n it would be = $n \times 1/7$

Performance of stamp:

$$\frac{1}{2} \ln \left[\frac{1 - TE}{TE} \right]$$

For above case

$$= \frac{1}{2} \ln \left[\frac{1 - 1/7}{1/7} \right] = \frac{1}{2} \ln[6] \approx 0.896$$

Our Ada boost formula was \rightarrow

$$f = \alpha_1(M_1) + \alpha_2(M_2) + \dots + \alpha_n(M_n)$$

M_1 = This would be our Best DT stamp

α_1 = performance of stamp = weights = 0.896

4th step: Update the weights for correctly or incorrectly classified points.

For correctly classified points:

$$\begin{aligned} & \text{sample weight} * e^{-\text{Performance of stamp}} \\ &= 1/7 * e^{-(0.896)} \\ &= 0.058 \end{aligned}$$

For incorrectly classified points: (Which records provided wrong prediction)

$$\begin{aligned} & \text{sample weight} * e^{\text{performance of stamp}} \\ &= 1/7 * e^{0.896} \\ &= 0.349 \end{aligned}$$

Salary	Credit	Approved	Sample weight	Updated weight
$\leq 50K$	B	No	$1/7 \downarrow$	0.058
$\leq 50K$	G	Yes	$1/7 \downarrow$	0.058
$\leq 50K$	G	Yes	$1/7 \downarrow$	0.058
$> 50K$	B	No	$1/7 \downarrow$	0.058
$> 50K$	G	Yes	$1/7 \downarrow$	0.058
$> 50K$	N	Yes	$1/7 \uparrow \uparrow$	0.349
$\leq 50K$	N	No	$1/7 \downarrow$	0.058

5th step: Normalize weights computation and assigning bins

Updated weights / \sum Updated Weights

Salary	Credit	Approval	Sample Updated Weights	Not Updated Weights	Normalized Weight	Bins
$\leq 50K$	B	No	$1/7 \downarrow$	0.058	0.083	0 - 0.083
$\leq 50K$	G	Yes	$1/7 \downarrow$	0.058	0.083	0.083 - 0.166
$\leq 50K$	G	Yes	$1/7 \downarrow$	0.058	0.083	0.166 - 0.249
$> 50K$	B	No	$1/7 \downarrow$	0.058	0.083	0.249 - 0.322
$> 50K$	G	Yes	$1/7 \downarrow$	0.058	0.083	0.322 - 0.405
$> 50K$	N	Yes	$1/7 \uparrow \uparrow$	0.349	0.500	0.405 - 0.905
$\leq 50K$	N	No	$1/7 \downarrow$	0.058	0.083	0.905 - 0.988

$\Sigma = 0.697$ $\Sigma = 1$

Here, we can see that, the records which provided wrong prediction, their bin sizes are larger in range than other records. So, our model will loop through the bin column and pick random records to pass on to the next decision Tree model. The probability of picking larger bin size will be in ~~proportional~~ priority. So, incorrect data are getting picked to train the next DT model.

So, the next M2 model will follow all the steps again and pass the wrong data to M3 model and so on. It continues till the n number of DT model chosen by us.

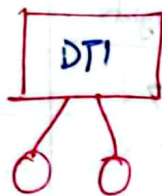
Final prediction:

Salary Credit



For any test data having ($\leq 50K, G$)

$f =$ Test data \rightarrow



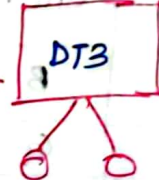
↓
Yes

$$\alpha_1 = 0.896$$



↓
No

$$\alpha_2 = 0.650$$



↓
Yes

$$\alpha_3 = 0.24$$



↓
No

$$\alpha_n = -0.30$$

$$f = 0.896(\text{Yes}) + 0.650(\text{No}) + 0.24(\text{Yes}) - 0.30(\text{No})$$

$$= 1.136(\text{Yes}) + 0.350(\text{No})$$

$$\text{Performance of say (Yes)} = 1.136$$

Yes > No

$$\text{Performance of say (No)} = 0.350$$

So, final prediction will be Yes.