

## Practical - 2

Aim: Write programs to implement the following using Divide and Conquer design Str.

Core: implement following algos. and print number of comparisons and swap/shifts for each cases

Case 1: already sorted

Case 2: reverse sorted

Case 3: random order

Algo 1: Quick Sort (take last element as pivot)

quicksort (arr[], low, high)

if (low < high)

    pi = Partition (arr, low, high);

    quicksort (arr, low, pi - 1)

    quicksort (arr, pi + 1, high)

Partition (arr[], low, high)

    pivot = arr[high]

    i = (low - 1)

    for (j = low; j <= high - 1; j++)

        if (arr[j] < pivot) {

            i++;

            swap arr[i] and arr[j]

        swap arr[i+1] and arr[high]

    return i + 1

```

Code: int partition(vector<int> &arr, int low, int high, int &swap,
               int &comp) {
    int pivot = arr[high];
    int i = low - 1;
    for (int j = low; j <= high - 1; j++) {
        swapcomp++;
        if (arr[j] < pivot) {
            i++;
            swap(arr[i], arr[j]);
            swap++;
            comp++;
        }
        swap++;
        swap(arr[i+1], arr[high]);
        return(i+1);
    }
}

```

```

Void quicksort (vector<int> &arr, int low, int high,
               int &s, int &c) {
    if (low < high) {
        int pi = partition(arr, low, high, s, c);
        quicksort(arr, low, pi-1high, s, c);
        quicksort(arr, pi+1, high, s, c);
    }
}

```



Case 1: 7, 9, 12, 13, 17

Swap  $\Rightarrow 14$

Comp  $\Rightarrow 20$

Case 2: 17, 13, 12, 9, 7

Swap  $\Rightarrow 8$

Comp  $\Rightarrow 14$

Case 3: 7, 17, 13, 9, 12

Swap  $\Rightarrow 6$

Comp  $\Rightarrow 9$

Time complexity in  
Quick sort based on  
the which pivot element  
you choose

Algo 2: Merge sort

```
void Merge(vector<int> &arr, int left, int midright, int right) {  
    int arr1 = mid - left + 1;  
    int arr2 = right - mid;  
    int * arr1 = new int[arr1];  
    int * arr2 = new int[arr2];
```

```
    for (int i = 0; i < arr1; i++)
```

```
        arr1[i] = arr[left + i];
```

```
    for (int j = 0; j < arr2; j++)
```

```
        arr2[j] = arr[mid + 1 + j];
```

```
    int idx1 = 0, idx2 = 0, midx = left;
```

```
while (idx1 < arr1 && idx2 < arr2) {  
    if (arr1[idx1] <= arr2[idx2]) {  
        arr[midx] = arr1[idx1];  
        idx1++;  
    }
```

```
    else {  
        arr[midx] = arr2[idx2];  
        idx2++;  
    }  
    midx++;  
}
```

```
while (idx1 < arr1) {  
    arr[midx] = arr1[idx1];  
    idx1++;  
    midx++;  
}
```

```
while (idx2 < arr2) {  
    arr[midx] = arr2[idx2];  
    idx2++;  
    midx++;  
}
```

```
while (idx2 < arr2) {  
    arr[midx] = arr2[idx2];  
    idx2++;  
    midx++;  
}
```

```
delete[] arr;  
delete[] arr2;
```

```
}
```



```
void mergeSort (vector<int>&arr, int arr begin,
               int, end)
```

```
    functionCall++;
```

```
    if (begin >= end)
```

```
        return;
```

```
    int mid = begin + (end - begin) / 2;
```

```
    mergeSort(arr, begin, midend);
```

```
    mergeSort(arr, mid+1, end);
```

```
    merge(arr, begin, mid, end);
```

}

Case 1: 7, 9, 12, 13, 17

Function call = 9

Case 2: 17, 13, 12, 9, 7

Function call = 9

Case 3: 7, 17, 13, 9, 12

Function call = 9

there are no comp and  
swapping in merge sort  
all we do is divide and  
combine and for that  
we creating new array.  
↳ merge sort ~~it~~ lies  
in blind sort no matter  
in which order you data  
is it always ~~at~~ take  
same time

Algo 3 : Study and implementation of maximum sub array problem.

method 1: check the all the <sup>sub array sum</sup> sum ( $O(n^2)$ )

```
int cstart = 0, end = 0; ans = INT_MIN;
int MaxSumOfSubArr (int vector<int> &v) {
    for (int i = 0; i < v.size(); i++) {
        int sum = v[i];
        if (sum > ans) {
            ans = sum;
            cstart = i;
            end = i;
        }
        for (int j = i + 1; j < v.size(); j++) {
            sum += v[j];
            if (sum > ans) {
                ans = sum;
                cstart = i;
                end = j;
            }
        }
    }
    return ans;
}
```

In: -2, 5, -3, 6, -1

Out: Sum: 8

cstart: 1

end: 3



Method 2: Divide And Conquer. ( $O(n \log n)$ )

```
int start = 0;
```

```
int end = 0;
```

```
int ans = INT_MIN;
```

```
int solver(vector<int> &v, int i, int j) {
```

```
    if (i >= j) {
```

```
        return 0;
```

```
    }
```

```
    int mid = i + (j - i) / 2; // finding the mid
```

```
    // going in left subarray include mid in the
```

```
    int s1 = solver(v, i, mid);
```

```
    // going in Right subarray,
```

```
    int s2 = solver(v, mid + 1, j);
```

```
    int s31 = INT_MIN; // finding s3
```

```
    int s32 = INT_MIN;
```

```
    int l = mid;
```

```
    int sum = 0;
```

```
    for (int k = mid; k >= i; k--) {
```

```
        sum += v[k];
```

```
        s31 = max(s31, sum);
```

```
        if (sum == s31) {
```

```
            l = k;
```

```
        }
```

```
    }
```

```

sum = 0;
int k = mid;
int For (int k = mid + 1, k <= j, k++) {
    sum += v[k];
    s3 = max(s3, sum);
    if (sum == s3) {
    k = j;
        k = k;
    }
}

```

```

int s3 = s31 + s32;
if (s1 > ans && s1 > s2 && s1 > s3) {
    start = i; // finding starting point
    end = mid; // finding ending point
}
else if (s2 > ans && s2 > s1 && s2 > s3) {
    start = mid + 1;
    end = j;
}
else if (s3 > ans && s3 > s1 && s3 > s2) {
    start = i;
    end = j;
}
return ans = max(max(s1, s2), s3);
}

```

In: 120000, 41, 61, -12, -5312, 14141, -70  
 Sum: 128919, start = 0, end = 5