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Script Information

```
% ME112 HW 4

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% Date: 2024/04/09
```

```
clear; close all; clc;

% Problem 1a

A = [2 1; 3 -9];

b = [5; 7];

x = A\b; % Solve for x using matrix inversion
disp('1.a:');

fprintf('x = %.6f, y = %.6f\n', x(1), x(2));

% b

A = [-8 -5; -2 7];

b = [4; 10];

x = A\b;
disp('1.b:');
fprintf('x = %.6f, y = %.6f\n', x(1), x(2));
```

```
% c
A = [12 -5 0; -3 4 7; 6 2 3];
b = [11; -3; 22];
x = A \ ;
disp('1.c:');
fprintf('x = \%.6f, y = \%.6f, x3 = \%.6f\n', x(1), x(2), x(3));
% d
A = [6 -3 4; 12 5 -7; -5 2 6];
b = [41; -26; 16];
x = A \b;
disp('1.d:');
fprintf('x = \%.6f, y = \%.6f, x3 = \%.6f\n', x(1), x(2), x(3));
1.a:
x = 2.476190, y = 0.047619
1.b:
x = -1.181818, y = 1.090909
1.c:
x = 3.000000, y = 5.000000, x3 = -2.000000
1.d:
x = 2.003503, y = -2.684764, x3 = 5.231173
```

```
clear; close all; clc;

% a.
disp('a.');
```

```
%{
A(BC + A) = B
BC + A = A \wedge \{-1\}B
BC = A \wedge \{-1\}B - A
C = B \land \{-1\} (A \land \{-1\}B - A)
%}
disp('$C = B^{-1}(A^{-1}B - A)$');
% b.
disp('b.');
A = [7 9; -2 4;];
B = [4 -3; 7 6;];
C = B \setminus (A \setminus B - A);
disp('C is')
disp(C);
C = B^{-1}(A^{-1}B - A)
b.
c is
  -0.8536 -1.6058
   1.5357 1.3372
```

```
clear; close all; clc;
```

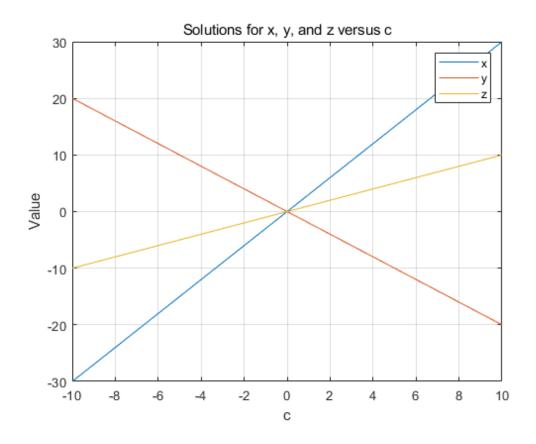
```
% a.
disp('a.');
syms x y
eqn1 = -2*x + y == -5;
eqn2 = -2*x + y == 3;
sol = solve([eqn1, eqn2], [x, y]);
if isempty(sol.x)
  disp('No solution');
end
% b.
disp('b.');
syms x y
eqn1 = -2*x + y == 3;
eqn2 = -8*x + 4*y == 12;
disp('x=');
disp(solve([eqn1, eqn2], x));
fprintf('Infinity solutions, one of the solution is:\n')
% c.
disp('c.');
syms x y
eqn1 = -2*x + y == -5;
eqn2 = -2*x + y == -5.00001;
```

```
sol = solve([eqn1, eqn2], [x, y]);
if isempty(sol.x)
  disp('No solution')
end
% d.
disp('d.');
syms x1 x2 x3 x4
eqn1 = x1 + 5*x2 - x3 + 6*x4 == 19;
eqn2 = 2*x1 - x2 + x3 - 2*x4 == 7;
eqn3 = -x1 + 4*x2 - x3 + 3*x4 == 30;
eqn4 = 3*x1 - 7*x2 - 2*x3 + x4 == -75;
sol = solve([eqn1, eqn2, eqn3, eqn4], [x1, x2, x3, x4]);
fprintf('x1 = \%.6f, x2 = \%.6f, x3 = \%.6f, x4 = \%.6f\n', ...
   sol.x1, sol.x2, sol.x3, sol.x4);
a.
No solution
b.
x=
y/2 - 3/2
Infinity solutions, one of the solution is:
С.
No solution
d.
x1 = 5.000000, x2 = 14.625000, x3 = -12.125000, x4 = -11.875000
```

```
clear; close all; clc;
% Define symbolic variables and constants
syms x y z c
% Define the system of equations
eq1 = x - 5*y - 2*z == 11*c;
eq2 = 6*x + 3*y + z == 13*c;
eq3 = 7*x + 3*y - 5*z == 10*c;
\% Solve the system of equations for x, y, and z
sol = solve([eq1, eq2, eq3], [x, y, z]);
% Extract the solutions
x_sol = sol.x;
y_sol = sol.y;
z_sol = sol.z;
disp('x =');
disp(x_sol);
disp('y =');
disp(y_sol);
disp('z =');
disp(z_sol);
\% Define the range for the parameter c
c_range = -10:0.01:10;
```

```
\% Evaluate solutions for x, y, and z over the range of c
x_values = subs(x_sol, c, c_range);
y_values = subs(y_sol, c, c_range);
z_values = subs(z_sol, c, c_range);
\% Plot the solutions for x, y, and z versus c
plot(c_range, x_values);
hold on;
plot(c_range, y_values);
plot(c_range, z_values);
xlabel('c');
ylabel('value');
title('Solutions for x, y, and z versus c');
legend('x', 'y', 'z');
grid on;
x =
3*c
y =
-2*c
z =
```

С



```
clear; close all; clc;

theta1_tf = 43; theta1_0 = -19;
theta2_tf = 151; theta2_0 = 44;

tf = 2;

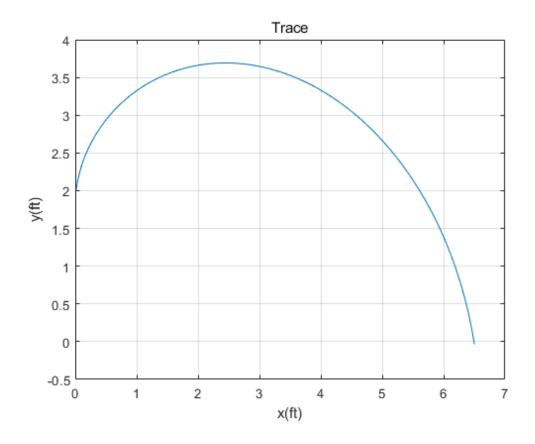
syms al a2 a3 b1 b2 b3

t = tf;

%{
For t == tf:
a1*t^3 + a2*t^4 + a3*t^5 = theta1(t)-theta1(0);
```

```
a1*3*t^2 + a2*4*t^3 + a3*5*t^4 = 0;
a1*6*t + a2*12*t^2 + a3*20*t^3 = 0;
%}
eqn1 = [t^3 t^4 t^5; 3*t^2 4*t^3 5*t^4; 6*t 12*t^2 20*t^3;] * ...
   [a1; a2; a3;] == [theta1_tf-theta1_0; 0; 0;];
%{
For t == tf:
b1*t^3 + b2*t^4 + b3*t^5 = theta2(t)-theta2(0);
b1*3*t^2 + b2*4*t^3 + b3*5*t^4 = 0;
b1*6*t + b2*12*t^2 + b3*20*t^3 = 0;
%}
eqn2 = [t^3 t^4 t^5; 3*t^2 4*t^3 5*t^4; 6*t 12*t^2 20*t^3;] * ...
   [b1; b2; b3;] == [theta2_tf-theta2_0; 0; 0;];
% b.
disp('b.');
sol1 = solve(eqn1, [a1 a2 a3]);
sol2 = solve(eqn2, [b1 b2 b3]);
a1r = sol1.a1; a2r = sol1.a2; a3r = sol1.a3;
fprintf('a1 = \%.4f, a2 = \%.4f, a3 = \%.4f n', a1r, a2r, a3r);
b1r = sol2.b1; b2r = sol2.b2; b3r = sol2.b3;
fprintf('b1 = \%.4f, b2 = \%.4f, b3 = \%.4f\n', b1r, b2r, b3r);
%
disp('c.');
```

```
L1 = 4;
L2 = 3;
ts = 0:0.01:2;
theta1_t = theta1_0 + (a1r.*ts.^3 + a2r.*ts.^4 + a3r.*ts.^5);
theta2_t = theta2_0 + (b1r.*ts.^3 + b2r.*ts.^4 + b3r.*ts.^5);
X = L1.*cosd(theta1_t) + L2.*cosd(theta1_t + theta2_t);
Y = L1.*sind(theta1_t) + L2.*sind(theta1_t + theta2_t);
figure;
plot(X, Y);
grid on;
xlabel('x(ft)');
ylabel('y(ft)');
title('Trace');
b.
a1 = 77.5000, a2 = -58.1250, a3 = 11.6250
b1 = 133.7500, b2 = -100.3125, b3 = 20.0625
с.
```



```
clear; close all; clc;

R1 = 0.036;
R2 = 4.01;
R3 = 0.408;
R4 = 0.038;

T_i = 20;
T_o = -10;

syms T1 T2 T3 q
eqn1 = (T_i - T1)/R1 == (T1 - T2)/R2;
eqn2 = (T1 - T2)/R2 == (T2 - T3)/R3;
```

T1 = 19.7596 °C, T2 = -7.0214 °C, T3 = -9.7462 °C q = 6.6785 W

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