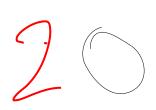
## Discrete Maths



- Diknete 1/5 Continuous Charing it's own importance). Probability is a science of predicting the likelyhood of occurrences. Generally, botween o and 1. V Event v Number of outcome? Vsample space: set-of all possible outconnes P(A) = mca)
Nobeloility mcs) What background/prossequisite we mead to ronaster before being cable to do probability?

To my knowledge, - permutations and combinations Or of up plications of parametation and coordination can be finding probability. In other words, To be able to compute number of ways/ outcomes of an experiment.

## Independent Events

In the occurrence or non-occurrence of the event A does not affect the occurrence or non-occurrence of the event B then two events A and B are said to be independent events. [P.S. Note that the world depondable has a meaning of reliable, can count on ) Ic. 3 Students appeared in an exam parsing of student 1 is independent of parsing of student 2.

i'c Deaving of two conds one after anothers
from a pack of cands
[ with replacement given ]

Complementary event Let A be an event of a given sample spaces the most; is sound to be a complementary event if Ac consists of all the sample porms of s which are not in A. A M = P AUAC = 5 elementary set-theoretic introduce now leginitions precisely and concisely

A B event that both A and B occur, If A and B have no sample Points common AOB = p empty set this leads to mutually Exclusive of disjoint events excludes bcoz, occurrence of A that of Bond vice relye. i.e. toasting of a die turns up · L) even smuber that is 1,3,5 1 3 odd nowler 2,4,6

AUB, Both A on B on both crownty occur trypetros.
Corresponding to samples of AUB.

A-B, The event A occurs but B does much correspond to set of samples A-B.

ABB, event that A or B but not both occurs consespond to selop

Samples ABB

Collectively Exhbaustive evonts Two or more events that are said to be collectively extraotive it today at least one of the events must occur. their union must cover all the In other words, - within entire sample space Polling a dice A getting even 10 getting odd Imp: None is not an option. Because, \$1,3,53 V \ 2,4,63 = \ 21,12,3,4,5,63

Odds in favor

odds in against

Discrete Sample Space Sample space of that has a finite numbers of countably infinite numbers of samples, (sample points) For now, we are not talking completely infinite sample space carel. Experimental model Att events to be mutually exclusive and collectively exhaustive. - Assumption head, teith Estimating on its side - only one at a time - ca't be 'None of them.

is a subset of the outcomes SIMPLE event contains only one sample point.

confound event contains more than one sample points A different perspective can we trink of probability of -ve ar larger trans It the probability associated with a sample is ameasure of trequency of occurrence of the orthone of an exporiment then te not possible Probability

can we think sum of all probabilities ofered than I?

Work it out yourself!

For Timebeing let's ASSUME the probabilities of the outcomes of an experiment are given to us by either — baredon statistical data (exposi mouts) i.e. fais comvs special coin ( Segular) C like sholey Amitaby had) regular die Vs (rooked die C like mama shakuni had ih mahadharatar)

- simply on one's intuitive guesstimation ( smart estimation) Intuat care Probability i) Still counted same way but values co siderled are different. Fon a CROOKED die probability of getting 1 nomainez 2,3,4,5,6 13+5(3) => 13+2, =3, =1 5+in freely But the probability at oothing odds numbers 3+2+4 in a regular die - 5+2+5 岩岩岩 = = 0.60 2 20.40

Leample
Rolling 2 dice
What is the probability of
getting sum as 9?

Mumber of total samples =

How will we use number of samples to
get answer sam 9?

turo dice each can have 1,2,3,4,5,6 >> 6 count The sample space (U) Aube of product 36 outromes 6 x6 = 36 M(5) = 36

1,2,3,4,5,6 × 1,2,3,4,5,6 max

(on we we generating function, following binomial, finding (o-eyoi(i'ent
of a term smartfully any such concept?

$$(1+x)^{-n} = \sum_{n=0}^{\infty} (-1)^n (n+2-1)^n$$

$$(1+x)^{2} = 2x^{2}-1$$

$$-2=1$$

$$= 1+2x+3x^{2}+4x^{3}+\cdots$$

Excoldi - --2 (1-26) (1-2) ララ  $\chi^{2}$   $(1-2\chi^{6}+\chi^{12})$   $(1+2\chi^{4}+3\chi^{2}+4\chi^{2}+...)$   $(\chi^{2}-\chi^{2}+\chi^{3}+\chi^{4})$   $(\chi^{2}-\chi^{2}+\chi^{2}+\chi^{4})$   $(\chi^{2}-\chi^{2}+\chi^{2}+\chi^{4})$   $(\chi^{2}-\chi^{2}+\chi^{2$ 8x9 - 4x9 = 4 3,6 1 pains 4,5 having 5,6 9 6,3 5 4 m.

n henry

$$P(A) = \frac{n(A)}{n(S)}$$

obability that rolling to dice

end up summing to 9 sesult.

Twere is observation

11 Out of 23 people the chance is less than 50-50 that on 2 of them will have the same birthday"

- Assumptions 9
- -) somple space
- -> whet is 23 ?

let's accort 366 days of year ( julian) p 2 P2 P3 P4 P5 - - P23 order is Of prontan 23 366 repetition Sample space allowed rory similar to putting decimal (0-9) into 4 digit space ( Jengter) 0-90-90-90-9 on other hand pulting birary (0-1) into he digit space (though

Out of 368 Samples, we need to find sample count where of ven the sequence, all days from PI to P23 are different. That is tener have different birthday meaning no two or more have some. How mony ways can we arrange days brom 1-366 i'ulo 23 without repetition and order is of inportance 9

Peryn (366, 23) Honce, Prosability is Perm (366,23) = 0.694 Tre observation is confirmed by moths of

& students are standing in line for intolview. probability that there are Doterminp exactly [ YORN 1] 2 freshman [year 2] 2 sophomores [rear 3] 2 juniors [ year 4] 2 seniors i'n the line.

- Sample Eperel - Use of perent combinetion Variations ?

Equipobable samplesp

Sample space

28 sa ples
4 types of student
8 student count.

Two stidents from each clars
mulber of ways

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## Inschility of event

