

Experiment No:- 09

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Experiment - 09Aim :- Implementation of pagerank algorithm in Python.Theory :-

PageRank (PR) is an algorithm used by google search to rank websites in their search engine results.

PageRank was named after Larry page. One of the founders of google. PageRank is a way of measuring the importance of website pages.

Algorithm :-

The pagerank algorithm outputs a probability distribution used to represent the likelihood that a person randomly clicking on links will arrive at any particular page.

PageRank can be calculated for collections of documents of any size.

Simplified Algorithm :-

Assume a small universe of four web pages : A, B, C & D. Links from a page to itself or multiple outbounds links from one single page to another single page are ignored. PageRank is initialized to the same value for all pages. In the original form of Pagerank the sum of Page rank overall pages was the total number of pages on the web at that time, so each site in this example would have an initially value of 1. However later versions of pagerank and the remainder of this

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section assume a probability distribution between 0 & 1.

If the only links in the system were from pages B, C & D to A each link would transfer 0.25 PageRank to A upon the next iteration for a total of 0.75.

$$PR(A) = PR(B) + PR(C) + PR(D)$$

$$PR(A) = \frac{PR(B)}{2} + \frac{PR(C)}{1} + \frac{PR(D)}{3}$$

$$PR(A) = \frac{PR(B)}{L(B)} + \frac{PR(C)}{L(C)} + \frac{PR(D)}{L(D)}$$

In general case, the pagerank value for any page u can be expressed

$$PR(u) = \sum_{v \in B_u} \frac{PR(v)}{L(v)}$$

Output:-

{0: 0.012748114347823164, 1: 0.013184317808105724, 2: 0.013375059343486866, 3: 0.013362031478392815, 4: 0.012170174404530148, 5: 0.013369868826754203, 6: 0.012581229258845847, 7: 0.01298469987608744, 8: 0.013178586644293928, 9: 0.012754704270889166, 10: 0.013372063111531496, 11: 0.012769244093110433, 12: 0.013365804898078537, 13: 0.013567563196935011, 14: 0.013177611900973501, 15: 0.011965793393075881, 16: 0.01276474680275494, 17: 0.013173942772985782, 18: 0.013159829066632545, 19: 0.012170857870473626, 20: 0.013777271600998134, 21: 0.012967475870890862, 22: 0.013369868826754203, 23: 0.013177117638799165, 24: 0.012955795687910212, 25: 0.012957421542798516, 26: 0.012152467960690383, 27: 0.013585415724917577, 28: 0.012960233476151094, 29: 0.01237408370056765, 30: 0.012970573377464184, 31: 0.012764756085701243, 32: 0.012964222801008365, 33: 0.013172042137107697, 34: 0.012350779260150472, 35: 0.01335940423494006, 36: 0.013777271600998134, 37: 0.012768015600717228, 38: 0.012176755619493506, 39: 0.012751401770151369, 40: 0.012359968429696297, 41: 0.02812106062661928, 42: 0.027817975590733877, 43: 0.027347659199615747, 44: 0.026949492818670918, 45: 0.02639922296010771, 46: 0.026304254761088303, 47: 0.025514500213990345, 48: 0.025414125492163927, 49: 0.025076550139135536, 50: 0.02468312996325496, 51: 0.02443766255608668, 52: 0.023679659090373235, 53: 0.02347559151152816, 54: 0.02308135163703755, 55: 0.022850229099939775, 56: 0.02207011672225848, 57: 0.022352478907253986, 58: 0.02201883088300073, 59: 0.021517521513473335}