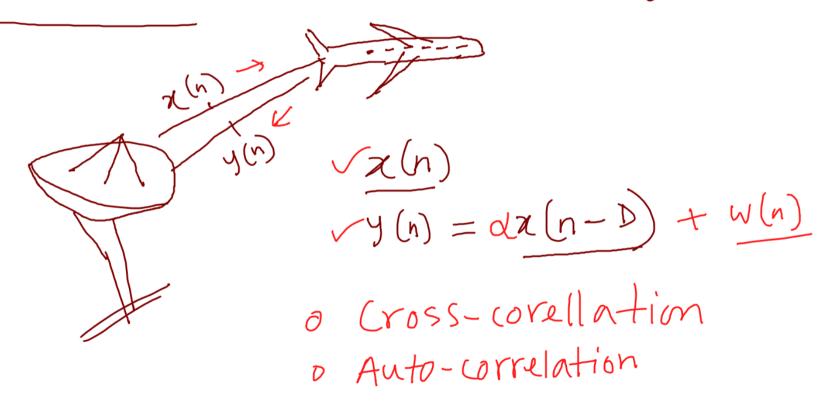
2.6 Corellation of Discrete-Time Signals



Cross-Correlation

The cross-correlation of 2(n) and y(n) is a sequence rxy(e), which is defined as

 $V \quad \text{Fay}(1) = \sum_{n=1}^{\infty} x(n) y(n-1),$ cross-corretion y(n) = Zn(k)h(n-k)

$$E_{x} \cdot 2.6.1 \quad P_{xy}(1) = \sum_{k} \chi(n) \, y(n-k)$$

$$\gamma(n) = \begin{cases} 2....0, 0, 2, -1, 3, 7, 1, 2, -3, 0. \end{cases}$$

$$\gamma(n) = \begin{cases} 2....0, 0, 1, -1, .2, -2, 4, 3, -2, 5, ... \end{cases}$$

$$P_{xy}(0) = \underbrace{1+1+6-14+4+2+6}_{-14+4+2+6} = 7$$

$$P_{xy}(1) = \underbrace{-1-3+14-2+8-3}_{-2+8-3} = 13, \quad P_{xy}(2) = -18$$

$$P_{xy}(-1) = \underbrace{-1-3+14-2+8-3}_{-2-16+28+1-4-15=0} = 0, \quad \text{for } (-2) = 33.$$

Similarities but cross-corr and convolution

In convolution: Folding operation is applied on the signal before multiplication step.

In cross-correation: Folding operation is

$$y(n) = x(n) * y(n) \rightarrow convolution$$

 $y(n) = x(n) * y(-n) \rightarrow cross-correction$

Auto-correction

The auto-correlation of all is defined as the sequence $f_{xx}(L) = \sum_{n=1}^{\infty} \chi(n) \chi(n-L)$

Cross-Correation: Relations but two different Signals. Auto-Correation: Relations with the Signal itself.

1-4

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 $\chi(n) = a^n u(n), o(a(1))$

 $2^{n}_{\chi_{n}}(1) = \sum_{n=0}^{d} \chi(n) \chi(n-1)$ $= \sum_{n=0}^{d} \alpha \alpha^{n-1} = \alpha$ $= \sum_{n=0}^{d} (\alpha^{2})^{n} = \alpha$ $= \sum_{n=0}^{d} (\alpha^{2})^{n} = \alpha$