

# Wind-Adaptive Self-Balanced Control for Quad-Copter Using Embedded Method



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## Introduction:

Quad-copter, also known as quad-rotor, is hot among researchers all over the world because of its stability and VTOL (Vertical Take-Off & Landing) feature, simplicity in flying mechanism [1] and small size. Lots of applications like surveillance, reconnaissance, rescue missions and aerial imagery [2] are achieved using the quad-copter UAV (unmanned aerial vehicle) platform. However, miniature quad-copter in flight is influenced badly by sudden airflow, which will cause serious fluctuation, leading to deviation to the original course or even plane-crash. To make a better chance for a quad-copter to survive in sudden airflow, we come up with an idea: build a module that gives adaptability to the quad-copter, so that it can change control system parameters to increase the stability in windy condition while keeping good performance in normal condition (indoor, or outdoor with mild wind).

## Methodology:

## Control System of quad-copter:

PID (proportional-integral-derivative) controller is widely used since it doesn't require knowledge to the physical model of a quad-copter.

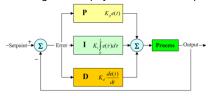


Fig1: Typical PID control system [3]

## Assumption/Definition/Remark:

After some research, we make the following definition and assumption:

Definition I : The stability is achieved if the deviation angle of roll  $(\varphi)$ , pitch (θ) and yaw (ψ) to their set-point is bounded in  $\pm 2^\circ$ . [5][6]

Definition II: PID\_o/PID\_w is the PID parameters in normal/windy condition.

Assumption I: The quad-copter is a symmetrical rigid body. [7]

Assumption II: PID\_o is the optimal PID parameters in normal condition.

Remark I : The deviation of yaw angle  $(\psi)$  is not taken into consideration. With Assumption I and Remark I we determine that the stability of the quad-copter about x-axis is the same as the stability about the y-axis. Also after simulating and analyzing the PID controller output using Matlab, one conclusion is made: It is not possible to have one set of 'all-mighty' PID values that works perfectly in both situations ('normal' and 'windy').

## **W**ind-simulation methods:

Method 1: Simulate the sudden change of deviation by changing the set-point of roll/pitch angle.

Method 2: Generate wind using a commodity fan.

**S**teps: (Quad-copter is fastened on a platform that only allow it to roll/pitch) Part 1: Using wind-simulation method 1

- 1) Use method 1 to find a set of PID values (PID\_w) that provides short transient time
- 2) Analyze the behavior of transient time when changing the P and I value.
- 3) Analyze the performances of the roll/pitch angle with updated PID values in both normal and windy condition.

#### Part 2: Using wind-simulation method 2

- 1) Analyze the deviation of roll angle in normal condition with PID\_o.
- 2) Analyze the deviation of roll angle in windy condition with PID\_o.
- 3) Analyze the deviation of roll angle in windy condition with PID\_w.
- 4) Compare the result from step 2 and step 3, to see whether the performance in windy condition is improved.
- 5) Test PID\_w in normal condition, to see whether it performs worse than PID o.
- 6) Repeat step 1 5 for pitch angle.
- 7) Analyze the data log in step 1 and step 2 to see how to characterize 'windy' condition for the quad-copter.
- 8) Design a autonomous PID parameters changing system for the quad-copter.

#### Result:

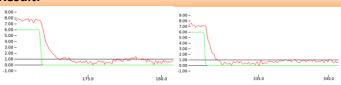
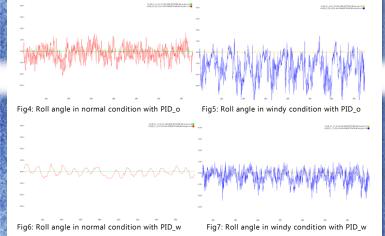


Fig2: Roll angle with smaller PI values

Fig3: Roll angle with larger PI values

**G**reen curve is the set-point value; red curve is the roll angle estimation value. Increase the P and I values do shorten the transient time of the roll angle after a sudden change of set point. However, when keep increasing the P and I values, a much shorter transient time can be achieved but oscillation will occurs. (See Fig2 and Fig3)



#### Conclusion:

 $\mathbf{T}$ hrough the experiment, we try 3 different PID\_w (PID\_w1, PID\_w2, PID\_w3) with increasing PI values. However, we get a unexpected outcome: the PID\_w1 performs better than PID\_o in both condition (normal/windy); and PID\_w (PID\_w1, PID\_w2, PID\_w3) have almost the same performance in windy condition with Method 2 while PID\_w1 having the best performance in normal condition, although PID w2 and PID w3 have shorter transient time than PID w1 in Method 1. We analyze the outcome make some conclusion:

1) It's hard to find the 'optimal' PID values; This experiment is based on the Assumption II which may not be guaranteed.

2) Wind is too variable; PID values with good performance in Method 1 don't ensure good performance in Method 2.

At last, we propose a possible solution in the final report.

#### Reference:

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http://www.av8n.com/physics/coords.htm#main-ned
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