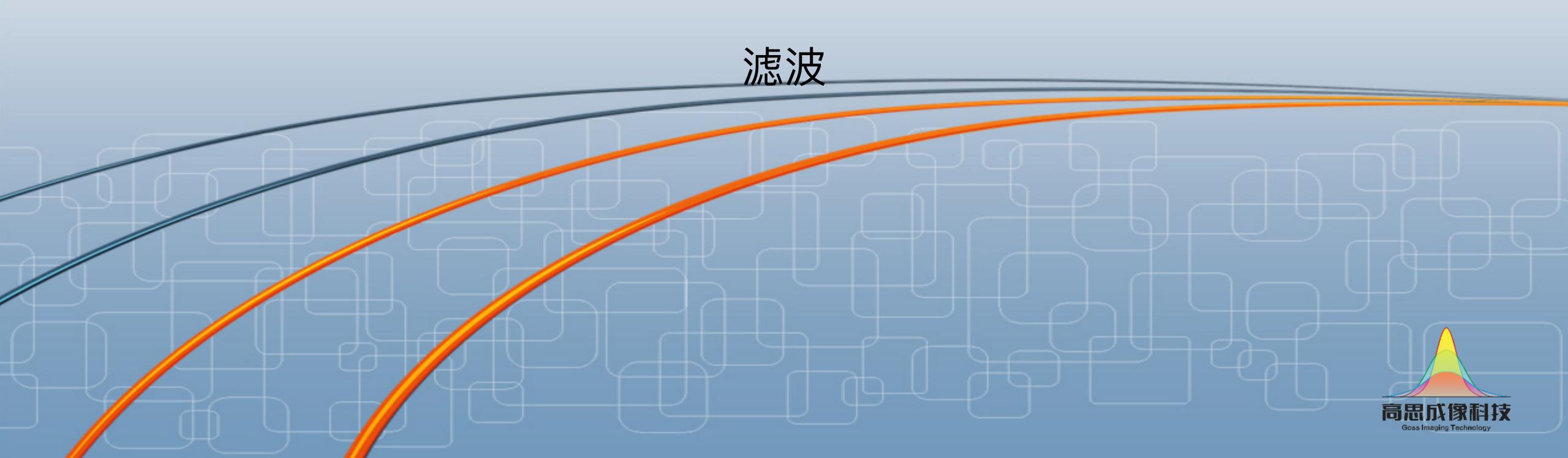
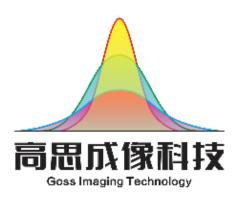
# 成像算法基础



### 滤波卷积

#### 滤波>卷积

17	24	12	28	31	36
21	5	7	29	18	36
4	6	13	12	15	14
16	18	21	13	15	11
22	22	31	24	26	36



## 卷积

197	<b>2</b> 4	<b>1</b> /2	28	31	36
24	5	6	29	18	36
4	8	133	12	15	14
16	18	21	13	15	11
22	22	31	24	26	36

9X17+8X24+7X12+4X21+5X5+6X7+1X4



### 扩展的滤波应用

- 去噪
- 锐化
- Demosaic
- 畸变调整
- 统计
- •

通过像素及像素周周边值得到新的像素值的操作



## 边界效应

9	<b>187</b>	<b>2</b> 4	12	28	31	36
4	<b>5</b> 1	65	7	29	18	36
1	2	8	13	12	15	14
	16	18	21	13	15	11
	22	22	31	24	26	36

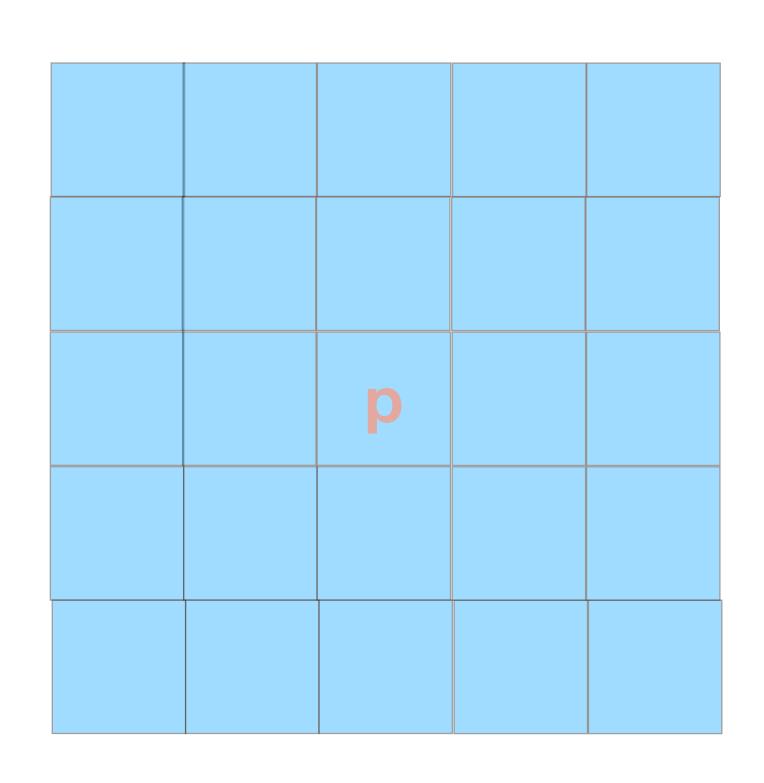


### 均值滤波,中值滤波

所有值和的平均值

可以卷积计算

$$\frac{\sum x_n}{N}$$



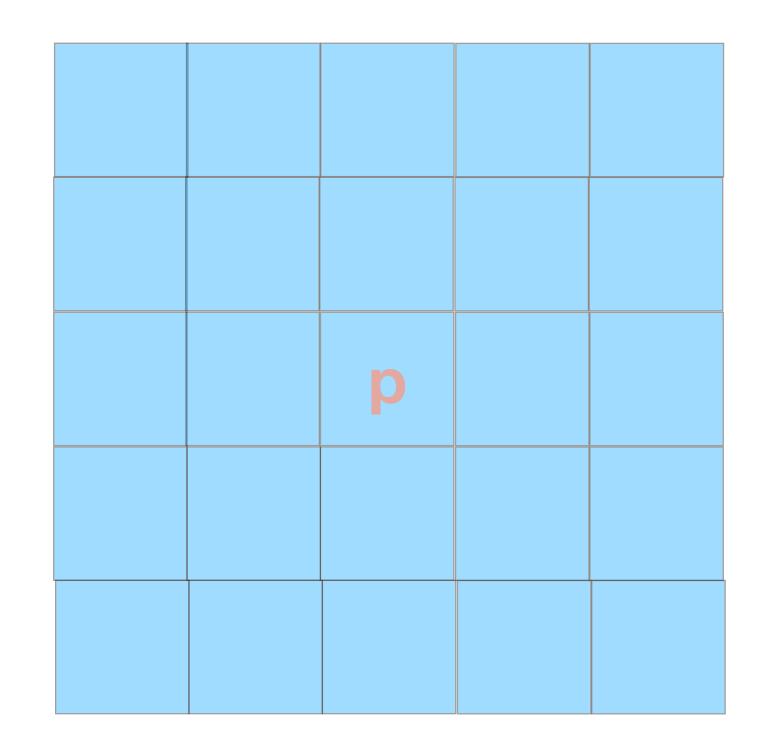
所有值和的中间值

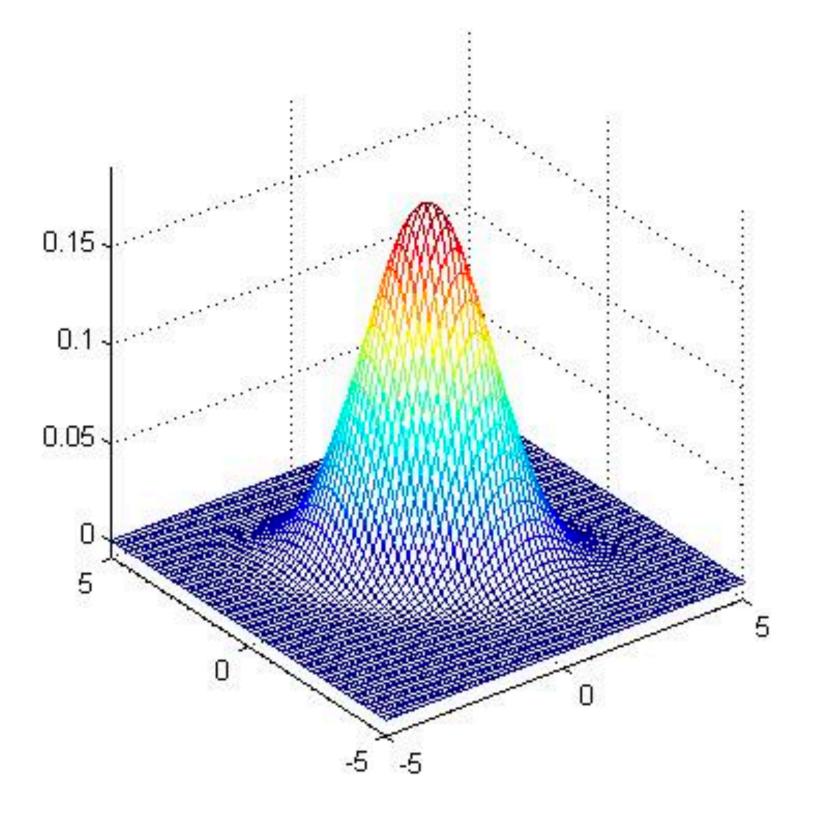
不可以卷积计算

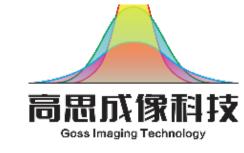
Median(Xn)



$$\frac{1}{\sqrt{2\Pi\delta}}e^{-\frac{x^2+y^2}{2\delta^2}}$$

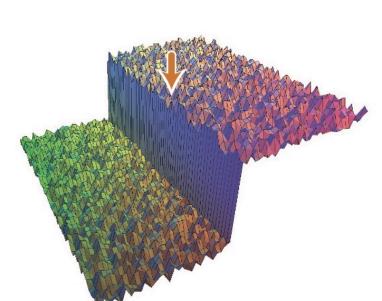




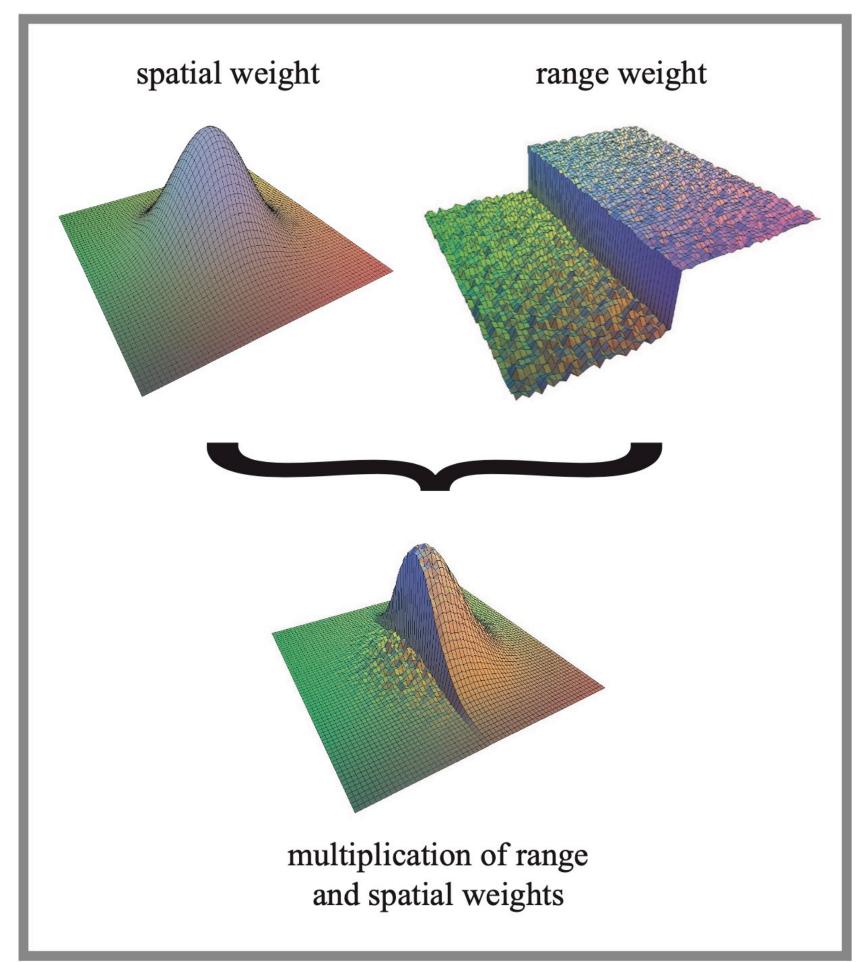


#### 双边滤波

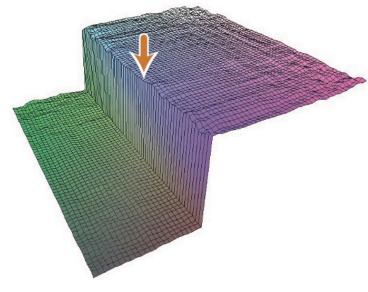
$$BF[I]_{\vec{p}} = \frac{\sum_{\vec{q} \in S} \omega_s(\|\vec{p} - \vec{q}\|)\omega_r(\|I_{\vec{p}} - I_{\vec{q}}\|)I_{\vec{q}}}{\sum_{\vec{q} \in S} \omega_s(\|\vec{p} - \vec{q}\|)\omega_r(\|I_{\vec{p}} - I_{\vec{q}}\|)}$$



input









#### FIR

$$y(m,n) = \sum_{k=-N}^{N} \sum_{l=-N}^{N} h(k,l)x(m-k,n-l)$$



#### IIR

$$y(m,n) = x(m,n) + ay(m-1,n) + ay(m,n-1)$$

$$\circ \qquad 1/2$$

$$\circ \times \qquad 1/2 \times$$



### API的选择

- Scipy
- Opency
- Skimge
- •



### Scipy中的滤波

```
gaussian_filter(input, sigma[, order, ...]) Multidimensional Gaussian filter.
gaussian_filter1d(input, sigma[, axis, ...]) One-dimensional Gaussian filter.
gaussian_gradient_magnitude(input, sigma[, ...]) Multidimensional gradient magnitude using Gaussian derivatives.
gaussian_laplace(input, sigma[, output, ...]) Multidimensional Laplace filter using gaussian second derivatives.
generic_filter(input, function[, size, ...]) Calculate a multi-dimensional filter using the given function.
generic_filter1d(input, function, filter_size) Calculate a one-dimensional filter along the given axis.
generic_gradient_magnitude(input, derivative) Gradient magnitude using a provided gradient function.
generic_laplace(input, derivative2[, ...]) N-dimensional Laplace filter using a provided second derivative function.
laplace(input[, output, mode, cval]) N-dimensional Laplace filter based on approximate second derivatives.
maximum_filter(input[, size, footprint, ...]) Calculate a multi-dimensional maximum filter.
maximum_filter1d(input, size[, axis, ...]) Calculate a one-dimensional maximum filter along the given axis.
median_filter(input[, size, footprint, ...]) Calculate a multidimensional median filter.
minimum_filter(input[, size, footprint, ...]) Calculate a multi-dimensional minimum filter.
minimum_filter1d(input, size[, axis, ...]) Calculate a one-dimensional minimum filter along the given axis.
percentile_filter(input, percentile[, size, ...]) Calculate a multi-dimensional percentile filter.
prewitt(input[, axis, output, mode, cval]) Calculate a Prewitt filter.
rank_filter(input, rank[, size, footprint, ...]) Calculate a multi-dimensional rank filter.
sobel(input[, axis, output, mode, cval]) Calculate a Sobel filter.
uniform_filter(input[, size, output, mode, ...]) Multi-dimensional uniform filter.
uniform_filter1d(input, size[, axis, ...]) Calculate a one-dimensional uniform filter along the given axis.
----------
```



### Opency中的滤波

```
cv.blur(src, ksize[, dst[, anchor[, borderType]]])
cv.bilateralFilter(src, d, sigmaColor, sigmaSpace[, dst[, borderType]])
cv.dilate(src, kernel[, dst[, anchor[, iterations[, borderType[, borderValue]]]]])
cv.erode(src, kernel[, dst[, anchor[, iterations[, borderType[, borderValue]]]]])
cv.filter2D(src, ddepth, kernel[, dst[, anchor[, delta[, borderType]]]])
cv.GaussianBlur(src, ksize, sigmaX[, dst[, sigmaY[, borderType]]]])
cv.getGaussianKernel(ksize, sigma[, ktype])
cv.boxFilter(src, ddepth, ksize[, dst[, anchor[, normalize[, borderType]]]])
......
https://docs.opencv.org/4.2.0/d4/d86/
group__imgproc__filter.html#gad533230ebf2d42509547d514f7d3fbc3
```



#### 自己实现的滤波

generic\_filter(input, function[, size, ...])
cv.filter2D(src, ddepth, kernel[, dst[, anchor[, delta[, borderType]]]])

17	24	12	28	31	36
21	5	7	29	18	36
4	6	13	12	15	14
16	18	21	13	15	11
22	22	31	24	26	36

