

# 19CSE302 Design and Analysis of Algorithms

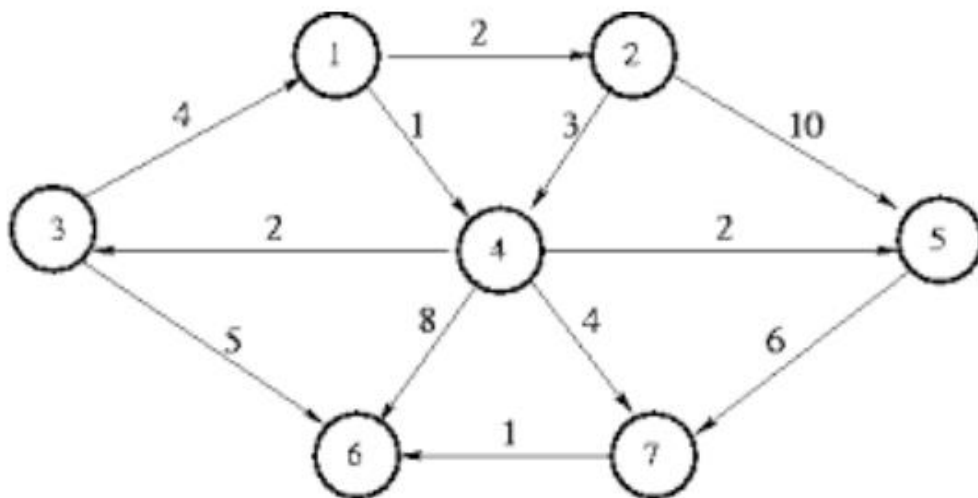
## Lab Sheet 7

*S Abhishek*

AM.EN.U4CSE19147

*Colab*

Implement the Kosaraju Algorithm to find the SCC



```
graph_edgelist = [[1, 2],  
[1, 4],  
[2, 4],  
[2, 5],  
[3, 1],  
[3, 6],  
[4, 3],  
[4, 5],  
[4, 6],  
[4, 7],  
[5, 7],
```

```

[7, 6] ]
class Kosaraju (object):

    def __init__(self, graph_edgelist):

        self.nodelist={}

        for i in range(len(graph_edgelist)):

            if graph_edgelist[i][0] != graph_edgelist[i][1]:

                if (graph_edgelist[i][0] in self.nodelist) &
(graph_edgelist[i][1] in self.nodelist) :

self.nodelist[graph_edgelist[i][0]]['connected_node'].extend([graph_edgelist[
i][1]])

self.nodelist[graph_edgelist[i][1]]['connected_node_reverse'].extend([graph_e
dgelist[i][0]])

                elif graph_edgelist[i][0] in self.nodelist:

self.nodelist[graph_edgelist[i][0]]['connected_node'].extend([graph_edgelist[
i][1]])

self.nodelist[graph_edgelist[i][1]]={'connected_node_reverse':[graph_edgelist
[i][0]], 'connected_node':[]}

                elif graph_edgelist[i][1] in self.nodelist:

self.nodelist[graph_edgelist[i][1]]['connected_node_reverse'].extend([graph_e
dgelist[i][0]])

self.nodelist[graph_edgelist[i][0]]={'connected_node':[graph_edgelist[i][1]],
'connected_node_reverse':[]}

                else:

self.nodelist[graph_edgelist[i][1]]={'connected_node_reverse':[graph_edgelist
[i][0]], 'connected_node':[]}

self.nodelist[graph_edgelist[i][0]]={'connected_node':[graph_edgelist[i][1]],
'connected_node_reverse':[]}

        for key in self.nodelist:

            self.nodelist[key]['finishing_time']=0
            self.nodelist[key]['explored']=False

```

```

self.scc={}
def get_scc_kosaraju(self):

    self.node_loop_stack=[]

    for node in self.nodelist:

        if self.nodelist[node]['explored']==False:
            self.DFS(node,True)

    for key in self.nodelist:

        self.nodelist[key]['leader']=None
        self.nodelist[key]['explored']=False

    while self.node_loop_stack != []:

        node = self.node_loop_stack.pop()

        if self.nodelist[node]['explored']==False:
            self.leader=node
            self.scc[self.leader]={'Path' : []}
            self.DFS(node,False)

def DFS(self, node, reverse_flag):

    if reverse_flag==True:

        self.nodelist[node]['explored']=True

        for child_node in self.nodelist[node]['connected_node_reverse']:

            if self.nodelist[child_node]['explored']==False:
                self.DFS(child_node, True)

        self.node_loop_stack.extend([node])

    else:

        self.nodelist[node]['explored']=True

        for child_node in self.nodelist[node]['connected_node']:

            if self.nodelist[child_node]['explored']==False:
                self.DFS(child_node, False)

        self.scc[self.leader]['Path'].extend([node])

```

```

kosaraju=Kosaraju(graph_edgelist)
kosaraju.get_scc_kosaraju()
kosaraju.scc

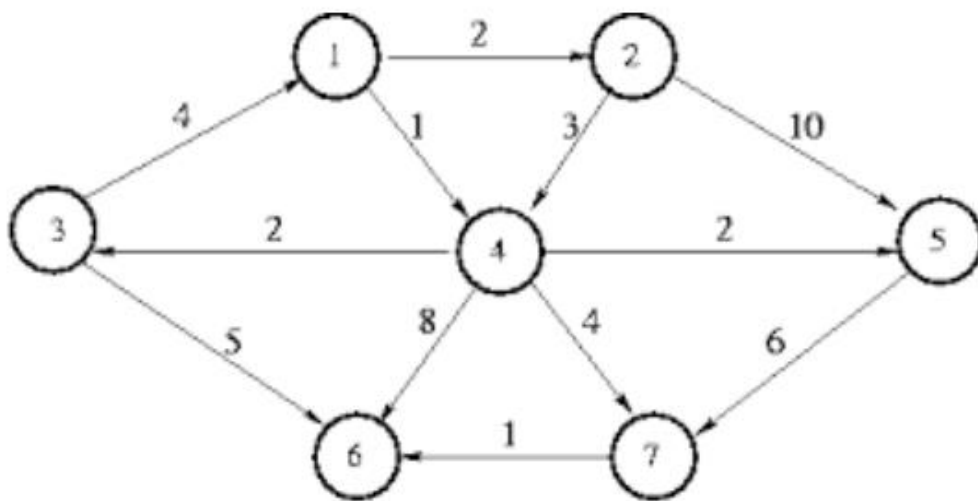
```

```

{2: {'Path': [1, 3, 4, 2]},
 5: {'Path': [5]},
 6: {'Path': [6]},
 7: {'Path': [7]}}

```

## Implement Dijkstra's Algorithm



```

from queue import PriorityQueue

```

```

class Graph:

```

```

    def __init__(self, num_of_vertices):

```

```

        self.v = num_of_vertices

```

```

        self.edges = [[-1 for i in range(num_of_vertices)] for j in
range(num_of_vertices)]

```

```

        self.visited = []

```

```

    def add_edge(self, u, v, weight):

```

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        self.edges[u][v] = weight

```

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        self.edges[v][u] = weight

```

```

    def dijkstra(self, start_vertex):

```

```

        D = {v:float('inf') for v in range(self.v)}

```

```

D[start_vertex] = 0

pq = PriorityQueue()
pq.put((0, start_vertex))

while not pq.empty():

    (dist, current_vertex) = pq.get()
    self.visited.append(current_vertex)

    for neighbor in range(self.v):

        if self.edges[current_vertex][neighbor] != -1:
            distance = self.edges[current_vertex][neighbor]

            if neighbor not in self.visited:

                old_cost = D[neighbor]
                new_cost = D[current_vertex] + distance

                if new_cost < old_cost:

                    pq.put((new_cost, neighbor))
                    D[neighbor] = new_cost

    return D

g = Graph(8)

g.add_edge(1, 2, 2)
g.add_edge(1, 4, 1)
g.add_edge(2, 4, 3)
g.add_edge(2, 5, 10)
g.add_edge(3, 1, 4)
g.add_edge(3, 6, 5)
g.add_edge(4, 3, 2)
g.add_edge(4, 5, 2)
g.add_edge(4, 6, 8)
g.add_edge(4, 7, 4)
g.add_edge(5, 7, 6)
g.add_edge(7, 6, 1)

s = 1

D = g.dijkstra(s)

```

```

for vertex in range(len(D)):
    if vertex == 0:
        D[vertex]

    else:
        print("Distance from vertex", vertex, "to vertex", vertex, "is",
D[vertex])

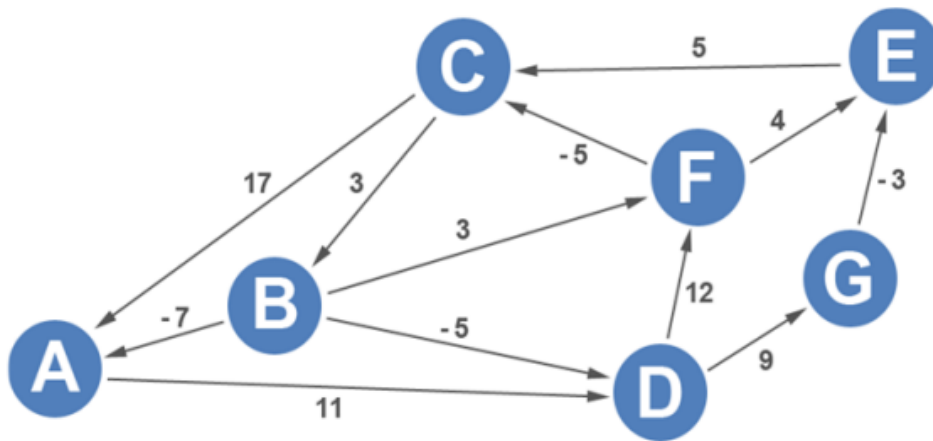
```

```

Distance from vertex 1 to vertex 1 is 0
Distance from vertex 2 to vertex 2 is 2
Distance from vertex 3 to vertex 3 is 3
Distance from vertex 4 to vertex 4 is 1
Distance from vertex 5 to vertex 5 is 3
Distance from vertex 6 to vertex 6 is 6
Distance from vertex 7 to vertex 7 is 5

```

## Bellman - Ford Algorithm



```

def bellman_ford(graph, source):
    distance, predecessor = dict(), dict()

    for node in graph:
        distance[node], predecessor[node] = float('inf'), None

```

```

distance[source] = 0

for _ in range(len(graph) - 1):
    for node in graph:
        for neighbour in graph[node]:
            if distance[neighbour] > distance[node] +
graph[node][neighbour]:
                distance[neighbour], predecessor[neighbour] =
distance[node] + graph[node][neighbour], node

    for node in graph:
        for neighbour in graph[node]:
            assert distance[neighbour] <= distance[node] +
graph[node][neighbour], "Negative weight cycle."

    return distance, predecessor

if __name__ == '__main__':
    graph = {
        'a': {'d': 11},
        'b': {'a': -7, 'd': -5, 'f': 3},
        'c': {'a': 17, 'b': 3},
        'd': {'f': 12, 'g': 9},
        'e': {'c': 5},
        'f': {'c': -5, 'e': 4},
        'g': {'e': -3}
    }

    distance, predecessor = bellman_ford(graph, source='a')

    print(distance)

{'a': 0, 'b': 21, 'c': 18, 'd': 11, 'e': 17, 'f': 23, 'g': 20}

```

## Number of Operations to Make Network Connected

### Submission Detail

36 / 36 test cases passed.

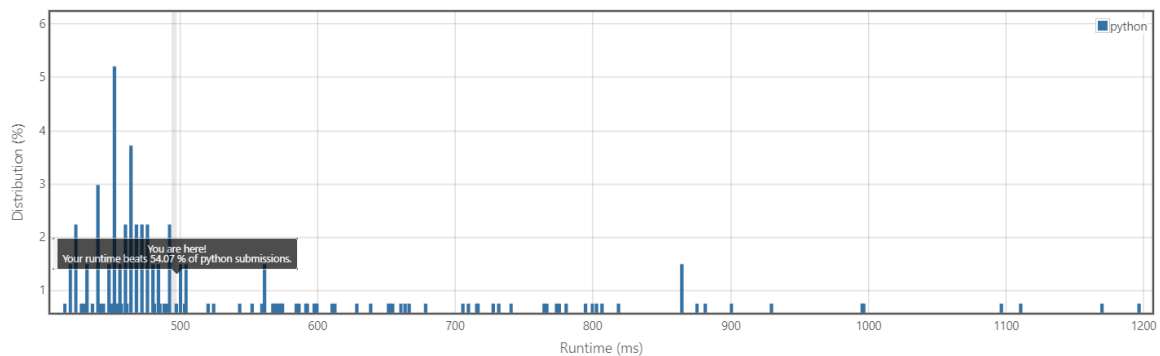
Runtime: 496 ms

Memory Usage: 34.9 MB

Status: **Accepted**

Submitted: 0 minutes ago

### Accepted Solutions Runtime Distribution



## Find if Path Exists in Graph

### Submission Detail

25 / 25 test cases passed.

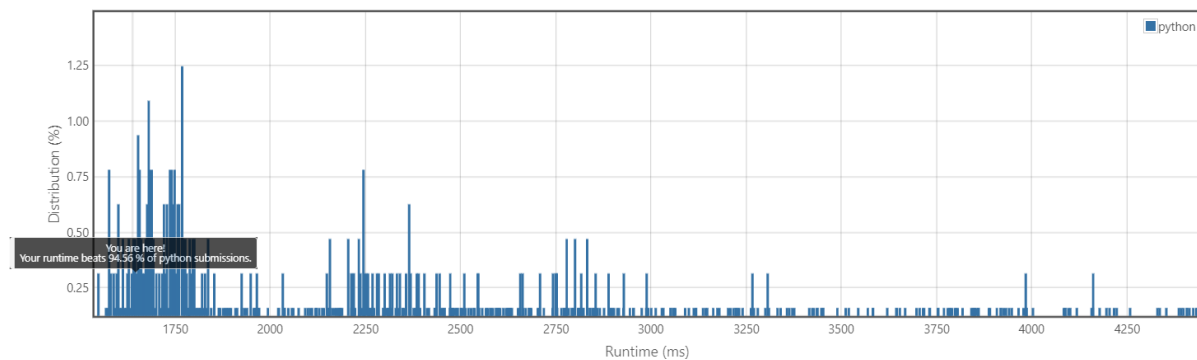
Runtime: 1640 ms

Memory Usage: 115.5 MB

Status: **Accepted**

Submitted: 0 minutes ago

### Accepted Solutions Runtime Distribution



Thankyou!!