

Participation in Extremist Movements: The Case of Nationalist Violence in Stable Autocracies

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Unit level variables

- **Unit of observation:** Individual. Chinese adults with access to internet.
- **Outcomes:**
 - Primary: Tolerance for nationalistic violence index. 1 to 5 variable (5 higher tolerance).
Obtained from vignette experiment.
 - Secondary: Degree of perception of victims as traitors, degree of perception of foreign property/companies as enemies. 1 to 5 discrete variable.

Unit level variables

- **Covariates:**
 - Age; gender; education level.
 - Urban/rural status, currently and origin.
 - Employment status: Employed by government, private sector, unemployed.
 - Province (region).
 - Index for Violence-Related Attitudes
- **How to obtain them:** Online in the game.
 - Covariates are information required at registration.
 - Treatment is the game itself.
 - Outcomes obtained in post-game survey.

Randomization

Individual level. The game itself will randomly assign questions:

- **Control:** General international knowledge.
- **Treatment:** Questions that specifically inform about foreign interactions with China that are beneficial to its population.

We will ensure the balance check across treatment groups with pre-test covariates.

- In case there is statistically significant discrepancy between treatment and control, we will balance the subsamples by inverse-propensity score weighting.

Regression Specification

- Model Specification

$$Y_i = Y_{0i}(1-Z_i|X_i) + Y_{1i}(Z_i|X_i)$$

- Y_i is observed tolerance for nationalistic violence
- Y_{0i} and Y_{1i} are individual potential outcomes for tolerance under control and treatment status
- Z_i is the treatment status where $Z_i=1$ when treated and $Z_i=0$ under control
- X are individual covariates

- Heterogeneous Treatment Effects:

$$Y_{1i} = Y_{0i} + \tau_{1i}(V_i=1, X) + \tau_{2i}(V_i=0, X) + e_i$$

- V_i is the type of individual where if $V_i=1$, the individual with an intrinsic taste for violence, and $V_i=0$ otherwise
- τ_{1i} and τ_{2i} are individual treatment effects for those with and without taste for violence
- We expect our quiz game treatment will have no effect on those with taste for violence on average $E(\tau_{1i})=0$ whereas we expect a negative average treatment effect on those without violence preference $E(\tau_{2i})<0$.

Power Analysis Simulation

N sample size between {50, 75, 100, ..., 575, 600}

200 Simulations of data generating processes and p-value estimations at each sample size.

Assumptions:

- A conservative mean/standard deviation ratio of 75%.
- Y_0 starting value important, a conservative baseline control $Y_0 \sim N(3.5, 2.625)$ where Y_i in $[1, 7]$ with a mean of 3.5 (in the middle ranges of the support so that we do not over-reject the null) - (Social acceptance of domestic violence across countries (UNICEF, 2022); prevalence of intimate partner violence across countries (WHO)).

Treatment Effects

- One treatment arm, so no need for Bonferroni correction.
- We expect a heterogeneous treatment effect, where our treatment will be ineffective on those with a taste of violence whereas on others, we'll have minimal 30% standard deviation decrease in tolerance for violence.
- We will conduct a pilot experiment to get an approximate treatment effect for this.

Power Analysis Simulation

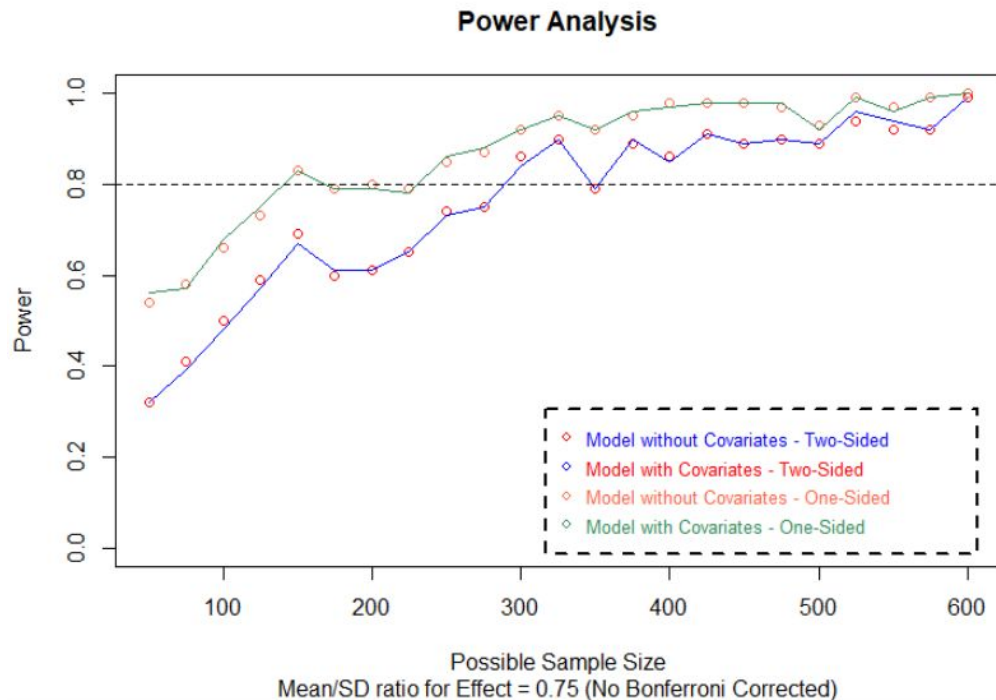
Assuming a cautious rate of 15% taste for violence:

- People with taste for violence (no effect) = $\tau_1 \sim N(0, 0.5)$
- People without taste for violence (treatment effect) = $\tau_2 \sim N(-0.7875, 0.59)$

Thus,

- $Y_i = Y_{0i}(Z_i=0) + Y_{1i}(Z_i=1) + e_i$ where
 - $Y_0 \sim N(3.5, 2.625)$
 - $Y_1(Z=1) \sim N(0, 0.5)$ when Taste for Violence=1 and
 - $Y_1(Z=1) \sim N(-0.7875, 0.59)$ otherwise
 - $e_i \sim N(0, 2)$ - error terms

Power Curve



Power Analysis

- P-values calculated with heteroskedasticity-robust standard errors
- If test checks whether we have
 - Coefficient with expected direction
 - P-value smaller than the threshold value
- We tested with both one-sided and two-sided 5% significance level

Our conservative estimations show that we can reach the standard 80% power for rejecting the null for our treatment with sample sizes around

- 200 with one-sided test and
- 300 with two-sided tests.

Randomized Response - Sensitivity Issue

- One concern for asking people's tolerance is **social desirability**. Respondents may be reluctant to give their true answers. Randomized Response technique may be introduced to mitigate this issue.
- When evaluating their tolerance on a scale of 1-5, respondents will be reminded of the last digit of their cellphone number. If their last digit is in $[1,5]$, they will be instructed to answer with the last digit. If their digit is any other number, they will be instructed to give a truthful answer.
- The truthful answer then can be inferred from the observed answers at the cost of power loss.

Randomized Response - Sensitivity Issue

Let Y represent the observed answer and W represent the latent variable for the true level of tolerance, we have

$$\begin{aligned}\bar{Y} &= p_1 * 1 + p_2 * 2 + p_3 * 3 + p_4 * 4 + p_5 * 5 + \\ &\quad Pr(W = 1) * (1 - 0.5) * 1 + Pr(W = 2) * (1 - 0.5) * 2 + \\ &\quad Pr(W = 3) * (1 - 0.5) * 3 + Pr(W = 4) * (1 - 0.5) * 4 + \\ &\quad Pr(W = 5) * (1 - 0.5) * 5 \\ &= 1.5 + 0.5 * \bar{W} \\ \implies \bar{W} &= (\bar{Y} - 1.5) * 2\end{aligned}$$

where p_i denotes the probability that a respondent's last digit is i , $i \in \{1, 2, 3, 4, 5\}$.