



**Department of Electrical Engineering and**  
**Computer Science**

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Section: BEE 12C

**EE-330: Digital Signal Processing**

**Lab 5: Sampling of Audio Signals in MATLAB**

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Name	Reg. No	Lab Report Marks	Viva Marks	Total
		10 Marks	5 Marks	15 Marks
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## **Sampling and Quantization of audio signals in MATLAB**

### **1.1 Objectives**

The purpose of the lab is as follows:

- Down sampling audio signals
- Analyzing the audio signals in frequency domain
- Familiarizing with sampling of signals, aliasing, and cutoff frequency.
- Creating low pass filter with certain cutoff frequency.

### **1.2 Introduction**

Digital audio processing involves the conversion of continuous analog signals to digital signals, which can be processed by a computer. Sampling and quantization are the two main steps involved in the digital conversion of analog signals. In this lab, we explore these two processes in detail using MATLAB.

### **1.3 Software**

MATLAB R2022b





## Lab Exercises

### 2.1. Sampling

1. You are given a speech signal. Consider it a discrete-time signal with the sampling frequency  $f_s=16\text{ kHz}$ .
2. Load the signal in Matlab using the function *audioread*. Listen to the signal using *sound*.

```
%Part 1  
%Reading the audio file  
[y,Fc]=audioread('sample.wav');  
sound(y,Fc);
```

3. Design a 6th order low-pass butterworth filter. Hint: see Matlab help for *butter* and *filter*. The butter command takes the normalized cutoff frequency (in the range 0-1) as an input argument where the maximum 1 means  $f_s/2$ .

```
%Part 2- Designing low-pass butterworth filter  
  
%Calculating normalized cutoff frequency for lowpass filter  
Fs=16000;  
Fn=Fc/2; %maximum frequency  
F=Fn/(Fs/2); %normalized cut-off frequency (1)
```

4. Consider the maximum frequency of the speech signal  $f_N = f_s/2$ . Apply the filter.

```
%Part 3-Applying the filter  
  
%Getting tf for lowpass filter  
[b,a]=butter(6,0.99);  
  
%Applying lowpass filter  
y_filtered=filter(b,a,y);
```



5. Now downsample the filtered signal by the factor of 2 i.e.,  $M=2$ . Do this manually by picking up every alternative sample and storing it in a different array.

```
%Part 4-Downsample Manually
y_downsampled=y_filtered(1:2:end);
sound(y_downsampled,Fc/2)
```

6. See the Matlab help for the function *downsample*. Apply this function for downsampling the signal by the factors  $M = 3, 5, 10$ . Listen to the output signal in every case and prepare your conclusions. Also plot the spectrum of the input and output signal in a subplots for original and three cases for different  $M$ .

```
% 5-Downsampling

%Downsampling signal by M=2,3,4,10
y_downsampled1=downsample(y_filtered,2);
sound(y_downsampled1,Fc/2)
y_downsampled2=downsample(y_filtered,3);
sound(y_downsampled2,Fc/3)
y_downsampled3=downsample(y_filtered,5);
sound(y_downsampled3,Fc/5)
y_downsampled4=downsample(y_filtered,10);
sound(y_downsampled4,Fc/10)
```

7. For  $M = 10$ , avoid the anti-aliasing filter and directly downsample the speech to listen if there is any difference. Also plot the spectrum using code given below for input and output signal .

```
%Part 7- Without anti-aliasing filter
y_downsampled5=downsample(y,10);
sound(y_downsampled4,Fc/10)
```

### Code for plotting:

```
%Plots
L=zeros(1,6);

%For original signal
L(1)=length(y);
NFFT = 2^nextpow2(L(1));% Next power of 2 from length of y
Y = fft(y,NFFT)/L(1);
f = Fc/2*linspace(0,1,NFFT/2+1);
```



```
subplot(321)
plot(f,2*abs(Y(1:NFFT/2+1))),grid on
title('Single-Sided Amplitude Spectrum of original signal')
xlabel('Frequency (Hz)')

%For Downsampling by 2
L(2)=length(y_downsampled1);
NFFT = 2^nextpow2(L(2));% Next power of 2 from length of y
Y1 = fft(y_downsampled1,NFFT)/L(2);
f = Fc/2*2*linspace(0,1,NFFT/2+1);

subplot(322)
plot(f,2*abs(Y1(1:NFFT/2+1))),grid on
title('Downsampled by 2')
xlabel('Frequency (Hz)')

%For Downsampling by 3
L(3)=length(y_downsampled2);
NFFT = 2^nextpow2(L(3));% Next power of 2 from length of y
Y2 = fft(y_downsampled2,NFFT)/L(3);
f = Fc/3*2*linspace(0,1,NFFT/2+1);

subplot(323)
plot(f,2*abs(Y2(1:NFFT/2+1))),grid on
title('Downsampled by 3')
xlabel('Frequency (Hz)')

%For Downsampling by 5
L(4)=length(y_downsampled3);
NFFT = 2^nextpow2(L(4));% Next power of 2 from length of y
Y3 = fft(y_downsampled3,NFFT)/L(4);
f = Fc/5*2*linspace(0,1,NFFT/2+1);

subplot(324)
plot(f,2*abs(Y3(1:NFFT/2+1))),grid on
title('Downsampled by 5')
xlabel('Frequency (Hz)')

%For Downsampling by 10
L(5)=length(y_downsampled4);
NFFT = 2^nextpow2(L(5));% Next power of 2 from length of y
Y4 = fft(y_downsampled4,NFFT)/L(5);
f = Fc/10*2*linspace(0,1,NFFT/2+1);

subplot(325)
plot(f,2*abs(Y4(1:NFFT/2+1))),grid on
title('Downsampled by 10 with aliasing filter')
xlabel('Frequency (Hz)')

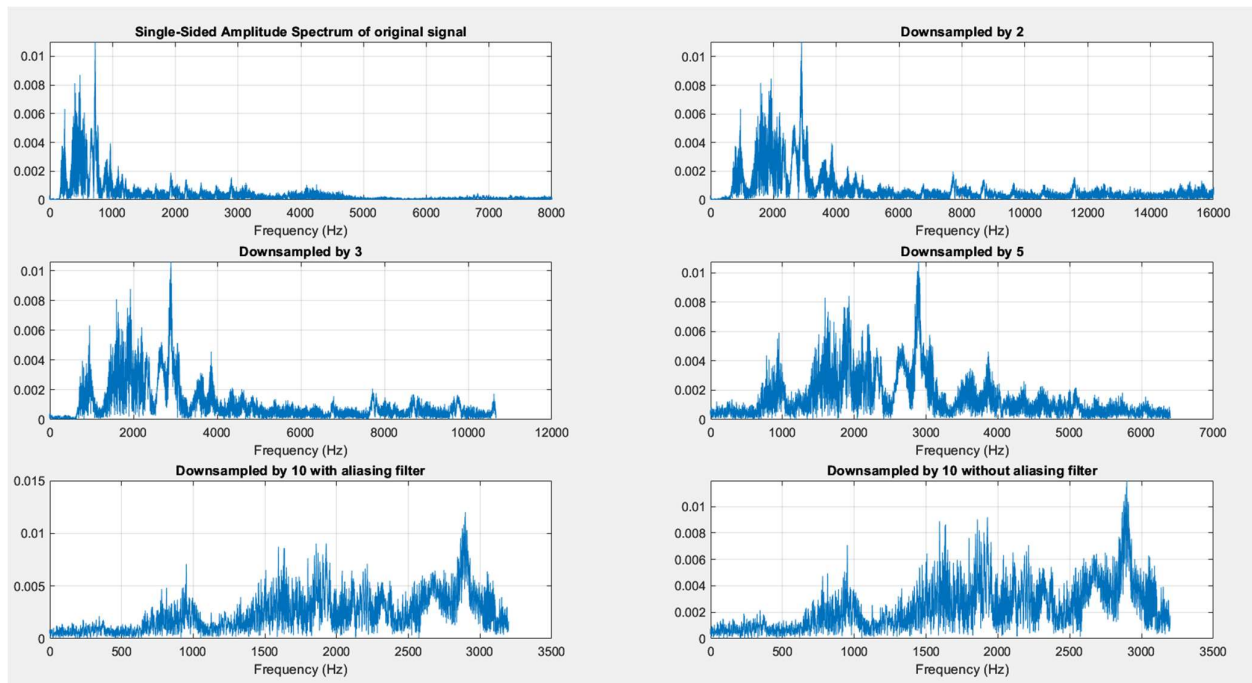
%For Downsampling by 10
L(6)=length(y_downsampled5);
```



```
NFFT = 2^nextpow2(L(6)); % Next power of 2 from length of y
Y5 = fft(y_downsampled5,NFFT)/L(6);
f = Fc/10*2*linspace(0,1,NFFT/2+1);

subplot(326)
plot(f,2*abs(Y5(1:NFFT/2+1))),grid on
title('Downsampled by 10 without aliasing filter')
xlabel('Frequency (Hz)')
```

## Plots:



## Conclusion

The lab demonstrates how to create a low-pass filter with a certain cutoff frequency, which is essential for preventing aliasing in the down-sampled signal. The lab also discusses the trade-offs between signal quality, sampling rate, and bit depth, and provides practical examples of how to optimize these parameters for different types of audio signals.