

# PID neural networks for time-delay systems

Mingkun Yang  
`minyan09@student.hh.se`

Halmstad University

# Outline

## 1 Introduction

# Outline

- 1 Introduction
- 2 Structure of PIDNN

# Outline

- 1 Introduction
- 2 Structure of PIDNN
- 3 Algorithm of PIDNN

# Outline

- 1 Introduction
- 2 Structure of PIDNN
- 3 Algorithm of PIDNN
- 4 Result & Conclusion

# Outline

- 1 Introduction
- 2 Structure of PIDNN
- 3 Algorithm of PIDNN
- 4 Result & Conclusion

# PID controller

- not suitable for long time-delay system
- PID parameters are difficult to choose

# Artificial neural networks

- slow learning speed
- long weight convergence
- uncertain property



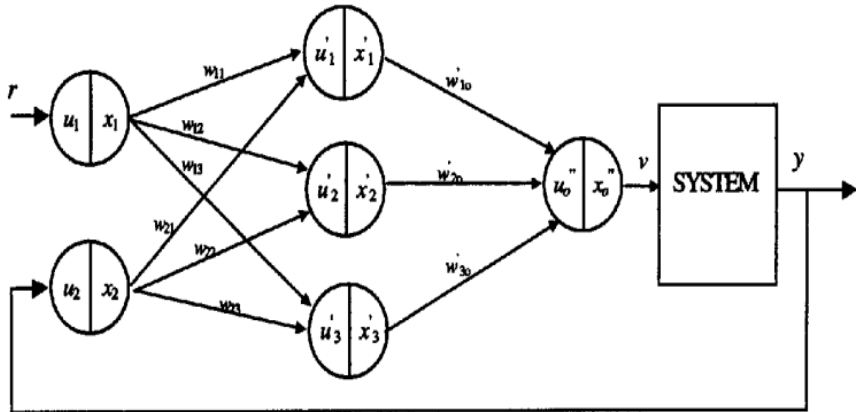
# PIDNN

- proportional(P), integral(I) and derivative(D) neurons
- back-propagation

# Outline

- 1 Introduction
- 2 Structure of PIDNN
- 3 Algorithm of PIDNN
- 4 Result & Conclusion

# schema



# Outline

- 1 Introduction
- 2 Structure of PIDNN
- 3 Algorithm of PIDNN
- 4 Result & Conclusion

# Input-output function

$$x_i(k) = u_i(k)$$

$$x'_1(k) = u'_1(k)$$

$$x'_2(k) = x'_2(k-1) + u'_2(k)$$

$$x'_3(k) = u'_3(k) - u'_3(k-1)$$

$$x''_1(k) = u''_1(k)$$

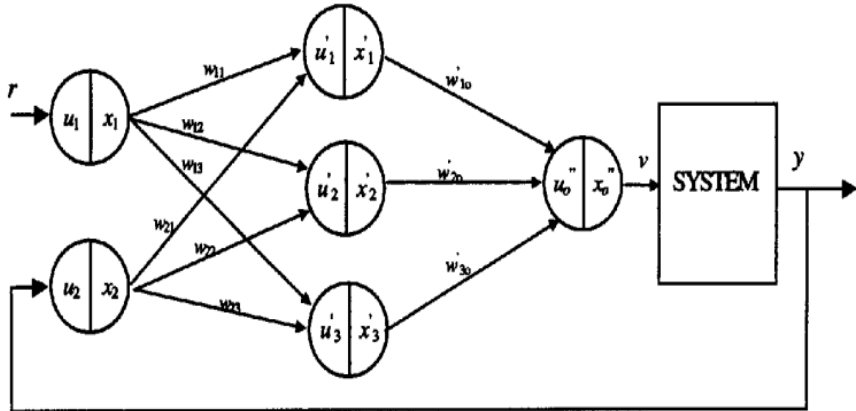
# Objective function

$$J = \sum_{k=1}^n [r(k) - y(k)]^2$$

$$w'_{j0}(n_0 + 1) = w'_{j0}(n_0) - \eta_j * \frac{\partial J}{\partial w'_{j0}}$$

$$w_{ij}(n_0 + 1) = w_{ij}(n_0) - \eta_i * \frac{\partial J}{\partial w_{ij}}$$

# schema



# Outline

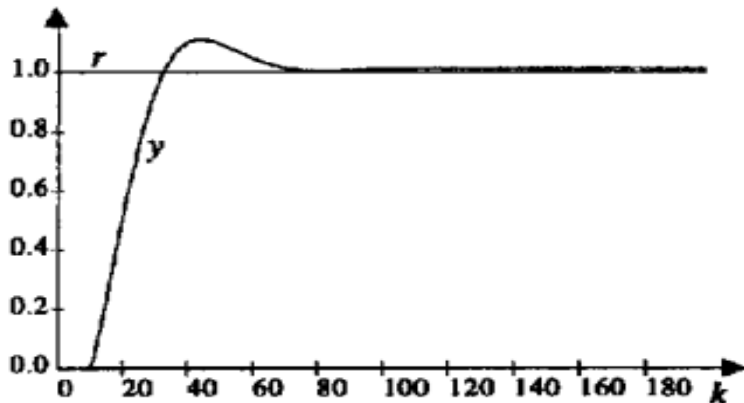
- 1 Introduction
- 2 Structure of PIDNN
- 3 Algorithm of PIDNN
- 4 Result & Conclusion



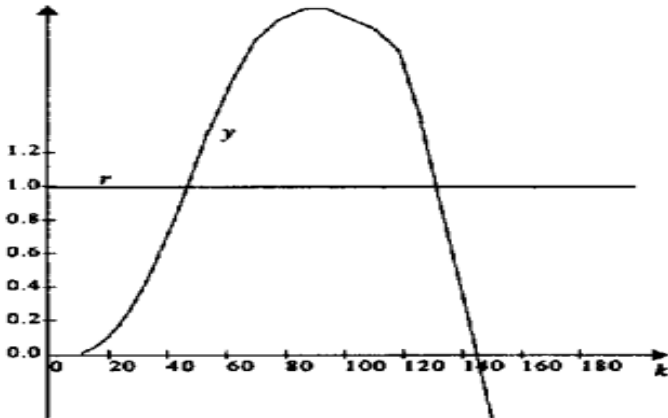
## Example

$$\begin{aligned} y(k+1) = & 1.368 * y(k) - 0.368 * y(k-1) \\ & + 0.0092 * v(k-10) + 0.066 * v(k-11) \end{aligned}$$

# Using PIDNN



# Using PID



# Conclusion

- No need to calculate the system parameters
- Short convergence time.