# Introduction to Deep Learning (CS474)

Lecture 8





# **Outline**

Mechanics of Learning-PART III

Optimizers





## Introduction

 Vanilla gradient descent for optimization was shown to you in earlier classes, which worked fine for our simple case.

 Needless to say, there are several optimization strategies and tricks that can assist convergence, especially when models get complicated.

 Now, it is the right time to introduce the way PyTorch abstracts the <u>optimization strategy</u> away from user code: that is, the training loop we've examined.





#### Introduction

- The **torch module** has an **optim** submodule where we can find classes implementing different optimization algorithms.
- Before exercising this module, I hope that you remember our last notebook example.

```
import numpy as np
import torch
t c = torch.tensor([0.5, 14.0, 15.0, 28.0, 11.0,
                    8.0, 3.0, -4.0, 6.0, 13.0, 21.0])
t u = torch.tensor([35.7, 55.9, 58.2, 81.9, 56.3, 48.9,
                    33.9, 21.8, 48.4, 60.4, 68.4])
t un = 0.1 * t u
def model(t u, w, b):
    return w * t u + b
def loss fn(t p, t c):
    squared diffs = (t p - t_c)**2
    return squared diffs.mean()
```

Slide credit: E. STEVENS, L. ANTIGA, and T. VIEHMANN





#### Introduction

Continuing with the last notebook!

```
import torch.optim as optim
dir(optim)
['ASGD',
 'Adadelta',
 'Adagrad',
 'Adam',
 'AdamW',
 'Adamax',
 'LBFGS',
 'Optimizer',
 'RMSprop',
 'Rprop',
 'SGD',
 'SparseAdam',
```





#### **Conceptual Representation of an Optimizer**

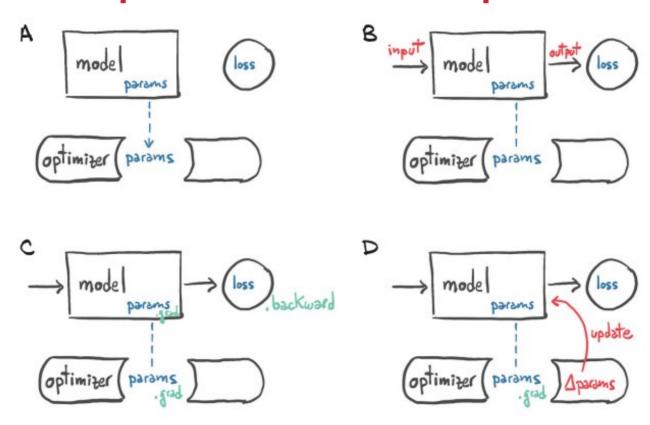


Figure 1





#### **Conceptual Representation of an Optimizer**

Look into the figure 1!

(A) Conceptual representation of how an optimizer holds a reference to parameters.

(B) After a loss is computed from inputs,

(C) a call to .backward leads to .grad being populated on parameters.

(D) At that point, the optimizer can access .grad and compute the parameter updates.





• Here SGD stands for stochastic gradient descent.

• The term **stochastic** comes from the fact that the gradient is typically obtained by <u>averaging</u> over a random subset of all input samples, called a **minibatch**.

• However, the optimizer does not know if the loss was evaluated on all the samples (vanilla) or a random subset of them (stochastic), so the algorithm is literally the same in the two cases.





• Continuing with the earlier *notebook*.

```
params = torch.tensor([1.0, 0.0], requires grad=True)
learning rate = 1e-2
optimizer = optim.SGD([params], lr=learning rate)
t p = model(t un, *params)
loss = loss fn(t p, t c)
optimizer.zero grad() # <1>
loss.backward()
optimizer.step()
params
```

```
tensor([1.7761, 0.1064], requires_grad=True)
```





• Continuing with the earlier *notebook*.

```
# Updated training loop!
def training loop(n epochs, optimizer, params, t u, t c):
    for epoch in range(1, n epochs + 1):
        t p = model(t u, *params)
        loss = loss fn(t p, t c)
        optimizer.zero grad()
        loss.backward()
        optimizer.step()
        if epoch % 500 == 0:
            print('Epoch %d, Loss %f' % (epoch, float(loss)))
    return params
```





• Continuing with the earlier *notebook*.

```
# Invoking training loop

training_loop(
    n_epochs = 5000,
    optimizer = optimizer,
    params = params,
    t_u = t_un,
    t_c = t_c)
```

```
Epoch 500, Loss 7.843371

Epoch 1000, Loss 3.825484

Epoch 1500, Loss 3.091631

Epoch 2000, Loss 2.957596

Epoch 2500, Loss 2.933116

Epoch 3000, Loss 2.928646

Epoch 3500, Loss 2.927830

Epoch 4000, Loss 2.927680

Epoch 4500, Loss 2.927652

Epoch 5000, Loss 2.927647

tensor([ 5.3671, -17.3012], requires_grad=True)
```

Slide credit: E. STEVENS, L. ANTIGA, and T. VIEHMANN





• The optim module helps us abstract away the specific optimization scheme.

• All we have to do is provide a list of params to it (that list can be extremely, as is needed for very deep neural network models), and we can forget about the details.

• In order to test more optimizers, all we have to do is instantiate a different optimizer, say Adam, instead of SGD. The rest of the code stays as it is. Pretty handy stuff.

• We won't go into much detail about Adam; suffice to say that it is a more sophisticated optimizer in which the learning rate is set adaptively.





- We have touched on a lot of the essential concepts that will enable us to train complicated deep learning models while knowing what's going on under the hood:
  - backpropagation to estimate gradients,
  - autograd, and
  - optimizing weights of models
  - using gradient descent or other optimizers.

## References

• All the contents present in the slides are taken from various online resources. Due credit is given in the respective slides. These slides are used for *academic* purposes only.