Introduction to Deep Learning (CS474)

Lecture 11





Outline

Mechanics of Learning-PART VI

• PyTorch nn module





Introduction

• PyTorch has a whole submodule dedicated to neural networks, called torch.nn .

• It contains the building blocks needed to create all sorts of neural network architectures.

• Those building blocks are called <u>modules</u> in PyTorch parlance (such building blocks are often referred to as layers in other frameworks).

• A PyTorch module is a Python class deriving from the nn.Module base class.





Introduction

• A module can have one or more Parameter instances as attributes, which are tensors whose values are optimized during the training process (think w and b in our linear model).

• A module can also have one or more submodules (subclasses of nn.Module) as attributes, and it will be able to track their parameters as well.

• We'll now start precisely where we left off and convert our previous code to a form that uses nn.





```
import numpy as np
import torch
import torch.optim as optim
t c = [0.5, 14.0, 15.0, 28.0, 11.0, 8.0, 3.0, -4.0, 6.0, 13.0, 21.0]
t u = [35.7, 55.9, 58.2, 81.9, 56.3, 48.9, 33.9, 21.8, 48.4, 60.4, 68.4]
t c = torch.tensor(t c).unsqueeze(1)
t u = torch.tensor(t u).unsqueeze(1)
print(t u.shape)
n samples = t u.shape[0]
n \text{ val} = int(0.2 * n \text{ samples})
shuffled indices = torch.randperm(n samples)
train indices = shuffled indices[:-n val]
val indices = shuffled indices[-n val:]
train indices, val indices
t u train = t u[train indices]
t c train = t c[train indices]
t u val = t u[val indices]
t c val = t c[val indices]
t un train = 0.1 * t u train
t un val = 0.1 * t u val
```

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Continuing with the earlier *notebook*!

```
import torch.nn as nn
linear_model = nn.Linear(1, 1) # <1>
linear_model(t_un_val)
```





- All PyTorch-provided subclasses of nn.Module have their __call__ method defined.
- Calling an instance of nn.Module with a set of arguments ends up calling a method named *forward* with the same arguments.
- The *forward* method is what executes the <u>forward computation</u>, while <u>__call__</u> does other rather important chores before and after calling *forward*.
- The constructor to nn.Linear accepts three arguments: the number of input features, the number of output features, and whether the linear model includes a bias or not (defaulting to True, here).





continuing with the earlier notebook.

```
# Weight
linear_model.weight

Parameter containing:
tensor([[-0.7461]], requires_grad=True)

#bias
linear_model.bias

Parameter containing:
tensor([-0.2618], requires_grad=True)
```





Assuming we need to run nn.Linear on 10 samples, we can create an input tensor of size $B \times Nin$, where **B** is the size of the *batch* and Nin is the number of input features, and run it once through the model.

• continuing with the earlier notebook.

```
x = torch.ones(10, 1)
linear model(x)
tensor([[0.6130],
        [0.6130].
         [0.6130],
         [0.6130],
         [0.6130],
         [0.6130],
         [0.6130],
         [0.6130],
         [0.6130],
         [0.6130]], grad fn=<AddmmBackward>)
```

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First, we replace our handmade model with nn.Linear(1,1), and then we need to pass the linear model parameters to the optimizer.

continuing with the earlier notebook.

```
linear_model = nn.Linear(1, 1)
optimizer = optim.SGD(
    linear_model.parameters(),
    lr=1e-2)
```





• continuing with the earlier notebook.

```
list(linear_model.parameters())

[Parameter containing:
    tensor([[0.6873]], requires_grad=True), Parameter containing:
    tensor([-0.1283], requires grad=True)]
```

- Earlier, it was our responsibility to create parameters and pass them as the first argument to **optim.SGD**.
- Now we can use the parameters method to ask any **nn.Module** for a list of parameters owned by it or any of its submodules.





-continuing with the earlier notebook.

```
def training loop(n epochs, optimizer, model, loss fn, t u train, t u val,
                  t c train, t c val):
    for epoch in range(1, n epochs + 1):
        t p train = model(t u train)
        loss train = loss fn(t p train, t c train)
        t p val = model(t u val)
        loss val = loss fn(t p val, t c val)
        optimizer.zero grad()
        loss train.backward()
        optimizer.step()
        if epoch == 1 or epoch % 1000 == 0:
            print(f"Epoch {epoch}, Training loss {loss train.item():.4f},"
                  f" Validation loss {loss val.item():.4f}")
```





-continuing with the earlier notebook.

```
def loss fn(t p, t c):
    squared diffs = (t p - t c)**2
    return squared diffs.mean()
linear model = nn.Linear(1, 1) # <1>
optimizer = optim.SGD(linear model.parameters(), lr=1e-2)
training loop(
    n = 3000,
    optimizer = optimizer,
    model = linear model,
    loss fn = loss fn,
    t u train = t un train,
    t u val = t un val,
    t c train = t c train,
    t c val = t c val)
```





-continuing with the earlier notebook.

```
print()
print(linear model.weight)
print(linear model.bias)
Epoch 1, Training loss 329.8982, Validation loss 351.4502
Epoch 1000, Training loss 3.4184, Validation loss 2.8660
Epoch 2000, Training loss 2.8855, Validation loss 3.1971
Epoch 3000, Training loss 2.8769, Validation loss 3.2405
Parameter containing:
tensor([[5.4128]], requires grad=True)
Parameter containing:
```

tensor([-17.4374], requires grad=True)

References

• All the contents present in the slides are taken from various online resources. Due credit is given in the respective slides. These slides are used for *academic* purposes only.