

Estimating $\log_{10} a$ with bisection (Ver. 1)

We can estimate \sqrt{a} by bisection following these steps

1. Give $L = 0$, $U = a$
2. The answer is in range $[L, U]$
3. x = the middle point between $[L, U]$
4. looping these steps below, if x^2 is not close to a . "Close" is when $|a - x^2| \leq 10^{-10} \max(a, x^2)$
 - if $x^2 > a$ change the range to $[L, x]$
 - if $x^2 < a$ change the range to $[x, U]$
 - x = the middle point of the range
5. x is the estimation number of \sqrt{a}

Input

A real number a (a must be between 1 to 600).

Output

Estimation of $\log_{10} a$, where $a \geq 1$ round to 6 decimal places.

Example

Input (from keyboard)	Output (on screen)
1	0.0
100	2.0
250.0	2.39794
500.0	2.69897