




ManipulaPy: A GPU-Accelerated Python Framework for Robotic Manipulation, Perception, and Control

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DOI: [10.xxxxxx/draft](https://doi.org/10.xxxxxx/draft)

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Submitted: 01 January 1970

Published: unpublished

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Summary

ManipulaPy is an open-source Python toolbox that stitches together the entire manipulation pipeline—from URDF parsing to GPU-accelerated dynamics, vision-based perception, planning and control—within a single API. Built on the Product-of-Exponentials model ([Lynch & Park, 2017](#)), PyBullet ([Coumans & Bai, 2019](#)), CuPy ([Okuta et al., 2017](#)) and custom CUDA kernels ([Liang et al., 2018](#)), the library lets researchers move from robot description to real-time control with up to **40 ×** faster inverse-dynamics on a 6-DOF UR5 than a NumPy baseline.

Statement of need

Robotics research needs tight couplings of geometry, physics, vision and control. Existing stacks—MoveIt ([Chitta et al., 2012](#)), Orocos KDL ([Smits, 2009](#)) and the Python Robotics Toolbox ([Corke & Haviland, 2021](#))—cover parts of this but require glue code or lack GPU paths. **ManipulaPy** instead:

- converts a URDF to PoE screws **and** realistic joint limits in one call,
- exposes CUDA kernels for time-scaling and (inverse) dynamics ([Liang et al., 2018](#)),
- pipes stereo vision through DBSCAN obstacle clustering into the planner¹,
- wraps PyBullet so cameras, planners and controllers stay synchronised at 1 kHz.

Implementation mirrors the clustering in ([Chu et al., 2023](#)).

Library Architecture

- **urdf_processor.py** – URDF $\rightarrow (S_i, M, G_i)$ & limits \rightarrow SerialManipulator, ManipulatorDynamics
- **kinematics.py** – PoE FK/IK + Jacobians
- **dynamics.py** – Mass matrix, Coriolis, gravity (GPU-optional)
- **path_planning.py** – CUDA cubic/quintic & SE(3) trajectories
- **control.py** – PD/PID, computed-torque, robust, adaptive controllers
- **vision.py / perception.py** – Stereo \rightarrow depth \rightarrow DBSCAN obstacles
- **singularity.py** – Jacobian condition, workspace Monte-Carlo

- 41 ▪ `sim.py` – One-line PyBullet setup & loop
- 42
- 43 ▪ `cuda_kernels.py` – Trajectory & dynamics kernels tuned for 256-thread blocks
- 44
- 45 ▪ `utils.py` – Lie-group and SE(3) helpers

46 Theory Highlights

47 1. URDF Parsing

- 48 ▪ The URDF is parsed using PyBullet's internal loader to access link names, joint types, limits, masses, and inertia tensors.
- 49
- 50 ▪ The joint hierarchy is extracted as a tree of revolute/prismatic joints with parent-child link relations.
- 51

52 2. Screw Axis Extraction

- 53 ▪ Each joint is converted into a **screw axis** $S_i \in \mathbb{R}^6$, using the joint's origin, axis, and type.
- 54 ▪ The screw axis encodes both rotation and translation components:

$$S = \begin{bmatrix} \omega \\ v \end{bmatrix}, \quad \text{with } \omega = \text{axis}, \quad v = -\omega \times q$$

55 where q is the joint position in the base frame.

56 3. Home Configuration Matrix M

- 57 ▪ The default pose of the end-effector with all joint angles at zero is computed as a homogeneous transformation matrix $M \in SE(3)$.
- 58
- 59 ▪ This serves as the base pose in PoE kinematics:

$$T(\theta) = e^{S_1 \theta_1} \dots e^{S_n \theta_n} M$$

60 while the space Jacobian stacks each transformed screw axis

$$J(\theta) = [\text{Ad}_{T_1} S_1, \dots, S_n].$$

61 4. Inertial Property Extraction

- 62 ▪ Each link's mass and spatial inertia tensor are wrapped into a 6×6 **spatial inertia matrix** G_i for use in dynamic calculations.
- 63
- 64 ▪ These matrices are used to construct the mass matrix $M(\theta)$ and Coriolis/gravity terms.

$$M(\theta) = \sum_{i=1}^n \text{Ad}_{T_i}^T G_i \text{Ad}_{T_i}, \quad \tau = M\ddot{\theta} + C(\theta, \dot{\theta}) + g(\theta).$$

65 5. Limit and Metadata Mapping

- 66 ▪ PyBullet is queried to extract joint limits, damping/friction, and torque constraints.
- 67 ▪ This metadata is stored in `robot_data` and injected into the planner and controller to enforce safety and realism.
- 68

69 6. Model Object Output

- 70 ▪ Finally, two primary Python objects are constructed:
 - 71 – SerialManipulator: A pure kinematic model with screw axes and link transforms.
 - 72 – ManipulatorDynamics: A dynamic model with mass, inertia, and external force
 - 73 computations.

74 These are returned via:

```
robot = urdf_proc.serial_manipulator
dynamics = urdf_proc.dynamics
```

75 This one-call setup bridges URDF semantics with analytical modeling, enabling immediate
76 simulation, control, and planning.

77 CUDA Acceleration

78 Custom CUDA kernels optimize critical operations:

- 79 ▪ **Trajectory Kernel:** Computes joint paths with cubic/quintic scaling
- 80 ▪ **Forward Dynamics Kernel:** Solves equations of motion in parallel
- 81 ▪ **Inverse Dynamics Kernel:** Calculates required torques from accelerations
- 82 ▪ **Cartesian Trajectory Kernel:** Generates SE(3) trajectories with rotation interpolation

83 These kernels are optimized for 256-thread blocks, reducing trajectory generation latency.

84 Minimal Example

```
from ManipulaPy import urdf_processor, path_planning, control, sim
import numpy as np

# build model & CUDA-ready dynamics
proc = urdf_processor.URDFToSerialManipulator("xarm.urdf")
robot = proc.serial_manipulator
dyn = proc.dynamics
ctrl = control.ManipulatorController(dyn)

# 45° joint ramp
Tf, N = 3.0, 300
goal = np.deg2rad([45]*6)
traj = path_planning.TrajectoryPlanning(robot, "xarm.urdf",
    dyn, proc.robot_data["joint_limits"]).joint_trajectory(
    np.zeros(6), goal, Tf, N, method=3)

# PyBullet sim with PD control
simu = sim.Simulation("xarm.urdf", proc.robot_data["joint_limits"])
simu.initialize_robot()
Kp, Kd = np.full(6, 80.0), np.full(6, 8.0)
simu.run_controller(ctrl, traj["positions"], traj["velocities"],
    traj["accelerations"], g=[0,0,-9.81], Ftip=np.zeros(6),
    Kp=Kp, Ki=np.zeros(6), Kd=Kd)
```

85 Acknowledgements

86 Work supported by **Universität Duisburg-Essen** and inspired by *Modern Robotics* (Lynch &
87 Park, 2017), PyBullet (Coumans & Bai, 2019), and Ultralytics YOLO (?) projects.

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