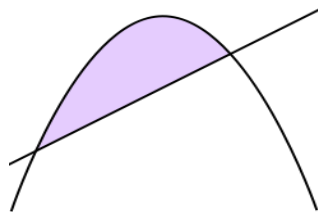


A parabolic segment is the region bounded by a parabola and a line as shown.



Find the ratio of the maximum area of a triangle inscribed in this segment to the area of the segment.

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♣ Please **Submit** your solution to

- Dr. Tirtha Timsina, [ttimsina@gsu.edu](mailto:ttimsina@gsu.edu) or
- Dr. Christian Avart, [cavart@gsu.edu](mailto:cavart@gsu.edu)

before the deadline: **Friday, November 30th, 7:00PM.**

♣ The WINNER will be awarded with a \$25 gift certificate and will be announced in the NEXT issue.

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**Problem of the last month:** Given two sets  $A$  and  $B$ , the symmetric difference  $A \Delta B$  is defined by the union of  $A \setminus B$  and  $B \setminus A$ . For any  $n \geq 2$ , let  $A_1, A_2, \dots, A_n$  be  $n$  finite subsets of the integers. Show that  $A_1 \Delta A_2 \Delta \dots \Delta A_n$  is the set consisting of the integers contained in exactly an odd number of the sets  $A_i$ ,  $1 \leq i \leq n$ .

**Solution:** We prove it by induction. It is clearly true for  $n=2$ . Now if  $N = A_1 \Delta A_2 \Delta \dots \Delta A_n \Delta A_{n+1}$  we can write  $N = P \Delta A_{n+1}$ . We then see that an element  $x$  belongs to  $N$  if it either belongs to  $P$  and not  $A_{n+1}$  or it belongs to  $A_{n+1}$  and not  $P$ . In either case, by the induction hypothesis we see that  $x$  belongs to  $N$  if and only if it belongs to an odd number of the  $A_i$ 's.

**Winner:** Joseph Moravitz

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