

MITx: 6.041x Introduction to Probability - The Science of Uncertainty

<u>Help</u>



Unit 0: Overview

- Entrance <u>Survey</u>
- ▶ <u>Unit 1:</u> **Probability** models and <u>axioms</u>
- **▼** Unit 2: **Conditioning** and <u>independence</u>

Unit overview

Lec. 2: **Conditioning and** Bayes' rule

Exercises 2 due Feb 2, 2017 20:59 ART

Lec. 3: **Independence**

Exercises 3 due Feb 2, 2017 20:59 ART

Solved problems

Problem Set 2

Problem Set 2 due Feb 2, 2017 20:59 ART

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Exercise: Independence of two events - I

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Exercise: Independence of two events - I

1/1 point (graded)

We have a peculiar coin. When tossed twice, the first toss results in Heads with probability 1/2. However, the second toss always yields the same result as the first toss. Thus, the only possible outcomes for a sequence of 2 tosses are HH and TT, and both have equal probabilities. Are the two events $A = \{ \text{Heads in the first toss} \}$ and $B = \{ \text{Heads in the second toss} \}$ independent?

No, they are dependent

✓ Answer: No, they are dependent

Answer:

Intuitively, the occurrence of event $m{A}$ gives us information on whether event $oldsymbol{B}$ will occur, and therefore the two events are dependent.

Mathematically, $\mathbf{P}(A) = \mathbf{P}(B) = \mathbf{P}(A \cap B) = 1/2$, so that $\mathbf{P}(A \cap B) \neq \mathbf{P}(A)\mathbf{P}(B)$.

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You have used 1 of 1 attempt

Correct (1/1 point)

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