## **Digital Image Processing - Exercise 4**

# **Group C**

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## [1] Practice

- 1) Inverse Filter
  - a. Code (some essential part)

```
//Replace the inverse filter 1/Pi by Qi
for (int ri = 0; ri < freq_kernel.rows; ri++) {
    for (int ci = 0; ci < freq_kernel.cols; ci++) {
        if (norm(freq_kernel.at<Vec2f>(ri, ci)) < threshold) {
            freq_kernel.at<Vec2f>(ri, ci) = threshold;
        }
        std::complex<float> p(freq_kernel.at<Vec2f>(ri,ci)[0], freq_kernel.at<Vec2f>(ri,ci)[1]);
        p = 1.f / p;
            freq_kernel.at<Vec2f>(ri,ci)[0] = p.real();
            freq_kernel.at<Vec2f>(ri,ci)[1] = p.imag();
    }
}
```

- There are some problem of inverse filter: Pi is practically equal to zero in some parts of the spectrum and then Inversion is not feasible due to limited numerical accuracy.
- In order to solve these problem, replace the inverse filter 1/Pi by Qi
- b. The result(snr = 10000)







<original image>

<degraded image>

<inverse filter>

### 2) Wiener Filter

a. code(some essential part)

```
//split kernel into real and imaginary part
Mat filter_planes[2];
 split(freq_kernel, filter_planes);
// P 2
Mat mag_filter;
magnitude(filter_planes[0], filter_planes[1], mag_filter);
multiply(mag_filter, mag_filter, mag_filter);
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//|P|2 + 1/SNR2
Mat denominator = mag_filter + 1 / (snr * snr);
//Mat denominator = mag_filter;
//P*
for (int x = 0; x < freq_kernel.cols; x++) {</pre>
for (int y = 0; y < freq_kernel.rows; y++) {</pre>
     //imaginary part
     filter\_planes[1].at < float > (y,x) = -1*filter\_planes[1].at < float > (y,x);
}
}
//Q = P^* / (|P|^2 + 1/SNR^2)
  divide(filter_planes[0], denominator, filter_planes[0]);
  divide(filter_planes[1], denominator, filter_planes[1]);
  merge(filter_planes, 2, freq_kernel);
```

Because signal o and noise n are not correlated and no and o are unknown, Q can be formulated by

### b. The result(snr=10)







<original image>

<degraded image>

<Wiener filter>